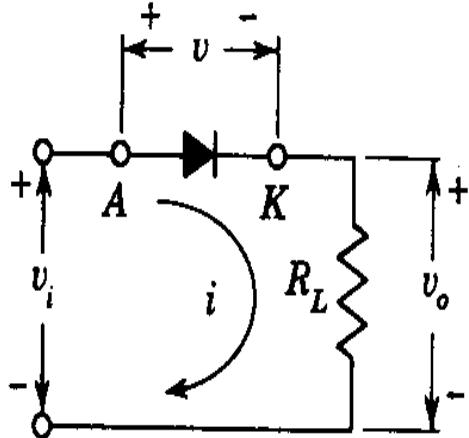


D I O D E S -03

Shouvik Datta

Electronics, PH3144  
IISER-Pune

# LOAD LINE

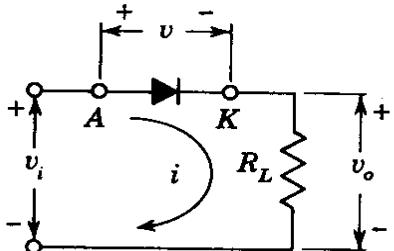


$$v = v_i - iR_L; v_o = iR_L$$

Fig. 4-1 The basic diode circuit. The anode (the *p* side) of the diode is marked *A*, and the cathode (the *n* side) is labeled *K*.

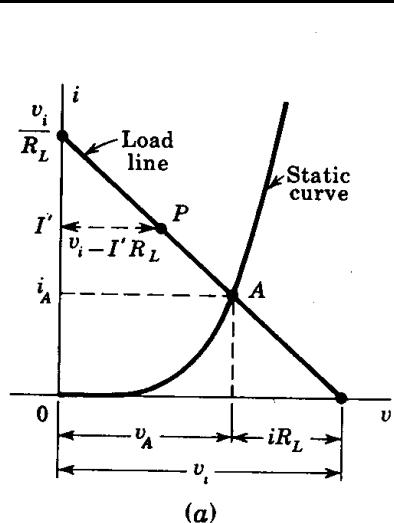
$$\text{Diode Characteristics} \Rightarrow i = i_0(e^{qv/kT} - 1)$$

# DYNAMIC CHARACTERISTICS OUTPUT CURRENT VS INPUT

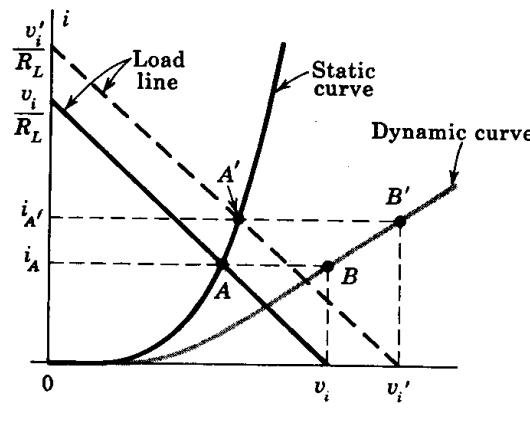


$$v = v_i - iR_L; v_0 = iR_L$$

Fig. 4-1 The basic diode circuit. The anode (the *p* side) of the diode is marked *A*, and the cathode (the *n* side) is labeled *K*.



(a)



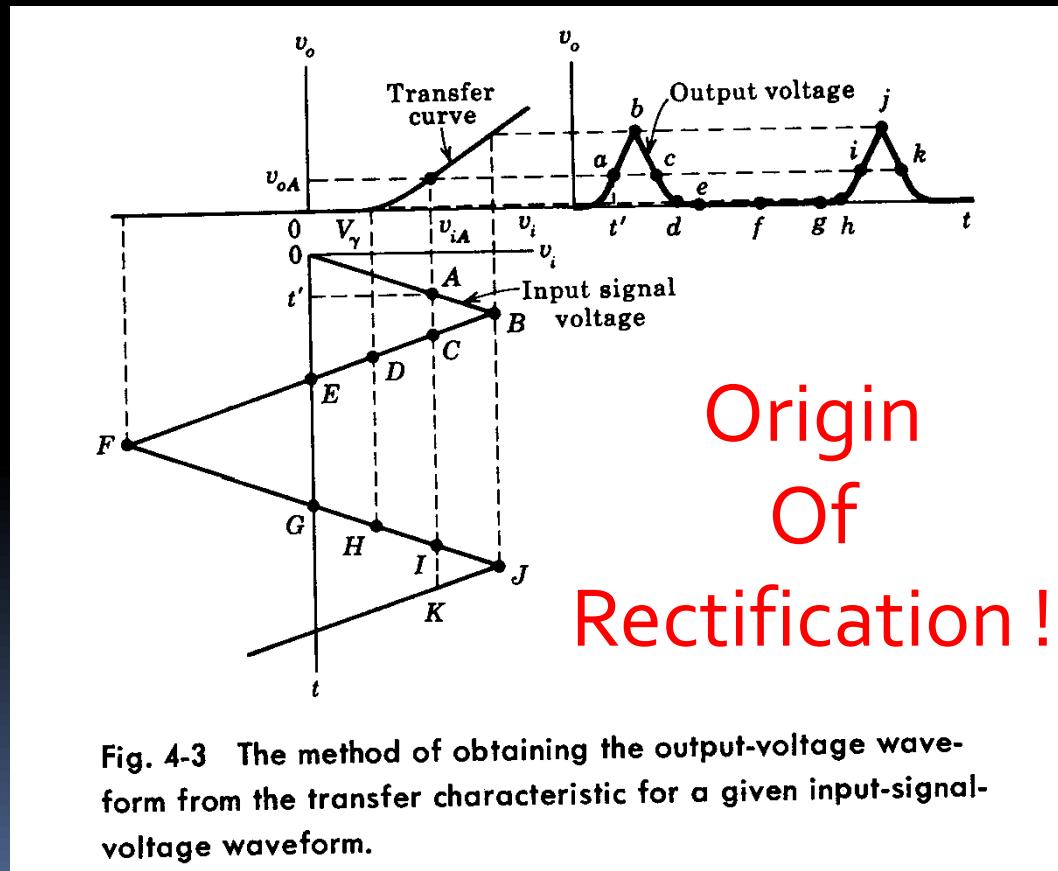
(b)

Dynamic Characteristics  
Plot of  $i$  vs  $v_{\text{input}}$

Fig. 4-2 (a) The intersection *A* of the load line with the diode static characteristic gives the current  $i_A$  corresponding to an instantaneous input voltage  $v_i$ . (b) The method of constructing the dynamic curve from the static curve and the load line.

# TRANSFER CHARACTERISTICS OUTPUT VOLTAGE VS INPUT

$$v = v_i - iR_L; v_0 = iR_L$$



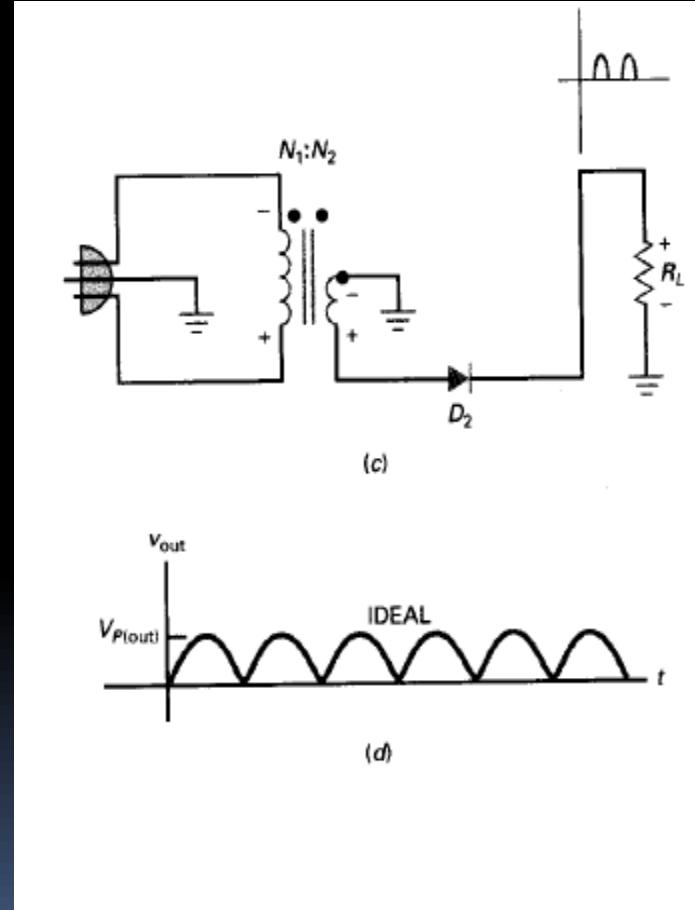
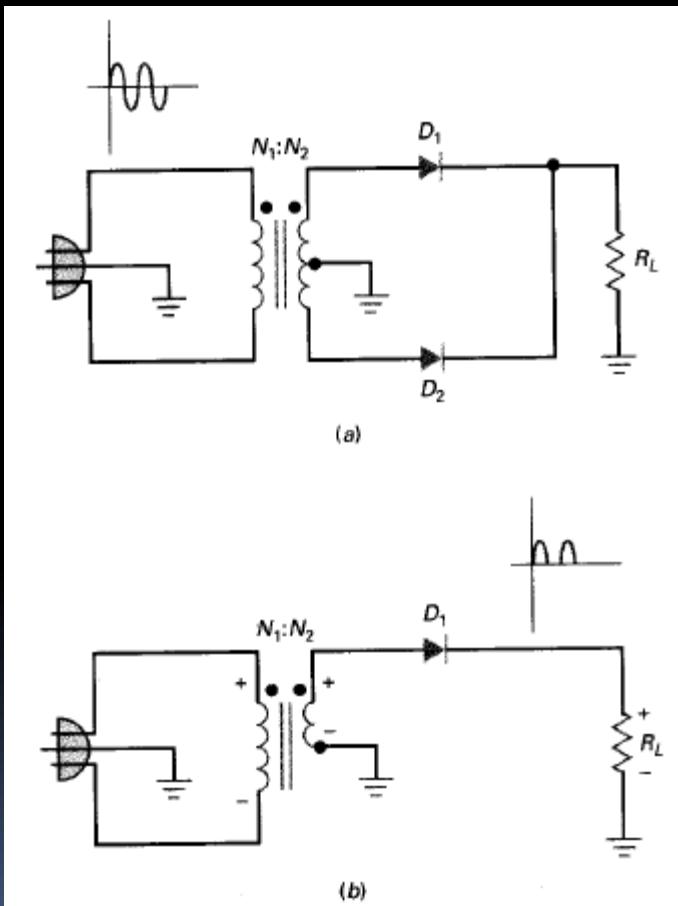
Transfer Characteristics  
Plot of  $v_{Output}$  vs  $v_{input}$



Plot of  $v_{Output}$  vs Time

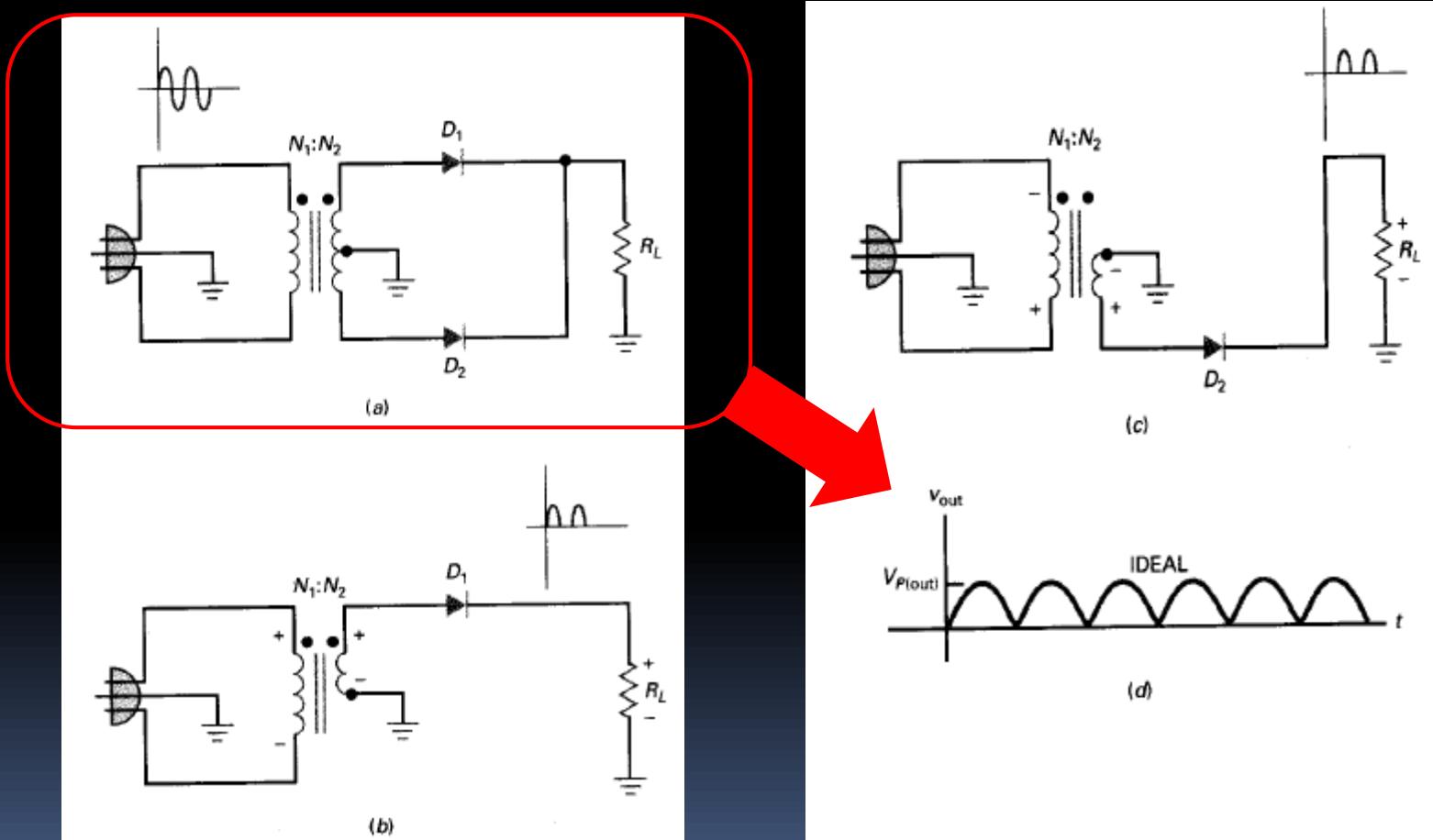
# FULL WAVE RECTIFIER

**Figure 4–6** (a) Full-wave rectifier; (b) equivalent circuit for positive half cycle; (c) equivalent circuit for negative half cycle; (d) full-wave output.



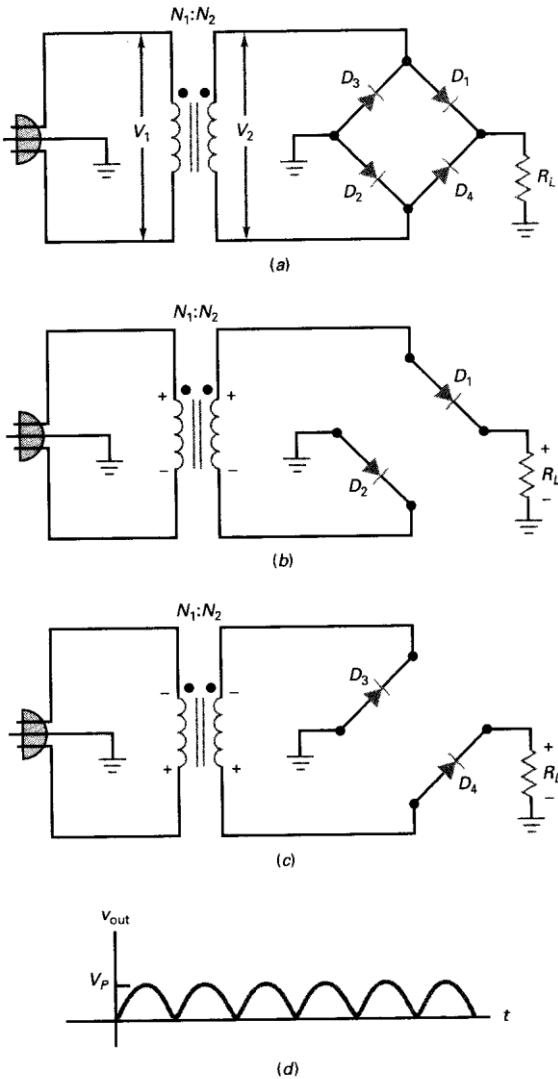
# FULL WAVE RECTIFIER

**Figure 4–6** (a) Full-wave rectifier; (b) equivalent circuit for positive half cycle; (c) equivalent circuit for negative half cycle; (d) full-wave output.



# FULL WAVE RECTIFIER

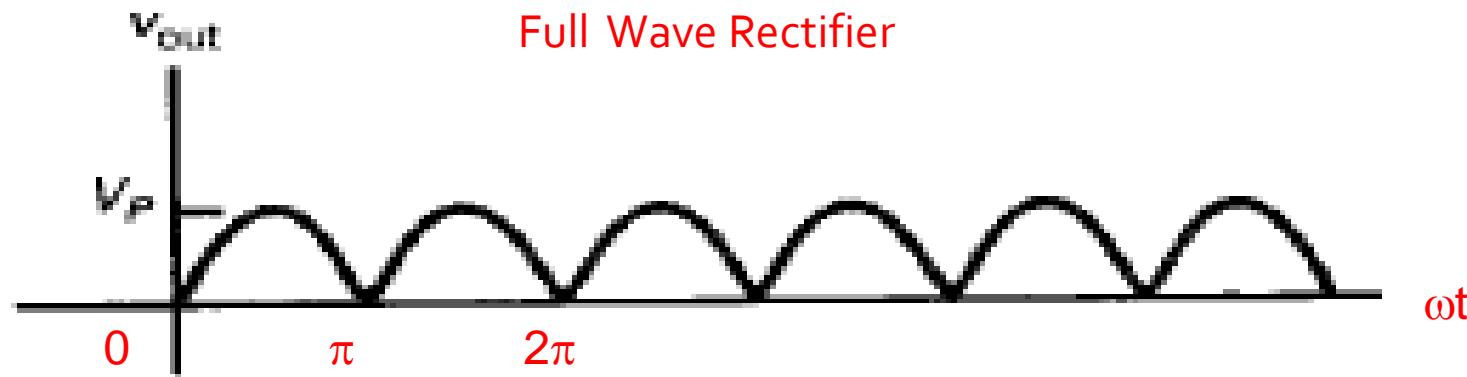
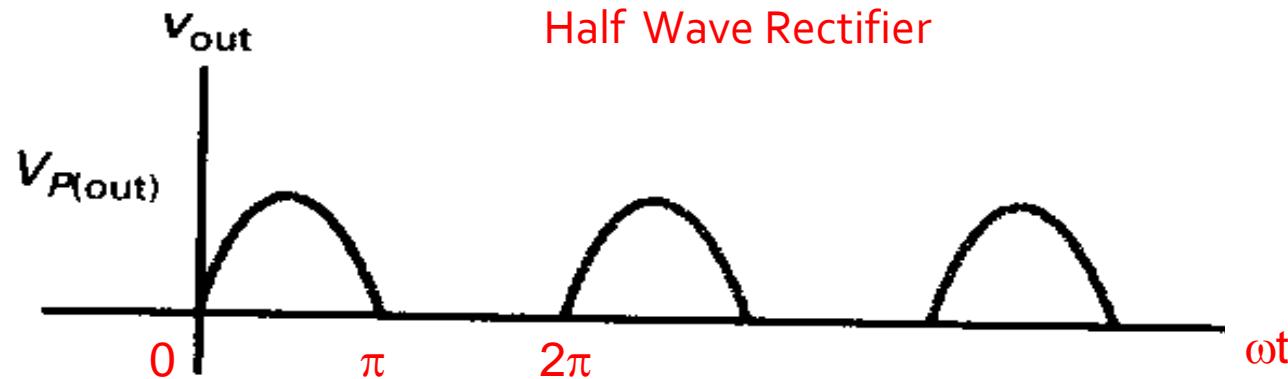
Figure 4-8 (a) Bridge rectifier; (b) equivalent circuit for positive half cycle  
(c) equivalent circuit for negative half cycle; (d) full-wave output; (e) bridge rectifier packages.



- Twice the  $V_{(\text{Peak to Peak})}$  &  $V_{\text{DC}}$  as compared to that of a full wave rectifier.

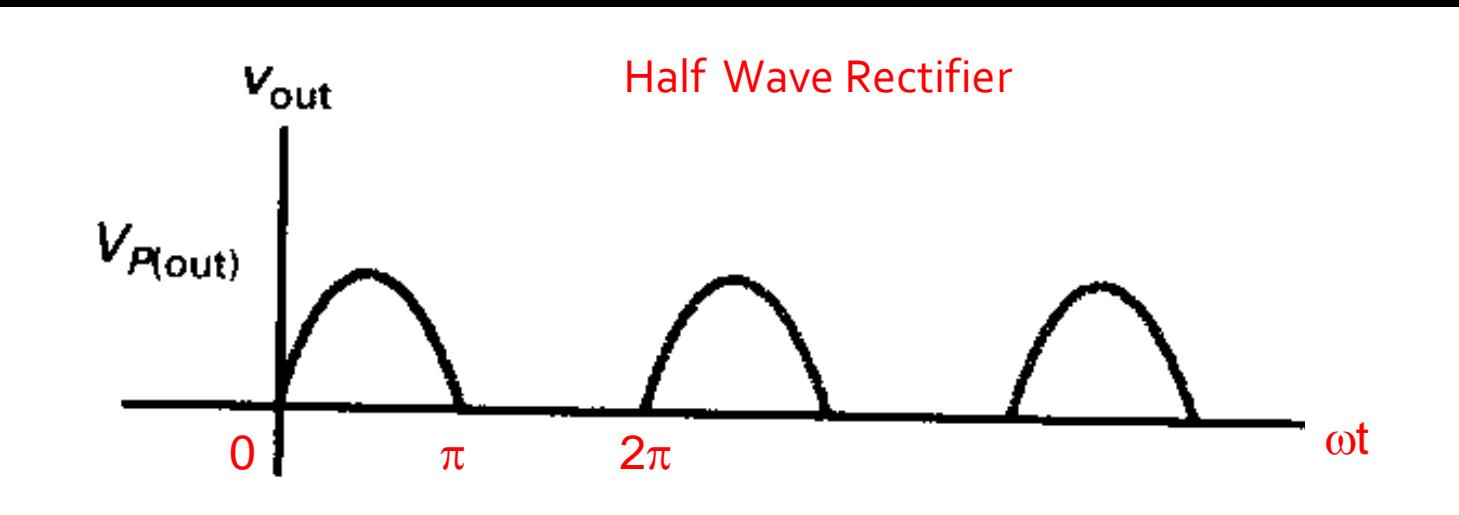
- Less Ripple as compared to half Wave rectifier.

# OUTPUT OF RECTIFIERS: RIPPLES



Frequency of the half wave rectifier output is same as the input frequency  
Frequency of the full wave rectifier output is double the input frequency

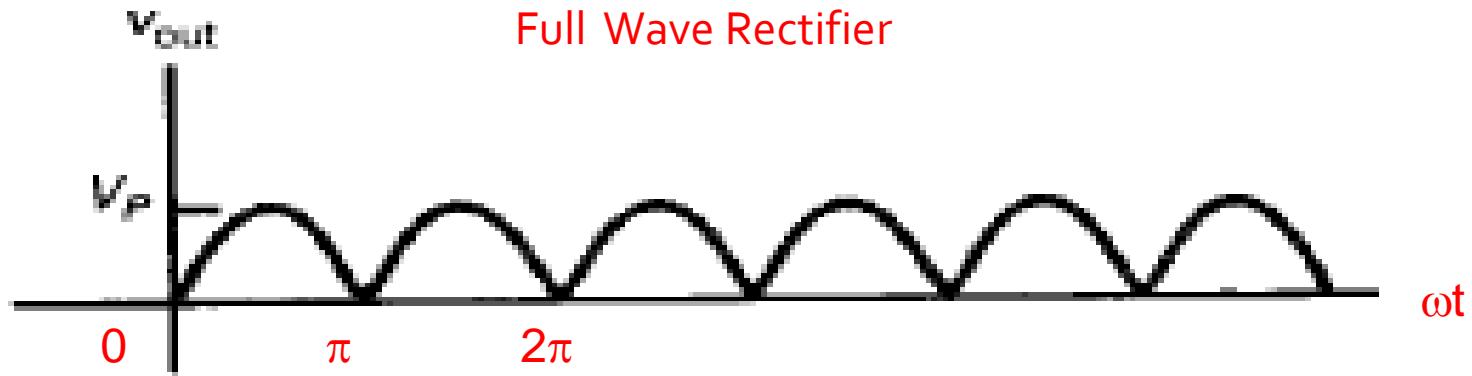
# HALF WAVE : DC & RMS



$$I_{dc} = \frac{1}{2\pi} \int_0^{2\pi} I_p d\alpha = \frac{1}{2\pi} \int_0^{\pi} I_p \sin \alpha d\alpha = \frac{I_p}{\pi}; V_{dc} = I_{dc} R_L$$

$$I_{rms} = \left[ \frac{1}{2\pi} \int_0^{2\pi} I^2 d\alpha \right]^{1/2} = \left[ \frac{1}{2\pi} \int_0^{\pi} I^2 d\alpha \right]^{1/2} = \frac{I_p}{2}$$

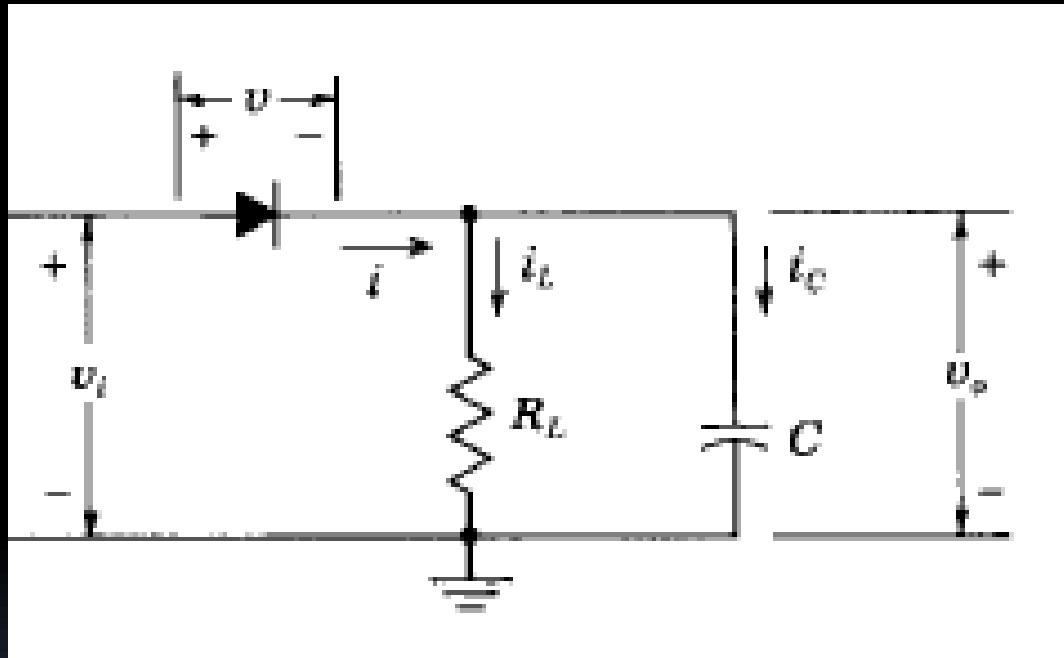
# FULL WAVE : DC & RMS



$$I_{dc} = \frac{1}{2\pi} \int_0^{2\pi} I \cdot d\alpha = \frac{1}{2\pi} \int_0^{2\pi} I_P \sin \alpha \cdot d\alpha = \frac{2I_P}{\pi}; V_{dc} = I_{dc} R_L$$

$$I_{rms} = \left[ \frac{1}{2\pi} \int_0^{2\pi} I^2 \cdot d\alpha \right]^{1/2} = \frac{I_P}{\sqrt{2}}$$

# FILTER OUT THE RIPPLES



# FILTERED RECTIFIER OUTPUT

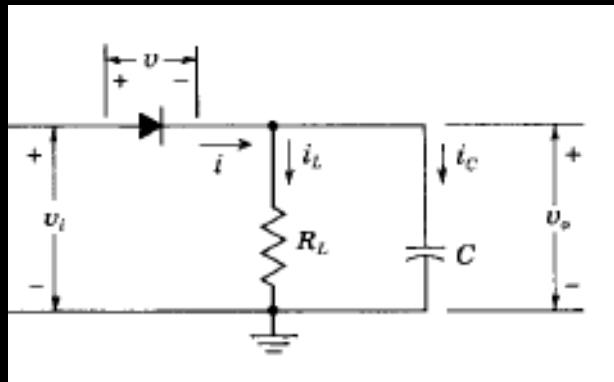
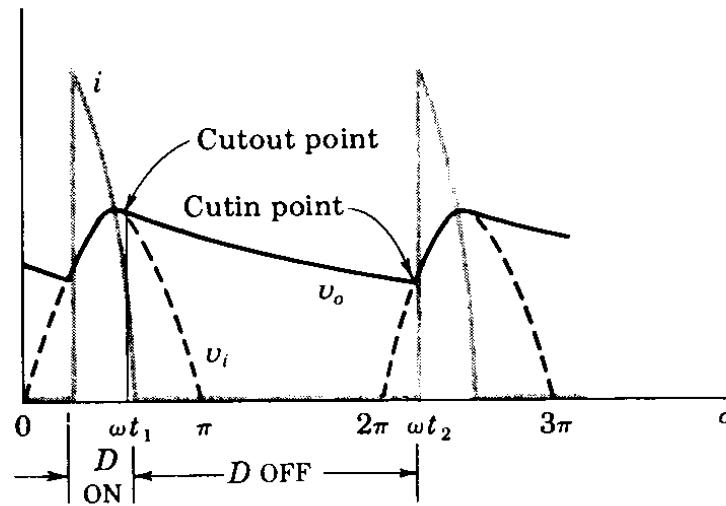


Fig. 4-25 Theoretical sketch of diode current  $i$  and output voltage  $v_o$  in a half-wave capacitor-filtered rectifier.



# FILTER OUT THE RIPPLES

**Diode Conducting** If the diode drop is neglected, the transformer voltage is impressed directly across the load. Hence the output voltage is  $v_o = V_m \sin \omega t$ . The question immediately arises: Over what interval of time is this equation applicable? In other words, over what portion of each cycle does the diode remain conducting? The point at which the diode starts to conduct is called the *cutin point*, and that at which it stops conducting is called the *cutout point*. The cutout time  $t_1$  and the cutin time  $t_2$  are indicated in Fig. 4-25, where we observe that the output waveform consists of portions of sinusoids (when the diode is ON) joined to exponential segments (when the diode is OFF).

We now calculate the cutout angle by finding the expression for the diode current  $i$  and then noting when  $i = 0$ . When the diode conducts,  $v_o = V_m \sin \omega t$  and  $i$  is the sum of the load resistor current  $i_L$  and the capacitor current  $i_C$ . Hence

$$i = \frac{v_o}{R_L} + C \frac{dv_o}{dt} = \frac{V_m}{R_L} \sin \omega t + \omega C V_m \cos \omega t \quad (4-24)$$

This current is of the form  $i = I_m \sin (\omega t + \psi)$ , where

$$I_m \equiv V_m \sqrt{\frac{1}{R_L^2} + \omega^2 C^2} \quad \psi \equiv \arctan \omega C R_L \quad (4-25)$$

The cutout time  $t_1$  is found by setting  $i = 0$  at  $t = t_1$ , which leads to

$$\omega t_1 = \pi - \psi \quad (4-26)$$

for the cutout angle  $\omega t_1$  in the first cycle. The diode current is indicated in Fig. 4-25.

# FILTERED RECTIFIER OUTPUT

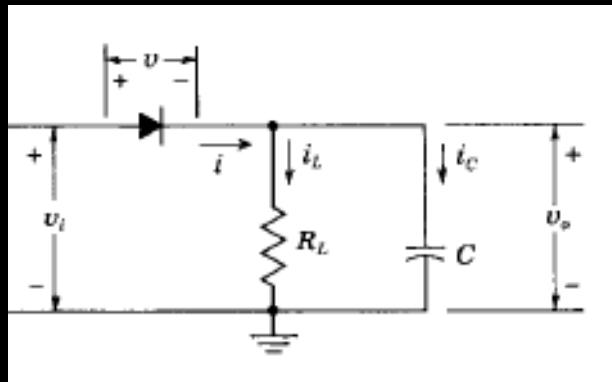
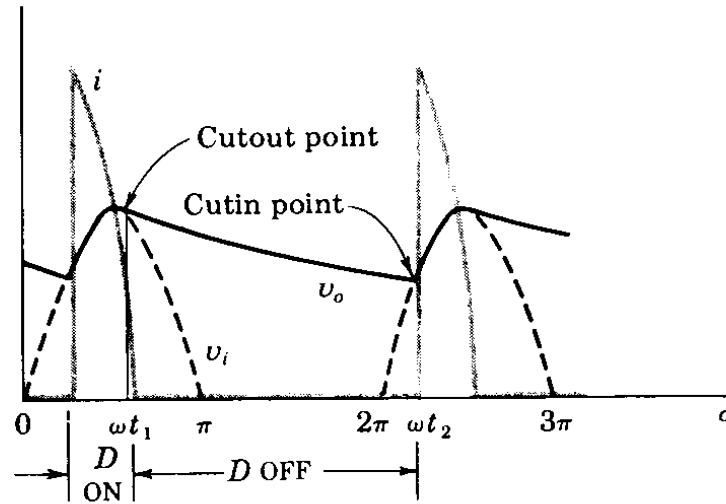


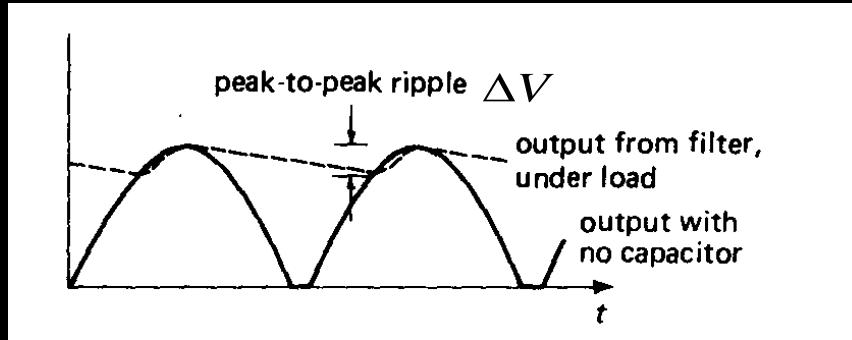
Fig. 4-25 Theoretical sketch of diode current  $i$  and output voltage  $v_o$  in a half-wave capacitor-filtered rectifier.



$$V_{Load} = v_o = V_p \left( 1 - e^{-\frac{t}{R_L C}} \right)$$

$R_L C \gg \frac{1}{f}$ ,  $f$  = Ripple Frequency

# FILTERED OUTPUT OF FULL WAVE RIPPLES



$$I = C \frac{dV}{dt} \Rightarrow \Delta V = \frac{I}{C} \Delta t = \frac{I}{C} \times \frac{1}{f}; \quad \Delta t = \text{Discharging Period}, f \text{ is Ripple Frequency}$$

For Smaller Charging Time,  $\Delta t \approx \frac{1}{f}$  for Half Wave Ripples and,  $\Delta t \approx \frac{1}{2f}$  for Full Wave Ripples

$$\Delta V_{Half} = \frac{I_{Load}}{fC} \quad \& \quad \Delta V_{Half} = \frac{I_{Load}}{2fC}$$

# REGULATION

$$\% \text{ Regulation} = \frac{(V_{Load} - V_{Open})}{V_{Load}} \times 100\%$$

In an IDEAL power supply the output voltage is independent of the LOAD ( the output current ) and the Percentage regulation is ZERO for ideal power supply.

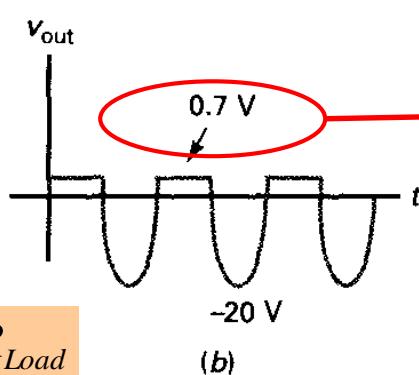
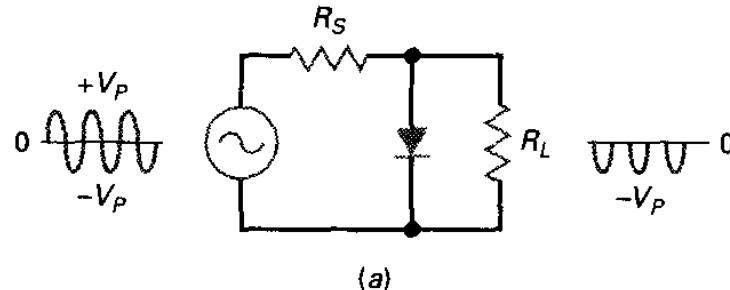
# IN PRACTICE...

$$\% \text{ Regulation} = \frac{(V_{Load} - V_{Open})}{V_{Load}} \times 100\%$$

1. Peak Current may be much more the current limit of the diode  
⇒ Damage at High Peak current.
  2. The required large capacitors for  $R_L C >> 1/f$  may be too bulky and expensive.
  3. Fluctuations due to the variations of dc output voltage with ac input voltage.
  4. Changes of Load voltage with load current
- \* Use an active feedback circuit to regulated the filtered output

# POSITIVE CLIPPING

Figure 4-24 (a) Positive clipper; (b) output waveform.



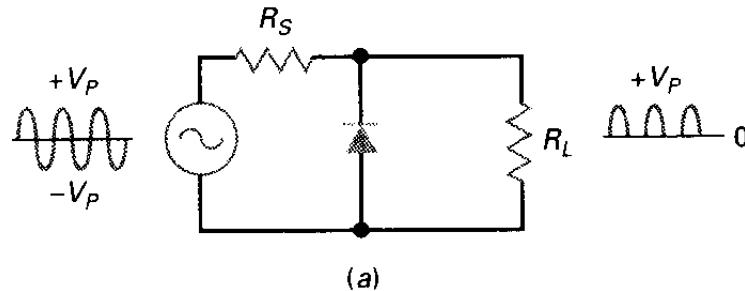
Due to  
diode  
threshold  
voltage  
 $\sim 0.7\text{ V}$

$$100 R_{Bulk} < R_S < 0.01 R_{Load}$$

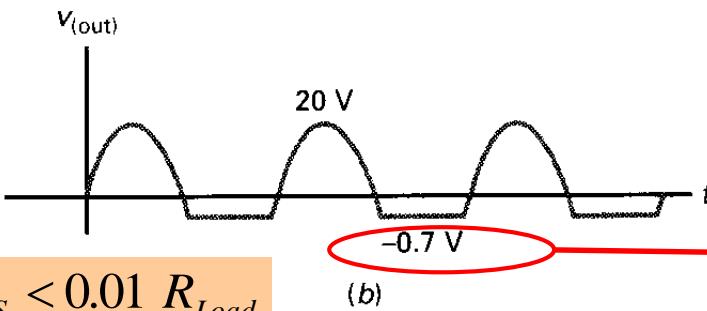
As the diode turns on, most of the current pass through it . Thus a conducting diode acts as a short across the Load Resistance ( $R_L$ ). No voltage drop across the load resistance during that half cycle when the diode is turned on  $\Rightarrow$  Clips off positive part of the signal !

# NEGATIVE CLIPPING

Figure 4-25 (a) Negative clipper; (b) output waveform.



(a)



(b)

$$100 R_{\text{Bulk}} < R_S < 0.01 R_{\text{Load}}$$

Malvino & Bates,  
Electronic  
Principles

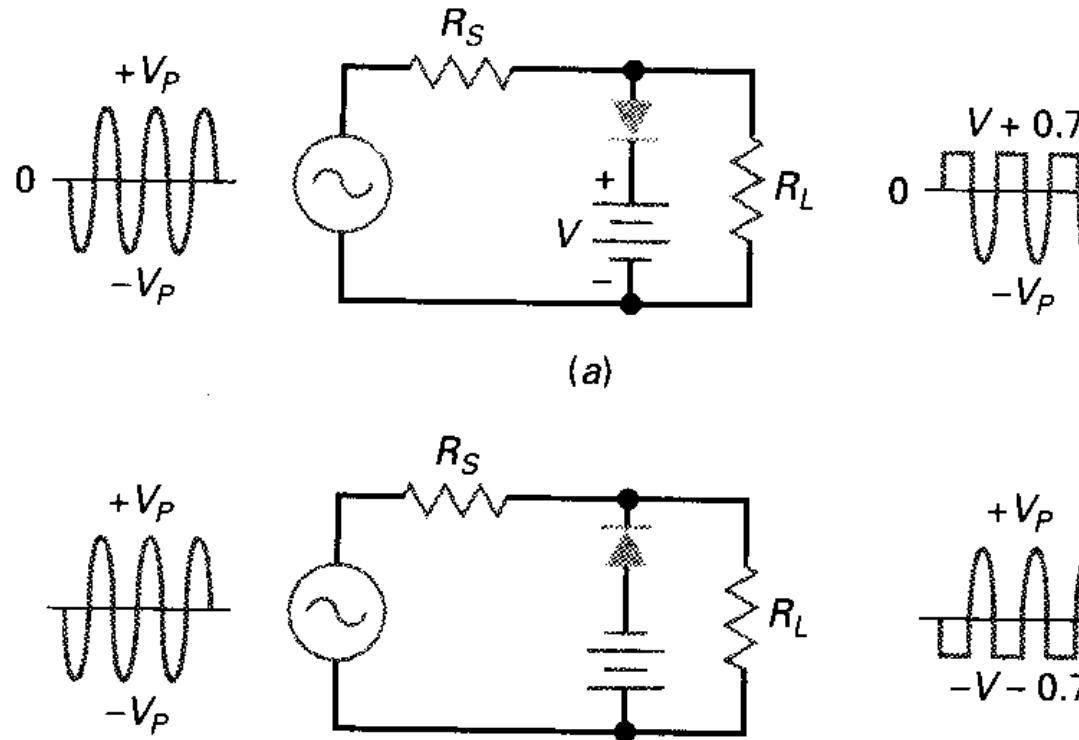
Due to  
diode  
threshold  
voltage  
 $\sim 0.7 \text{ V}$

As the diode turns on, most of the current pass through it . Thus a conducting diode acts as a short across the Load Resistance ( $R_L$ ). No voltage drop across the load resistance during that half cycle when the diode is turned on  $\Rightarrow$  Clips off positive part of the signal !

# BIASED CLIPPING

$$|V| \ll |V_P|$$

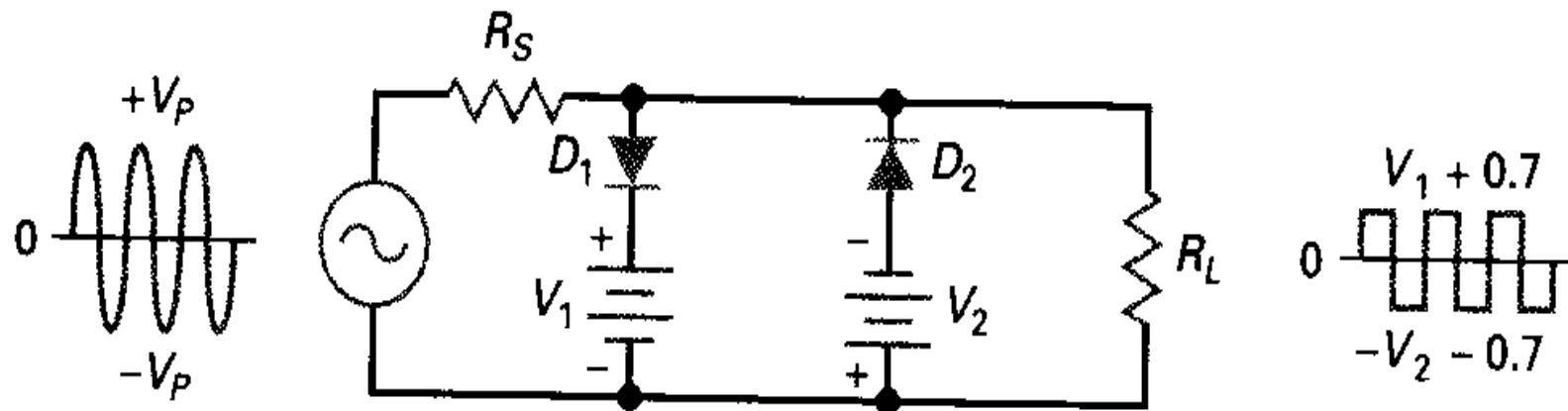
**Figure 4-27** (a) Biased positive clipper; (b) biased negative clipper.



# COMBINATION CLIPPING

$$|V_1| \text{ & } |V_2| \ll |V_P|$$

**Figure 4-28** Biased positive-negative clipper.



Rectangular Wave from Sinusoidal Wave !  
In case of  $V_1 = V_2 \Rightarrow$  Square Wave.

# CONVERSION OF SINE WAVEFORM TO RECTANGULAR WAVEFORM

1. Combination of Biased Clipper, Fig 4.27.
2. Using 741 OpAmp as Comparator, Fig 22.1 & 22.3.
3. Using Schmitt Trigger, Fig 22.27.
4. Direct Digital Synthesis.

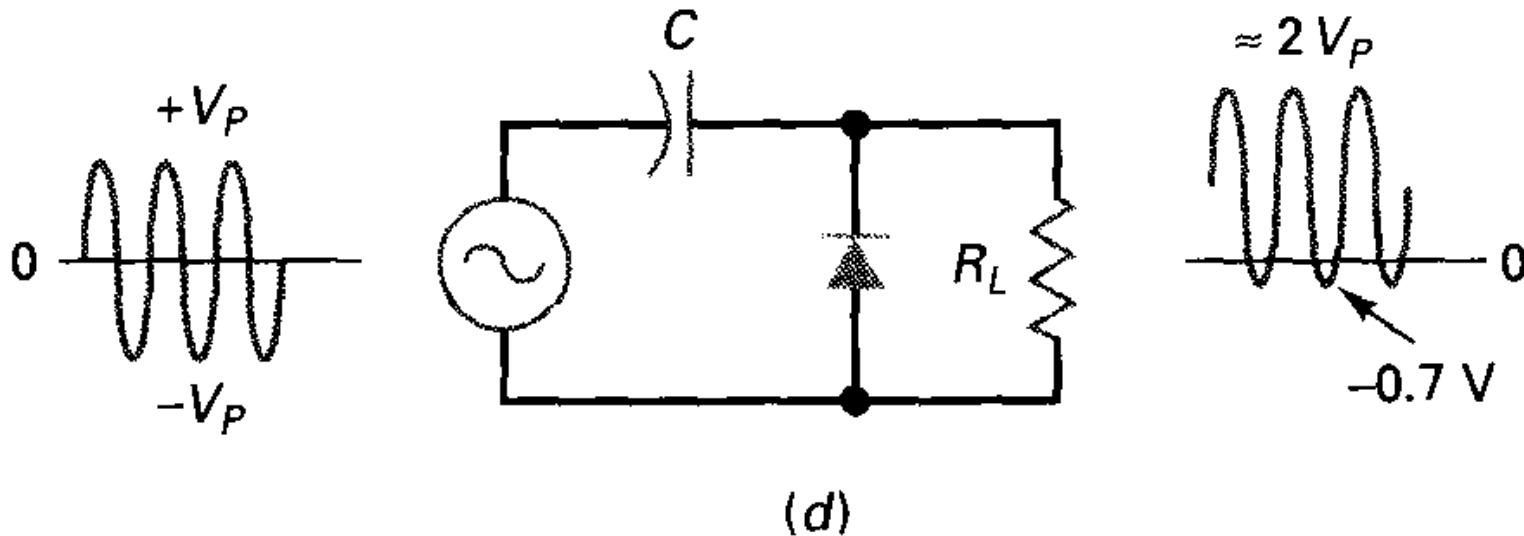


Which is the best Method ?  
Under What Conditions ?

Additional  
reading for  
interested  
students only

# POSITIVE CLAMPING

$$R_L C > 100T; T = \text{Time Period}$$

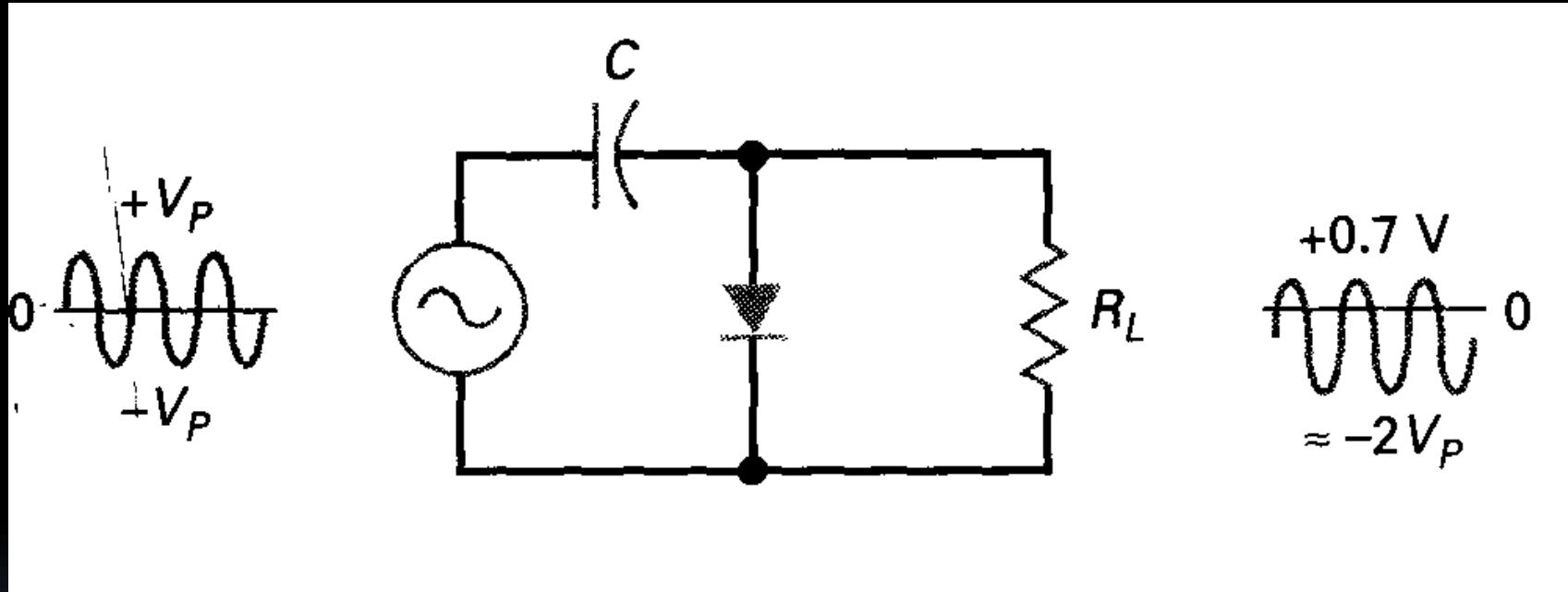


A positive clamper raise the ac reference level of a sine wave input to a dc level.

The capacitor behaves as a battery of  $V_P$  volts.

# NEGATIVE CLAMPING

$$R_L C > 100T; T = \text{Time Period}$$



A positive clamper raise the ac reference level of a sine wave input to a dc level.

The capacitor behaves as a battery of  $-V_P$  volts.

# PEAK TO PEAK DETECTION

