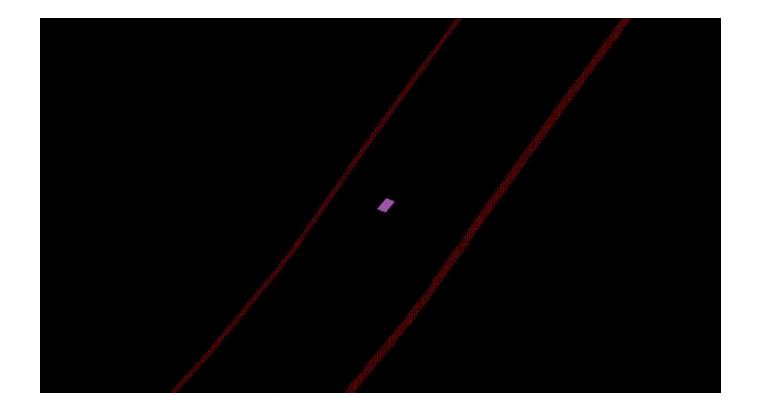


Reactive Methods



How do we get the decent performance without a map?



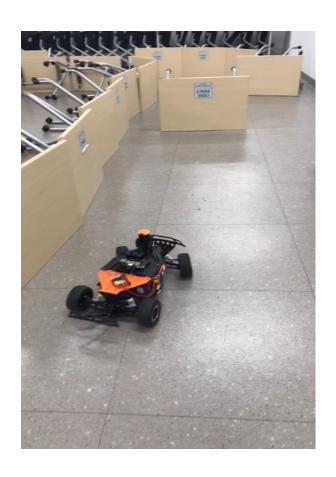


Reactive Methods: Wall-Following

• **Problem:** Drive the car around the track rather than emergent braking

• Understand: Basic of PID, how to compute error, failure modes

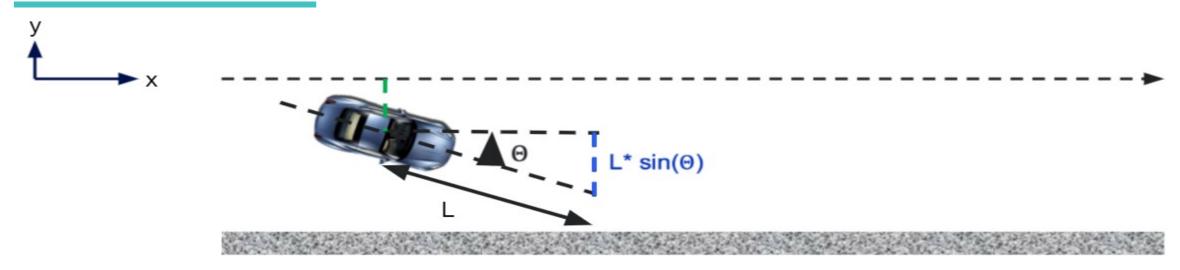
• Implement: Wall following in simulation and on the vehicle







Review: PID Controller Design

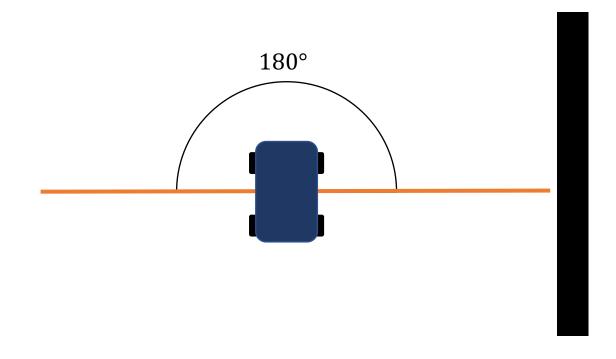


- Control Input : Steering Angle heta
- Velocity will be held constant
- Goal:
 - Keep the car driving along the Centerline : y = 0
 - Drive Parallel to the walls : $\theta = 0 \rightarrow \text{Better} : L * \sin(\theta) = 0$
 - → Can do more elaborate geometric design using vehicle kinematics model!





• Lidar scan Angles:

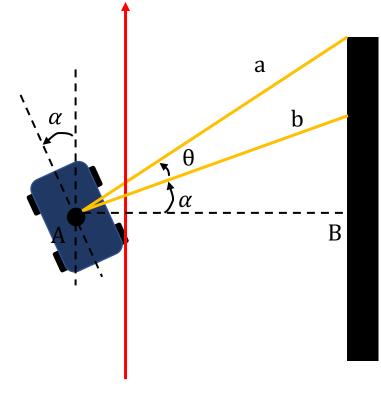






Pick two LIDAR rays facing right:

One at 0° and one at θ°



$$\alpha = \tan^{-1}(\frac{a\cos(\theta) - b}{a\sin(\theta)})$$
$$\overline{AB} = b\cos(\alpha)$$

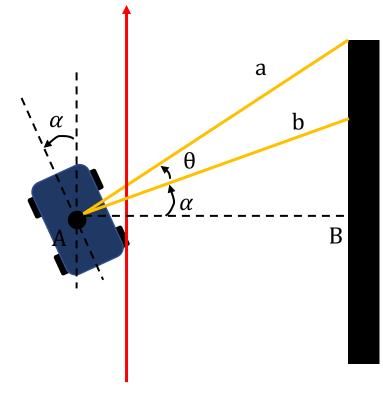
Error = desired trajectory - \overline{AB} ?





Pick two LIDAR rays facing right:

One at 0° and one at θ°



$$\alpha = \tan^{-1}(\frac{a\cos(\theta) - b}{a\sin(\theta)})$$

$$\overline{AB} = b\cos(\alpha)$$

Error = desired trajectory - \overline{AB} ?

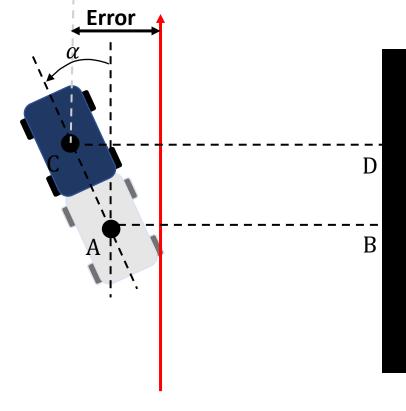
Not quite





Account for the forward motion

of the car



$$\alpha = \tan^{-1}(\frac{a\cos(\theta) - b}{a\sin(\theta)})$$
$$\overline{AB} = b\cos(\alpha)$$

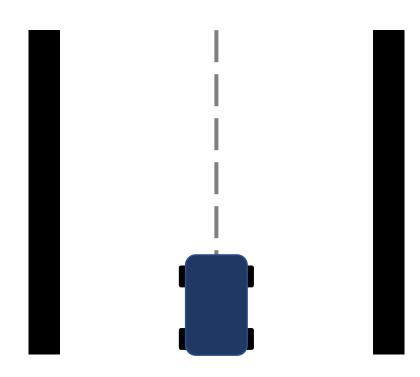
$$\overline{CD} = \overline{AB} + \overline{AC}\sin(\alpha)$$

Error = desired trajectory - \overline{CD}





- Control objectives:
 - Keep the car driving along the centerline
 - Parallel to the walls





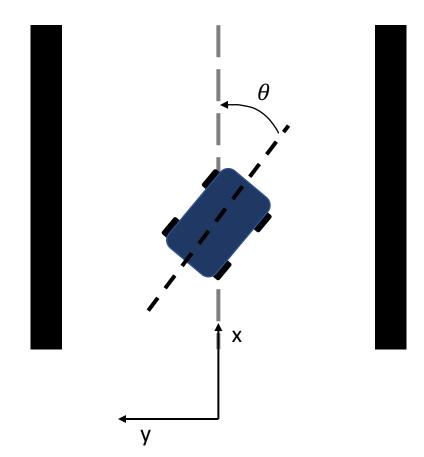


- Control objectives:
 - Keep the car driving along the centerline

$$y = 0$$

• Parallel to the walls

$$\theta = 0$$

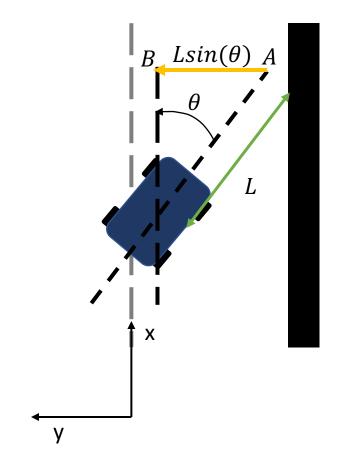






- Control objectives:
 - Keep the car driving along the centerline y=0
 - After driving L meters, it is still on the centerline: Horizontal distance after driving L meters

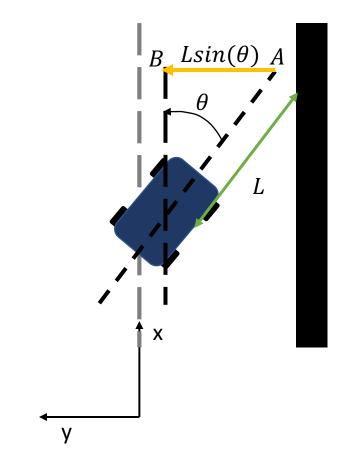
$$Lsin(\theta) = 0$$







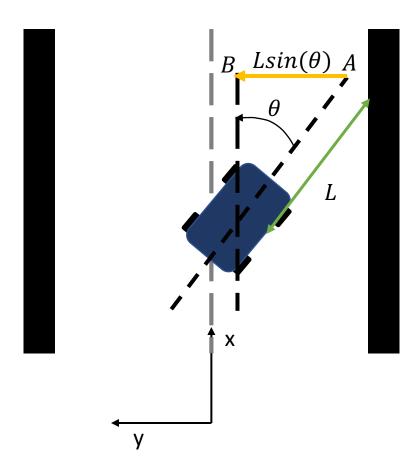
- Control input
 - Steering angle heta
 - We will hold the velocity constant
 - How do we control the steering angle to keep $y=0,\ Lsin(\theta)=0$ as much as possible?







- Error term
 - Want both y and $Lsin(\theta)$ to be zero
 - \rightarrow Error term $e(t) = -(y + Lsin(\theta))$

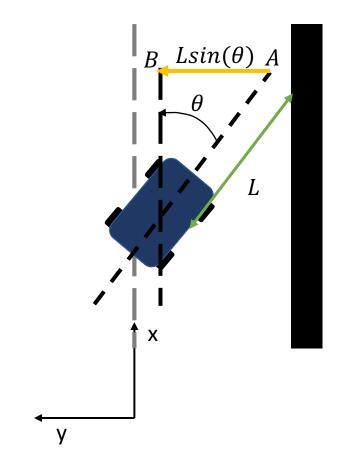






- Computing input
 - When y > 0, car is to the left of centerline
 - \rightarrow Want to steer right: $\theta < 0$
 - When $Lsin(\theta) > 0$, we will be to the left of centerline in L meters
 - \rightarrow Want to steer right: $\theta < 0$
 - Set desired angle to be

$$\theta_d = K_p(-y - Lsin(\theta))$$

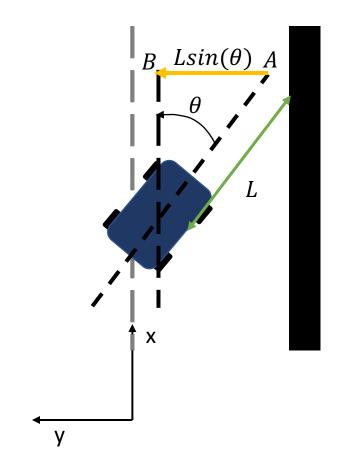






- Computing input
 - When y < 0, car is to the right of centerline
 - \rightarrow Want to steer left: $\theta > 0$
 - When $Lsin(\theta) < 0$, we will be to the right of centerline in L meters
 - \rightarrow Want to steer right: $\theta > 0$
 - Set desired angle to be

$$\theta_d = K_p(-y - Lsin(\theta))$$



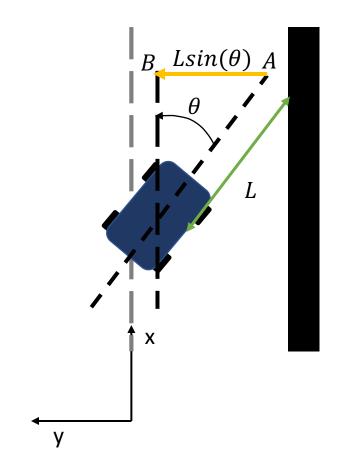




Proportional control

$$\theta_d = K_p(-y - Lsin(\theta)) = CK_pe(t)$$

- This is **P**roportional control
- The extra C constant is for scaling distances to angles



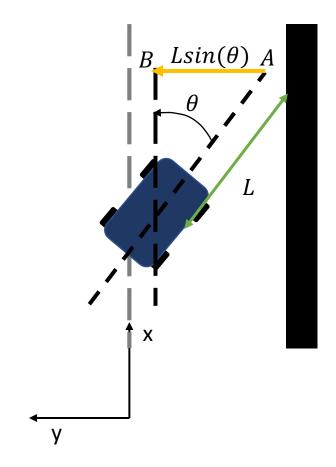




Derivative control

- If error term is increasing quickly, we might want the controller to react quickly
 - → Apply a **D**erivative gain:

$$\theta = K_p e(t) + K_d \frac{de(t)}{dt}$$





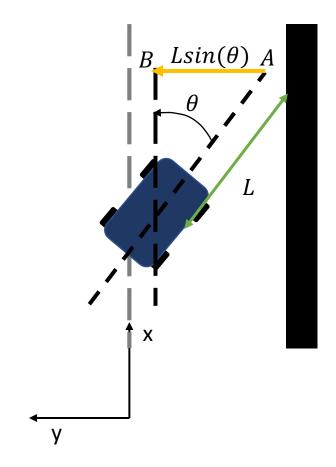


Integral control

Integral control is proportional to the cumulative error

$$\theta = K_p e(t) + K_d \frac{de(t)}{dt} + K_I E(t)$$

Where E(t) is the integral of the error up to time(from a chosen reference time)





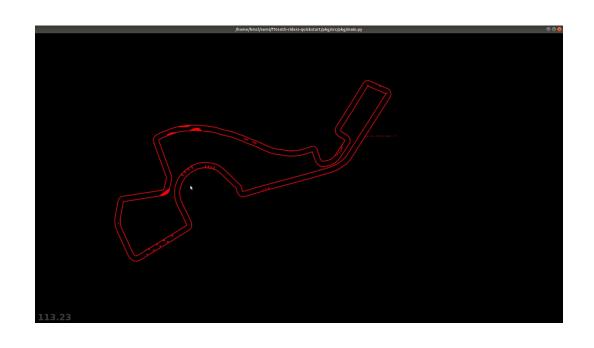


Obstacle Avoidance without a Map

 Can we Wall Following to navigate the complex racing track?

 If we build a map we can plan an obstacle free path to follow (=map-based method)

 Challenge: Locally avoid obstacles (=Reactive method) without any map information



How do we get that level of performance without a map?



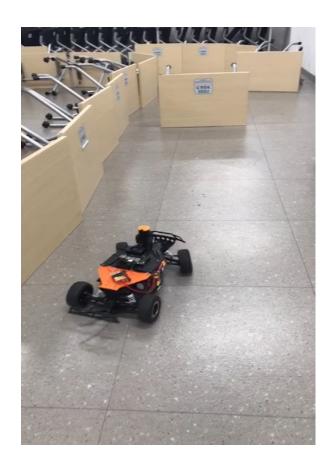


Reactive Methods: Gap-Following

• Problem: How can avoid obstacles

 Understand: Basics of reactive navigation, avoidance on both static and dynamic obstacles

• Implement: Gap following in simulation and on the vehicle

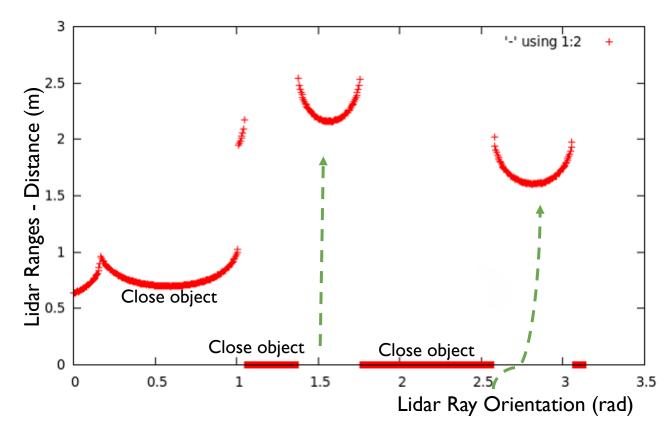






Sensing Gaps between Obstacles

Sensing Obstacles from Lidar Measurements







[0.5, 5.1, 6.0, 7.0, inf, 3.0, inf, 3.0, inf, 8.0, 5.0, 3.0]



Where should car go?





[0.5, 5.1, 6.0, 7.0, inf, 3.0, inf, 3.0, inf, 8.0, 5.0, 3.0]



Furthest distance? Why might this be wrong?





[0.5, 5.1, 6.0, 7.0, inf, 3.0, inf, 3.0, inf, 8.0,5.0, 3.0]

Gap: Series of at least **n** consecutive hits that pass some distance threshold **t**



$$n=3, t=5.0$$







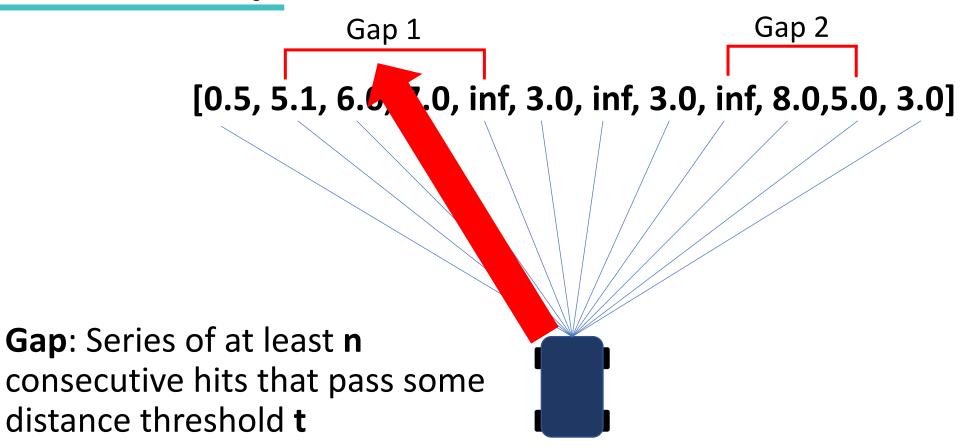
Gap: Series of at least **n** consecutive hits that pass some distance threshold **t**

$$n=3, t=5.0$$







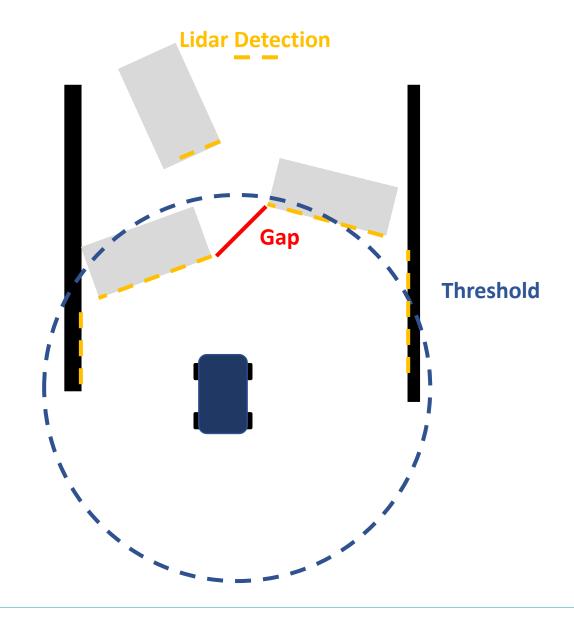


$$n=3, t=5.0$$





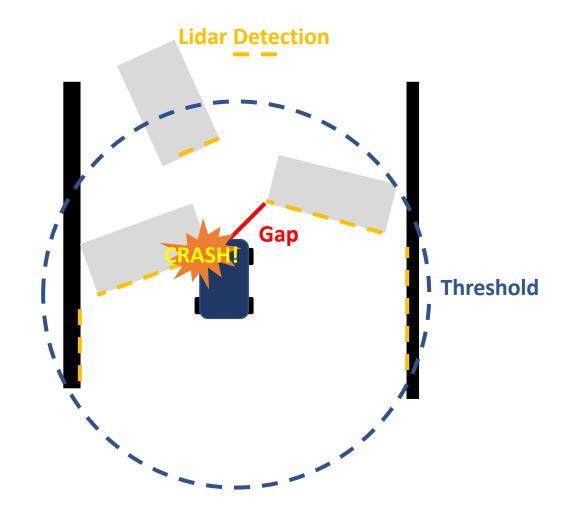
 Why Naïve "Follow the Gap" doesn't work







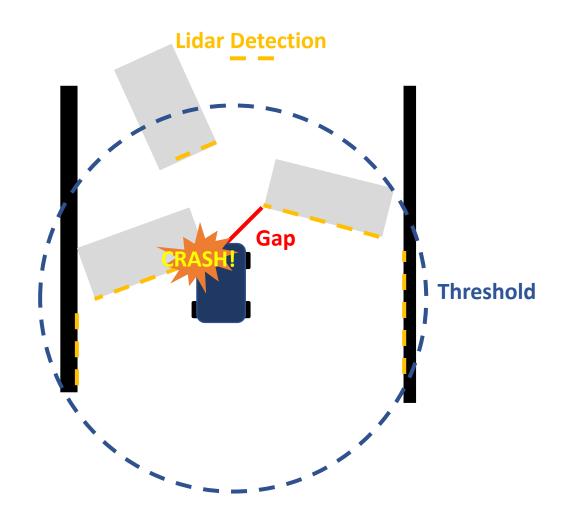
 Why "Find the Largest Gap" doesn't work







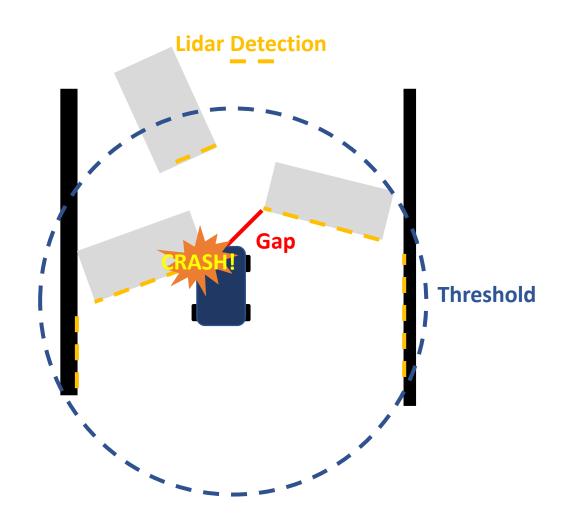
- The idea: "Seek out the largest gap"
 - Works fine for holonomic robots(e.g. turtlebots)
 - Works fine for non-holonomic robots in environment with sparse obstacles







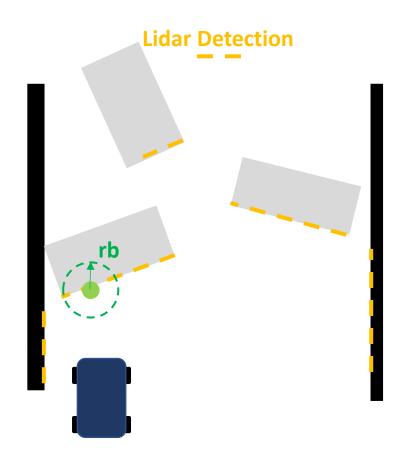
- The idea: "Seek out the largest gap"
 - Works fine for holonomic robots(e.g. turtlebots)
 - Works fine for non-holonomic robots in environment with sparse obstacles
 - → Doesn't optimize for safety
 - → Doesn't consider car's dimensions
 - → Hard to decide threshold t







- Step 1
 - Find nearest LIDAR point and put a "safety bubble" around it of radius rb

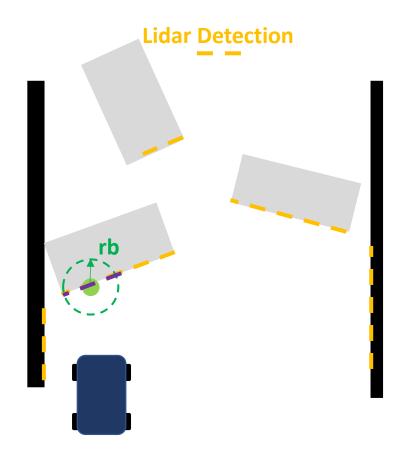


[4.8, **3.1**, 4.3, 4.5, ..., 10.1, 8.3]





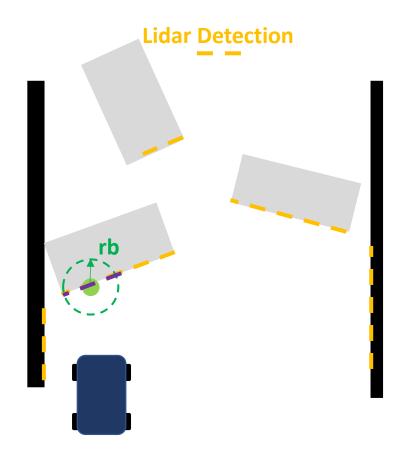
- Step 2
 - Set all points inside bubble to distance 0. All nonzero points are considered 'free space'







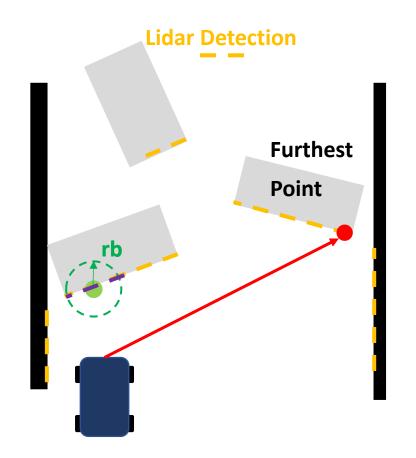
- Step 3
 - Find maximum length sequence of consecutive non-zeros among the 'free space' points. (The max gap)







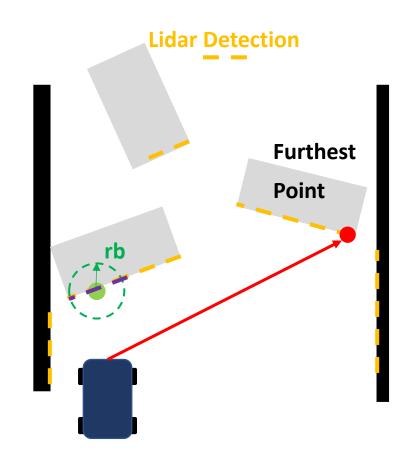
- Step 4
 - Find the 'best' point among this maximum length sequence
 - Naïve: Choose the furthest point in free space, and set your steering angle towards it







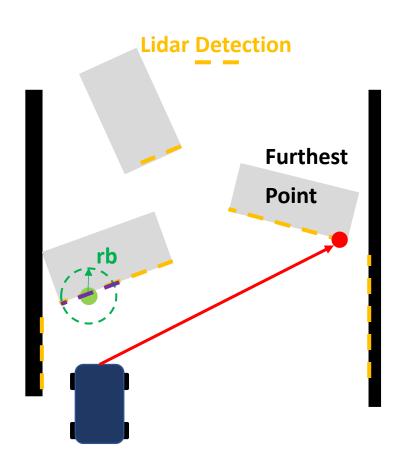
- Step 4
 - Find the **'best' point** among this maximum length sequence
 - Naïve: Choose the furthest point in free space, and set your steering angle towards it
 - Better Idea Intuition: If you're 3-4m away from your closest obstacle, should you immediately make a sharp turn to avoid it?







- Step 1
 - Find nearest LIDAR point and put a "safety bubble" around it of radius rb
- Step 2
 - Set all points inside bubble to distance 0.
 All nonzero points are considered 'free space'
- Step 3
 - Find maximum length sequence of consecutive non-zeros among the 'free space' points. (The max gap)
- Step 4
 - Choose the appropriate (furthest) point in free space, and set your steering angle towards it







Reactive Methods Demonstration







Wall Following Implementation

```
#!/usr/bin/env python
from _ future _ import print_function
import sys
import math
import numpy as np
import rospy
from sensor msgs.msg import LaserScan
from ackermann_msgs.msg import AckermannDriveStamped
#TO DO: Tune parameters
#PID CONTROL PARAMS
kp = 0.8
kd = 0.5
ki = 2
                         Parameters for PID control
servo offset = 0.0
prev error = 0.0
error = 0.0
integral = 0.0
#WALL FOLLOW PARAMS
ANGLE RANGE = 270 # Hokuyo 10LX has 270 degrees scan
DESIRED DISTANCE RIGHT = 1.0 # meters
DESIRED_DISTANCE_LEFT = 1.0
VELOCITY = 1 # meters per second
CAR LENGTH = 0.50 # TfollowLeftraxxas Rally is 20 inches or 0.5 meters
```

Parameters for wall following





Wall Following Implementation

```
class WallFollow:
    """ Implement Wall Following on the car
   def __init__(self):
       #Topics & Subs, Pubs
       self.lidar_sub = rospy.Subscriber("/scan", LaserScan, self.lidar_callback)#: Subscribe to LIDAR
       self.drive pub = rospy.Publisher('/vesc/low level/ackermann cmd mux/output', AckermannDriveStamped, queue size=10)#: Publish to drive
   def getRange(self, data):
       # angle: between -45 to 225 degrees, where 0 degrees is directly to the right
       #make sure to take care of nans etc.
       laser ranges = data.ranges
       laser ranges = laser ranges[600:710]
       return 0.0
   def pid_control(self, error, velocity):
                       drive msg = AckermannDriveStamped()
                       drive msg.header.stamp = rospy.Time.now()
                       self.drive pub.publish(drive msg)
   def lidar callback(self, data):
               1. Get LiDAR message
                  and make sure to take care of nans etc.
               3. Based on length to object, callback 'pid control'
```





Gap Following Implementation

- For this lab, you will make a 'Gap Following Node' that should make the car maintain a constant distant from the wall while moving forward
- You will need to first <u>subscribe to the scan topic</u> and <u>find the max length "gap"</u> with the LaserScan messages
- We are sending AckermannDriveStamped messages with desired velocity and steering angle

```
#!/usr/bin/env python
from __future__ import print_function
import sys
import math
import numpy as np

#ROS Imports
import rospy
from sensor msgs.msg import LaserScan
from ackermann msgs.msg import AckermannDriveStamped
```

