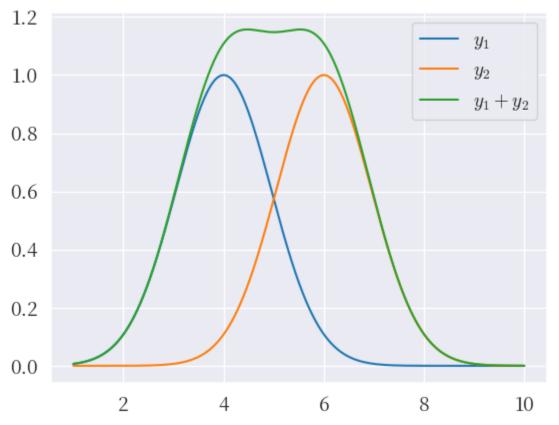
```
In [ ]: import matplotlib.pyplot as plt
import numpy as np
```

目的

求证预乘谱中的双峰形式本质。

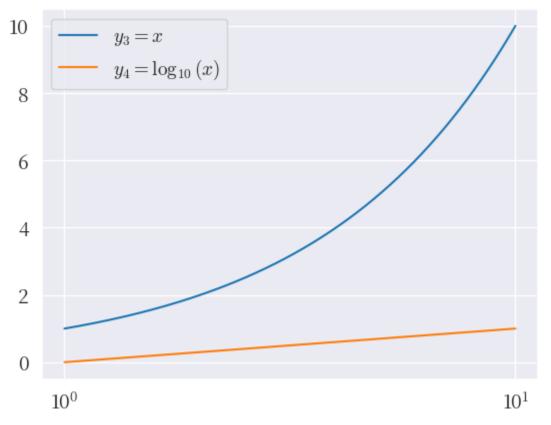
```
In []: off1 = 4
    off2 = 6
    sigma = 1.8
    x = np.linspace(1, 10, 1000)
    y1 = np.exp(-(x-off1)**2/sigma)
    y2 = np.exp(-(x-off2)**2/sigma)
    y = y1 + y2
    plt.plot(x, y1, label="$y_1$")
    plt.plot(x, y2, label="$y_2$")
    plt.plot(x, y, label="$y_1+y_2$")
    plt.legend()
    plt.show()
```



对数坐标变换保持形状

正常坐标下的函数f(x)变换到半对数坐标下,只需要绘制f(log(x))即可保持线形不变。

```
In [ ]: y3 = x
    y4 = np.log10(x)
    plt.plot(x, y3, label="$y_3 = x$")
    plt.plot(x, y4, label="$y_4 = \log_{10}(x)$")
    plt.xscale('log')
    plt.legend()
    plt.show()
```



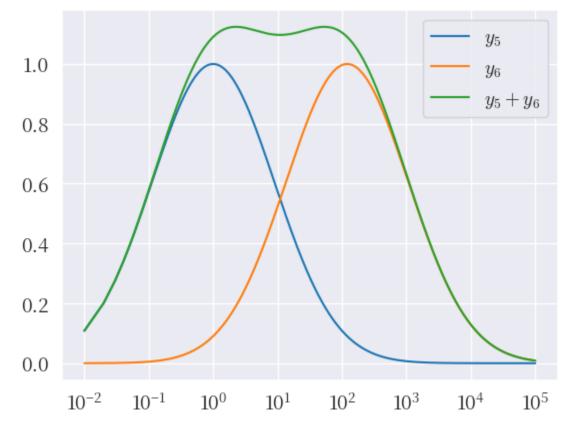
对数下的高斯函数叠加

两个高斯函数的叠加得到类似双峰图像。

```
In []: c5 = 0
    c6 = np.log10(off2*20)
    x5 = np.linspace(0.01, 1000000, 100000000)
    y5 = np.exp(-(np.log10(x5)-c5)**2/sigma)
    y6 = np.exp(-(np.log10(x5)-c6)**2/sigma)
    suu = (y5 + y6) / x5
    print(f'y5 peak at {c5}\ny6 peak at {c6:.3f}')

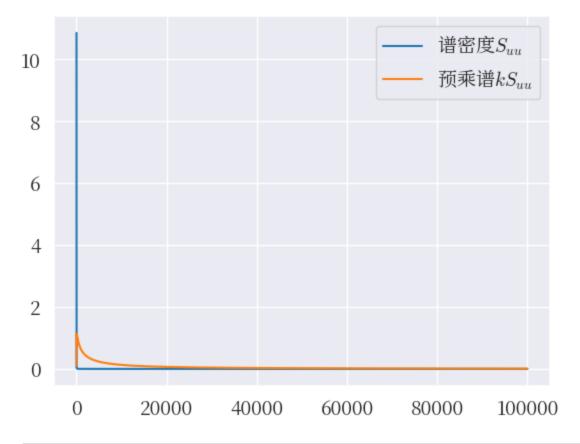
y5 peak at 0
    y6 peak at 2.079
```

```
In [ ]: plt.plot(x5, y5, label="$y_5$")
    plt.plot(x5, y6, label="$y_6$")
    plt.plot(x5, y5+y6, label="$y_5 + y_6$")
    plt.legend()
    plt.xscale('log')
    plt.show()
```



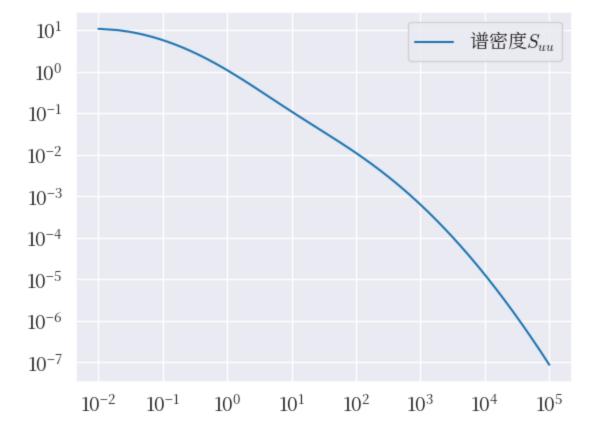
```
In [ ]: plt.plot(x5, suu, label="谱密度$S_{uu}$")
plt.plot(x5, x5*suu, label="预乘谱$kS_{uu}$")
# plt.xlim(-1, 400)
plt.legend()
```

Out[]: <matplotlib.legend.Legend at 0x7ffa80d7aa50>



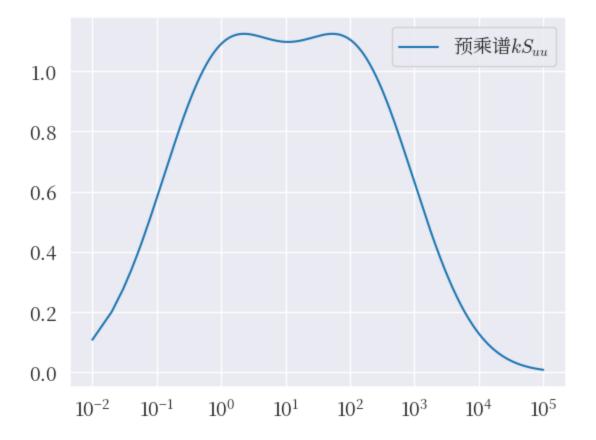
```
In [ ]: plt.plot(x5, suu, label="谱密度$S_{uu}$")
    plt.xscale('log')
    plt.yscale('log')
    plt.legend()
```

Out[]: <matplotlib.legend.Legend at 0x7ffaa25bd390>



```
In [ ]: plt.plot(x5, suu*x5, label="预乘谱$kS_{uu}$")
plt.xscale('log')
plt.legend()
```

Out[]: <matplotlib.legend.Legend at 0x7ffaa27a7b10>



坐标轴scale的变换

定义正变换函数及其反变换函数及可得到相应的图形变换。

正常坐标下的图形实际上为正反变换函数均为x的trivial case。

Out[]: <matplotlib.legend.Legend at 0x7ffaa2b75d90>

/tmp/ipykernel_67044/1650559280.py:2: RuntimeWarning: divide by zero encounte
red in log10
 return np.log10(x)

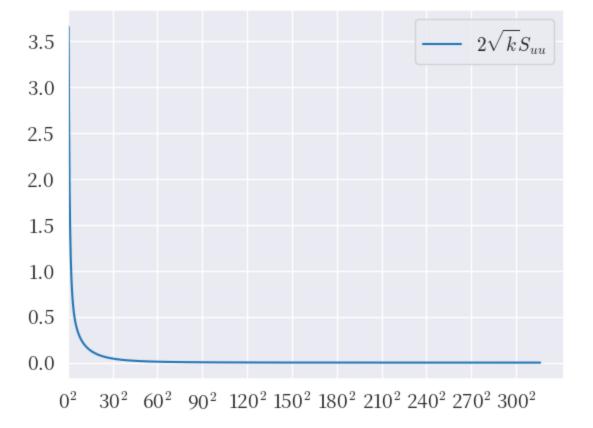


1E-02 1E-01 1E+00 1E+01 1E+02 1E+03 1E+04 1E+05

```
In []: def forward(x):
    return x**(1/2)
def inverse(x):
    return x**2

fig, ax = plt.subplots(1, 1)
    ax.plot(x5, 2*np.sqrt(x5)*suu, label="$2\sqrt{k}S_{uu}$")
    ax.set_xscale('function', functions=(forward, inverse))
    tiks = [(i*30)**2 for i in range(11)]
    ax.set_xticks(tiks)
    ax.set_xticklabels(["{:.0f}$^2$".format(np.sqrt(i)) for i in tiks])
    ax.legend()
```

Out[]: <matplotlib.legend.Legend at 0x7ffaa257acd0>



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