Overview of SC-FDMA

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WARNING

Do not trust all the ideas I'll say!! Keep thinking!!

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Undergraduate Student

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Interact

Introduction to Principle of SC-FDMA System

- Introduction to Principle of SC-FDMA System
 - 1. Structure of SC-FDMA

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Principle of SC-FDMA System

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Block diagram of SC-FDMA system

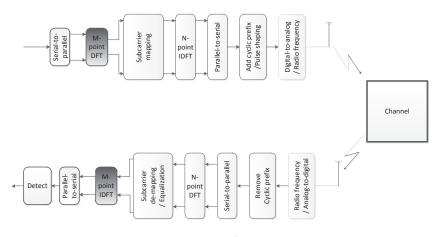


Fig: Structure of SC-FDMA system

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Summary, Conclusions and Thoughts

DFT operation

$$X^u = F_M d^u$$

$$d^{u} = [d_{1}^{u}, d_{2}^{u}, \dots, d_{M}^{u},]^{T}$$

$$[F_M]_{p,q} = (1/\sqrt{M}) e^{-j2\pi (pq/M)}$$

DFT operation

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Subcarrier Mapping

$$\overline{X^u} = M_T^u X^u$$

where M_T^u is subcarrier mapping matrix

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IDFT operation

$$x^u = F_N^{-1} M_T^u X^u$$

IDFT operation

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• add CP

$$\overline{x^u} = P_{add} F_N^{-1} M_T^u X^u$$

$$P_{add} = [\mathit{C}, \mathit{I}_{\mathit{N}}]^{\mathit{T}}$$

$$C = [0_{N_C \times (M-N_C)}, I_{N_C}]^T$$

Mathmatical Model-Channel and Reciever

Propagation in the Channel

$$\overline{y} = \sum_{u=1}^{U} \overline{E^u} H^u \overline{x^u} + n$$

$$[\overline{E^u}]_{n,n}=e^{j2\pi\varepsilon_u n/N}, n=0,......,N+N_C-1$$
 and H^u is an $(N+N_C)\times(N+N_C)$ matrix

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After Remove the CP

$$y = P_{rem}\overline{y} = \sum_{u=1}^{U} E^{u} H_{C}^{u} x^{u} + \overline{n}$$

$$P_{rem} = [0_{(N \times N_C)}, I_N]$$

Mathmatical Model-Reciever

DFT opearation in the receiver

$$Y = F_N y = \sum_{u=1}^{U} F_N E^u H_C^u x^u + F_N \overline{n}$$

$$\Rightarrow Y = \sum_{u=1}^{U} \Omega_{cir}^u \Lambda^u \bar{X}^u + N$$

$$\Omega_{cir}^u = F_N E^u F_N^{-1}$$

Mathmatical Model-Reciever

· DFT opearation in the receiver

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where

$$\Omega_{cir}^u = F_N E^u F_N^{-1}$$

• Use a Trick

$$H_c^u = F_N^{-1} \Lambda^u F_N$$

Mathmatical Model-FDE

FDE operation

$$\overline{Y} = W^k M_R^k Y$$

where \boldsymbol{W}^k is the M by M diagonal equalisation matrix, \boldsymbol{M}_R^k is de-mapping process

Mathmatical Model-IDFT

M by M IDFT operation

$$\hat{d}^{k} = F_{M}^{-1} \bar{Y}^{k} = A^{k} d^{k} + \bar{A}^{k} d^{k} + \sum_{\substack{u=1\\u \neq k}}^{U} B^{u} d^{u} + \hat{n}$$

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The structure of all components of the equation above:

$$\begin{split} &\boldsymbol{A}^k = \operatorname{diag}(\boldsymbol{F}_N^{-1} \, \boldsymbol{W}^k \boldsymbol{\Omega}_d^k \boldsymbol{\Lambda}_d^k \boldsymbol{F}_N) \\ &\bar{\boldsymbol{A}}^k = \boldsymbol{F}_N^{-1} \, \boldsymbol{W}^k \boldsymbol{\Omega}_d^k \boldsymbol{\Lambda}_d^k \boldsymbol{F}_N - \boldsymbol{A}^k \\ &\overline{\overline{n}} = \boldsymbol{F}_N^{-1} \, \boldsymbol{W}^k \boldsymbol{M}_R^k \boldsymbol{N} \\ &\boldsymbol{B}_i = \boldsymbol{F}_N^{-1} \, \boldsymbol{W}^k \boldsymbol{\Omega}_r^u \boldsymbol{\Lambda}_d^u \boldsymbol{F}_N \end{split}$$

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where $\Omega^k_d=M^k_R\Omega^k_{cir}M^k_T$ is interference with the kth user's data, $\Omega^u_r=M^k_R\Omega^u_{cir}M^u_T$ is the interference from the uth user, $\Lambda^u_d=M^u_R\Lambda^uM^u_T$ is the channel of uth user

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Summary, Conclusions and Thoughts

Cyclic prefix prevents inter-block interference

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- Channel Matrix

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 Make linear convolution of the channel impulse response look like a circular convolution

Key Technique-Subcarrier Mapping

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Distributed Subcarrier Mapping

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Distributed Subcarrier Mapping
 Symbols are equally spaced across the entire channel bandwidth

- Distributed Subcarrier Mapping
 - Symbols are equally spaced across the entire channel bandwidth
 - a. Be allocated over the entire bandwidth
 - b. Frequency diversity
 - c. Channel-dependent scheduling
 - d. Interleaved FDMA is a special case of distributed mode

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- Localized Subcarrier Mapping Symbols are assigned to N adjacent subcarriers

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- Localized Subcarrier Mapping

Symbols are assigned to N adjacent subcarriers

- a. Occupy consecutive subcarriers
- b. Channel-dependent scheduling provides multi-user diversity

Different subcarrier mapping schemes

$$\{x_n\} : \boxed{x_0 \mid x_1 \mid x_2 \mid x_3}$$

$$\qquad \qquad \qquad \qquad \mathsf{DFT} (X_k = \sum_{n=0}^{N-1} x_n e^{-j\frac{2\pi}{N}nk}, N = 4)$$

$$\{X_k\} : \boxed{X_0 \mid X_1 \mid X_2 \mid X_3}$$

$$\{X_{1,IFDMA}\} \quad \boxed{X_0 \mid \mathbf{O} \mid \mathbf{O} \mid X_1 \mid \mathbf{O} \mid \mathbf{O} \mid X_2 \mid \mathbf{O} \mid \mathbf{$$

frequency

Fig: An example of different subcarrier mapping schemes for N=4, Q=3 and M=12

Interleaved FDMA

$$\widetilde{x}_m (= \widetilde{x}_{Nq+n}) = \frac{1}{Q} e^{j2\pi \frac{mr}{M}} \cdot x_{(m)_{\text{mod } N}}$$

where $M=Q\cdot N$, $m=N\cdot q+n(0\leq q\leq Q-1,0\leq n\leq N-1)$, r is the amount of the frequency shift

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A magic thing about IFDMA:

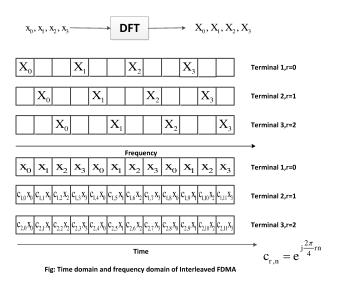
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 A magic thing about IFDMA: DFT-IDFT reduces to multiply each input symbol by a complex number with unit magnitude and repeating the input sequence with proper phase rotation Q times

Time domain and frequency domain of Interleaved FDMA



Key Technique-Time domain Symbol of LFDMA and conventional DFDMA

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LFDMA

$$y_n = y_{Q \cdot m + q} = \left\{ \begin{array}{c} \frac{1}{Q} x(n) \mod M, q = 0 \\ \frac{1}{Q} \cdot (1 - e^{j2\pi \frac{q}{Q}}) \cdot \frac{1}{M} \sum_{p=0}^{M-1} \frac{x_p}{1 - e^{j2\pi \{\frac{(m-p)}{M} + \frac{q}{QM}\}}}, q \neq 0 \end{array} \right.$$

Key Technique-Time domain Symbol of LFDMA and conventional DFDMA

LFDMA

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DFDMA

$$y_n = y_{Q \cdot m + q} = \left\{ \begin{array}{c} \frac{\frac{1}{Q} \cdot x_{(\widetilde{Q}(n) \mod M)}, q = 0}{\frac{1}{Q} \cdot \left(1 - e^{j2\pi \frac{\widetilde{Q}}{Q}q}\right) \cdot \frac{1}{M} \sum\limits_{p = 0}^{M-1} \frac{x_p}{1 - e^{j2\pi \{\frac{\widetilde{Q}(m - p)}{M} + \frac{\widetilde{Q}q}{QM}\}}}, q \neq 0 \end{array} \right.$$

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PAPR Comparison between SC-FDMA and OFDMA

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BER performence between SC-FDMA and OFDMA

SC-FDMA VS DS-CDMA/FDE

PAPR Comparison between SC-FDMA and OFDMA

BER performence between SC-FDMA and OFDMA

CFO and TO Comparison between SC-FDMA and OFDMA

· Both spread narrow-band data into broader band

They achieve processing gain or spreading gain from spreading

They both maintain low PAPR because of the single carrier transmission

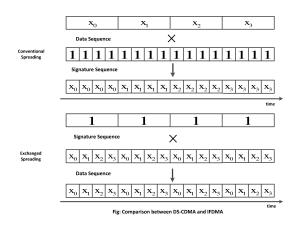
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 $^{\bullet}$ Exchanging the roles of spreading sequence and data sequence, DS-CDMA = IFDMA

Conventional Spreading VS Exchanged Spreading



 PAPR Comparison in different subcarrier mapping schemes and distinct modulation techniques

- PAPR Comparison in different subcarrier mapping schemes and distinct modulation techniques
- PAPR Comparison in different roll-off factors

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Channel Bandwidth	5MHz
Sampling Rate	5 mega-samples per second
Data Modulation format	QPSK&16QAM
Pulse shaping	Yes
Roll-off factor	1
Transmitter IFFT Size	512
Subcarrier Spacing	9.765625 kHz(=5 MHz/512)
SC-FDMA Input Block Size	16 symbols
SC-FDMA Input FFT Size	16
Bandwidth Spreading Factor	32 (=512/16)
Filter Type	Raised-cosine Filter

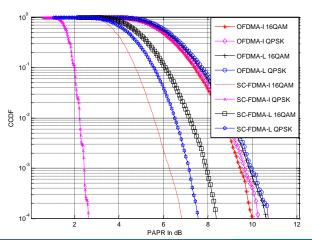
Different Subcarrier Mapping and Distinct Modulation Techniques

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SC-FDMA VS OFDMA, Localized VS Interleaved, 16QAM VS OFDMA

Different Subcarrier Mapping and Distinct Modulation Techniques

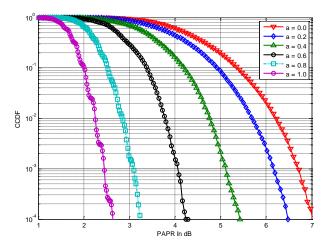
 SC-FDMA VS OFDMA, Localized VS Interleaved, 16QAM VS OFDMA CCDF is complementary cumulative distribution function



Different Roll-off Factor

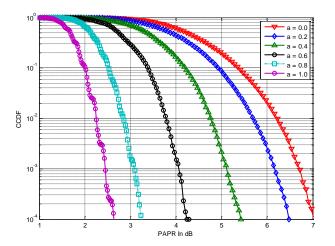
Different Roll-off Factor

Different roll-off factor in interleaved subcarrer mapping



Different Roll-off Factor

Different roll-off factor in interleaved subcarrer mapping



Pulse shaping significantly influences PAPR only in IFDMA

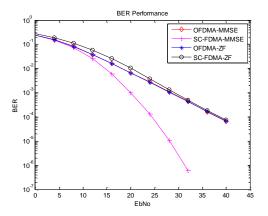
BER simulation parameters

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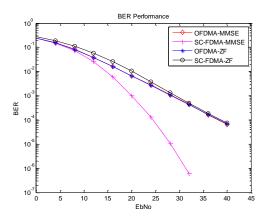
Channel Bandwidth	5 MHz
Sampling rate	5 mega-samples per second
Data modulation format	QPSK
Pulse shaping	None
Cyclic prefix	20 samples(4 μs)
Transmitter IFFT size	512
Subcarrier spacing	9.765625 kHz(=5 MHz/512)
SC-FDMA input block size	16 symbols
Subcarrier mapping	Interleaved
Channel estimation	Perfect
Equalization	Zero forcing or minimum mean square error(MMSE)
Channel coding	None
Detection	Hard decision
Number of iteration	10^6

BER simulation performance (SC-FDMA VS OFDMA)

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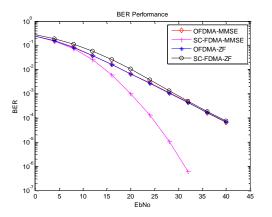
BER simulation performance (SC-FDMA VS OFDMA)



OFDMA -two curves coincide strictly

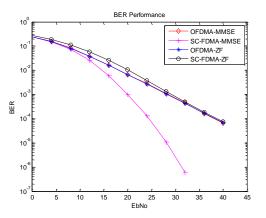
$$R = Fhx + Fn \Rightarrow R = (FhF^{-1})Fx + N \Rightarrow R = HX + N$$

BER simulation performance (SC-FDMA VS OFDMA)



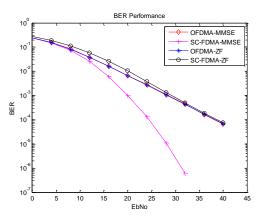
• OFDMA -two curves coincide strictly $\mathbf{ZF}\text{-}D = H^{-1}(HX+N) <====> \mathbf{MMSE} \ D = \Lambda^{-1}H^*(HX+N)$ where $\Lambda = diag(|H_1|^2 + \sigma^2,, |H_L|^2 + \sigma^2)$

BER simulation performance (SC-FDMA VS OFDMA)



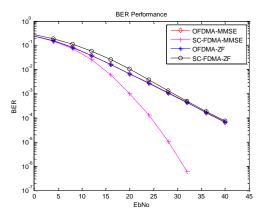
SC-FDMA with **ZF equalization** ====>Low SNR: noise dominates

BER simulation performance (SC-FDMA VS OFDMA)



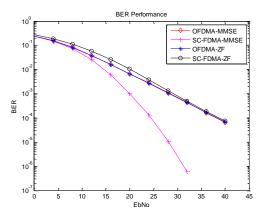
• SC-FDMA with **ZF equalization** ====>Low SNR: noise dominates ===> Deep fading enlarge the noise ===> May cause error burst The noise part after IDFT: $\sum_n e^{i\theta_n} \frac{N_n}{H_n}$

BER simulation performance (SC-FDMA VS OFDMA)



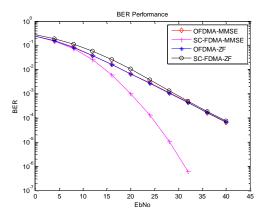
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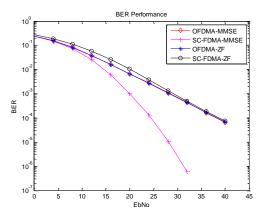
SC-FDMA with **ZF equalization** ====>High SNR: fading dominates
 ===> total influences are same

BER simulation performance (SC-FDMA VS OFDMA)



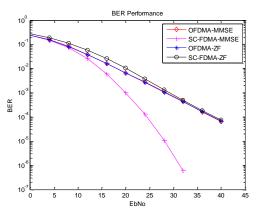
• SC-FDMA with **MMSE equalization** ====>Low SNR: noise dominates

BER simulation performance (SC-FDMA VS OFDMA)



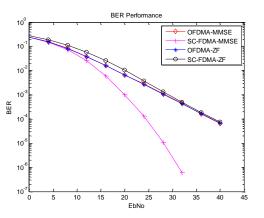
 SC-FDMA with MMSE equalization ====>Low SNR: noise dominates ===> Same performance between OFDMA and SC-FDMA

BER simulation performance (SC-FDMA VS OFDMA)



• SC-FDMA with **MMSE equalization** ====>High SNR: fading dominates

BER simulation performance (SC-FDMA VS OFDMA)



• SC-FDMA with **MMSE equalization** ====>High SNR: fading dominates ===> MMSE prevents noise enlargement ===> IDFT averages the noise The noise part after IDFT: $\sum_n e^{i\theta_n} \frac{H_n^* N_n}{|H_n|^2 + \sigma^2}$

· SC-FDMA with Carrier Frequency Offset - MMSE



· SC-FDMA with Carrier Frequency Offset - MMSE



SC-FDMA with Carrier Frequency Offset and Time Offset - MMSE



· SC-FDMA with Carrier Frequency Offset - MMSE



SC-FDMA with Carrier Frequency Offset and Time Offset - MMSE



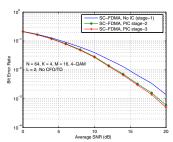


Fig. 2. BER performance of SC-FDMA without and with IC cancellation. N = 64, K = 4, M = 16, L = 2, 4-QAM, No CFO and TO. IC removes residual interference and improves performance.

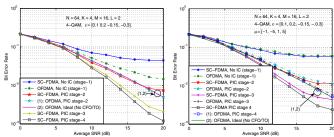


Fig. 3. Comparison of BER performance between SC-FDMA and OFDMA with CFO. $V_0 = 64$, K = 4, M = 16, AQAM, L = 2, e = [0.1, 0.2, -0.15, -0.3], No TO. User 1 is desired user. SC-FDMA (with out C) performs worse than OFDMA in the presence of CFO. With the proposed PIC, however, SC-FDMA recovers its frequency diversity advantage and outnerfroms OFDMA.

Fig. 4. Comparison of BER performance between SC-FDMA and OFDMA with CFO and TO. N=64. K=4. M=16. 4-QAM. L=2. $\epsilon=[0.1,0.2,-0.15,-0.3]$. $\mu=[-1,-5,1,5]$. User 1 is desired user. With the proposed PIC, SC-FDMA recovers its frequency diversity advantage and outperforms OFDMA.

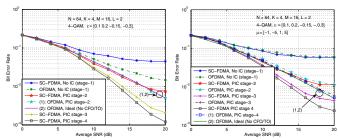


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Only CFO: Without Parallel Interference Canceler
 The BER in OFDMA is better than that in SC-FDMA

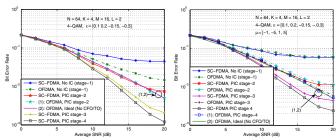


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 Only CFO: Without Parallel Interference Canceler SC-FDMA suffers more from CFO

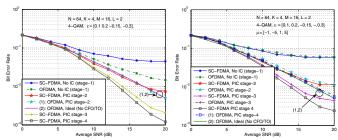


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Fig. 4. Comparison of BER performance between SC-FDMA and OFDMA with CFO and TO. N=64. K=4. M=16. 4-QAM. L=2. $\epsilon=[0.1,0.2,-0.15,-0.3]$. $\mu=[-1,-5,1,5]$. User 1 is desired user. With the proposed PIC, SC-FDMA recovers its frequency diversity advantage and outperforms OFDMA.

Only CFO: With Parallel Interference Canceler
 1st stage PIC makes OFDMA reach OFDMA's ideal performance.

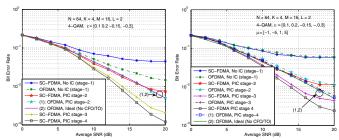


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Only CFO: With Parallel Interference Canceler
 1st stage PIC makes OFDMA reach OFDMA's ideal performance.
 SC-FDMA is better than OFDMA in BER performance in 3rd and 4th stage.

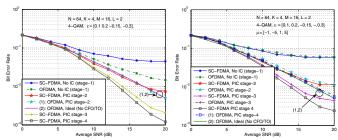


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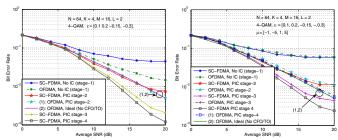


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 Only CFO and TO: Without Parallel Interference Canceler Same performance

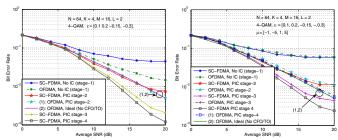


Fig. 3. Comparison of BER performance between SC-FDMA and OFFDMA with CFO. N = 64, K = 4, M = 16, 4 QAM, L = 2, $\epsilon = [0.1, 0.2, -0.15, -0.3]$. No TO. User l is desired user, SC-FDMA (without E) performs worse than OFDMA in the presence of CFO. With the proposed PIC, however, SC-FDMA recovers its frequency diversity advantage and cauperforms OFDMA.

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 Only CFO and TO: With Parallel Interference Canceler SC-FDMA has superiority over OFDMA with three or four stages of PIC

Outline

- Introduction to Principle of SC-FDMA System
 - 1. Structure of SC-FDMA
 - 2. Mathmatical Model
 - 3. Key techniques in the SC-FDMA

 Comparison SC-FDMA System to OFDMA System and DS-CDMA System

Summary, Conclusions and Thoughts

 SC-FDMA is an alternative technique for multiple access, which has similar structure and performance to OFDMA

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 Uncode SC-FDMA has better BER performance than OFDMA in MMSE due to frequency diversity

 SC-FDMA suffers more from CFO while PIC could restore the frequency diversity

Why could SC-FDMA be treated as single carrier, which has low PAPR?

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From Project Officer LuoSheng's opinion

Why could SC-FDMA be treated as single carrier, which has low PAPR?

From Project Officer LuoSheng's opinion

• From Dr. Nguyen's view

SC-FDMA is a pre-DFT OFDMA

SC-FDMA is a pre-DFT OFDMA

Is pre-DFT the most attractive and efficient pre-coding for OFDMA?

Reference

• Please feel free to e-mail liuyunxiang1991@gmail.com for a reference list.

Thanks to Prof.GUAN

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Thanks to Project Officer LuoSheng

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• Thanks to **Dr. Nguyen**

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Thanks to Project Officer LuoSheng

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Thanks to Audiences here!

Thanks

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