Predictability-Aware Motion Prediction for Edge XR via High-Order Error-State Kalman Filtering

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Abstract

As 6G networks are developed and defined, offloading of XR applications is emerging as one of the strong new use cases. The reduced 6G latency coupled with edge processing infrastructure will for the first time provide a realistic offloading scenario in cellular networks where several computationally intensive functions, including rendering, can migrate from the user device and into the network. A key advantage of doing so is the lowering of the battery needs in the user devices and the possibility to design new devices with smaller form factors.

However, offloading introduces increased delays compared to local execution, primarily due to network transmission latency and queuing delays at edge servers, especially under multi-user concurrency. Despite the computational power of edge platforms, the resulting motion-to-photon (MTP) latency negatively impacts user experience. To mitigate this, motion prediction has been proposed to offset delays. Existing approaches build on either deep learning or Kalman filtering. Deep learning techniques face scalability limitations at the resource-constrained edge, as their computational expense intensifies with increasing user concurrency, while Kalman filtering suffers from poor handling of complex movements and fragility to packet loss inherent in 6G's high-frequency radio interfaces.

In this work, we introduce a context-aware error-state Kalman filter (ESKF) prediction framework, which forecasts the user's head motion trajectory to compensate for MTP latency in remote XR. By integrating a motion classifier that categorizes head motions based on their predictability, our algorithm demonstrates reduced prediction error across different motion classes. Our findings demonstrate that the optimized ESKF not only surpasses traditional Kalman filters in positional and orientational accuracy but also exhibits enhanced robustness and resilience to packet loss.

Keywords

Virtual reality, video streaming, six degrees of freedom (6DoF), edge computing, tracking, motion prediction

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1 Introduction

The convergence of 6G networks and cloud-based extended reality (here termed 'Remote XR' to distinguish from commercial implementations like CLOUDXR [12]) heralds a new era of immersive experiences, enabling high-fidelity rendering and computation offloading to overcome local hardware limitations. Local processing consumes considerable energy, leading to the need for large batteries in standalone XR headsets. Remote XR, by leveraging powerful edge or cloud servers, alleviates these constraints, enabling broader accessibility and a more sustainable approach to delivering immersive XR experiences. However, the shift to Remote XR introduces a new set of challenges, particularly in the realm of latency. The MTP latency, defined as the time taken from a user's head movement to the corresponding visual update on the display, is a critical factor in maintaining immersion and preventing cybersickness [18]. The MTP latency is influenced by various factors, including network latency, rendering time, and encoding time. As the demand for high-quality VR experiences continues to grow, the need for low-latency solutions becomes increasingly important. The challenge of MTP latency is particularly pronounced in applications that require rapid head movements, such as gaming and interactive simulations. In these scenarios, even a small delay can lead to significant degradation in user experience, resulting in discomfort and cybersickness.

Extensive studies of VR have been conducted to eliminate these problems, but most of the solutions are studied for local VR, such as time-warping. For remote VR, it has been shown that motion prediction algorithms can be leveraged to compensate for the delay [5] [4]. Researches have been conducted on 360-degree videos in adaptive streaming, while the prediction algorithm was designed for choosing which tiles to include in the field of view [1] [14] [2]. The accuracy of such a type of task can be lower since the predicted position is used for choosing part of a stored video file. For applications such as gaming and First Person View (FPV) drone streaming, the prediction problem becomes more challenging, where the user experience becomes the key that determines whether Remote VR can achieve widespread public adoption. The primary challenge stems from two factors. First, in Remote VR, predicted poses are used directly by the renderer to generate images for the current viewport, demanding higher prediction accuracy than traditional streaming applications. Second, users typically exhibit more rapid and dynamic head movements during interactive VR experiences, such as gaming, compared to passive activities such as watching 360-degree videos.

The existing motion prediction algorithms can be broadly categorized into two groups: filter-based and learning-based methods. Filter-based methods, such as Kalman filter (KF) [4], are computationally efficient and can provide accurate predictions in real-time applications. However, KF often relies on linear motion models [9], which may not accurately capture the complex and non-linear head movements typical in gaming and interactive simulations. Learning-based methods, particularly those relying on deep learning models like LSTMs, have shown good accuracy in pose prediction tasks [7]. However, these methods are computationally intensive, making them less suitable for real-time applications in resource-constrained environments at the edge.

Despite the existence of extensive research, as mentioned in the related work section of [4], on pose prediction for compensating MTP latency, three important research gaps remain underexplored. First, the influence of different head motion patterns—especially abrupt, irregular, or highly dynamic movements typical in interactive VR applications—on prediction accuracy has not been systematically analyzed. Second, the robustness of prediction algorithms under real-world network conditions, such as packet loss, is insufficiently addressed, even though these factors can significantly degrade system performance. Third, most state-of-the-art deep learning-based methods trade accuracy for higher computational resource usage (e.g., GPUs), limiting their scalability and practical deployment on resource-constrained edge platforms.

To address these challenges, we propose a predictability-aware prediction framework that incorporates a motion classifier to demonstrate improvements in both prediction accuracy and robustness to packet loss. Experimental results show that the high-order ESKF outperforms existing motion prediction algorithms in terms of both accuracy and robustness, providing a more effective solution for addressing the challenges of MTP latency in EdgeVR applications. Crucially, the optimized ESKF operates without the need for specialized hardware such as GPUs, making it deployable on cost-sensitive edge platforms.

The remainder of this paper is organized as follows: Section 2 reviews related work, Section 3 describes the proposed methodology and predictor design, Section 4 presents experimental results and evaluation, Section 5 discusses our findings and broader implications, and finally, Section 6 concludes the paper.

2 Related Work

2.1 Warping-Based Compensation

Asynchronous Timewarping (ATW) is a technique designed to mitigate the effects of MTP latency in Virtual Reality (VR) systems. It works by reprojecting the last rendered frame based on the most recent head pose data, effectively reducing perceived latency. This is achieved by warping the frame to align with updated head orientation information, ensuring that the displayed image remains consistent with the user's current viewpoint. [11] Pose prediction, which proactively estimates future head poses (6-DOF position and orientation) based on motion sensor data and kinematic models (e.g., Kalman filters [4] or deep learning [15] [5] [7]), serves as the

foundational pillar for latency reduction in VR systems. By generating motion state from predicted poses, it enables early rendering of frames that approximate the user's future viewpoint, thereby shifting computational burden upstream and significantly compressing the end-to-end Motion-to-Photon (MTP) latency pipeline. In contrast, ATW operates reactively: it reprojects existing frames using the latest pose data to mitigate latency artifacts after rendering. While basic ATW implementations correct only rotational discrepancies (OTW), advanced variants like Positional Timewarp (PTW) further address translational errors by leveraging depth buffers. [13] Crucially, both ATW and PTW depends on pose prediction to provide the initial frame for reprojection. Their role is complementary-they act as safety nets for residual latency but cannot compensate for errors beyond the scope of the rendered content or in dynamic scenes. For applications such as collaborative VR that enable geographically separated users to interact in a shared virtual space, pose prediction enhances realism and reduces perceptual delay, which is critical for maintaining a sense of presence and immersion. This is particularly important in applications where rapid head movements and interactions are common. Therefore, for a comprehensive and reliable MTP latency compensation strategy, pose prediction must operate in tandem with ATM to ensure that both rotational and translational errors are effectively addressed.

2.2 Pose prediction for RemoteXR

To address motion extrapolation in latency-constrained RemoteXR environments, recent studies advocate LSTM-driven pose prediction frameworks, demonstrating efficacy in reducing end-to-end latency while maintaining prediction accuracy [5] [4]. A key limitation of this method is its reliance on GPU-intensive deep learning models, making it less efficient for real-time applications compared to lightweight, filter-based prediction methods that offer faster, more predictable performance with lower computational overhead. In contrast, the filter-based method [4] is computationally lightweight and can operate efficiently on CPUs, making them more energy-efficient and practical for real-world applications. Therefore, in this work, we focus on improving filter-based methods, specifically the Kalman filter (KF), to enhance their performance in latency-sensitive remote XR applications.

[4] proposed a KF-based approach for motion prediction and compared the accuracy of prediction against different horizons. This information reveals how much latency can be tolerated by users when applications are offloaded remotely, which is crucial for researchers to design systems that balance computational offloading with user experience, ensuring that the latency introduced by remote processing does not degrade the quality of user interaction in VR environments.

While prior work has advanced motion prediction, significant challenges persist in modelling complex motion patterns under network uncertainties. The Kalman Filter (KF)-based method [4] relies on linear motion models that fail to capture the highly dynamic, nonlinear head movements typical in interactive applications, resulting in accuracy degradation during rapid motions that are hard to predict. Furthermore, [4] models angular velocity using first-order quaternion derivatives in state updates. Though computationally efficient, integrating these derivatives employs additive operations

in vector space, violating the multiplicative nature of the SO(3) rotation group [17]. This fundamental mismatch causes errors in quaternion composition to accumulate over time, inducing drift that necessitates frequent ad hoc normalization. Such drift compromises prediction accuracy and undermines long-term rotational consistency.

To address these limitations, this work models orientation updates using Lie algebra in SO(3)'s tangent space. Unlike quaternion-based integration, this framework encodes incremental rotations as minimal perturbations in so(3), then maps them to SO(3) via the exponential map [17]. This ensures all operations respect SO(3)'s manifold constraints, eliminating normalization drift. Crucially, intermediate conversion of quaternions to rotation matrices enables rigorous SO(3) operations while avoiding singularities and drift inherent in direct quaternion differentiation. The rotation matrix acts as a faithful embedding of SO(3), guaranteeing unambiguous orientation propagation, particularly vital for large rotations where linearized quaternion updates fail geometrically.

The proposed ESKF framework is designed to be lightweight and computationally efficient, making it suitable for deployment on edge servers and other resource-constrained environments. By leveraging the ESKF framework, we can achieve motion prediction with higher accuracy without the need for specialized hardware like GPUs, making it a practical solution for real-time applications in VR environments.

2.3 Context-aware Predictability

Wu et al. [19] point out that LSTM-based approaches face difficulties when dealing with motion trajectories that contain abrupt or irregular user actions. In such cases, the unpredictability and short duration of these movements often exceed the temporal modelling capabilities of LSTM networks, resulting in higher prediction errors for complex motion patterns. To design a more robust predictor, we adopt entropy as a means to categorize motion patterns and systematically assess prediction accuracy for different motion patterns. This approach allows our framework to identify and differentiate between segments with varying levels of predictability, supporting more effective evaluation of prediction methods in VR contexts.

Recent work by Rossi et al. [16] has demonstrated a strong correlation between the entropy of user trajectories and the predictability of their motion in VR environments. Specifically, users exhibiting highly regular navigation patterns tend to have lower trajectory entropy, resulting in more predictable movements, while those with higher entropy display less predictable behavior. By quantifying the entropy of each motion segment using the Lempel-Ziv compression-based estimator proposed in [16], our classifier categorizes motion into distinct predictability classes.

3 Methodology

3.1 Predictor Design

The following Algorithm 1 shows the general predictor design.

```
Algorithm 1 Predictability-Aware ESKF Motion Prediction
```

```
1: Input: Pose measurements from OpenXR \mathbf{z}_k (position \mathbf{p}_0, ori-
              entation q_0), time step \Delta t,
              Output: Updated state \hat{\mathbf{x}}_{k|k}, covariance \mathbf{P}_{k|k}
  4: Step 1 - Initialization
   5: Set \mathbf{x}_0, \delta \mathbf{x}_0 = \mathbf{0}, \mathbf{P}_0 = \mathbf{I}, \mathbf{Q} = \mathbf{I}
  7: Step 2 - Motion Classification
             for each chunk i in the pose data do
                                       Compute entropy of head motion: H_k \leftarrow \text{Entropy}(\mathbf{z}_k)
                                       Classify motion based on entropy: C_k \leftarrow \text{Classify}(H_k)
10:
                         Step 3 - Apply low pass filter to each incoming pose
11:
                         Step 4 - ESKF Prediction and Correction
12
                          for each filtered pose data at time step k in chunk i do
13:
                                     Step 4a - Prediction
14:
                                     Reset error state: \delta \hat{\mathbf{x}}_{k|k-1} \leftarrow \mathbf{0}
15:
                                     for k + N horizon do
16:
                                               Predict nominal state:
17:
                                                           \begin{aligned} \mathbf{p}_{k} &\leftarrow \mathbf{p}_{k-1} + v_{k-1} \Delta t + \frac{1}{2} \dot{v}_{k-1} \Delta t^{2} + \frac{1}{6} \ddot{v}_{k-1} \Delta t^{3} \\ v_{k} &\leftarrow v_{k-1} + \dot{v}_{k-1} \Delta t + \frac{1}{2} \ddot{v}_{k-1} \Delta t^{2} \\ \dot{v}_{k} &\leftarrow \dot{v}_{k-1} + \ddot{v}_{k-1} \Delta t \end{aligned}
18
19:
20:
                                                             \ddot{v}_k \leftarrow \ddot{v}_{k-1}
21:
                                                           \mathbf{q}_k \leftarrow \mathbf{q}_{k-1} \otimes \exp\left(\omega_{k-1} \frac{\Delta t}{2}\right)
22:
                                                          \omega_{k} \leftarrow \omega_{k-1} + \dot{\omega}_{k-1} \Delta t + \frac{1}{2} \ddot{\omega}_{k-1} \Delta t^{2}
\dot{\omega}_{k} \leftarrow \dot{\omega}_{k-1} + \ddot{\omega}_{k-1} \Delta t
\ddot{\omega}_{k} \leftarrow \ddot{\omega}_{k-1}
23:
24:
25:
                                               Assemble predicted state:
26:
                                                              \hat{\mathbf{x}}_{k|k-1} \leftarrow [\mathbf{p}_k, \mathbf{v}_k, \mathbf{v}_k, \mathbf{v}_k, \mathbf{q}_k, \boldsymbol{\omega}_k, \dot{\boldsymbol{\omega}}_k, \ddot{\boldsymbol{\omega}}_k]^T
27:
28:
29:
                                     Compute error states transition matrix:
30:
                                                   \mathbf{F}_k \leftarrow \text{computeErrorStatesTransitionMatrix}(\Delta t)
                                     Update error covariance matrix:
31:
                                                  \mathbf{P}_{k|k-1} \leftarrow \mathbf{F}_k \mathbf{P}_{k-1} \mathbf{F}_k^T + \mathbf{Q}
32
                                     Generate a random number r uniformly in [0, 1]
33
                                     if r > target drop rate then
34:
                                               Step 4b - Correction
35:
                                               Compute measurement Jacobian:
36:
                                              Compute measurement Jacobian: \mathbf{H}_k \leftarrow \begin{bmatrix} \mathbf{I}_{3\times3} & \mathbf{0} & \cdots \\ \mathbf{0} & \cdots & -\mathbf{J}_r^{-1}(\mathbf{R}(\boldsymbol{\theta}_k)) & \cdots \end{bmatrix} Compute innovation covariance: \mathbf{S}_k \leftarrow \mathbf{H}_k \mathbf{P}_{k|k-1} \mathbf{H}_k^T + \mathbf{I}_k \mathbf{F}_k \mathbf{F}_{k|k-1} \mathbf{H}_k^T + \mathbf{I}_k \mathbf{F}_k \mathbf{F}_{k|k-1} \mathbf{H}_k \mathbf{F}_k \mathbf{F}_{k|k-1} \mathbf{H}_k^T \mathbf{F}_k \mathbf{F}_{k|k-1} \mathbf{H}_k \mathbf{F}_k \mathbf{F}_{k|k-1} \mathbf{F}_k \mathbf{F}_k \mathbf{F}_k \mathbf{F}_{k|k-1} \mathbf{F}_k \mathbf{F}_k \mathbf{F}_{k|k-1} \mathbf{F}_k \mathbf{F}_k \mathbf{F}_k \mathbf{F}_{k|k-1} \mathbf{F}_k \mathbf
37:
38:
                                               Compute Kalman gain: \mathbf{K}_k \leftarrow \mathbf{P}_{k|k-1}\mathbf{H}_k^T\mathbf{S}_k^{-1}
Compute innovation: \mathbf{y}_k \leftarrow \mathbf{z}_k - h(\hat{\mathbf{x}}_{k|k-1})
39:
                                               Update error state: \delta \hat{\mathbf{x}}_k \leftarrow \mathbf{K}_k \mathbf{y}_k
41:
                                               Composite both nominal state and error state to get
42:
                                               true state: \hat{\mathbf{x}}_{k|k} \leftarrow \hat{\mathbf{x}}_{k|k-1} + \delta \hat{\mathbf{x}}_k
Update covariance: \mathbf{P}_{k|k} \leftarrow (\mathbf{I} - \mathbf{K}_k \mathbf{H}_k) \mathbf{P}_{k|k-1}
43:
                                     end if
44:
                         end for
45
46: end for
```

In our system, the model operates directly on pose data (position and orientation) provided by the OpenXR runtime, which fuses inertial and visual sensor inputs to generate render-ready pose estimates, which are available at the uplink of the streaming pipeline. This approach is chosen to enhance robustness in scenarios where IMU data may not be reliably received and to reduce bandwidth requirements, as transmitting all IMU data can be costly and prone to loss during network transmission. The position and orientation data are provided by the OpenXR runtime, which translates IMU data to poses that can be used directly by the rendering engine.

Following the standard ESKF formulation [17], we model the true user motion state as the sum of a nominal state (obtained from OpenXR pose data) and an error state that captures model uncertainties and sensor noise, as demonstrated in Algorithm 1. Our system dynamics are derived based on this ESKF framework, where the nominal state evolves according to deterministic kinematics, and the error state accounts for stochastic disturbances and modeling imperfections. Since this work mainly focuses on comparing the performance of predictors for system dynamics, the process noise covariance is defined as an identity matrix. The algorithm integrates a motion classifier that categorizes head motions based on their predictability, which is used to evaluate the robustness of predictors under different levels of predictability. The system state equations include up to third derivatives (jerk) for both position and orientation, enabling the state vector to capture higher-order motion dynamics. By modelling up to the third derivative for both position and orientation and propagating this model for prediction, we essentially assume that jerk stays constant across the prediction horizon. However, in our recorded dataset, both positional and angular jerk are highly dynamic and unpredictable. Hence, in experiments, we systematically vary the order of included derivatives to assess their impact on prediction accuracy. This allows us to evaluate how higher-order modelling improves robustness, especially during motions with hard predictability, as detailed in the Experimental section.

4 Experiments

4.1 Experimental Setup

All variations of KF-based predictors are implemented in Python and run on an Apple M1 chip (8-core CPU, 16 GB RAM). Motion data were sampled at 100 Hz and collected from an Oculus Quest 3 HMD using the open-source remote streaming framework ALVR, which provides head and controller position and orientation via the OpenXR runtime.

In our experiments, we set the prediction horizon to less than 100 ms, consistent with prior work [7]. This choice reflects the latency requirements of current open-source and commercial remote VR systems, where maintaining motion-to-photon latency below 100 ms is critical for a seamless user experience. Li et al. [10] further report that, while round-trip latencies up to 90 ms have limited impact on user experience, factors such as bandwidth constraints (as low as 35 Mbps) and high packet loss rates (up to 8%) can significantly degrade performance. Therefore, our evaluation focuses on prediction horizons that are representative of practical remote VR deployments.

A butterworth filter with a cutoff frequency of 5 Hz was applied to the data to remove high-frequency noise in real-time before sending it to the predictor module for prediction. This choice of cutoff

frequency is based on physiological studies, which indicate that the predominant frequency of head rotation typically ranges up to 5 Hz during natural movements. Frequencies above this threshold are likely to represent noise rather than intentional motion, as supported by prior research [3]. By filtering out these higher frequencies, the Butterworth filter ensures that the predictor operates on clean and meaningful motion data, enhancing the accuracy of the prediction framework.

After the filtering process, pose data are divided into chunks, each of which is passed to a motion classifier that classifies the motion into three classes indicating the predictability of the motion chunk. The classifier computes the entropy of the motion data and classifies the motion based on the entropy value. The actual entropy of a user's trajectory is estimated using the Lempel-Ziv compression algorithm, as described in [16]. Let $\mathbf{X} = [x_1, x_2, \ldots, x_T]$ represent a trajectory of positional points in a discretized space. For a sub-sequence $\mathbf{L}_t = [x_t, x_{t+1}, \ldots, x_{t+\lambda_t-1}]$ starting at time t and spanning λ_t time slots, the entropy is computed as

$$H(\mathbf{X}) = \frac{1}{T} \sum_{t=1}^{T} \log_2 \left(\frac{T}{\lambda_t} \right), \tag{1}$$

where λ_t is the length of the shortest sub-sequence starting at t that does not appear earlier in the trajectory. This entropy measure quantifies the regularity and predictability of the user's motion. We use this entropy equation to classify each chunk of motion into three categories: low entropy (high predictability), medium entropy, and high entropy (low predictability). Our results confirm a consistent correlation between the entropy of VR trajectories and their prediction error. Motions with highly regular navigation styles exhibit low entropy, indicating greater predictability, while those with high entropy demonstrate less predictable movements. This correlation underscores the effectiveness of our entropy-based classification approach in capturing the inherent predictability of user motion patterns.

4.2 Evaluation Metric

The performance of the proposed PsudoESKF method and the baseline methods (KF and ESKF) is evaluated using the following metrics:

• **Position Error**: The position error is computed as the Euclidean norm between the predicted and ground-truth position vectors at each time step. Formally, for a sequence of *x* predictions, the position error at time step *i* is given by:

$$e_i^{(\text{pos})} = \left\| \mathbf{p}_i^{(\text{pred})} - \mathbf{p}_i^{(\text{true})} \right\|_2$$

where $\mathbf{p}_i^{(\text{pred})}$ and $\mathbf{p}_i^{(\text{true})}$ denote the predicted and actual position vectors at time step i, respectively. The overall position error can be reported as the mean or median of $\{e_i^{(\text{pos})}\}_{i=1}^x$.

• Orientation Error: The orientation error is measured as the geodesic (angular) distance between the predicted and ground-truth orientations, represented as unit quaternions. This metric operates directly on the rotation group, ensuring results are independent of the chosen reference frame (bi-invariant) and free from singularities. This is critical for head motion prediction in XR, where the orientation of the head

can be measured relative to different reference frames (e.g., global coordinates, camera view, or body-centred frames). The error is computed using the angular metric on the 3-sphere (S^3):

Orientation Error = min
$$\left(\left\| \log \left(\boldsymbol{q}_{\mathrm{pred}} \boldsymbol{q}_{\mathrm{true}}^{-1} \right) \right\|,$$

$$2\pi - \left\| \log \left(\boldsymbol{q}_{\mathrm{pred}} \boldsymbol{q}_{\mathrm{true}}^{-1} \right) \right\| \right)$$

where q_{pred} and q_{true} are the predicted and ground-truth orientation quaternions, and $\log(\cdot)$ is the logarithmic map from S^3 to its tangent space. This metric gives the minimal angular displacement required to align the predicted orientation with the ground truth, providing stable and reference-frame-invariant error measurements [6].

 Prediction Horizon: The prediction horizon is the time interval over which the prediction is made. It is measured in milliseconds and is defined as the time difference between the predicted motion and the actual motion. It is computed as:

Prediction Horizon =
$$t_{pred} - t_{true}$$

where t_{pred} is the time of the predicted motion and t_{true} is the time of the actual motion.

The position and orientation errors are computed for each time step in the prediction horizon, and the average errors are reported for each method. The latency is computed as the time difference between the predicted and actual motions, and the prediction horizon is defined as the time interval over which the prediction is made. The entropy is computed as the average uncertainty of the predicted motion over the prediction horizon. The performance of the proposed PsudoESKF method is compared with the baseline methods (KF and ESKF) using these metrics to evaluate the effectiveness of the proposed method. The results are presented in the following sections, including comparisons of position and orientation errors, latency, prediction horizon, and entropy for different motion patterns.

4.3 Filter Comparison

To rigorously assess the effectiveness of the proposed PsudoESKF framework, we conduct a comparative evaluation against the baseline KF and ESKF methods. The analysis focuses on key performance metrics, including position and orientation prediction errors. Results are recorded across different motion predictability classes, enabling a comparison of each method's accuracy and robustness under varying motion dynamics.

For all filters, the process noise covariance matrix Q_k and measurement noise covariance matrix R_k are set to identity matrices scaled by 1. Q_k models system process uncertainty, while R_k models sensor measurement noise. Both are assumed Gaussian, zero-mean, and independent across state variables. This standardization ensures a fair comparison of predictor performance, isolating the effect of model structure from noise parameter tuning. Since noise characteristics vary by device and environment, we fix these values to focus solely on model differences.

- Kalman Filter (KF): KF is implemented the same way as in [4], a linear filter that models the system and measurement processes

as linear and only includes velocity and angular velocity in its state representation.

- ESKF: The general design of ESKF based predictor is included in section 3.2. It is a nonlinear filter that uses the error state to correct the predicted state. The true state is represented as a linear combination of the predicted state and the error state. In our experiments, the process model for the ESKF includes only velocity and angular velocity in the state vector; position and orientation are updated based on these quantities.

- PsudoESKF: The proposed PsudoESKF method extends the ESKF by estimating the derivatives of position (e.g., velocity, acceleration) and orientation (e.g. angular velocity and acceleration) from the pose data alone, rather than relying on direct measurement of these derivatives from the IMU. These estimates, referred to as pseudo-measurements, enable the filter to operate effectively when only position and orientation are available. The PsudoESKF method uses the same process noise covariance matrix Q_k and measurement noise covariance matrix R_k as the ESKF,

Three variants of the PsudoESKF method (p2o2,p2o3,p3o3) are evaluated, distinguished by the order of derivatives incorporated into the state vector for position and orientation. The notation "p2o3" and "p3o3" denotes the inclusion of up to the second or third derivative for position or orientation, respectively. For instance, the p3o3PsudoESKF includes position, velocity, and acceleration for position and includes quaternion, angular velocity, and angular acceleration for orientation. This systematic ablation study enables assessment of the impact of higher-order motion dynamics on prediction accuracy.

The choice of derivative order in the state vector fundamentally influences prediction accuracy because it determines how well the model can represent the underlying motion dynamics. Including higher-order derivatives such as acceleration and jerk for position, or angular acceleration and angular jerk for orientation, enables the filter to account for rapid changes and non-linearities in user movement. For example, if only velocity is modeled, the filter assumes constant velocity between updates, which fails to capture sudden accelerations or decelerations, leading to lag or overshoot in predictions. By incorporating acceleration and higher derivatives, the model can anticipate and adapt to these changes, resulting in more accurate and responsive predictions. This effect is especially pronounced for orientation, where higher-order derivatives allow the filter to better track abrupt rotational changes, such as quick head turns, which are very common in VR gaming.

Moreover, the order of derivatives directly determines the integration method used for propagating orientation: higher-order models can use more accurate integration methods, reducing numerical errors and drift over longer prediction horizons. In our experiments, we compare the performance of the p2o2 and p2o3 PsudoESKF methods to evaluate the impact of these higher-order derivatives on prediction accuracy. The p2o2 PsudoESKF uses a second-order integration method denoted as Zed12, while the p2o3 PsudoESKF employs a third-order method denoted as Zed23 for orientation propagation.

The Zed12 and Zed23 methods are numerical integration schemes for evaluating rotational quaternions from angular velocities, based on the 'zed' mapping, a truncated power series designed to preserve quaternion norm and improve computational efficiency over the standard exponential map [20]. The notation is as follows: ω_0 is the angular velocity at the start of the interval, ω_1 is the angular acceleration, ω_2 is the angular jerk, h is the integration time step, and $[\omega_0, \omega_1]$ denotes the commutator, defined as $[\omega_0, \omega_1] = \omega_0 \times \omega_1$. Zed12 is a second-order method that uses a first-degree polynomial approximation of angular velocity, defined as

$$Zed12 = zed\left(\omega_0 h + \frac{\omega_1 h^2}{2}\right). \tag{2}$$

In contrast, Zed23 is a third-order method employing a seconddegree approximation, defined as

Zed23 = zed
$$\left(\omega_0 h + \frac{\omega_1 h^2}{2} + \frac{\omega_2 h^3}{3} + \frac{[\omega_0, \omega_1] h^3}{12}\right)$$
. (3)

where the commutator term $[\omega_0, \omega_1] = \omega_0 \times \omega_1$ captures the interaction between angular velocity and angular acceleration when integrating rotations [20].

The primary distinction is that Zed12 achieves second-order accuracy with a linear approximation, while Zed23 attains third-order accuracy by incorporating higher-order terms and the commutator. The 'zed' mapping methods offer a favorable balance between computational efficiency and integration accuracy [20], making them well-suited for real-time applications on resource-constrained edge servers. For these reasons, we adopt this approach in our framework to ensure both robust prediction performance and practical deployability.

4.4 Results

4.4.1 Phase Lag and Overshoot. Figure 1 presents a comparative analysis of predicted and ground-truth position and orientation trajectories for a representative easy motion segment. The results demonstrate that both variants of the proposed PsudoESKF method (p2o2 and p2o3) achieve close alignment with the ground truth, exhibiting minimal phase lag. In contrast, the baseline methods—Kalman Filter (KF) and ESKF display a noticeable phase shift, with predicted trajectories consistently lagging behind the ground truth, particularly for the KF. This lag is attributable to the KF's reliance on a linear motion model, which is insufficient for capturing the non-linear and higher-order dynamics inherent in head motion.

The ESKF partially mitigates this lag by modelling nonlinearities in the orientation update, yet still exhibits a phase shift due to its limited state representation. Both PsudoESKF variants further reduce this phase lag by explicitly incorporating higher-order derivatives (acceleration and jerk) into the state vector, enabling more accurate modelling of rapid changes in user motion. Notably, the p2o3 and p2o3 PseudoESKF, which includes up to the third derivative (jerk) for orientation, demonstrates superior tracking fidelity, with predicted trajectories closely matching the ground truth and exhibiting reduced overshoot compared to the p2o2 variant.

Despite the improvements achieved by the proposed PsudoESKF, it is important to note a considerable amount of prediction error due to prediction overshoot, particularly for hard motion patterns. These errors are most pronounced in orientation, where rapid rotational changes challenge even advanced predictive models. However, in practice, additional compensation techniques—most notably ATW—can be employed to further mitigate the perceptual impact

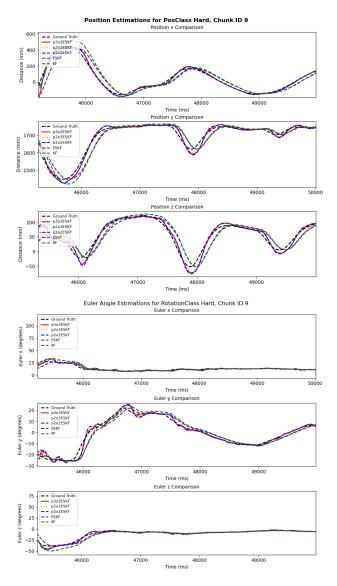


Figure 1: Predicted and ground-truth trajectories of position for x,y,z axes in millimeters (top) and orientation for Euler angles in degrees (bottom) for a hard motion segment sample.

of orientation errors. ATW operates by re-projecting the most recently rendered frame according to the latest predicted head pose, effectively correcting for small to moderate orientation discrepancies that arise due to prediction inaccuracies or system latency. This synergy between predictive filtering and time warping has been shown to substantially reduce motion-to-photon latency and improve visual consistency, especially in scenarios with unpredictable head motion.

4.4.2 Position and Orientation Errors. Figure 2 depicts the position and orientation errors for hard motion patterns across all methods. The results indicate that the PsudoESKF variants (p2o2, p2o3, and p3o3) consistently outperform the baseline methods (KF and ESKF)

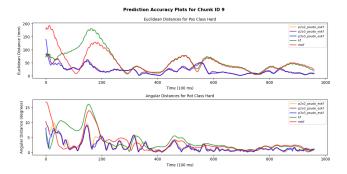


Figure 2: Position and Orientation Errors for hard motion patterns

in terms of both position and orientation errors, with the p3o3 variant achieving the lowest errors among all. The KF exhibits the highest position errors, followed by the ESKF, which, while better than the KF, still lags behind the PsudoESKF methods. The position errors for the PsudoESKF methods are significantly lower, indicating that the incorporation of higher-order derivatives in the state vector leads to more accurate predictions of user motion.

Table 1: Summary statistics for pose prediction with KF, ESKF, and PsudoESKF variants for different head motion patterns. Horizon = 100 ms.

Model	Motion Class (Pos, Rot)	Position (mm)		Orientation (deg)	
		Median	Mean	Median	Mean
KF	(Easy, Easy)	2.061	2.749	0.973	1.177
	(Medium, Medium)	7.120	7.710	1.540	1.943
	(Hard, Hard)	38.645	54.096	2.283	3.394
ESKF	(Easy, Easy)	1.943	2.901	0.495	1.203
	(Medium, Medium)	6.768	7.303	1.024	1.555
	(Hard, Hard)	35.693	43.803	2.057	2.725
p2o2 PsudoESKF	(Easy, Easy)	1.011	1.550	0.441	0.831
	(Medium, Medium)	4.162	5.390	1.071	1.669
	(Hard, Hard)	16.150	19.286	1.300	1.902
p2o3 PsudoESKF	(Easy, Easy)	1.011	1.550	0.427	0.754
	(Medium, Medium)	4.162	5.390	0.937	1.415
	(Hard, Hard)	16.150	19.286	1.186	1.683
p3o3 PsudoESKF	(Easy, Easy)	0.938	1.371	0.424	0.754
	(Medium, Medium)	3.787	4.589	0.935	1.412
	(Hard, Hard)	15.469	17.781	1.172	1.711

4.4.3 Different Motion Patterns. Table 1 presents an evaluation of the proposed PsudoESKF method in comparison with baseline approaches (KF and ESKF) across different motion pattern classes. Performance is assessed using both median and mean values of position and orientation prediction errors for each motion class. The results demonstrate that the PsudoESKF method consistently outperforms the standard Kalman Filter (KF) and achieves comparable or superior performance to the ESKF, particularly in scenarios involving rapid or unpredictable user movements.

Notably, the p3o3 variant of PsudoESKF, which incorporates higher-order derivatives in the state vector, yields the lowest position and orientation errors across all motion classes. This finding underscores the importance of modeling higher-order motion dynamics for accurate prediction, especially under challenging motion conditions. The systematic reduction in prediction errors observed when increasing the order of derivatives from p2o2 to p3o3 highlights the enhanced capability of the filter to capture complex, non-linear user motion.

Importantly, the PsudoESKF framework is designed to operate using only pose data, obviating the need for direct access to raw sensor measurements such as IMU data. This approach reduces bandwidth requirements for data transmission and simplifies system integration, making it particularly advantageous for edge-based VR systems where sensor access may be constrained or subject to network-induced delays. By estimating the necessary motion derivatives locally, the PsudoESKF method maintains temporal consistency and prediction accuracy even in the presence of packet loss or network jitter, thereby providing a robust and efficient solution for real-time motion prediction in latency-sensitive VR environments.

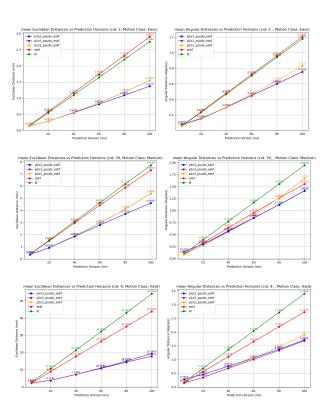


Figure 3: Prediction error (mean) across different prediction horizons for (top) easy, (middle) medium, and (bottom) hard motion classes.

4.4.4 Different prediction horizon. Figure 3 presents a detailed comparison of the prediction performance of the proposed PsudoESKF method against the baseline KF and ESKF across varying prediction horizons and motion pattern classes. The evaluation metrics include both the mean and median of position and orientation prediction errors, computed for each prediction horizon.

The results demonstrate that the PsudoESKF method consistently achieves lower prediction errors than both baseline methods, with the performance gap widening as the prediction horizon increases. This trend is particularly pronounced in the easy motion class, where PsudoESKF maintains minimal error growth even at longer horizons, indicating superior temporal stability and predictive accuracy. In contrast, both KF and ESKF exhibit a more rapid increase in error, reflecting their limited ability to capture higher-order motion dynamics and adapt to longer-term predictions.

For medium and hard motion classes, which are characterized by more abrupt and less predictable user movements, the PsudoESKF method continues to outperform the baselines. While all methods experience increased errors with longer horizons due to the inherent unpredictability of the motion, PsudoESKF demonstrates a slower rate of error escalation.

Overall, these findings highlight the effectiveness of the PsudoESKF framework for maintaining prediction accuracy across a range of temporal horizons and motion complexities.

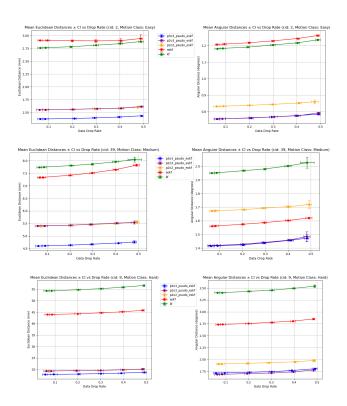


Figure 4: Prediction error (mean) with different packet loss rates for (top) easy, (middle) medium, and (bottom) hard motion classes.

4.4.5 Different data droprate. To ensure rigorous validation, packet loss is simulated by generating random floating-point numbers uniformly distributed in the interval (0, 1); a packet is considered received if the generated number exceeds the specified drop rate, and dropped otherwise. For each predictor and each drop rate, the experiment is repeated at least 10 times. The confidence intervals

for both position (Euclidean distance) and orientation (angular distance) errors are then computed and visualized as error bars at each data point in the diagram.

Figure 4 demonstrates the robustness of the proposed PsudoESKF method compared to the baseline KF and ESKF under varying packet loss rates across different motion classes. As packet loss increases, all methods experience degradation in prediction accuracy; however, p3o3_PsudoESKF not only achieves the lowest overall error in both position and orientation, but also exhibits a much smaller increase in error (i.e., a gentler slope) as packet loss rises compared to the other methods. This highlights both the superior accuracy and the enhanced robustness of p3o3_PsudoESKF under challenging network conditions, which are critical for real-time VR applications where network instability is common.

As for different patterns in Figure 4, the mean orientation error for the p3o3 variant is reduced by approximately 37% compared to KF for easy motion patterns and by about 49.6% for hard motion patterns at a 50% packet loss rate. The mean position error for the p3o3 variant is reduced by approximately 50.8% compared to KF for easy motion patterns and by about 66.1% for hard motion patterns at a 50% packet loss rate. This highlights the effectiveness of the PsudoESKF method in maintaining prediction accuracy even under challenging network conditions. As the motion pattern becomes more unpredictable, methods that incorporate the highest-order derivative integration (p3o3) demonstrates even better performance for both positional and orientational prediction against packet loss.

5 Discussion

The results show that the proposed method outperforms the baseline methods in terms of prediction accuracy and robustness to data loss. The proposed method achieves lower prediction errors for both position and orientation across different motion patterns, indicating its effectiveness in handling various user movements. The results also demonstrate that the proposed method maintains the lowest prediction error across prediction horizons up to 100 ms.

Although the proposed method achieves lower prediction errors than the baselines, it is important to recognize that metrics such as Mean Squared Error (MSE), Absolute Trajectory Error (ATE) and Relative Pose Error (RPE) are not sufficient to fully characterize predictor performance in XR applications. MSE quantifies average squared differences between predicted and ground-truth values, while ATE and RPE assess overall trajectory alignment and local consistency, respectively. However, these metrics primarily capture average accuracy and do not account for perceptual artifacts such as jitter or short-term instability, which can significantly affect user experience [8]. Therefore, future evaluations will incorporate user-centric metrics that better reflect perceptual quality and comfort, ensuring that improvements in trajectory accuracy is being translated to tangible benefits in the XR user experience.

Building upon the preceding analysis of limitations and challenges, we now consider potential industrial applications and broader implications of the proposed predictor. Beyond remote XR, the proposed predictor can be beneficial in teleoperation scenarios, such as FPV for drones. This framework is particularly valuable in applications requiring precise navigation and control, such as search and rescue operations, industrial inspections, or recreational drone

activities. By leveraging accurate trajectory prediction, the proposed method can enhance the alignment between user input and drone motion, ensuring smoother navigation and reducing the risk of collisions. This capability is especially critical in environments with limited visibility or high-speed operations, where precise and responsive control is essential for achieving mission objectives effectively. Accurate trajectory prediction helps ensure smooth navigation and obstacle avoidance. By improving trajectory alignment, the framework can enhance user control, reducing collision risks and supporting applications like search and rescue, industrial inspections, and recreational drone activities, where precision and responsiveness are critical.

6 Conclusion

In this paper, we propose a context-aware motion prediction framework for head-mounted displays in latency-sensitive virtual reality. Our main contribution is the PsudoESKF, a lightweight ESKF that incorporates higher-order motion modelling and an entropy-based motion classifier. We showed that PsudoESKF consistently outperforms standard KF and ESKF baselines in both accuracy and robustness, particularly for unpredictable motion and under network packet loss. Importantly, our method requires only pose data and is efficient for edge deployment. These results demonstrate that combining higher-order dynamics with context-awareness provides a practical and effective solution for reducing MTP latency to enable better user experiences in offloaded XR applications.

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