

UNIVERSITY OF OSLO

CONTROL OF MOBILE ROBOTS

UNIK4490

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# **An Unnecessarily Extra Long Convoluted Academic Title That Makes Little Sense**

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## Some Heading



Figure 1: 4 by 4 Rover

### Tasks

1. Move the robot to a pose
2. Implement odometric localization
3. Implement motor control for each wheel
4. Implement posture regulation motion control In general the posture regulation controller takes in the configuration variables,  $q = [x, y, \theta]^T$ , and outputs  $v$  and  $\omega$ . It is assumed that the desired variables are  $q_d = [0, 0, 0]^T$  and the error from  $q_d$  is represented by following variables:

$$\rho = \sqrt{x^2 + y^2}$$

$$\gamma = \text{Atan2}(y, x) - \theta + \pi$$

$$\delta = \gamma + \theta$$

Where  $\rho = ||e_p||$  is the distance between current point  $(x, y)$  and desired point  $(0, 0)$ ,  $\gamma$  is the angle between  $\vec{e}_p$  and the sagittal axis of the vehicle and  $\delta$  is the axis between  $\vec{e}_p$  and the x-axis.  $v$  and  $\omega$  are found by:

$$v = k_1 \rho \cos(\gamma) \quad (1)$$

$$\omega = k_2 \gamma + k_1 \frac{\sin(\gamma) \cos(\gamma)}{\gamma} (\gamma + k_3 \delta) \quad (2)$$

In our implementation of the controller we get  $\vec{q}$  from the odometric module and output  $\omega_R$  and  $\omega_L$  to the motor controller. Equations for  $\omega_R$  and  $\omega_L$  expressed by error variables  $\rho$ ,  $\gamma$  and  $\delta$ , by setting the following equations (3) and (4) equal to equations (1) and (2) respectively,

$$v = \frac{r(\omega_R + \omega_L)}{2} \quad (3)$$

$$\omega = \frac{r(\omega_R - \omega_L)}{d} \quad (4)$$

and then solve for  $\omega_R$  and  $\omega_L$  by the inserting method. This yields:

$$\omega_R = \frac{2k_1 \rho \cos(\gamma)}{2r} + \frac{dk_2 \gamma}{2r} + \frac{d \sin(\gamma) \cos(\gamma) (\gamma + k_3 \delta)}{2r \gamma} \quad (5)$$

$$\omega_L = \frac{2k_1\rho\cos(\gamma)}{2r} - \frac{dk_2\gamma}{2r} - \frac{d\sin(\gamma)\cos(\gamma)(\gamma + k_3\delta)}{2r\gamma} \quad (6)$$