Method Complexity

"Divide and Conquer" is an oft touted strategy... Split complex code up into simple sub-routines (and sub-sub-routines)

Avoid massive, hard-to-understand methods
Particularly with complex loop & decision structures
These are very hard to understand (and to change)

Big improvements in understandability can be achieved by "farming out" code to suitable functions

"Farming Out" Example

Consider a function to check if two numbers are "close" (e.g. 1 and 2 are close, 1 and 8 are not)

A first attempt might look something like this:

```
int a = int(random(0, 10));
int b = int(random(0, 10));
System.out.println("Numbers are " + a + " and " + b);
if (((a>b)&&((a-b)<2)) || ((a<b)&&((b-a)<2)) || (a==b)) {
    System.out.println("They are close");
}
else System.out.println("They are NOT close");
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```

A better solution?

```
int a = int(random(0, 10));
  int b = int(random(0, 10));
  System.out.println("Numbers are " + a + " and " + b);
  if (differenceBetween(a, b) < 2) {</pre>
    System.out.println("They are close");
  else System.out.println("They are NOT close");
int differenceBetween(int a, int b)
  if (a>b) return a-b;
  else return b-a;
```

Measuring Method Complexity

To control something, we need to measure it (Otherwise we don't know if it is good or bad!)

Various different approaches are possible:

- Measuring the length of methods (in lines)
- Counting the number of parameters passed in
- Depth of nesting (number of levels of indentation)
- "Cyclomatic Complexity" is a popular measure...

Cyclomatic Complexity: Flow Graph

```
public static int binarySearch( int key, int[] sequence ) {
| \mathbf{n} |  int bottom = 0;
   int top = sequence.length - 1;
   int mid = 0;
   int keyPosition = -1;
                                                           11
   while( bottom <= top && keyPosition == -1 ) {
  \mathbf{4} mid = ( top + bottom ) / 2;
  f if( sequence[ mid ] == key ) {
    6 keyPosition = mid;
     else {
    f if( sequence[ mid ] < key ) {</pre>
      8 bottom = mid + 1;
                                                                              F
       else {
        9 top = mid - 1; 
                                                                                8
                                                                       6
  10 }
   return keyPosition;
```

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Calculating Cyclomatic Complexity

CC can be calculated from the flow graph:

$$CC = (E - N) + 2$$

Where E is the number of edges And N the number of nodes

Don't worry about too much about this! You won't be asked to calculate CC It's just presented here for illustration

The main message: CC is a measure of complexity!