

EXPERIMENTS USING VARIATIONAL AUTO  
-ENCODERS

## Aim

To implement a variational autoencoder and study its generative ability to reconstruct and generate new data samples using the MNIST dataset.

## Objectives

To understand the concept and working of a VAE.

To generate new data points by sampling from a latent distribution

To visualize reconstructed and newly generated images.

To compare the performance of VAE with a basic autoencoder.

## pseudocode

Start

Import Libraries (Tensorflow / Keras / numpy, matplotlib).

Load MNIST dataset and normalize images (0-1)

Define encoder

Input layer (784)

Dense (256, activation = relu)

Dense (128, activation = relu)

Output : mean ( $\mu$ ) and log

variance ( $\sigma^2$ )

Sample latent vector  $z$  using reparameterization.

$$z = \mu + \sigma * \epsilon, \text{ where } \epsilon \sim N(0, 1)$$

Define Decoder

Input: Latent vector  $z$

Dense (128, activation = relu)

Dense (256, activation = relu)

Dense (784, activation = sigmoid)

reconstructed output

Define total loss

Total loss = Reconstruction loss + KL divergence loss

compile and train model using MNIST dataset

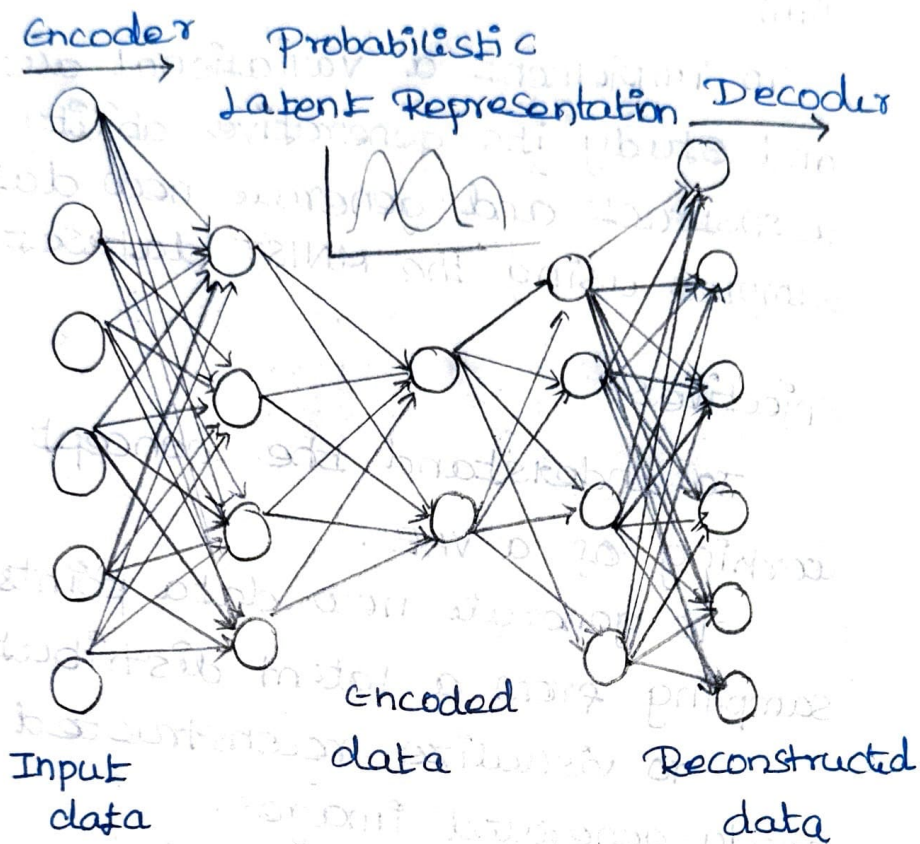
visualize

Original vs Reconstructed images

Observation

Training dynamics

The VAE balanced accurate reconstructed with maintaining a continuous latent space. reconstruction loss decreased gradually while KL divergence regularized the model.



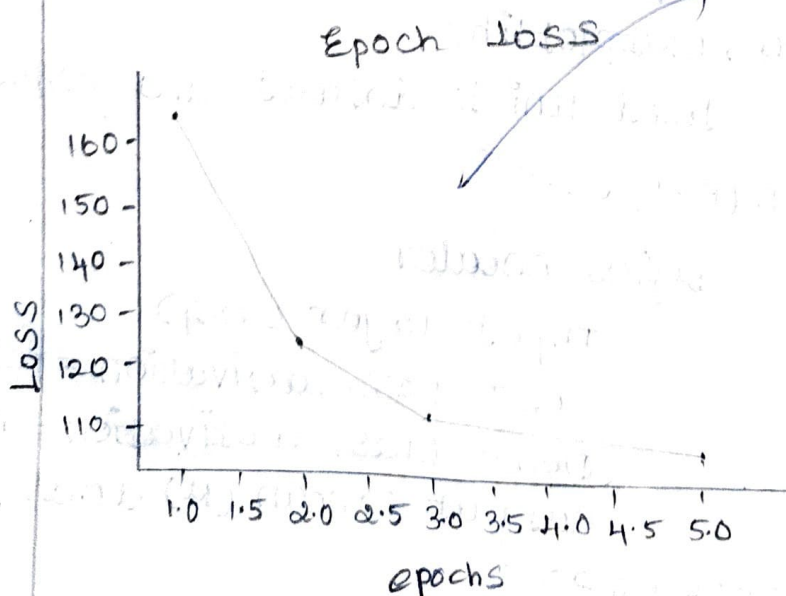
Epoch [1/5], Loss: 164.0216

Epoch [2/5], Loss: 121.5716

Epoch [3/5], Loss: 114.6072

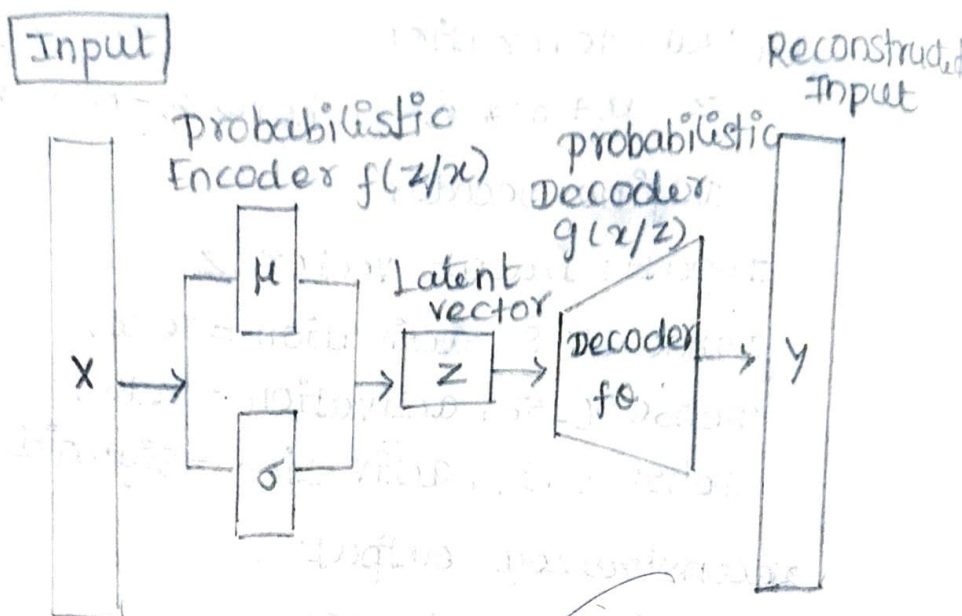
Epoch [4/5], Loss: 111.6099

Epoch [5/5], Loss: 109.8843





## VAE ARCHITECTURE



## Latent Space Representation

The Latent space followed a gaussian distribution, where similar digits clustered together, allowing smooth transitions between types

## Reconstruction Quality

Reconstructed images were slightly blurred due to sampling but still recognizable, showing that key digit structures were learned.

## Generative Ability

Random samples from the latent space produced realistic new digits, proving the VAE's generative capability.

## Comparison with autoencoder

unlike basic autoencoder, the VAE learned a probabilistic model and could generate new samples, not just reconstruct inputs.

## Result

88. To successfully implement using VAE



[ ]



#lab 11

```
import torch, torch.nn as nn, torch.optim as optim
from torchvision import datasets, transforms
from torch.utils.data import DataLoader
import matplotlib.pyplot as plt
```

# 1 Data

```
train = datasets.MNIST('data', train=True, transform=transforms.ToTensor(), download=True)
train_loader = DataLoader(train, batch_size=128, shuffle=True)
```

# 2 VAE Model

```
class VAE(nn.Module):
    def __init__(self):
        super().__init__()
        self.fc1 = nn.Linear(784, 256)
        self.fc_mu = nn.Linear(256, 64)
        self.fc_logvar = nn.Linear(256, 64)
        self.fc_dec1 = nn.Linear(64, 256)
        self.fc_out = nn.Linear(256, 784)

    def encode(self, x):
        h = torch.relu(self.fc1(x))
        return self.fc_mu(h), self.fc_logvar(h)

    def reparameterize(self, mu, logvar):
        std = torch.exp(0.5 * logvar)
        eps = torch.randn_like(std)
        return mu + eps * std

    def decode(self, z):
        h = torch.relu(self.fc_dec1(z))
        return torch.sigmoid(self.fc_out(h))

    def forward(self, x):
        x = x.view(-1, 784)
        mu, logvar = self.encode(x)
        z = self.reparameterize(mu, logvar)
        return self.decode(z), mu, logvar
```

```
model = VAE()
opt = optim.Adam(model.parameters(), lr=0.001)
```



[ ]



```
# 3 VAE Loss Function
def vae_loss(recon_x, x, mu, logvar):
    BCE = nn.functional.binary_cross_entropy(recon_x, x.view(-1, 784), reduction='sum')
    KLD = -0.5 * torch.sum(1 + logvar - mu.pow(2) - logvar.exp())
    return (BCE + KLD) / x.size(0)

# 4 Training
epochs, losses = 3, []
for epoch in range(epochs):
    run = 0
    for img, _ in train_loader:
        recon, mu, logvar = model(img)
        loss = vae_loss(recon, img, mu, logvar)
        opt.zero_grad()
        loss.backward()
        opt.step()
        run += loss.item()
    avg = run / len(train_loader)
    losses.append(avg)
    print(f"Epoch {epoch+1}/{epochs} | Loss: {avg:.4f}")

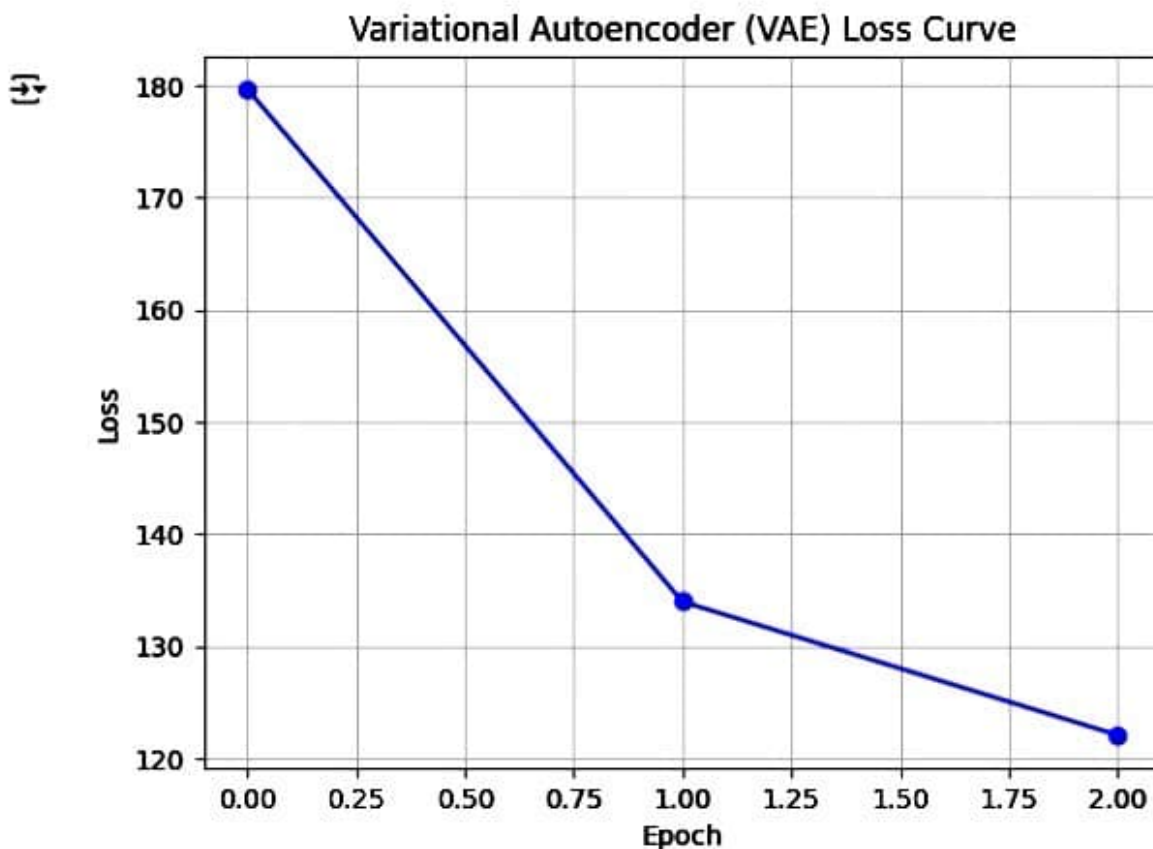
# 5 Plot Loss Curve
plt.plot(losses, 'o-', color='blue')
plt.title("Variational Autoencoder (VAE) Loss Curve")
plt.xlabel("Epoch")
plt.ylabel("Loss")
plt.grid(True)
plt.show()

# 6 Reconstructed Images
with torch.no_grad():
    sample = next(iter(train_loader))[0][:5]
    recon, _, _ = model(sample)
    for i in range(5):
        plt.subplot(2,5,i+1); plt.imshow(sample[i][0], cmap='gray'); plt.axis('off')
        plt.subplot(2,5,5+i+1); plt.imshow(recon[i].view(28,28), cmap='gray'); plt.axis('off')
plt.suptitle("Original (Top) vs Reconstructed (Bottom)")
plt.show()
```



```
Epoch 1/3 | Loss: 179.6595
Epoch 2/3 | Loss: 133.9765
Epoch 3/3 | Loss: 122.0765
```





Original (Top) vs Reconstructed (Bottom)





2 5 3 3 4

2 5 3 3 4

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