



DEIO: Deep Event Inertial Odometry

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Abstract

Event cameras show great potential for visual odometry (VO) in handling challenging situations, such as fast motion and high dynamic range. Despite this promise, the sparse and motion-dependent characteristics of event data continue to limit the performance of feature-based or directbased data association methods in practical applications. To address these limitations, we propose Deep Event Inertial Odometry (DEIO), the first monocular learning-based event-inertial framework, which combines a learning-based method with traditional nonlinear graph-based optimiza-Specifically, an event-based recurrent network is adopted to provide accurate and sparse associations of event patches over time. DEIO further integrates it with the IMU to recover up-to-scale pose and provide robust state estimation. The Hessian information derived from the learned differentiable bundle adjustment (DBA) is utilized to optimize the co-visibility factor graph, which tightly incorporates event patch correspondences and IMU preintegration within a keyframe-based sliding window. Comprehensive validations demonstrate that DEIO achieves superior performance on 10 challenging public benchmarks compared with more than 20 state-of-the-art methods. We release the source code and qualitative results: https: //kwanwaipang.github.io/DEIO/.

1. Introduction

Event cameras are motion-activated sensors that only capture pixel-wise intensity changes with microsecond precision and report them as an asynchronous stream instead of the whole scene as an intensity image with a fixed frame rate. Due to their remarkable properties, such as high temporal resolutions, high dynamic range (HDR), and no motion blur, event cameras have the potential to enable high-quality perception in extreme lighting conditions and high-speed motion scenarios that are currently not accessible to standard cameras.

Despite such promises, integrating event cameras into visual odometry (VO) systems presents significant challenges. This is primarily due to the sparse, irregular, and asynchronous nature of event data, which conveys limited information and contains inherent noise. Moreover, due to the motion-dependent characteristic, both feature-based and direct-based methods easily fail in incomplete observation or sudden variation of the event camera. Therefore, current purely event-based VO systems [28, 36] generally lack the robustness requirement for real-world applications. Recent studies have introduced learning-based approaches [19, 25] as promising solutions for event-based VO, addressing the previously mentioned limitations by employing neural networks to establish robust associations. However, it is worth noting that visual/event-only systems have inherent limitations, making them vulnerable to low-textured environments or suffering from scale ambiguity. To mitigate visual degradations, a practical and promising strategy is to incorporate the Inertial Measurement Unit (IMU), which is low-cost and readily available in event cameras. Nevertheless, integrating an event-based network with IMU remains an unexplored territory due to the challenge of efficiently fusing the learning-based event association with IMU.

In this work, we propose Deep Event Inertial Odometry (DEIO), the first deep learning-based event-inertial odometry framework. It is developed based on a learning-optimization framework that leverages neural networks to predict event correspondences and tightly integrates IMU measurements to enhance the robustness of the odometry. More specifically, our framework decouples the neural network from IMU integration and operates in two phases: (i) an event-based recurrent network learns to provide robust data associations of sparse event patches. (ii) The network is tightly integrated with the IMU measurements within a factor graph optimization framework to achieve 6-DoF pose tracking. Our contributions are summarized as follows:

 We propose a learning-optimization framework that seamlessly integrates the power of deep learning with the efficiency of factor graph optimization. To the best of our knowledge, this is the first event-inertial odometry framework that employs deep learning for event data

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- association and graph optimization for pose estimation.
- An event-based co-visibility factor graph optimization is proposed to tightly integrate event patch correspondences and IMU pre-integration by deriving Hessian information from differentiable bundle adjustment (DBA).
- 3. Extensive experiments on 10 challenging event-based real-world benchmarks demonstrate the superior performance of DEIO compared to over 20 advanced methods. We release the source code to facilitate further research.

2. Related Work

2.1. Traditional Event-based VO

To enhance the robustness of purely event-based VO, existing event-based SLAM methods have demonstrated good performance by incorporating additional sensors. Notably, event-inertial integration is a widely used approach to address the limitations of event-only SLAM, which provides scale awareness and continuity of estimation with minimal setup requirements. Zhu et al. [40] propose the first event-inertial odometry (EIO) method, which fuses events with IMU through the Extended Kalman Filter. Rebecq et al. [29] propose an optimization-based EIO that detects and tracks features in the edge image, generated from motion-compensated event streams, through traditional image-based feature detection and tracking. The tracked features are then combined with IMU measurements via keyframe-based nonlinear optimization. Mono-EIO [13] employs the event-corner features with IMU measurement to deliver real-time and accurate 6-DoF state estimation. Ultimate-SLAM [33] and PL-EVIO [14] investigate the complementary nature of events and images to present an event-image-IMU odometry (EVIO). ESVIO [4] proposes the first stereo EIO and EVIO framework to estimate states through temporally and spatially event-corner feature association. ESVO2 [23, 24] extends ESVO [36] and presents a direct method for stereo event cameras with an IMU-aided solution. EVI-SAM [15] introduces the first event-based hybrid pose tracking framework, merging feature-based and direct-based methods, with IMU fusion.

2.2. Learning Event-based VO

Zhu et al. [39] pioneer the first learning-based event odometry framework, utilizing an unsupervised network with a contrast maximization loss [7]. Ye et al. [34] extend the SfMLearner [35], which employs a depth network and pose network for event-based optical flow estimation. However, these methods show poor generalization beyond the training scenarios. DEVO [19] extends the DPVO [32] to accommodate the event modality also through the voxel-based representation like E-RAFT [10], demonstrating great generalization from synthetic data to seven real-world event-based benchmarks. RAMP-VO [25] introduces an end-to-

end VO that also builds upon DPVO [32] using feature encoders to fuse events and image data. However, the absolute scale is not observable in these monocular event-only systems. Visual-IMU integration is the most common solution to address these limitations, which provides scale awareness and continuous estimation with minimal setup. Nevertheless, efficiently integrating learning-based event data association with IMU measurements remains an open problem. This work aims to bridge this gap by proposing a combined learning-optimization framework.

3. Methodology

The overall design of the framework aims to tightly fuse the learnable event-based data association with traditional IMU pre-integration. Fig. 1 depicts the overview of our system. For the front end, a deep neural network (Section 3.1) is utilized to estimate the sparse patch-based correspondences for the optical flow of events. On the back end, Hessian information derived from the learned DBA layer is tightly integrated with the IMU pre-integration (Section 3.2). This design leverages the representational power of deep neural networks to achieve robust event-based data association while simultaneously harnessing inertial measurement benefits without requiring IMU training data, thereby preserving the generalization capabilities of our DEIO.

3.1. Learning-based Event Data Association

Event Encoding: Each event is represented as a tuple (t,x,y,p), where t denotes the trigger timestamp in microseconds at the pixel (x,y) and p_i indicates polarity with p=1 for an increase in brightness and p=-1 for a decrease. The event streams are divided into segments based on a predefined temporal interval Δt . We preprocess the event segment within an interval $[t_i-\Delta t,t_i)$ into a tensor $E_i\in\mathbb{R}^{D\times H\times W}$ using the voxel representation [39], where D represents the number of discretization steps in time. Therefore, the event-based optical flow estimation from segment i to segment j fundamentally involves establishing data correspondences between E_i and E_j .

Patch Structure: The patch-based architecture [32] is adopted to compute the flow for a set of sparse event patches. A $p \times p$ event patch, sampled from the event voxel E, is represented as a set of pixel coordinates $P = [x, y] \in \mathbb{R}^{p^2 \times 2}$, where all pixels within the patch are assumed to have a constant inverse depth $d \in \mathbb{R}_+$. The dynamic event patch graph \mathcal{G} is a bipartite graph where each edge is denoted as [(i, n), j], indicating the relationship between event patch n from segment i and the target segment j. The network structure for event-based data association inherits the recurrent network from [19, 32] and consists of three primary components: (i) a feature encoder that extracts patch-based event feature representations; (ii) a correlation layer that computes the visual similarity; (iii) a recurrent update

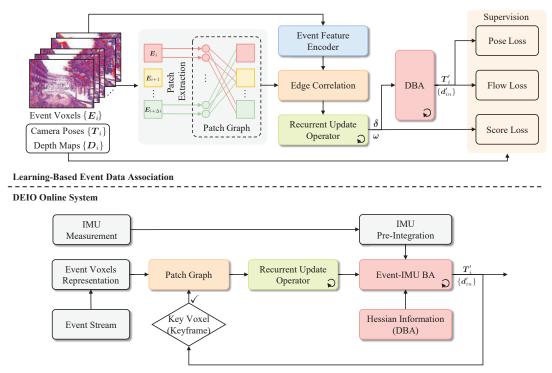


Figure 1. Overview of the DEIO system. It decouples network training from IMU integration and operates in two phases: offline training and online optimization. During training, a unified event-based optical flow network is trained to provide robust data associations of sparse event patches. At runtime, the Hessian information, derived from the DBA layer in the update operator, is utilized to tightly integrate event patch correspondence with IMU pre-integration through an event patch-based co-visibility factor graph optimization.

operator that handles event-patch correspondences, which estimates the 2D optical flow vector $\boldsymbol{\delta}$ and the confidence weights $\boldsymbol{\omega}$ for each patch.

Differentiable Bundle Adjustment (DBA): The DBA layer jointly refines camera poses and patch depth across the entire patch graph \mathcal{G} to match the predicted patch optical flow δ by the following optimization objective:

$$\left\{\left\{\boldsymbol{T}_{ji}^{\prime}\right\},\left\{\boldsymbol{d}_{in}^{\prime}\right\}\right\} = \arg\min_{\boldsymbol{T},\boldsymbol{d}} \sum_{\mathcal{G}} \left\|\boldsymbol{F}(\boldsymbol{T}_{ji},\boldsymbol{d}_{in})\right\|_{\boldsymbol{\omega}_{inj}}^{2},$$

$$\boldsymbol{F}(\boldsymbol{T}_{ji},\boldsymbol{d}_{in}) = \boldsymbol{\pi}\left(\boldsymbol{T}_{ji} \cdot \boldsymbol{\pi}^{-1}\left(\hat{\boldsymbol{P}}_{in},\boldsymbol{d}_{in}\right)\right) - \left(\hat{\boldsymbol{P}}_{in} + \boldsymbol{\delta}_{inj}\right)$$
(1)

where $(\delta_{inj}, \omega_{inj})$ is the patch-based optical flow field predicted by the event-based recurrent network. The term $\delta_{inj} \in \mathbb{R}^2$ denotes a 2D flow vector that indicates how the reprojection of the event-patch center should be updated, and ω_{inj} serves as the patch-wise confidence weight of the optical flow. F is the shorthand to denote the residual term on the patch center coordinates, and $\|\cdot\|$ is the Mahalanobis distance. π and π^{-1} are the projection and back-projection functions of the event camera. $T_{ji} = T_j^{-1}T_i$ represents the transformation from frame i to frame j, where $T_i, T_j \in \mathbb{SE}(3)$ denote the camera poses in the camera-to-world format. In this work, the pre-trained network weights [19] are employed to estimate sparse event patch correspondences

due to their strong generalization.

3.2. Learnable Hessian Information Extraction

To extract the information from the learning-based event data association and integrate it with the IMU, we linearize Eq. (1) as follows:

$$F(\boldsymbol{\xi_{ji}} \oplus \boldsymbol{T}_{ji}, \boldsymbol{d}_{in} + \Delta \boldsymbol{d}_{in}) - F(\boldsymbol{T}_{ji}, \boldsymbol{d}_{in})$$

$$= \begin{bmatrix} \boldsymbol{J}_{ji} & \boldsymbol{J}_{\boldsymbol{d}_{in}} \end{bmatrix} \begin{bmatrix} \boldsymbol{\xi}_{ji} \\ \Delta \boldsymbol{d}_{in} \end{bmatrix} (2)$$

where ξ_{ji} is the Lie algebras of the updated pose in $\mathfrak{S}\mathfrak{Q}(3)$. Δd_{in} denotes the updated state of the inverse depth. The Jacobians $J_{ji}, J_{d_{in}}$ are the partial derivatives of F with respect to the pose T_{ji} and the inverse depth d_{in} , respectively. An event-patch P_{in} can be reprojected from segment i into segment j follows the warping function:

$$\mathbf{P}'_{jn} = \begin{bmatrix} x_{jn} & y_{jn} & z_{jn} & 1 \end{bmatrix}^T = \mathbf{T}_{ji} \cdot \boldsymbol{\pi}^{-1}(\hat{\mathbf{P}}_{in}, \mathbf{d}_{in})$$
 (3)

where (x_{jn}, y_{jn}, z_{jn}) is the center of the event patch at segment j in the event camera coordinate. J_{ji} is expressed as:

$$\boldsymbol{J}_{ji} = \begin{bmatrix} \frac{f_x}{z_{jn} \cdot \boldsymbol{d}_{in}} & 0 & -\frac{f_x x_{jn}}{z_{jn}^2 \cdot \boldsymbol{d}_{in}} & -\frac{f_x x_{jn} y_{jn}}{z_{jn}^2} & f_x + \frac{f_x x_{jn}^2}{z_{jn}^2} & -\frac{f_x y_{jn}}{z_{jn}} \\ 0 & \frac{f_y}{z_{jn} \cdot \boldsymbol{d}_{in}} & -\frac{f_y y_{jn}}{z_{jn}^2 \cdot \boldsymbol{d}_{in}} & -f_y - \frac{f_y y_{jn}^2}{z_{jn}^2} & \frac{f_y x_{jn} y_{jn}}{z_{jn}^2} & \frac{f_y x_{jn}}{z_{jn}^2} \end{bmatrix}$$

$$\tag{4}$$

where f_x and f_y are the given event camera intrinsic parameters. $J_{d_{in}}$ is given as:

$$J_{d_{in}} = \begin{bmatrix} f_x(\frac{t_{ji}[0]}{z_{jn} \cdot d_{in}} - \frac{t_{ji}[2]x_{jn}}{z_{jn}^2 \cdot d_{in}}) \\ f_y(\frac{t_{ji}[1]}{z_{jn} \cdot d_{in}} - \frac{t_{ji}[2]y_{jn}}{z_{jn}^2 \cdot d_{in}}) \end{bmatrix}$$
(5)

where t_{ji} is the translation vector of the related transform between T_i and T_j . Therefore, the Hessian matrix of Eq. (2) can be computed as follows:

$$\boldsymbol{H}_{ji} = \begin{bmatrix} \boldsymbol{J}_{ji} & \boldsymbol{J}_{\boldsymbol{d}_{in}} \end{bmatrix}^T \boldsymbol{W}_{inj} \begin{bmatrix} \boldsymbol{J}_{ji} & \boldsymbol{J}_{\boldsymbol{d}_{in}} \end{bmatrix}$$
 (6)

where $W_{inj} = \operatorname{diag}(\omega_{inj})$. To improve readability, the notation for [(i,n),j] edges in H_{ji} and W_{inj} will be omitted in subsequent equations unless otherwise specified.

By decoupling the pose and depth variables, the system can be solved efficiently using the Schur complement:

$$H\begin{bmatrix} \boldsymbol{\xi}_{ji} \\ \Delta \boldsymbol{d}_{in} \end{bmatrix} = -\begin{bmatrix} \boldsymbol{J}_{ji} & \boldsymbol{J}_{\boldsymbol{d}_{in}} \end{bmatrix}^{T} W F(\boldsymbol{T}_{ji}, \boldsymbol{d}_{in})$$

$$\begin{bmatrix} \boldsymbol{B} & \boldsymbol{E} \\ \boldsymbol{E}^{T} & \boldsymbol{C} \end{bmatrix} \begin{bmatrix} \boldsymbol{\xi}_{ji} \\ \Delta \boldsymbol{d}_{in} \end{bmatrix} = \begin{bmatrix} \boldsymbol{v} \\ \boldsymbol{u} \end{bmatrix}$$
(7)

Therefore, the following equation can be obtained:

$$\boldsymbol{\xi_{ij}} = \underbrace{[\boldsymbol{B} - \boldsymbol{E}\boldsymbol{C}^{-1}\boldsymbol{E}^T]^{-1}}_{\boldsymbol{H_o}} \underbrace{(\boldsymbol{v} - \boldsymbol{E}\boldsymbol{C}^{-1}\boldsymbol{u})}_{\boldsymbol{V_o}} \tag{8}$$

where \boldsymbol{B} is the matrix with size of 60×60 , \boldsymbol{E} is the residual matrix with size of 60×960 , and \boldsymbol{C} is a diagonal matrix with size of 960×960 . A damping factor of 10^{-4} is also applied to \boldsymbol{C} as [32]. These matrices establish an interframe pose constraint (represented by \boldsymbol{H}_g and \boldsymbol{V}_g) that integrates the DBA information. After updating the camera poses $\boldsymbol{T}'_{ji} = \exp(\boldsymbol{\xi}_{ji})\boldsymbol{T}_{ji}$, the inverse depth of each event patch can be updated as:

$$d'_{in} = \Delta d_{in} + d_{in}$$

$$\Delta d_{in} = C^{-1} (u - E^T \xi_{ii})$$
(9)

The calculations of Eq. (8) and Eq. (9) can be efficiently performed in parallel on a GPU with CUDA acceleration. All the Hessian information \boldsymbol{H}_g and the corresponding \boldsymbol{V}_g , derived from the co-visibility graph, are integrated into the factor graph where they are optimized on the CPU. The DBA contributes extensive geometric information, incorporating learned uncertainties, to the factor graph. The optimization results (updated poses and depths) are then iteratively fed back to refine the event-based optical flow network.

3.3. Event-IMU Combined Bundle Adjustment

Unlike end-to-end approaches that use deep networks to fuse the features from two modalities (visual and IMU)

and predict poses directly, our DEIO combines the neural networks with event-inertial bundle adjustment. To this end, we design a learning-optimization combined framework that tightly integrates the Hessian information from DBA and IMU pre-integration within keyframe-based sliding window optimization. The full state vector of the kth keyframe in the sliding window (with the total number of keyframes K=10 in our implementation), is defined as:

$$\chi = [T_{b_k}^w, v_{b_k}^w, b_{a_k}, b_{g_k}], k = 1, 2, 3, ...$$
 (10)

where $T_{b_k}^w = \begin{bmatrix} R_{b_k}^w & t_{b_k}^w \\ 0 & 1 \end{bmatrix} \in \mathbb{SE}(3)$ is the pose of the body (IMU) frame in the world frame, given by the translation $t_{b_k}^w$ and rotation matrix $R_{b_k}^w$. $v_{b_k}^w$ is the velocity of the IMU in the world frame. b_{a_k} and b_{g_k} are the accelerometer bias and gyroscope bias, respectively. We solve the state estimation problem by constructing a factor graph with the GTSAM library and optimizing it with the Levenberg-Marquardt. The cost function can be written as:

$$J(\chi) = ||r_{\text{event}}^k||_{W_{\text{event}}}^2 + \sum_{k=0}^{K-1} ||r_{\text{imu}}^k||_{W_{\text{imu}}^k}^2 + ||r_m||_{W_m}^2 \quad (11)$$

Eq. (11) contains the event-based residuals r_{event}^k with weight W_{event}^k , the IMU pre-integration residuals r_{imu}^k with weight W_{imu}^k , and the marginalization residuals r_m with weight W_m . Given the Hessian information H_g and the corresponding V_g , the event residual factor can be written as:

$$\boldsymbol{r}_{\text{event}}^{k} = \frac{1}{2} \begin{bmatrix} \boldsymbol{\xi}_{e_0}^{w} & \cdots & \boldsymbol{\xi}_{e_{10}}^{w} \end{bmatrix} \boldsymbol{H}_{g} \begin{bmatrix} \boldsymbol{\xi}_{e_0}^{w} \\ \vdots \\ \boldsymbol{\xi}_{e_{10}}^{w} \end{bmatrix}$$

$$- \begin{bmatrix} \boldsymbol{\xi}_{e_0}^{w} & \cdots & \boldsymbol{\xi}_{e_{10}}^{w} \end{bmatrix} \boldsymbol{V}_{g}$$

$$(12)$$

where $\boldsymbol{\xi}_{e_k}^w = \boldsymbol{\xi}_b^e.\boldsymbol{\xi}_{b_k}^w$, and $\boldsymbol{\xi}_{b_k}^w = \log_{\mathbb{SE}(3)}(\boldsymbol{T}_{b_k}^w)$. $\boldsymbol{\xi}_{e_k}^w$ and $\boldsymbol{\xi}_{b_k}^w$ are the Lie algebras of the event camera pose and IMU pose in k^{th} keyframe, respectively. $\boldsymbol{\xi}_b^e$ is the extrinsics between the event camera and IMU.

Eventually, the IMU residual factor can be derived as follows:

$$\boldsymbol{r}_{\text{imu}}^{k} = \begin{bmatrix} \boldsymbol{R}_{w}^{b_{k}}(\boldsymbol{t}_{b_{k+1}}^{w} - \boldsymbol{t}_{b_{k}}^{w} - \boldsymbol{v}_{b_{k}}^{w} \Delta t - \frac{1}{2}\boldsymbol{g}^{w} \Delta t^{2}) - \hat{\boldsymbol{\alpha}}_{b_{k+1}}^{b_{k}} \\ \boldsymbol{R}_{w}^{b_{k}}(\boldsymbol{v}_{b_{k+1}}^{w} - \boldsymbol{v}_{b_{k}}^{w} - \boldsymbol{g}^{w} \Delta t) - \hat{\boldsymbol{\beta}}_{b_{k+1}}^{b_{k}} \\ 2\left[(\boldsymbol{q}_{b_{k}}^{w})^{-1} \otimes \boldsymbol{q}_{b_{k+1}}^{w} \otimes (\hat{\boldsymbol{\gamma}}_{b_{k+1}}^{b_{k}})^{-1} \right]_{xyz} \\ \boldsymbol{b}_{a_{k+1}} - \boldsymbol{b}_{a_{k}} \\ \boldsymbol{b}_{g_{k+1}} - \boldsymbol{b}_{g_{k}} \end{bmatrix}$$

$$(13)$$

where $\alpha_{b_{k+1}}^{b_k}$, $\beta_{b_{k+1}}^{b_k}$, $\gamma_{b_{k+1}}^{b_k}$ are the IMU pre-integration term [14]; \boldsymbol{g}^w is the gravity vector; Δt is the time interval between keyframe k and k+1; $\boldsymbol{q}_{w}^{b_k}$ is the quaternion of the corresponding rotation matrix $\boldsymbol{R}_{w}^{b_k}$ with $[\cdot]_{xyz}$ extracts the vector portion.

Table 1. Accuracy comparison [MPE(%)] of our DEIO in DAVIS240c dataset [22]. The estimated trajectory is aligned with the ground truth over the first 5 seconds.

Methods	Modality	boxes_translation	hdr_boxes	boxes_6dof	$dynamic_translation$	dynamic_6dof	$poster_translation$	hdr_poster	$poster_6dof$	Average
Zhu et al. [40]	E+I	2.69	1.23	3.61	1.90	4.07	0.94	2.63	3.56	2.58
Henri et al. [29]	E+I	0.57	0.92	0.69	0.47	0.54	0.89	0.59	0.82	0.69
Ultimate-SLAM [33]	E+I	0.76	0.67	0.44	0.59	0.38	0.15	0.49	0.30	0.47
Jung et al. [17]	E+I	1.50	2.45	2.88	4.92	6.23	3.43	2.38	2.53	3.29
HASTE-VIO [1]	E+I	2.55	1.75	2.03	1.32	0.52	1.34	0.57	1.50	1.45
EKLT-VIO [21]	E+F+I	0.48	0.46	0.84	0.40	0.79	0.35	0.65	0.35	0.54
Dai et al. [5]	E+I	1.0	1.8	1.5	0.9	1.5	1.9	2.8	1.2	1.58
Mono-EIO [13]	E+I	0.34	0.40	0.61	0.26	0.43	0.40	0.40	0.26	0.39
Kai et al. [31]	E+I	0.36	0.31	0.32	0.59	0.49	0.23	0.18	0.31	0.35
PL-EVIO [14]	E+F+I	0.06	0.10	0.21	0.24	0.48	0.54	0.12	0.14	0.24
Lee et al. [20]	E+F+I	0.74	0.69	0.77	0.71	0.86	0.28	0.52	0.59	0.65
EVI-SAM [15]	E+F+I	0.11	0.13	0.16	0.30	0.27	0.34	0.15	0.24	0.21
DPVO [32]	F	0.02	0.71	0.59	0.09	0.05	0.20	0.49	0.44	0.32
DBA-Fusion [37]	F+I	0.07	0.27	0.10	0.56	0.11	0.13	0.38	0.19	0.23
DEVO [19]	Е	0.06	0.06	0.71	0.09	0.08	0.06	0.14	0.44	0.21
DEIO	E+I	0.07	0.09	0.05	0.06	0.04	0.04	0.06	0.08	0.06

Table 2. Accuracy comparison [MPE(%)] of our DEIO in the Mono-HKU dataset [13]. The estimated trajectory is aligned with the ground truth over the first 5 seconds.

Resolution	Methods	Modality	vicon	vicon	vicon	vicon	vicon	vicon	vicon	vicon	vicon	vicon	Avaraga
Resolution	Methods	Modality	_hdr1	_hdr2	_hdr3	_hdr4	_darktolight1	_darktolight2	_lighttodark1	_lighttodark2	_dark1	_dark2	Average
	ORB-SLAM3 [2]	F	0.32	0.75	0.60	0.70	0.75	0.76	0.41	0.58	failed	0.60	0.61
	VINS-MONO [26]	F+I	0.96	1.60	2.28	1.40	0.51	0.98	0.55	0.55	0.88	0.52	1.02
	DBA-Fusion [37]	F+I	0.32	0.41	failed	failed	0.72	0.55	failed	2.65	3.32	failed	1.33
	Ultimate-SLAM [33]	E+I	1.49	1.28	0.66	1.84	1.33	1.48	1.79	1.32	1.75	1.10	1.40
	Ultimate-SLAM [33]	E+F+I	2.44	1.11	0.83	1.49	1.00	0.79	0.84	1.49	3.45	0.63	1.41
DAVIS346	Mono-EIO [13]	E+I	0.59	0.74	0.72	0.37	0.81	0.42	0.29	0.79	1.02	0.49	0.62
(346×260)	PL-EIO [14]	E+I	0.57	0.54	0.69	0.32	0.66	0.51	0.33	0.53	0.35	0.38	0.49
	PL-EVIO [14]	F+E+I	0.17	0.12	0.19	0.11	0.14	0.12	0.13	0.16	0.43	0.47	0.20
	DEVO [19]	E	0.11	0.07	0.12	0.07	0.97	0.12	0.15	0.12	0.07	0.07	0.19
	DEIO	E+I	0.14	0.09	0.16	0.07	0.11	0.10	0.11	0.13	0.05	0.08	0.10

4. Experiments

We conduct quantitative and qualitative evaluations of our DEIO across *ten* challenging real-world datasets with varying camera resolution and diversity scenarios on different platforms. Specifically, in Section 4.1, we compare DEIO with baseline methods across multiple challenging event datasets, showcasing its superior performance and exceptional generalization capabilities. Section 4.2 provides a time efficiency evaluation of DEIO. Finally, the project website provides video demos and the qualitative results as supplementary material.

4.1. Comparisons with SOTA Methods in Challenge Benchmarks

To ensure a fair comparison, a consistent trajectory alignment protocol is required. Therefore, we employ different alignment ways and evaluation criteria according to the compared baseline methods, including the mean position error (MPE), and the root mean squared error (RMSE) / Absolute Trajectory Errors (ATE), using the publicly available trajectory evaluation tool [12]. The notations E, F, and I in each table represent the use of event, frame, and IMU, respectively.

DAVIS240C [22]: As shown in Table 1, EVI-SAM achieves the best performance among the non-learning methods. In contrast, learning-based methods (such as DEVO) can achieve performance comparable to EVI-SAM (which combines both direct and feature-based methods) using purely event sensors, highlighting the effectiveness and strength of learning-based approaches. Meanwhile, our learning-optimization combined method exhibits significantly superior performance compared to other learning-based methods (DPVO, DBA-Fusion, and DEVO). Compared to DEVO, our proposed DEIO reduces the pose tracking error by up to 71%, owing to the effective integration of learning-based and traditional optimization methods.

Monocular HKU-dataset [13]: Table 2 demonstrates that DEIO outperforms all the event-based methods and decreases the average pose tracking error by at least 47%. As illustrated in the project website, the estimated trajectory of DEVO suffers from significant scale loss because the absolute scale cannot be observed in monocular event-only odometry. In contrast, our DEIO, despite also being based on a monocular setup, effectively overcomes scale ambiguity and aligns closely with the ground truth trajectory. This improvement is attributed to the effective compensation provided by the IMU.

Table 3. Accuracy comparison [MPE(%)] of our DEIO in the Stereo-HKU dataset [4]. The entire sequence of estimated poses is aligned
with the ground truth trajectory. The DPVO, DEVO are taken from [19], and the results of Kai et al. are taken from [31].

Methods	Modality	agg_translation	agg_rotation	agg_flip	agg_walk	hdr_circle	hdr_slow	hdr_tran_rota	hdr_agg	dark_normal	Average
ORB-SLAM3 [2]	Stereo F+I	0.15	0.35	0.36	failed	0.17	0.16	0.30	0.29	failed	0.25
VINS-Fusion [27]	Stereo F+I	0.11	1.34	1.16	failed	5.03	0.13	0.11	1.21	0.86	1.24
DPVO [32]	F	0.07	0.04	0.99	1.17	0.31	0.23	0.67	0.29	failed	0.47
DBA-Fusion [37]	F+I	0.13	0.16	0.83	0.37	0.18	failed	failed	0.10	0.27	0.29
Kai et al. [31]	E+I	0.21	0.28	0.81	0.35	0.71	0.43	0.50	0.27	0.52	0.45
PL-EVIO [14]	E+F+I	0.07	0.23	0.39	0.42	0.14	0.13	0.10	0.14	1.35	0.33
EVI-SAM [15]	E+F+I	0.17	0.24	0.32	0.26	0.13	0.11	0.11	0.10	0.85	0.25
ESIO [4]	Stereo E+I	0.55	0.78	3.17	1.30	0.46	0.31	0.91	1.41	0.35	1.03
ESVIO [4]	Stereo E+F+I	0.10	0.17	0.36	0.31	0.16	0.11	0.10	0.10	0.42	0.20
DEVO [19]	E	0.06	0.05	0.71	0.90	0.39	0.08	0.08	0.26	0.06	0.29
DEIO	E+I	0.06	0.09	0.20	0.48	0.14	0.07	0.09	0.06	0.11	0.14

Table 4. Accuracy comparison [MPE(%)] of our DEIO in VECtor dataset [8]. The entire sequence of estimated poses is aligned with the ground truth trajectory.

Methods	Modality	corner- slow	desk- normal	sofa- fast	mountain- fast	corridors- dolly	corridors- walk	units- dolly	units- scooter	average
ORB-SLAM3 [2]	Stereo F+I	1.49	0.46	0.21	2.11	1.03	1.32	7.64	6.22	2.56
VINS-Fusion [27]	Stereo F+I	1.61	0.47	0.57	failed	1.88	0.50	4.39	4.92	2.05
DPVO [32]	F	0.30	0.09	0.07	0.11	0.56	0.54	1.52	1.67	0.61
DBA-Fusion [37]	F+I	1.72	0.48	0.43	failed	1.37	0.59	1.23	0.48	0.90
EVO [28]	Е	4.33	failed	failed	failed	failed	failed	failed	failed	4.33
ESVO [36]	Stereo E	4.83	failed	failed	failed	failed	failed	failed	failed	4.83
Ultimate-SLAM [33]	E+F+I	4.83	2.24	2.54	4.13	failed	failed	failed	failed	3.44
PL-EVIO [14]	E+F+I	2.10	3.66	0.17	0.13	1.58	0.92	5.84	5.00	2.43
ESVIO [4]	Stereo E+F+I	1.49	0.61	0.17	0.16	1.13	0.43	3.43	2.85	1.28
EVI-SAM [15]	E+F+I	2.50	1.45	0.98	0.38	1.58	1.27	0.59	0.83	1.20
DEVO [19]	Е	0.59	0.11	0.38	0.37	0.51	1.04	0.48	0.88	0.55
DEIO	E+I	0.50	0.13	0.44	0.24	0.78	0.74	0.35	0.35	0.44

Stereo HKU-dataset [4]: In Table 3, our method outperforms all previous works in terms of average positioning error. Note that event-only VO methods, such as EVO [28], ESVO [36], as well as stereo event and IMU-based methods like ESVO2 [23, 24], fail to perform successfully on any of the sequences in this dataset. Moreover, DEIO beats DEVO and increases the average accuracy of the sequences up to 48%.

VECtor [8]: As presented in Table 4, our proposed DEIO achieves remarkable results on average. It surpasses all image-based baselines with high-quality frames (image 1224×1024 vs event 640×480) and even outperforms Ultimate-SLAM, PL-EVIO, ESVIO, and EVI-SAM on over 75% of the sequences, which utilize event, image, and IMU. Our DEIO also outperforms DEVO on average in large-scale sequences, thanks to the complementary integration of the event and IMU sensors, while other monocular visual-only methods struggle with scale ambiguity and drift.

TUM-VIE [18]: The results in Table 5 demonstrate that DEIO outperforms all other methods on four out of five sequences, despite DH-PTAM [30] utilizing four cameras of the setup (stereo events and stereo images). Our DEIO significantly outperforms ESVO2 [4, 24] and improves average accuracy by up to 79%. Notably, ESVO2 relies on stereo

Table 5. Accuracy comparison [ATE/RMSE (cm)] of our DEIO in TUM-VIE dataset [18]. The entire sequence of estimated poses is aligned with the ground truth trajectory. The EVO, ESVO, and ES-PTAM are taken from [11], DH-PTAM and Ultimate-SLAM are sourced from [30], DEVO is from [19], and ESVIO_AA, ESVO2 are from [24].

Methods	Modality		Average				
Methods	Wiodanty	1d-trans	3d-trans	6dof	desk	desk2	Average
EVO [28]	Е	7.5	12.5	85.5	54.1	75.2	47.0
ESVO [36]	Stereo E	12.3	17.2	13.0	12.4	4.6	11.9
ESVIO_AA [23]	Stereo E+I	3.9	18.9	failed	9.00	9.5	10.3
ESVO2 [24]	Stereo E+I	3.3	7.3	3.2	6.2	4.0	4.8
ES-PTAM [11]	Stereo E	1.05	8.53	10.25	2.5	7.2	5.9
DH-PTAM [30]	Stereo E+F	10.3	0.7	2.4	1.6	1.5	3.3
Ultimate-SLAM [33]	E+F+I	3.9	4.7	35.3	19.5	34.1	19.5
DEVO [19]	E	0.5	1.1	1.6	1.7	1.0	1.2
DEIO	E+I	0.4	1.1	1.4	1.4	0.7	1.0

event and IMU setup, while our DEIO achieves superior results using only a monocular event camera and IMU. This highlights that our approach, using only a monocular event camera and IMU, can recover scale comparable to that of a stereo event setup.

EDS [16]: As shown in Table 6, our DEIO outperforms the image-based baselines, including ORB-SLAM3, DPVO, and DBA-Fusion. Moreover, DEIO achieves an average improvement of 30% over DEVO and demonstrates

Table 6. Accuracy comparison [ATE/RMSE (cm)] of our DEIO in EDS dataset [16]. The entire sequence of estimated poses is aligned with the ground truth trajectory. The ORB-SLAM3, DPVO, and DEVO are taken from [19], while RAMP-VO is sourced from [25].

Methods	Modality	peanuts_dark	peanuts_light	peanuts_run	rocket_dark	rocket_light	ziggy	ziggy_hdr	ziggy_flying	all_chars	Average
ORB-SLAM3 [2]	Stereo F+I	6.15	27.26	16.83	10.12	32.53	26.92	81.98	20.57	21.37	27.08
DPVO [32]	F	1.26	12.99	25.48	27.41	63.11	14.86	66.17	10.85	95.87	35.33
DBA-Fusion [37]	F+I	7.26	149.36	134.92	114.24	117.09	173.50	140.51	11.81	126.36	108.34
DEVO [19]	E	4.78	21.07	38.10	8.78	59.83	11.84	22.82	10.92	10.76	20.99
RAMP-VO [25]	E+F	1.20	9.03	13.19	7.20	17.53	19.05	28.78	6.35	28.61	14.55
DEIO	E+I	1.77	16.27	19.96	8.91	15.41	10.39	23.82	3.84	31.55	14.66

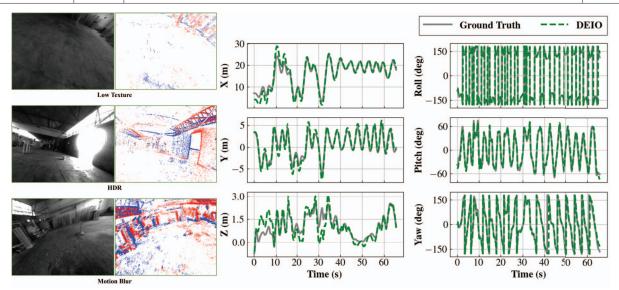


Figure 2. The estimated trajectories (X, Y, Z, Roll, Pitch, Yaw) of our DEIO against the GT in the sequence of indoor_forward_7 from the UZH-FPV [6] dataset. The image view (visualization-only) demonstrates the condition under low texture, HDR, and motion blur.

performance comparable to RAMP-VO, a learning-based VO system that leverages both event and image modalities. In the case of DBA-Fusion [37], despite operating within a dense learning-based VIO framework, DEIO demonstrates superior performance, showing the distinct advantages of event cameras in challenging scenarios.

UZH-FPV [6]: As shown in Table 7 and Fig. 2, this dataset poses significant challenges for existing methods, with even advanced learning-based VO approaches like DPVO failing to maintain reliable tracking across all sequences. Additionally, incorporating IMU measurements does not resolve these challenges, such as learning-based VIO methods (DBA-Fusion), which also fail to complete any sequences. This is due to the motion blur caused by rapid movement, which makes it difficult to effectively establish data association for the image sensor, even if these methods are equipped with a powerful learning network. In contrast, our DEIO achieves higher average performance than all baseline methods, demonstrating greater resilience to the fast flight conditions.

MVSEC [38]: In Table 8, DEIO surpasses the event-based baseline, especially for the *Flying_4*, where it attains an RMSE of 40% lower than DEVO. Although ESVIO [4] employs a setup integrating stereo images, stereo events, and IMU data, DEIO, which relies solely on monocular

Table 7. Accuracy comparison [MPE (%)] of our DEIO in UZH-FPV dataset [6]. The entire sequence of estimated poses is aligned with the ground truth trajectory. The DPVO, DEVO are taken from [19].

Methods	Modality		Indoor_forward								
Wiethous	Wiodanty	3	5	6	7	9	10	Average			
VINS-Fusion [27]	Stereo F+I	0.84	failed	1.45	0.61	2.87	4.48	2.05			
ORB-SLAM3 [2]	Stereo F+I	0.55	1.19	failed	0.36	0.77	1.02	0.78			
DPVO [32]	F	failed	failed	failed	failed	failed	failed	_			
VINS-MONO [26]	F+I	0.65	1.07	0.25	0.37	0.51	0.92	0.70			
DBA-Fusion [37]	F+I	failed	failed	failed	failed	failed	failed	_			
Ultimate SLAM [33]	E+F+I	failed	failed	failed	failed	failed	failed	_			
PL-EVIO [14]	E+F+I	0.38	0.90	0.30	0.55	0.44	1.06	0.61			
DEVO [19]	E	0.37	0.40	0.31	0.50	0.61	0.52	0.45			
DEIO	E+I	0.39	0.36	0.33	0.32	0.59	0.55	0.42			

event data and IMU, demonstrates an average accuracy improvement of over 80% compared to ESVIO. As for the learning-based VIO method (DBA-Fusion) that relies on dense data association, it failed on three out of the four sequences. This indicates that even though the deep learning methods can provide strong data association capabilities, the degradation of images in challenging environments limits their performance compared to the event modality.

DSEC [9]: As presented in Table 9, our DEIO outperforms the stereo event methods (ES-PTAM, ESVO, ES-VIO_AA, and ESIO) by large margins on all sequences (at

Table 8. Accuracy comparison [MPE (%)] of our DEIO in MVSEC dataset [38]. The entire sequence of estimated poses is aligned with the ground truth trajectory. The DEVO result is taken from [19].

Methods	Modality	Flying_1	Flying_2	Flying_3	Flying_4	Average
ORB-SLAM3 [2]	Stereo F+I	5.31	5.65	2.90	6.99	5.21
VINS-Fusion [27]	Stereo F+I	1.50	6.98	0.73	3.62	3.21
EVO [28]	E	5.09	failed	2.58	failed	3.84
ESVO [36]	Stereo E	4.00	3.66	1.71	failed	3.12
Ultimate-SLAM [33]	E+F+I	failed	failed	failed	2.77	2.77
PL-EVIO [14]	E+F+I	1.35	1.00	0.64	5.31	2.08
ESVIO [4]	Stereo E+F+I	0.94	1.00	0.47	5.55	1.99
DBA-Fusion [37]	F+I	2.20	failed	failed	failed	2.20
DEVO [19]	E	0.26	0.32	0.19	1.08	0.46
DEIO	E+I	0.24	0.21	0.12	0.78	0.34

Table 9. Accuracy comparison [ATE/RMSE (cm)] of our DEIO in DSEC dataset [9]. The entire sequence of estimated poses is aligned with the ground truth trajectory. The ESVO and ES-VIO_AA are taken from [23], and ES-PTAM is sourced from [11].

Methods	Modality		dsec_zurich_city_04							
Wiethous	Wiodanty	a	b	c	d	e	Average			
ESVO [36]	Stereo E	371.1	116.6	1357.1	2676.6	794.9	1063.3			
ESVIO_AA [23]	Stereo E+I	105.0	66.7	637.9	699.8	130.3	327.9			
ES-PTAM [11]	Stereo E	131.62	29.02	1184.37	1053.87	75.9	495.0			
ESIO [4]	Stereo E+I	543.5	295.1	896.2	2977.0	2326.4	1407.6			
ESVIO [4]	Stereo E+F+I	371.2	445.8	1892.7	921.7	352.0	796.7			
DEIO	E+I	80.6	35.4	413.8	207.6	86.1	164.7			

least 66.7% lower RMSE). The results from our DEIO align more closely with the ground truth, despite using a monocular setup, while the other methods employ a stereo setup. This demonstrates that DEIO can achieve comparable scale estimation to these stereo setups while providing superior state estimation results.

ECMD [3] We select the *Dense_street_night_easy_a* sequences of the ECMD dataset [3], which feature numerous flashing lights from vehicles, street signs, buildings, and moving vehicles (details on the website). Our DEIO runs on the event from the DAVIS346 and the IMU sensor, while the image frame output from the DAVIS346 is only used for illustration purposes. Fig. 3 shows a small drift with a 4.7 m error of our estimated trajectory on the 620 m drive.



Figure 3. The estimated trajectory of our DEIO in the night driving scenarios [3] and its comparison against the GNSS-INS-RTK as ground truth. The image view is for visualization only.

4.2. Ablation Study and Runtime Analysis

Fig. 4 illustrates the real-time performance of DEIO variants under various patch configurations on an Nvidia RTX 3090 GPU. Our DEIO, configured with 96 patches per event

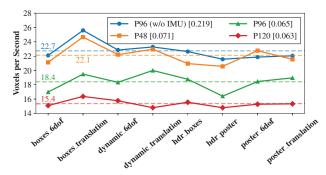


Figure 4. Runtime performance (voxels per second) of our DEIO using 48 (P48), 96 (P96), and 120 (P120) event patches per voxel, as well as a 96-patch version without IMU input (P96 w/o IMU). Values in the brackets indicate the average MPE (%) over all sequences.

voxel (P96), achieves an average processing speed of 18.4 voxels per second (VPS). Compared to the variant that excludes IMU data (P96 w/o IMU), our DEIO demonstrates a significant accuracy improvement of 69.0%, with only a minor runtime overhead of 4.3 VPS. The P48 variant achieves an average MPE of 0.071 while maintaining a runtime of 22.1 VPS, which is comparable to that of the P96 w/o IMU configuration (22.7 VPS). However, increasing the number of event patches further (P120) leads to diminishing returns in accuracy improvement while significantly increasing computational demands.

5. Conclusion

In this paper, we propose DEIO, a deep learning-based event-inertial odometry method. An event-based deep neural network is utilized to provide accurate and sparse associations of event patches over time, and DEIO further tightly integrates it with the IMU during the graph-based optimization process to provide robust 6 DoF pose tracking. Evaluation on *ten* challenging event-based benchmarks demonstrates that DEIO outperforms both image-based and event-based baselines. We have shown that the learning-optimization combined framework for SLAM is a promising direction. To further enhance the robustness and efficiency of the system, future work will focus on exploring IMUbias online learning, event-image complementarity, and loop closure mechanisms for learning-based event-SLAM.

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