

Randstate.c

Void randstate_init(uint64_t seed) {

Use gmp_randinit_mt to set the extern variable state to the Mersenne Twister algorithm

Use gmp_randseed_ui to set the seed to random

}

Void randstate_clear(void) {

Call to gmp_randclear() to clear the state.

}

Numtheory.c

//Pseudo code provided in asgn pdf

void pow_mod(mpz_t o, mpz_t a, mpz_t d, mpz_t n) {

POWER-MOD(a, d, n)

1 $v \leftarrow 1$

2 $p \leftarrow a$

3 **while** $d > 0$

4 **if** ODD(d)

5 $v \leftarrow (v \times p) \bmod n$

6 $p \leftarrow (p \times p) \bmod n$

7 $d \leftarrow \lfloor d/2 \rfloor$

8 **return** v

}

Bool isPrime(n, iters)

//Uses Miller-Rabin method to see if n is prime or not

//Write $n - 1 = 2^s \cdot r$ such that r is odd

//Loop, start with s = 0 and r = n-1

while(r is even) {


Increment s by 1

Divide r by 2 (This should run until r is odd)

}

MILLER-RABIN(n, k)

```
1  write  $n - 1 = 2^s r$  such that  $r$  is odd
2  for  $i \leftarrow 1$  to  $k$ 
3      choose random  $a \in \{2, 3, \dots, n - 2\}$ 
4       $y = \text{POWER-MOD}(a, r, n)$ 
5      if  $y \neq 1$  and  $y \neq n - 1$ 
6           $j \leftarrow 1$ 
7          while  $j \leq s - 1$  and  $y \neq n - 1$ 
8               $y \leftarrow \text{POWER-MOD}(y, 2, n)$ 
9              if  $y == 1$ 
10                 return FALSE
11              $j \leftarrow j + 1$ 
12         if  $y \neq n - 1$ 
13             return FALSE
14  return TRUE
```



Void make_prime(mpz_t p, uint64_t bits, uint64_t iters)

Randomly generates numbers that should be *bits* long, and then makes sure the generated number is prime using *isPrime()* function.

Void gcd(mpz_t d, mpz_t a, mpz_t b)

Computes the greatest common divisor of a and b , storing the value of the computed divisor in d .

GCD(a, b)

```
1  while  $b \neq 0$ 
2       $t \leftarrow b$ 
3       $b \leftarrow a \bmod b$ 
4       $a \leftarrow t$ 
5  return  $a$ 
```

void mod_inverse(mpz_t i, mpz_t a, mpz_t n)

MOD-INVERSE(a, n)

```
1   $(r, r') \leftarrow (n, a)$ 
2   $(t, t') \leftarrow (0, 1)$ 
3  while  $r' \neq 0$ 
4       $q \leftarrow \lfloor r/r' \rfloor$ 
5       $(r, r') \leftarrow (r', r - q \times r')$ 
6       $(t, t') \leftarrow (t', t - q \times t')$ 
7  if  $r > 1$ 
8      return no inverse
9  if  $t < 0$ 
10      $t \leftarrow t + n$ 
11  return t
```