Final Project

Problem Statement:

Going to a live sporting event is always a great environment watching your favorite team play in person. Let's say you get hungry and don't want to miss a major event during the game. Although there is no possible way to predict when the next big thing happens in a game, you can try to optimize the path you take when getting food.

Core Algorithm:

This algorithm finds a path from seat to concession taking into account the combined wait and walk time and returns the best concession to go to. In other words it returns the concession that takes less time away from your seat. This algorithm uses a combination of Queue to determine the wait time at a concession stand and Dijstra's to find the best path.

```
// Implementation of Dijkstra's algorithm to find the quickest path from a seat to a concession in a stadium
int StadiumGraph::dijkstra(const std::string& start, const std::string& end) const {

    // Map to store shortest path to each node
    std::unordered_mapcstd::string, int> dist;

    // Minimum priority queue to select the next closest node
    std::priority_queue
    std::pair
    std::pair
    std::pair
    std::pair
    int , std::string>,
    std::vector
    std::greater
    // Initialize all distances
    for (const auto& node : adjlist) {
        dist[node.first] = std::numeric_limits<:int>::max();
    }

    // Initialize start node to a distance of 0
    dist[start] = 0;
    priQueue.emplace(0, start);

    // Examine the stadium graph
    while (!priQueue.empty()) {
        std::pair
    std::string> currentItem = priQueue.top();
    priQueue.pop();

int cost = currentItem.first;
    std::string node = currentItem.second;

if (node == end) return cost;

for (const auto& neighborPair : adjList.at(node)) {
        const std::string& neighborPair.second;
        int newCost = cost + weight;
    }
}
```

```
// Check if new path is shorter
if (newCost < dist[neighbor]) {

    // New path is shorter, update and push onto queue
    dist[neighbor] = newCost;
    priQueue.emplace(newCost, neighbor);
}
}

return std::numeric_limits<int>::max(); // No path found
};
```

Test Plan and Results:

```
Test Case 1: Pick Shortest Wait Time

Seat1 → Concession1 | Walk: 5, Wait: 3 → Total: 8

Seat1 → Concession2 | Walk: 8, Wait: 2 → Total: 10

Seat1 → Concession3 | Walk: 5, Wait: 1 → Total: 6

Expected: Concession3 , Got: Concession3 (Total time: 6 mins)

Test Passed

Test Case 2: Disconnected concession

Seat2 → Concession1 | Walk: 7, Wait: 3 → Total: 10

Expected: Concession1 , Got: Concession1 (Total time: 10 mins)

Test Passed

Test Case 3: If tied total time return shortest distance time

Seat3 → Concession1 | Walk: 8, Wait: 2 → Total: 10

Seat3 → Concession2 | Walk: 6, Wait: 4 → Total: 10

Seat3 → Concession3 | Walk: 7, Wait: 3 → Total: 10

Expected: Concession2 , Got: Concession2 (Total time: 10 mins)

Test Passed
```

Discussion of Trade-offs, limitations, future work:

There was a choice to use Dijkstra's or A* and I decided to choose Dijkstra's. I would have liked to explore using A* but due to time constraints I was unable to further research. The limitation to the current state of the algorithm is that wait times are not being dynamically updated. And something to do for future work will be implementing a way to add randomness to the queue times and allow wait times to be dynamically updated.

GitHub repo link:

https://github.com/Kyray-00/CS460-01-Final-Project