A Weight-Selection Strategy on Training Deep Neural Networks for Imbalanced Classification

7/4/2017

Antonio Sze-To, Andrew K.C. Wong

Center for Pattern Analysis and Machine Intelligence (CPAMI)

Department of Systems Design Engineering





Introduction

- LeCun, Y., Bengio, Y., Hinton, G.: Deep learning. Nature 521(7553), 436-444 (2015)
 Silver, D., Huang, A., Maddison, C.J., Guez, A., Sifre, L., Van Den Driessche, G., Schrittwieser, J., Antonoglou, I., Panneershelvam, V., Lanctot, M., et al.: Mastering the game of go with deep neural networks and tree search. Nature 529(7587), 484-489 (2016)
- CPAMI INTELLIGENT RESEARCH EXCELLENCE

Deep Learning [1]
 has achieved
 superhuman
 performance in many
 places such as beating
 the world champion in
 GO [2].

- Beats Lee Sedol 9p in 4:1
- Beats Ke Jie 9p in 3:0



Introduction



 Not only GO, Deep Learning has achieved superhuman performance in a variety of tasks

19th Feb, 2015

Microsoft's Deep Learning Project Outperforms Humans In Image Recognition





24th Feb, **2016**

Intelligent Machines

Google Unveils Neural Network with "Superhuman" Ability to Determine the Location of Almost Any Image

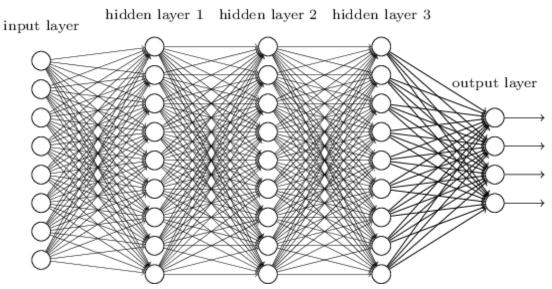
25th Sept, 2015

Artificial Intelligence Can Beat Humans at 31 Atari Games





• Deep Neural Networks (DNN), defined as artificial neuron networks with at least 3 hidden layers [3]).



Source: http://neuralnetworksanddeeplearning.com/chap5.html

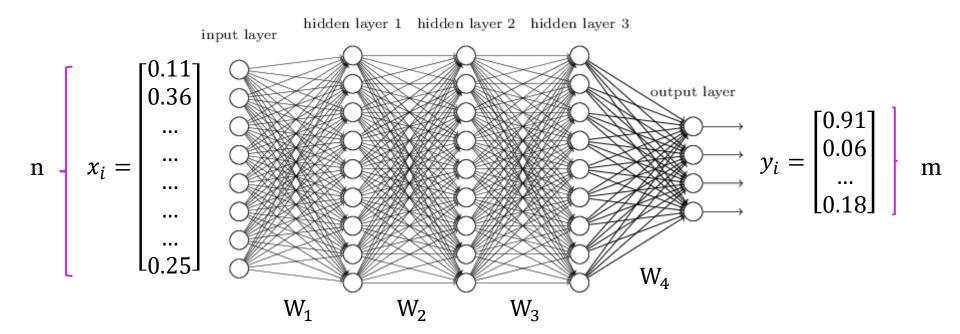
Deep Learning refers to the use of Deep Neural Networks
 (DNN) in learning tasks.



How DNN works?



• Given a n-dimensional vector x_i , a DNN outputs a m-directional vector y_i , with the weights being the model parameters



How DNN works?



• Given a n-dimensional vector x_i , a DNN outputs a m-directional vector y_i , with the weights being the model parameters

The DNN can be abstracted as

$$g_{\theta}(x_i) = y_i$$

 $\theta = \{W_1, W_2, ... W_4\}$

$$y_i = \begin{bmatrix} 0.91 \\ 0.06 \\ \dots \\ 0.18 \end{bmatrix} \quad \mathbf{m}$$

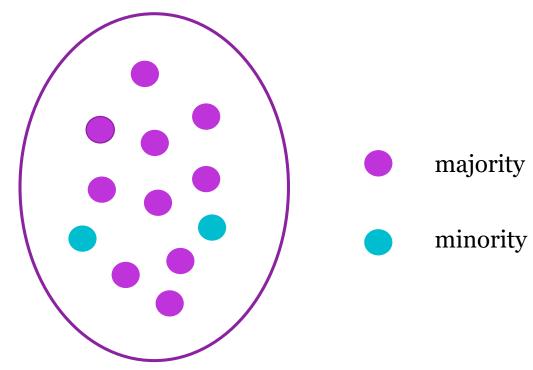
Introduction

- Sun, Y., Wong, A.K., Kamel, M.S.: Classification of imbalanced data: a review. Int. J. Pattern Recogn. Artif. Intell. 23(04), 687–719 (2009)
- He, H., Garcia, E.A.: Learning from imbalanced data. IEEE Trans. Knowl. Data Eng. 21(9), 1263–1284 (2009)
- Haixiang, G., Yijing, L., Shang, J., Mingyun, G., Yuanyue, H., Bing, G.: Learning from class-imbalanced data: review of methods and applications. Expert Syst. Appl. 73, 220–239 (2017)



■ Imbalanced classification [5–7]

refers to the problem that one class contains a much smaller number of samples than the other classes in classification.





- Such phenomenon exists in many real-world machine learning applications [6], e.g.
 - fraud detection,
 - medical diagnostics
 - equipment failure prediction



Related work

9. Chawla, N.V., Bowyer, K.W., Hall, L.O., Kegelmeyer, W.P.: SMOTE: synthetic minority over-sampling technique. J. Artif. Intell. Res. 16, 321–357 (2002) 10. Ting, K.M.: A comparative study of cost-sensitive boosting algorithms. In: In Proceedings of the 17th International Conference on Machine Learning. Citeseer (2000)



- Throughout the years, many methods have been developed for tacking imbalanced classification.
- They can be categorized into 2 types:

- (1) resampling [9],
 - which changes the balance between classes
- (2) cost-sensitive learning [10]
 - which assigns higher misclassification costs to the minority class



Related work

14. Shen, W., Wang, X., Wang, Y., Bai, X., Zhang, Z.: Deepcontour: a deep convolutional feature learned by positive-sharing loss for contour detection. In: Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition, pp. 3982–3991 (2015)
15. Wang, S., Liu, W., Wu, J., Cao, L., Meng, Q., Kennedy, P.J.: Training deep neural networks on imbalanced data sets. In: 2016 International Joint Conference on Neural Networks (IJCNN), pp. 4368–4374. IEEE (2016)
16. Ng, W.W., Zeng, G., Zhang, J., Yeung, D.S., Pedrycz, W.: Dual autoencoders features for

imbalance classification problem. Pattern Recogn. 60, 875-889 (2016)



 However, studies on training DNN on imbalanced classification are still scanty.

- Recent trend includes
 - regularizing the loss function [14,15] during training
 - representation learning [16]



Motivation and Objective



- In this study, we explore a new strategy to train DNN for imbalanced classification based on weight selection.
- To our knowledge, it is the 1st time to examine a weight-selection strategy on training DNN on imbalanced classification.

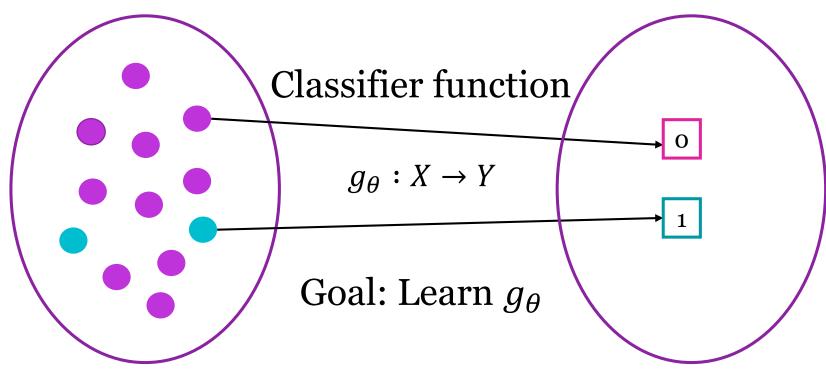
• Our objective is to investigate if such strategy can improve the predictive performance of DNN on imbalanced classification, even when the DNN are trained on a reduced training set.

Problem Definition: Supervised Learning





Class labels



$$X = \mathbb{R}^n$$
 (n-dimensional space)

$$Y = \{0, 1\}$$



Problem Definition: Supervised Learning



Given $S_{train} = \{(x_i, y_i)\}_{i=1}^N$, the goal is to learn a function $g_\theta: X \to Y$ such that

$$E_{(x,y)\sim D}[L(g_{\theta}(x_i);y_i)] \tag{1}$$

is minimized, where

- $L(g_{\theta}(x_i); y_i)$ is a loss (error) function
 - It measures the loss (error) between $g_{\theta}(x_i)$ and y_i .
- $x_i \in X = R^n, y_i \in Y = \{0,1, \dots C\}$
- D is the distribution over $X \times Y$



Problem Definition: Supervised Learning



Given $S_{train} = \{(x_i, y_i)\}_{i=1}^N$, the goal is to learn a function $g_\theta: X \to Y$ such that

$$E_{(x,y)\sim D}[L(g_{\theta}(x_i);y_i)] \tag{1}$$

In practice, Equation (1) would be approximated over a set of testing samples $S_{test} = \{(x_i, y_i)\}_{i=1}^{M}$ as Equation (2)

$$Test_{g_{\theta}}(S_{test}) = \frac{1}{M} \sum_{i=1}^{M} [L(g_{\theta}(x_i); y_i)]$$
 (2)



Training DNN (Standard Strategy)



• By applying **back-propagation** algorithm on S_{train} , a set of weights can be obtained, i.e. a new θ , to achieve a smaller loss value in each iteration

Algorithm 1. DNN

Input: a set of training samples S_{train} , a function g, initialized model parameter θ_1

Output: a model parameter θ corresponds to function g.

initialize $\theta = \theta_1$ **for** t = 1 to epochs **do** $\theta_{t+1} = \text{backprop}(S_{train}, \theta_t)$ $\theta = \theta_{t+1}$

end for

return θ

For 1 to epochs do:

Train on S_{train} to update weights End For



Training DNN (Validation-Loss Strategy)



 Here we propose a new strategy known as Validation-Loss (VL) strategy.

- It is to split the input training set S_{train} into 2 sets,
 - T_{train} : train the DNN to update weights,
 - $T_{validate}$: validate the performance

 The weights that render the minimum loss value on the validation set would be selected



Training DNN (Validation-Loss Strategy)



Algorithm 2 DNN+VL

Input: a set of training samples S_{train} , a function g, initialized model parameter θ_1 Output: a model parameter θ corresponds to function g.

```
split S_{train} into T_{train} and T_{validate} initialize \theta = \theta_1 initialize v_{loss} = Test_{g_{\theta}}(T_{validate}) for t = 1 to epochs do \theta_{t+1} = \text{backprop}(T_{train}, \theta_t) if v_{loss} > Test_{g_{\theta}}(T_{validate}) then v_{loss} = Test_{g_{\theta}}(T_{validate}) \theta = \theta_{t+1} end if
```

Split S_{train} to T_{train} and $T_{validate}$ For 1 to epochs do:

Train on S_{train} to update weights

Test on $T_{validate}$ Save the weights if improved

End For

end for

return θ



- MNIST dataset [18] is a handwritten digit dataset, containing 60,000 training images and 10,000 testing images.
- Each image is associated with a distinct digit as its class. There are 10 digit classes (0, 1, 2, ..., 9) in total.

All the images were resized to 28x28=784 pixels

Datasets



Table 1. A summary of the 10 imbalanced image datasets obtained from MNIST [19]. Each dataset has two classes: -ve and +ve classes, where the +ve class represents a digit (minority class) and the -ve class represents the remaining digits (majority class). The imbalance ratios (ImR) were calculated via dividing the no. of -ve samples by the no. of +ve samples. The higher the ImR is, the more imbalance the dataset is.

	Training -ve	Training +ve	Training ImR	Testing -ve	Testing +ve	Testing ImR
Dataset-0	54077	5923	9.13	9020	980	9.20
Dataset-1	53258	6742	7.90	8865	1135	7.81
Dataset-2	54042	5958	9.07	8968	1032	8.69
Dataset-3	53869	6131	8.79	8990	1010	8.90
Dataset-4	54158	5842	9.27	9018	982	9.18
Dataset-5	54759	5421	10.10	9108	982	10.21
Dataset-6	54082	5918	9.14	9042	958	9.44
Dataset-7	53735	6265	8.58	8972	1028	8.73
Dataset-8	54149	5851	9.25	9026	974	9.27
Dataset-9	50000	5949	9.09	8991	1009	8.91

Experimental Setup



Classifier	Description
1	SVM with a RBF kernel
2	Decision tree (CART)
3	DNN: a DNN trained by a standard strategy on the entire training set of each dataset (which contains 60,000 images)
4	DNN-CL: a DNN trained by a standard strategy with cost-sensitive learning , i.e. setting the misclassification cost of the minority class to the majority class as ImR (Imbalanced Ratio) to 1;
5	DNN-VL: a DNN trained by the Validation-Loss strategy training only on a randomly selected 48,000 (80%) images from the training set of each dataset for weight updates, and the remaining 12,000 (20%) images for weight selection.

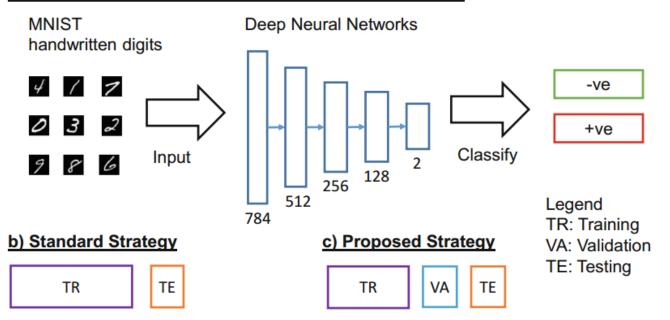
These classifiers were tested on the testing 10,000 images of each dataset.



Experimental Setup



a) Imbalance classification using Deep Neural Networks



For 1 to epochs do:

Train on the TR set to update weights

End

Test on the TE set

For 1 to epochs do:

Train on the TR set to update weights Validate the performance on the VE set Save the weights if the VE's results improve

End

Load the saved weights

Test on the TE set

Experimental Results



Table 2. A comparison of the prediction performance among 5 classifiers in terms of the area under the receiver operating characteristic (ROC) curve in **testing**. Two-tailed Wilcoxon Signed-Rank Test was conducted on the ROC values obtained by DNN and DNN-VL, as well as the ROC values obtained by DNN-CL and DNN-VL. In both tests, we obtained a p-value of **0.00512** < **0.05**.

Testing ROC	SVM (RBF)	Decision tree	DNN	DNN-CL	DNN-VL
Dataset-0	0.99864	0.96504	0.99549	0.99555	0.99917
Dataset-1	0.99857	0.97613	0.99671	0.99436	0.99921
Dataset-2	0.98468	0.91820	0.99297	0.99088	0.99874
Dataset-3	0.98835	0.91336	0.99299	0.99558	0.99865
Dataset-4	0.99323	0.92614	0.99383	0.99363	0.99817
Dataset-5	0.98109	0.92016	0.98830	0.99558	0.99921
Dataset-6	0.99577	0.95732	0.99120	0.99261	0.99880
Dataset-7	0.98999	0.94502	0.99244	0.98820	0.99602
Dataset-8	0.98351	0.89631	0.98670	0.97505	0.99835
Dataset-9	0.97748	0.90388	0.98679	0.98825	0.99575

Experimental Results



Table 3. A comparison of the prediction performance among 5 classifiers in terms of the area the under precision-recall curve (PRC) in **testing**. Two-tailed Wilcoxon Signed-Rank Test was conducted on the PRC values obtained by DNN and DNN-VL, as well as the PRC values obtained by DNN-CL and DNN-VL. In both tests, we obtained a p-value of **0.00512** < **0.05**.

Testing PRC	SVM (RBF)	Decision tree	DNN	DNN-CL	DNN-VL
Dataset-0	0.99630	0.96852	0.99709	0.99526	0.99847
Dataset-1	0.99715	0.97564	0.99749	0.99591	0.99851
Dataset-2	0.97197	0.92987	0.99457	0.99034	0.99696
Dataset-3	0.98099	0.91459	0.99400	0.99251	0.99708
Dataset-4	0.98123	0.93479	0.99355	0.99020	0.99675
Dataset-5	0.97172	0.92722	0.99148	0.99414	0.99741
Dataset-6	0.99136	0.96317	0.99349	0.99367	0.99740
Dataset-7	0.98191	0.94941	0.99232	0.98696	0.99429
Dataset-8	0.96266	0.90656	0.99249	0.97733	0.99520
Dataset-9	0.95822	0.91355	0.99095	0.98462	0.99363

Conclusion



- In this study, we proposed a new strategy, known as weight-selection strategy, for training Deep Neural Networks (DNN) on imbalanced classification.
- To our knowledge, it is the 1st systematic study to examine a weight-selection strategy on training DNN on imbalanced classification.
- Illustrated by experiments on 10 imbalanced datasets obtained from MNIST, the DNN trained on a reduced training set by the new strategy outperformed the DNN trained by a standard strategy and cost-sensitive learning with statistical significance (p=0.00512)
- Future work includes incorporating the proposed strategy with existing techniques (e.g. resampling) to further improve the performance.



Availability



 All experimental results and source codes are available in https://github.com/antoniosehk/WSDeepNN

