

$$T_{\text{steam}} = P = 7.5 \text{ bar}$$

$$T_{\text{steam out}} =$$

$$\sqrt{167.8}^\circ\text{C}$$

$$3) \quad \dot{Q} = UA(T_{\text{steam}} - T)$$

$$\dot{m}_1 = 12 \text{ kg/min}$$

$$\dot{m}_2 = 12 \text{ kg/min}$$

$$(\dot{Q}) = 11.5 \text{ kg/min}^\circ\text{C}$$

$$C_p = 2.3 \text{ kJ/kg}^\circ\text{C}$$

$$T_i = 25^\circ\text{C}$$

$$T_c =$$

$$m_{\text{Tank at } T(0)} = 760 \text{ kg}$$

$$T(0) = 25^\circ\text{C}$$

$$a) \quad T(0) = 25^\circ\text{C}$$

$$MC_u \frac{dT}{dt} = \dot{m} C_p (T_{\text{in}} - T_{\text{out}}) + UA(T_{\text{steam}} - T)$$

$$\frac{dT}{dt} = \frac{(12)(2.3)}{(760)(2.3)} (25 - T_{\text{out}}) + \frac{11.5(167.8 - T)}{(760)(2.3)}$$

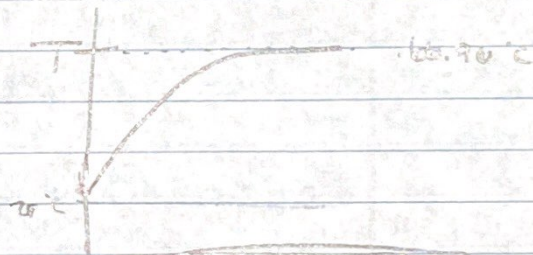
$$\frac{dT}{dt} = 1.70 - 0.0224T$$

b)

$$\frac{dT}{dt} = 0 = 1.70 - 0.0224T$$

$$T = 66.96^\circ\text{C}$$

steady state



$$c) \quad \frac{dT}{dt} = 1.70 - 0.0224T$$

$$\frac{dT}{1.70 - 0.0224T} = dt$$

$$\frac{-1}{0.0224} \left(\frac{dT}{u} \right) = dt$$

$$\frac{-1}{0.0224} (\ln |1.70 - 0.0224T|) = t + C$$

$$(\ln |1.70 - 0.0224T|) = -0.0224t - 0.0224C$$

$$1.70 - 0.0224T = (e^{-0.0224t})(e^{-0.0224C})$$

$$\frac{1.70 - e^{-0.0224t}(K)}{0.0224} = T(t)$$

$$K = 0.94$$

$$\frac{1.70 - e^{-0.0224t}(0.94)}{0.0224} = T(t)$$

$$T(40) = 49.83^\circ\text{C}$$

3d continued

$$\frac{dT}{dt} = \frac{12(2.3)}{760(2.3)} (2r - T) + \frac{C}{(760)(2.3)} (109.8 - T)$$

→ When integrated with Wolfram Alpha...

let $UA = C$, after integrating $\int_{2r}^T \frac{1}{r} = dt$

$$40 = \frac{99119948319800 + 770 \left(\ln C - \ln \left(\frac{94C}{119} \right) \right) - \frac{7820721249041600}{1249736671999326}}{56704477949770 C + 17670718161289249}$$

$$C = UA = 8.996$$

$$\frac{11.5 - 8.996}{11.5} = 2.7$$