CoE202 FINAL PROJECT REPORT

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A. MinimaxPlayer

Our team decided to implement a Minimax algorithm with advanced heuristics and alpha-beta pruning. Our algorithm initializes distance to the goal for each position in the game. The distance itself is then multiplied by its corresponding probability of the outcome to obtain the expected value. We implemented a similar code as the ExamplePlayer() but further modified the magnitude of the weight. The initialization value code is as follows:

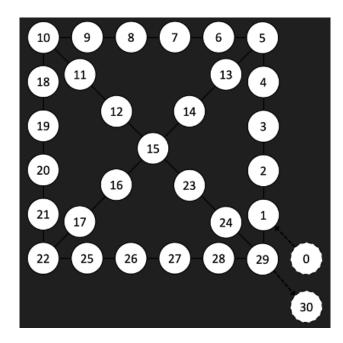
The class MinimaxPlayer(yut.engine.Player) itself only has three important functions, namely:

```
1. evaluate_board_state()
    The evaluate_board_state() has 4 arguments (including self):
    my_positions, enemy_positions, mal_caught
```

In this function, we introduced several new heuristics such as prioritizing capturing the opponent's mal and avoiding risky positions. In order to detect whether the move is capturing a mal or not, we can check from the number mal_caught. If mal_caught > 0, score += bonus. Alternatively, we did use a traditional way of checking it.

```
# Bonus for capturing mal
if p in enemy_positions:
    evaluation += capture_bonus
```

To judge whether a tile is risky or not, we mapped each tile with each set of threatening tiles. Since the probability of dice outcome is given, we understood that 2 ('gae', 34.56%), and 3 ('geol', 34.56%) have a really high chance of being rolled. We tried to also incorporate the possibility of getting a yut and its following roll but it turned out to be unnecessary (instead lowering the performance).



We created a dictionary called vulnerable_map which maps each tile to its corresponding weaknesses. For instance, tile 9 is vulnerable to tile 6 and 7 (not because seven ate nine) because 9 is two and three tiles ahead of 7 and 6 respectively. 14 only has weakness tile 5 because it is 2 steps ahead of 5 while tile 4 is not a weakness because rolling a geol at 4 would result in the mal landing on tile 7, not 14. To clearly visualize the map, here is the code for the dictionary.

The scoring is then done by calculating the distance from the goal for both players added by the bonus and penalty from capturing and landing on tiles respectively. The resulting score (evaluation) is the difference between our player's state score and opponent's state score. The optimal move then would be selected by the maximum score (if it's our turn) and minimum score (if it's the opponent's turn) in the minimax function.

```
evaluation = 0
for p, np in zip(my_positions, my_duplicates):
   multiplier = multipliers[np] if p != 0 else 1
   evaluation -= distance_to_goal[p] * multiplier
   # Bonus for capturing mal
   if p in enemy_positions:
       evaluation += capture_bonus
   # Penalty for high risk squre
    for enemy_pos in enemy_positions:
        if enemy_pos in vulnerable_map[p]:
         evaluation += landing_penalty*len(vulnerable_map[p]) # add penalty proportional to the riskiness
for p, np in zip(enemy_positions, enemy_duplicates):
   multiplier = multipliers[np] if p != 0 else 1
   evaluation += distance_to_goal[p] * multiplier
   # Penalty for capturing mal
   if p in my_positions:
       evaluation -= capture_bonus
    for my_pos in my_positions:
       if my_pos in vulnerable_map[p]:
           evaluation -= landing_penalty*len(vulnerable_map[p])
return evaluation
```

2. minimax()

The minimax() function has 9 arguments (including self):
my_positions, enemy_positions, available_yutscores, depth, alpha, beta,
is_maximizing, mal_caught

- my positions and enemy positions are lists of length 4, with each mal's position
- available yutscores is the number rolled from the dice
- Depth is the depth of the search for the minimax algorithm
- Alpha and beta are constants for pruning
- is maximizing refers to which turn (if is mximizing = True: It's our turn)
- mal caught how many mals captured (eventually not used)

The function starts with the base case where it checks the remaining depth to search, when it's zero, we are done. The function then proceeds to do a search on every outcome of the dice with depth=1. For every outcome, it evaluates recursively until the minimax hits depth=0 and adds scores of every state it searched to the list. Depending on the

is_maximizing, it selects the maximum or minimum if is_maximizing is True and False respectively.

After the score is selected, update the alpha beta values for pruning. If the score is out of the pruning range, it will be automatically returned (forgotten).

As we tried different values of the depth parameter of the minimax recursive function, it's observed that higher depth than 2 has a diminishing return. This can be because the more steps the program looks ahead, the further its imagination is from reality. Although higher depth in minimax is helpful in purely strategic and deterministic games like chess, it is not the case in games like Yut Nori where the next stage at a particular time depends on the yut that we receive. After all, the program can only approximate which yut it will get when looking ahead, which diverges from reality more, the further it looks ahead.

```
if is_maximizing:
    if score > best_score:
       best_score = score
       best move = (mal index, ys, shortcut)
   # Alpha-Beta Pruning
   alpha = max(alpha, best_score)
   if alpha >= beta:
        return best_score, best_move # Prune branches
else:
   if score < best_score:</pre>
       best score = score
        best_move = (mal_index, ys, shortcut)
   # Alpha-Beta Pruning
   beta = min(beta, best score)
    if beta <= alpha:
        return best_score, best_move # Prune branches
```

3. action()

The action function is straightforward with only state as an argument. The function initializes values for the minimax search and returns the best move, yutscore_to_use, shortcut, debug_msg. If the search does not yield any valid move, return default move

```
def action(self, state):
    _, my_positions, enemy_positions, available_yutscores = state # Run minimax with Alpha-Beta Pruning to find the best move
    _, best_move = self.minimax(
        my_positions, enemy_positions, available_yutscores,
        depth=self.max depth,
        alpha=float('-inf'),
        beta=float('inf'),
        is_maximizing=True,
        mal_caught=0
    if best_move is None:
        for mal index, mal pos in enumerate(my positions):
            if mal_pos == yut.rule.FINISHED:
             for ys in available_yutscores:
                 for shortcut in [True, False]:
                     legal_move, _, _, _ = yut.rule.make_move(my_positions, enemy_positions, mal_index, ys, shortcut)
                     if legal move:
                         return mal_index, ys, shortcut, ""
        return 0, available_yutscores[0], True, ""
    return best_move[0], best_move[1], best_move[2], ""
```

B. Results

Our bot consistently plays well against RandomPlayer() with around 89-94% win rate. This is slightly lower than the ExamplePlayer() performance due to it having more complex decision-making alongside the randomness involved in Yutnori. However, after analyzing the game history, the move our bot made is mostly optimal and RandomPlayer() only wins by mere luck.

Comparing our bot to <code>ExamplePlayer()</code>, we are slightly better with a win rate varying between 48-60% in most of our experiments. However, the result is still strongly dependent on the seed number (which is the random nature of this game). Regardless, after checking the game history, their decisions are near optimal.

```
# create a game engine
engine = yut.engine.GameEngine()
# create two game players
player1 = MinimaxPlayer()
player2 = ExamplePlayer()
# simulate a game between two players with a given random seed
num trial = 100
win_rate = 0
random_numbers = [x for x in range(num_trial)]
for i, random_seed in enumerate(random_numbers):
    winner = engine.play( player1, player2, seed=random_seed )
    if winner == 0:
       win_rate += 1
        print( str(i) + ": Player 1 won!" )
        print( str(i) + ": Player 2 won!" )
print("Player 1 wins " + str(win_rate) + " times, with winrate of " + str(win_rate/num_trial)
```

```
21: Player 2 won!
22: Player 1 won!
23: Player 2 won!
24: Player 2 won!
...
97: Player 1 won!
98: Player 2 won!
99: Player 1 won!
```