物聯網實務



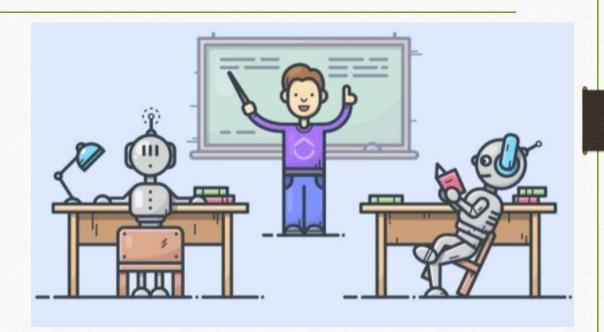
廖裕評

AI game

Yu-Ping Liao Ping Pong Game

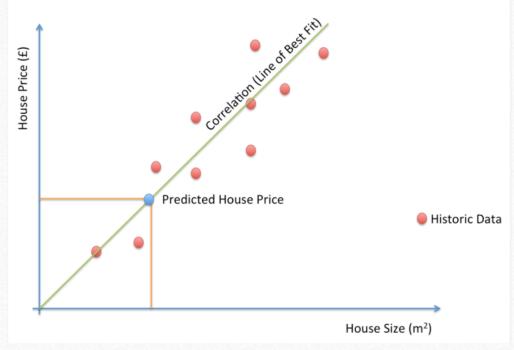
Teaching AI to Understand Our World





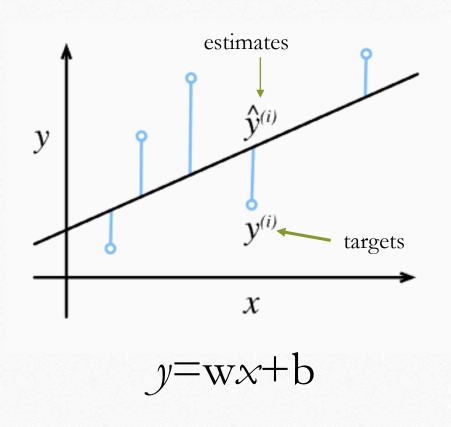
https://www.slideshare.net/sakhaglobal/unsupervised-learning-teaching-ai-to-understand-our-world

- Regression refers to a set of methods for modeling the relationship between one or more independent variables and a dependent variable.
- *Prediction:* predicting prices (of homes, stocks, etc.), predicting length of stay (for patients in the hospital), demand forecasting (for retail sales)



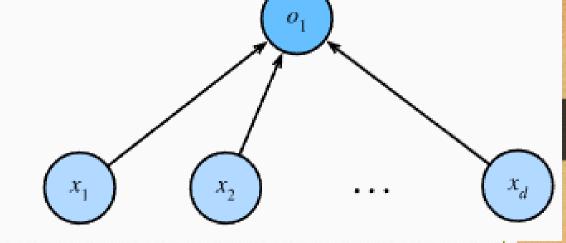
https://davidgildeh.com/2013/09/16/the-future-of-enterprise-machine-learning/

Linear regression



Output layer

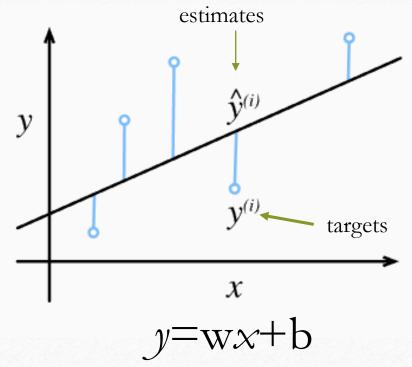
Input layer



$$\hat{y} = w_1 x_1 + \ldots + w_d x_d + b$$

single-layer neural network

Loss Function



squared error
$$oldsymbol{l^{(i)}}(\mathbf{w},b) = rac{1}{2} \Big(\hat{y}^{(i)} - y^{(i)} \Big)^2.$$

the losses on the training set
$$L(\mathbf{w},b) = rac{1}{n} \sum_{i=1}^n l^{(i)}(\mathbf{w},b)$$

training the model
$$\mathbf{w}^*, b^* = \operatorname*{argmin}_{\mathbf{w}, b} L(\mathbf{w}, b).$$

our prediction for an example i is $\hat{y}^{(i)}$ and the corresponding true label is $y^{(i)}$

• Typically, we will use n to denote the number of examples in our dataset. We indexy the data examples by i, denoting each input as $x^{(i)} = [x_1^{(i)}, x_2^{(i)}]^T$ and the corresponding label as $y^{(i)}$.

price =
$$w_{area} \cdot area + w_{age} \cdot age + b$$
,
 $y^{(i)} = w_{area} \cdot x_1^{(i)} + w_{age} \cdot x_2^{(i)} + b$
 $y^{(i)} = w_1 \cdot x_1^{(i)} + w_2 \cdot x_2^{(i)} + b$

• When our inputs consist of dd features, we express our prediction \hat{y} (in general the "hat" symbol denotes estimates) as

$$\hat{y} = w_1 x_1 + \ldots + w_d x_d + b.$$

$$\hat{y} = \mathbf{w}^{ op} \mathbf{x} + b.$$
 a vector $\mathbf{w} \in \mathbb{R}^d$

$$x = [x_1, x_2, \dots, x_d]^T = \begin{bmatrix} x_1 \\ x_2 \\ \dots \\ x_d \end{bmatrix}$$

$$w = [w_1, w_2, \dots, w_d]^T = \begin{bmatrix} w_1 \\ w_2 \\ \dots \\ w_d \end{bmatrix}$$

$$w^T = [w_1 \quad , w_2 \quad , \dots, w_d \quad]$$

$$\hat{y} = \begin{bmatrix} w_1 & , w_2 & , \dots , w_d \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ \dots \\ x_d \end{bmatrix}$$

$$\hat{\mathbf{y}} \in \mathbb{R}^n$$
 $\mathbf{X} \in \mathbb{R}^{n \times d}$.

$$\hat{\mathbf{y}} = \mathbf{X}\mathbf{w} + b,$$

$$\begin{bmatrix} \hat{y}_1 \\ \hat{y}_2 \\ \vdots \\ \hat{y}_n \end{bmatrix} = \begin{bmatrix} x_1^{(1)} & x_2^{(1)} & x_d^{(1)} \\ x_1^{(2)} & x_2^{(2)} & x_d^{(2)} \\ \vdots & \vdots & \vdots \\ x_1^{(n)} & x_2^{(n)} & x_d^{(n)} \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ \vdots \\ w_d \end{bmatrix} + b$$

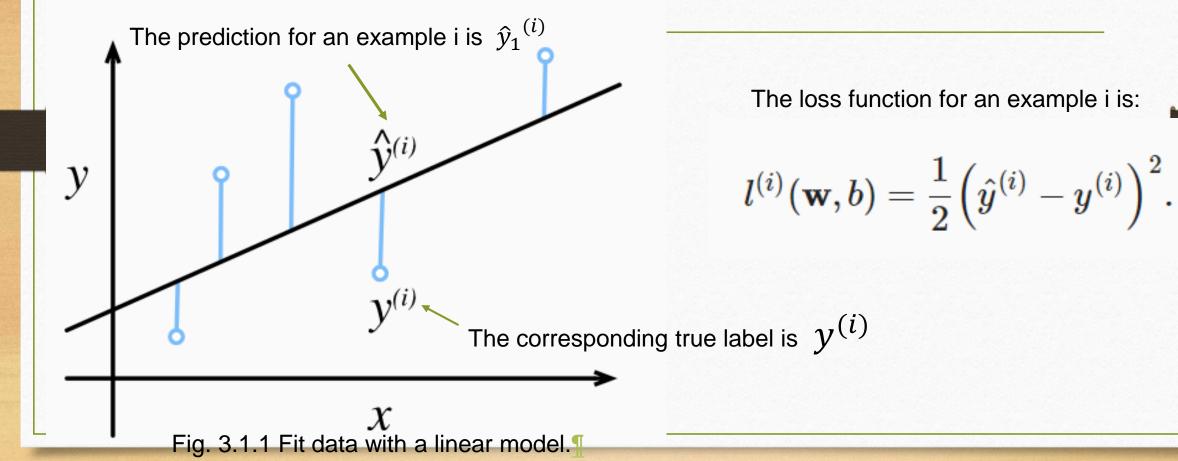
$$x^{(i)} = [x_1^{(i)}, x_2^{(i)}, \dots, x_d^{(i)}]^{\mathrm{T}} = \begin{bmatrix} x_1^{(i)} \\ x_2^{(i)} \\ \dots \\ x_d^{(i)} \end{bmatrix}$$

$$X = \begin{bmatrix} x_1^{(1)} & x_2^{(1)} & x_d^{(1)} \\ x_1^{(2)} & x_2^{(2)} & \dots \\ x_1^{(n)} & x_2^{(n)} & x_d^{(n)} \end{bmatrix}$$

$$X = \begin{bmatrix} x_1^{(1)} & x_2^{(1)} & x_d^{(1)} \\ x_1^{(2)} & x_2^{(2)} & \dots & x_d^{(2)} \\ x_1^{(n)} & x_2^{(n)} & x_d^{(n)} \end{bmatrix}$$

$$w = \begin{bmatrix} w_1 \\ w_2 \\ \dots \\ w_d \end{bmatrix}$$

Loss Function



average loss

$$L(\mathbf{w}, b) = \frac{1}{n} \sum_{i=1}^{n} l^{(i)}(\mathbf{w}, b) = \frac{1}{n} \sum_{i=1}^{n} \frac{1}{2} \left(\mathbf{w}^{\top} \mathbf{x}^{(i)} + b - y^{(i)} \right)^{2}.$$
(3.1.6)

When training the model, we want to find parameters (\mathbf{w}^*, b^*) that minimize the total loss across all training examples:

$$\mathbf{w}^*, b^* = \underset{\mathbf{w}, b}{\operatorname{argmin}} \ L(\mathbf{w}, b). \tag{3.1.7}$$

Making Predictions with the Learned Model

• Given the learned linear regression model $\widehat{w}^T \mathbf{X} + \widehat{b}$, we can now estimate the price of a new house (not contained in the training data)

• given its area X₁ and age X₂. Estimating targets given features is commonly called *prediction* or *inference*.

From Linear Regression to Deep Networks

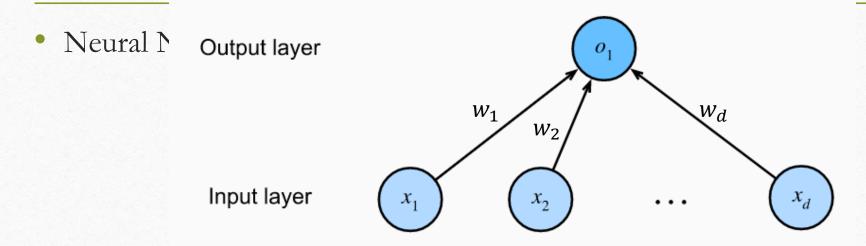
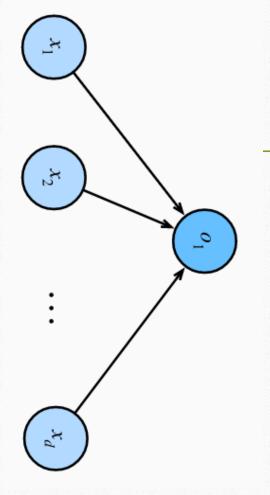
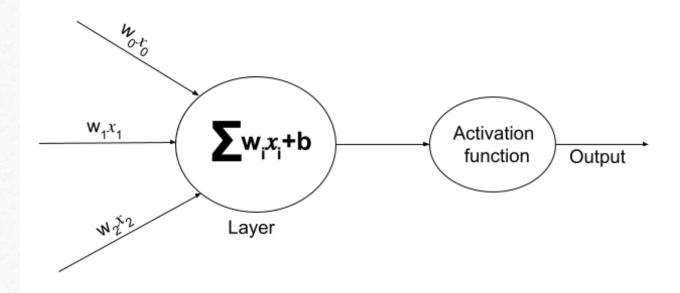


Fig. 3.1.2 Linear regression is a single-layer neural network.

Since for linear regression, every input is connected to every output (in this case there is only one output), we can regard this transformation (the output layer in Fig. 3.1.2) as a *fully-connected layer* or *dense layer*.



Activation function

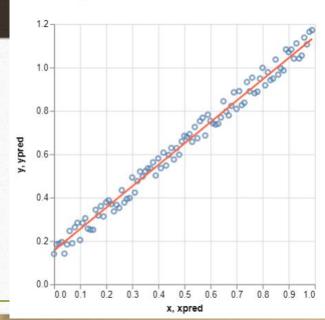


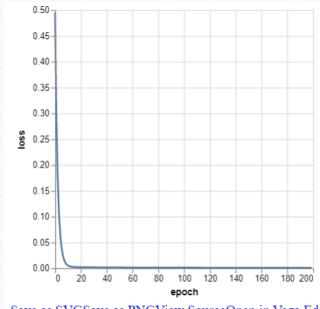
https://androidkt.com/advantages-relu-tanh-sigmoid-activation-function-deep-neural-networks/

Exercise 11-1

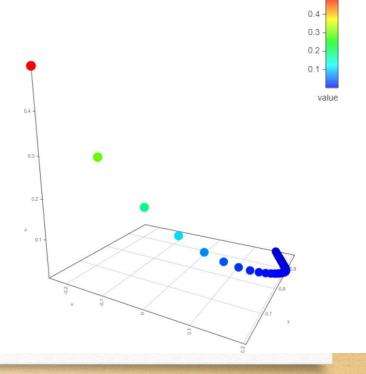
• ex11_29_1.html (copy from ex11_29_1.txt)

Linear Regression





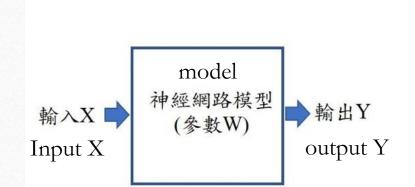


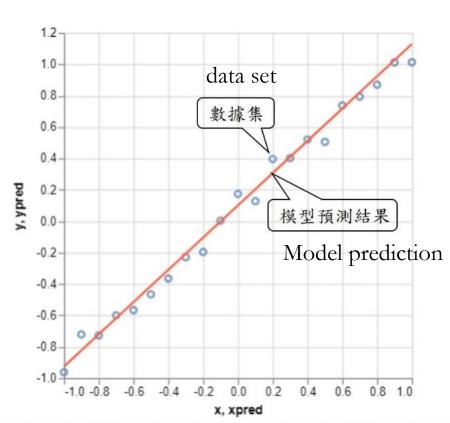


Linear Regression



Linear Regression



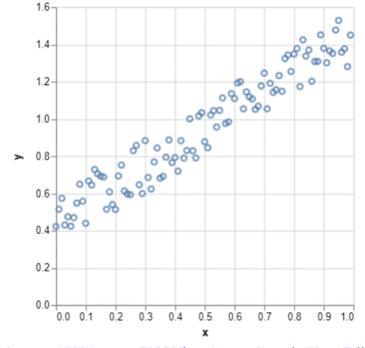


```
coeffs = [1, 0.1];
```

Data set

```
let y= coeffs[0] * x + coeffs[1]*(1+Math.random());
```

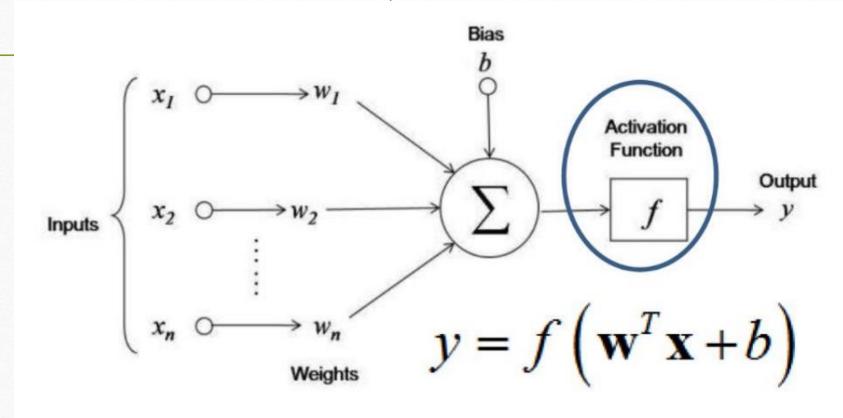
Linear Regression



Save as SVGSave as PNGView SourceOpen in Vega Editor

Tensorflow.js

tf.layers.dense



```
model = tf.sequential();//
model.add(tf.layers.dense({units: 1, inputShape: [2], useBias: false}));

tf.layers.dense
全連接層
```

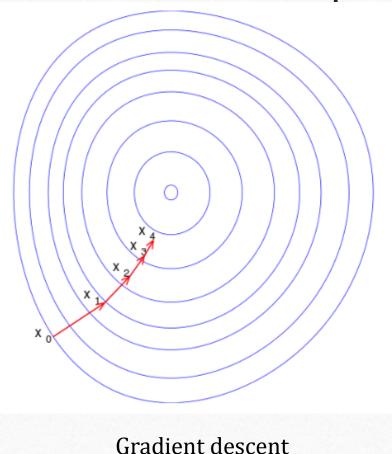
 $y = 1*W_0 + x*W_1$

輸入層 輸出層

 W_1

Input output

Optimization algorithms



· Gradient method

В

- · Biconjugate gradient method
- Biconjugate gradient stabilized method

C

- · Conjugate gradient method
- Contour currents
- · Coordinate descent

D

· Derivation of the conjugate gradient method

F

- Gradient flow
- Frank-Wolfe algorithm

G

Gradient descent

L

Landweber iteration

Μ

Mirror descent

N

• Nonlinear conjugate gradient method

Р

Proximal gradient method

R

Random coordinate descent

S

- Stochastic gradient descent
- Stochastic gradient Langevin dynamics
- Stochastic variance reduction

最佳化的演算法

• <u>梯度下降(gradient descent, GD)</u>法,梯度下降法是一個一階找最佳解的一種方法,是希望用梯度下降法找到損失函數的最小值,如3-6 圖的某模型參數座標點對應到曲面上梯度的方向是走向最大的方向,所以在梯度下降法中是往梯度的反方向走,變化模型參數往讓損失函數最小值方向移動,如式子(9)所示。

•
$$W(t+1) = W(t) - \gamma \nabla(f)$$
 (9)

其中f為損失函數, $\nabla(f)$ 為函數f的梯度, γ 為學習率(learning rate),W(t)為在某時間點模型參數座標值,W(t+1)為調整後的模型參數座標。

Loss function

• 均方誤差(mean-square error, MSE)函數,是各測量值誤差的平方和取平均值,以有n個量測值 y_i 與模型計算出的結果 y_i^p 之均方誤差表示如(8)所示:

• MSE =
$$\frac{1}{n} \sum_{i=1}^{n} (y_i - y_i^p)^2$$
 (8)

• 其中 $y_i^p = 1 * W_0 + x_i * W_1$, x_i 為第.筆測試資料的x值,根據第i筆測試資料的x值帶入 W_0 與 W_1 計算出的y值就是 y_i^p

Setting Optimization algorithm & loss function

```
const learningRate = 0.01;
const sgd = tf.train.sgd(learningRate);
//'meanSquaredError
model.compile({optimizer: sgd, loss: 'meanSquaredError'});

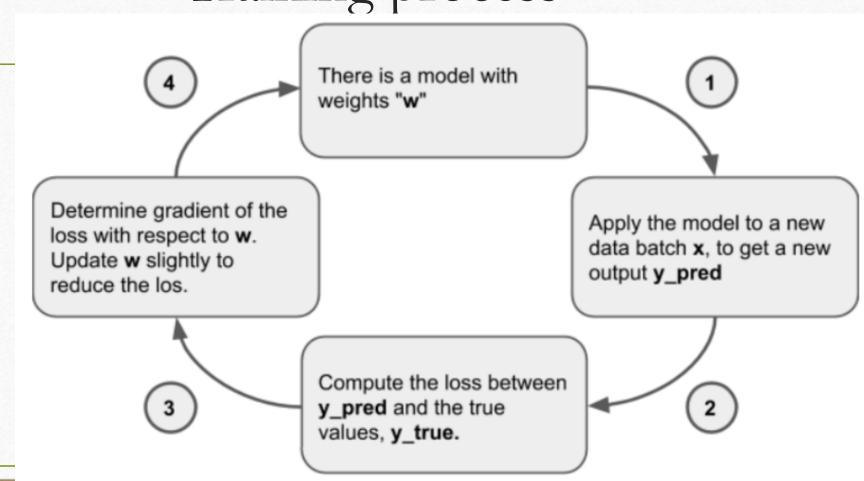
Optimization algorithm loss function
```

43

45

46

Training process



Training

```
const batchSize = 10;
 const epochs = 200;
await model.fit ( xtensor, ytensor, {
batchSize: batchSize,
epochs: epochs,
callbacks: {
 onEpochEnd: async (epoch, log) => { console.log(epoch),
 console.log(log.loss); Prediction(x);
 plotloss("#vis2", log.loss, epoch);
 var W= Array.from(model.trainableWeights[0].read().dataSync());
  var style = log.loss;
 data3d.add({x:W[0],y:W[1],z:log.loss,style:style});
 drawVisualizationdot("vis3",data3d);
```

Prediction

```
const xtensor = tf.tensor2d(xArrayData, [nVx.length, 2]);
xtensor.print();//xtensor
const predictOut = await model.predict(xtensor);
Ysfinal = predictOut.dataSync();
console.log('Ysfinal =', Ysfinal);
predictOut.dispose();//release GPU memory
xtensor.dispose();//release GPU memory
plotData2("#vis1", xyData[0], xyData[1], xyData[0],Ysfinal);
```

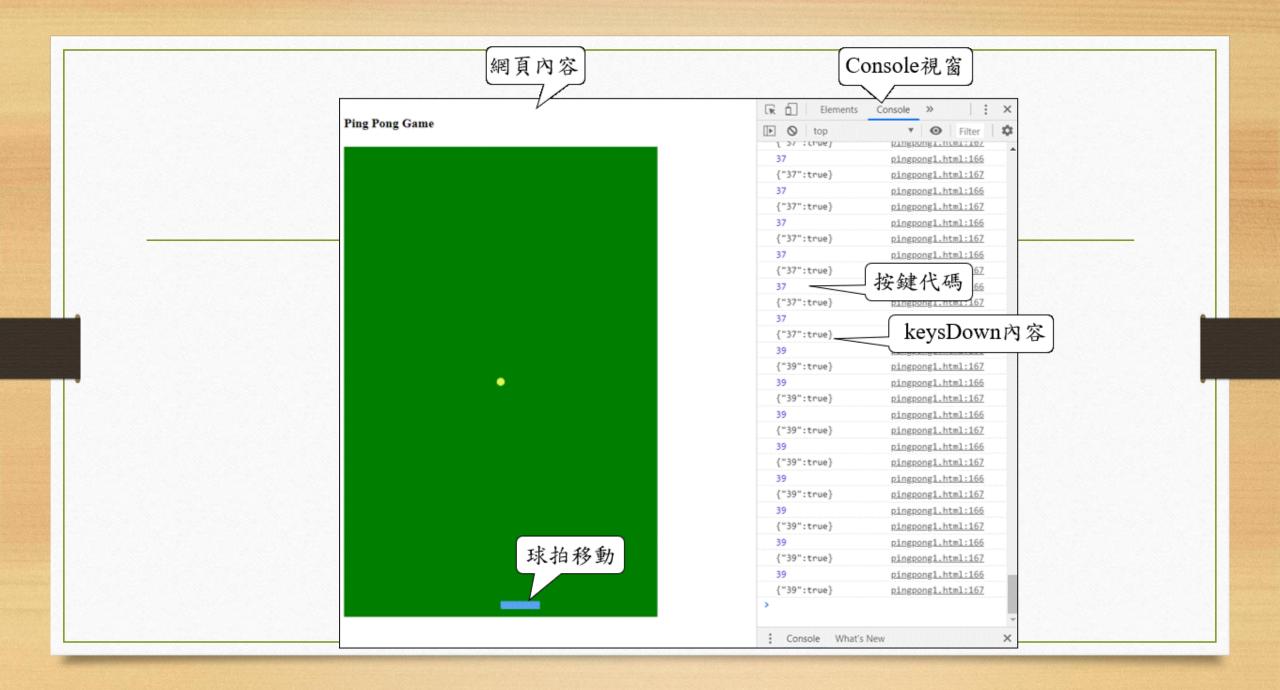
Plot functions

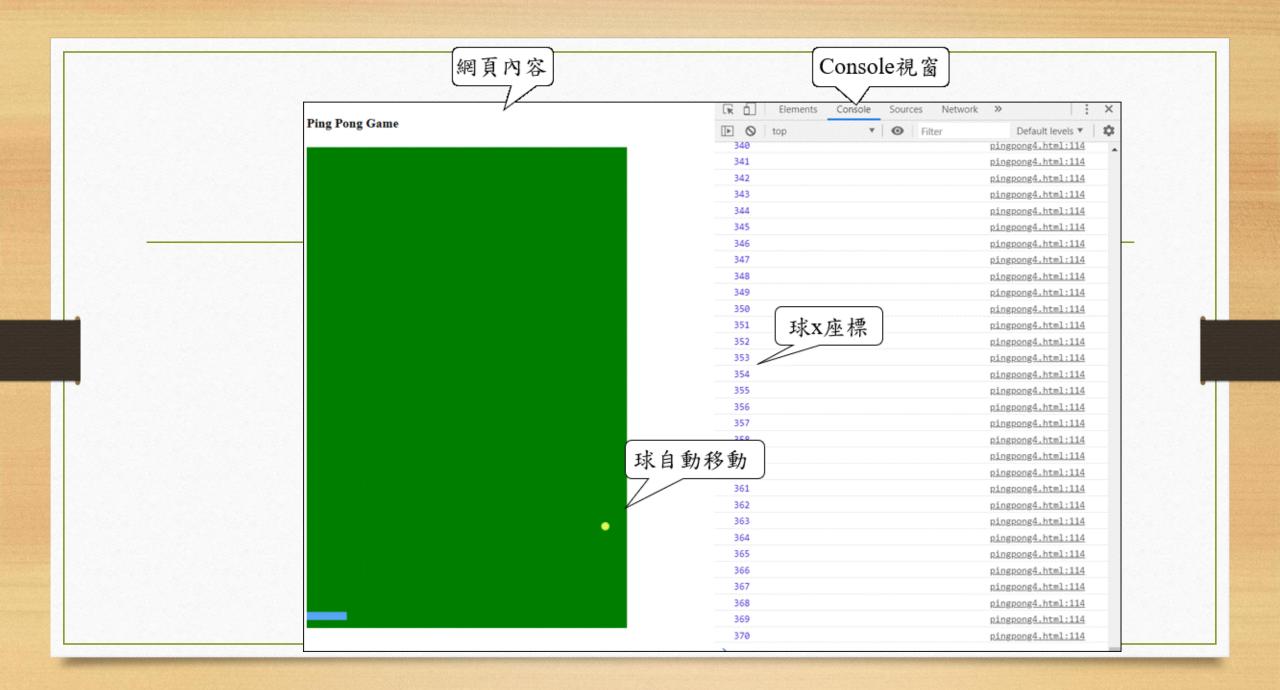
```
    function drawVisualizationdot(containerid,datadot) {
    function plotloss(container, loss, epoch) {
    function plotData2(container, xs, ys, xspreds, yspreds) {
    }
```



- ex11_29_1.html
- (copy from ex1129_.txt)
- Ping pong game Ping pong

Paddle





Model

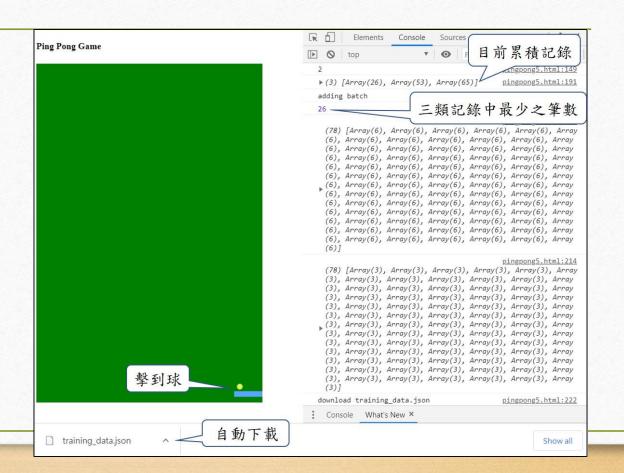
Ball x
Ball y
previous ball x
previous ball y
previous player paddle x
previous computer paddle x

Model
Weighting factors W)

Paddle moves left
Paddle does nothing
Paddle moves right

Exercise 11-3

- ex11_29_3.html
- (copy from ex11_29_3.txt)
- Record playing data



+1

{"xs":[[272,328,188,264,320,180],[264,320,180,256,312,172],[256,312,172,248,30 4,164],[248,304,164,240,296,156],[240,296,156,232,288,148],[232,288,148,224,28 0,140],[224,280,140,216,272,132],[216,272,132,208,264,124],[208,264,124,200,25 6,116],[200,256,116,192,248,108],[192,248,108,184,240,100],[184,240,100,176,23 2,92],[176,232,92,168,224,84],[168,224,84,160,216,76],[160,216,76,152,208,68],[1 52,208,68,144,200,60],[144,200,60,136,192,52],[136,192,52,128,184,44],[128,184, 44,120,176,36],[120,176,36,112,168,28],[112,168,28,104,160,20],[104,160,20,96,1 52,12],[96,152,12,88,144,4],[88,144,4,80,136,12],[80,136,12,72,128,20],[72,128,20 ,64,120,28],[40,88,572,40,96,564],[40,96,564,40,104,556],[40,104,556,40,112,548] [40,112,548,40,120,540],[40,120,540,40,128,532],[40,128,532,40,136,524],[40,13 6,524,40,144,516],[40,144,516,40,152,508],[40,152,508,40,160,500],[40,160,500,4 0,168,492],[40,168,492,40,176,484],[40,176,484,40,184,476],[272,384,244,272,37 6,236],[272,376,236,272,368,228],[272,368,228,272,360,220],[272,360,220,272,35 2,212],[272,352,212,272,344,204],[272,344,204,272,336,196],[272,336,196,272,32 8,188],[64,120,28,64,112,36],[64,112,36,64,104,44],[64,104,44,64,96,52],[64,96,52 ,64,88,60],[64,88,60,64,80,68],[64,80,68,64,72,76],[64,72,76,64,64,84],[40,184,476 ,48,192,468],[48,192,468,56,200,460],[56,200,460,64,208,452],[64,208,452,72,216 ,444],[72,216,444,80,224,436],[80,224,436,88,232,428],[88,232,428,96,240,420],[9 6,240,420,104,248,412],[104,248,412,112,256,404],[112,256,404,120,264,396],[12 0,264,396,128,272,388],[128,272,388,136,280,380],[136,280,380,144,288,372],[14 4,288,372,152,296,364],[152,296,364,160,304,356],[160,304,356,168,312,348],[16 8,312,348,176,320,340],[176,320,340,184,328,332],[184,328,332,192,336,324],[19 2,336,324,200,344,316],[200,344,316,208,352,308],[208,352,308,216,360,300],[21 6,360,300,224,368,292],[224,368,292,232,376,284],[232,376,284,240,384,276],[24 0.384,276,248,392,268]],"ys":[[1,0,0],[1,0,0],[1,0,0],[1,0,0],[1,0,0],[1,0,0],[1,0,0],[1,0,0],[1,0,0], 0],[1,0,0],[1,0,0],[1,0,0],[1,0,0],[1,0,0],[1,0,0],[1,0,0],[0,1 0,1,0],[0,1,0],[0,1,0],[0,1,0],[0,1,0],[0,1,0],[0,1,0],[0,1,0],[0,1,0],[0,1,0],[0,1,0],[0,1,0]

```
console.log(len);
var data xx=[];
var data yy=[];
if (len > 10) {
   for(i = 0; i < 3; i++){
   data xx.push(...training data[i].slice(0, len));
          // trims training data to 'len' length
   data yy.push(...Array(len).fill([i==0?1:0, i==1?1:0])
    , i==2?1:0])); // creates 'len' number records
    of embedding data
```

Blob

```
var a = document.createElement("a");
// var a = document.getElementById("a");
var file = new Blob([JSON.stringify({xs: data_xx, ys: data_yy})], {type: 'application/json'});
a.href = URL.createObjectURL(file);
a.download = 'training_data.json';
a.click();
console.log('download training_data.json');
//印出文字'download training_data.json'
```

Homework 11-1

• change code: when the length of the record is larger than 100, the json file will be downloaded automatically °

```
console.log(len);
var data xx=[];
var data yy=[];
if (len > 10) {
   for(i = 0; i < 3; i++) {
    data xx.push(...training data[i].slice(0, len));
          // trims training data to 'len' length
    data yy.push(...Array(len).fill([i==0?1:0, i==1?1:0])
    , i==2?1:0])); // creates 'len' number records
```

Classification Problem

- $y \in \{dog, cat, chicken\} => y \in \{1,2,3\} => y \in \{(1,0,0),(0,1,0),(0,0,1)\}$
- In our case, a label yy would be a three-dimensional vector, with (1,0,0)corresponding to "cat", (0,1,0) to "chicken", and (0,0,1) to "dog":

y∈{baby,toddler,adolescent,young adult,geriatric} => y∈{1,2,....?} => y∈{????}

Classification

Classification	Label
Paddle move left	[1,0,0]
Paddle does nothing	[0,1,0]
Paddle move right	[0,0,1]

Model

Ball x
Ball y
previous ball x
previous ball y
previous player paddle x
previous computer paddle x

Model
Weighting factors W)

Paddle moves left
Paddle does nothing
Paddle moves right

Network Architecture

Fig. 3.4.1 Softmax regression is a single-layer neural network.

$$\mathbf{o} = \mathbf{W}\mathbf{x} + \mathbf{b}$$

Network Archite

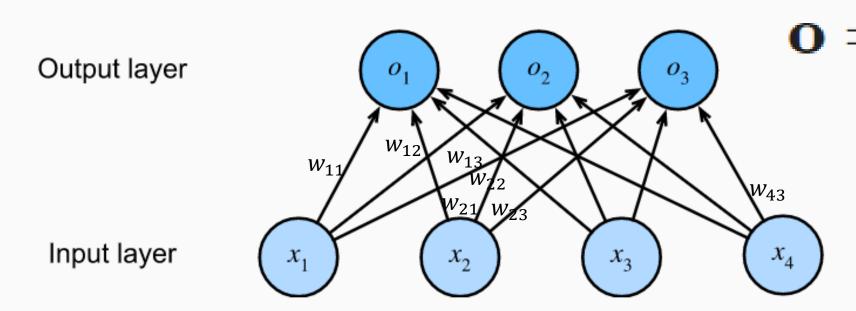


Fig. 3.4.1 Softmax regression is a single-layer neural network.

$$egin{aligned} o_1 &= x_1w_{11} + x_2w_{12} + x_3w_{13} + x_4w_{14} + b_1, & o_1 &= w_{11}x_1 + w_{12}x_2 + w_{13}x_3 + w_{14}x_4 + b_1 \ o_2 &= x_1w_{21} + x_2w_{22} + x_3w_{23} + x_4w_{24} + b_2, & o_2 &= ? \ o_3 &= x_1w_{31} + x_2w_{32} + x_3w_{33} + x_4w_{34} + b_3. & o_3 &= ? \end{aligned}$$

Softmax Operation

$$\hat{\mathbf{y}} = \operatorname{softmax}(\mathbf{o}) \quad \text{where} \quad \hat{y}_j = \frac{\exp(o_j)}{\sum_k \exp(o_k)}.$$
 (3.4.3)

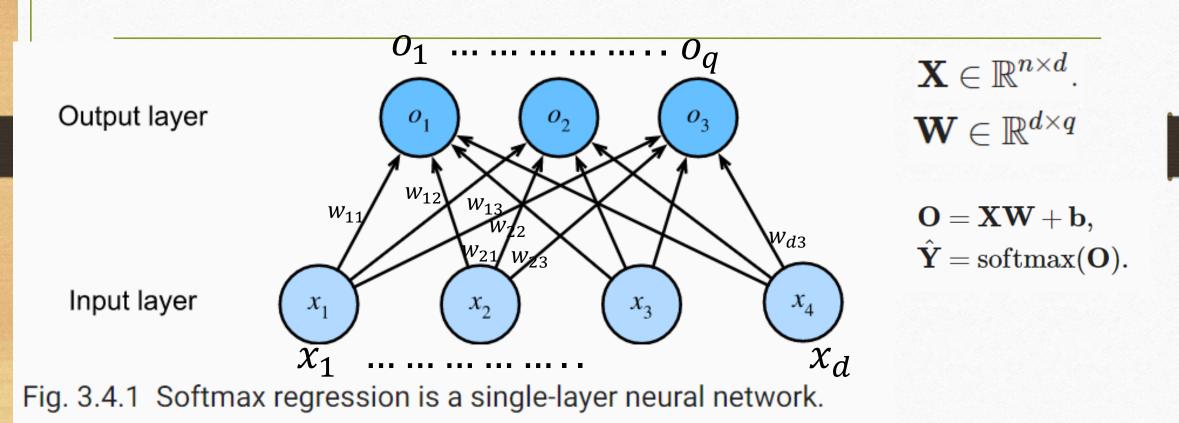
It is easy to see $\hat{y}_1 + \hat{y}_2 + \hat{y}_3 = 1$ with $0 \le \hat{y}_j \le 1$ for all j. Thus, $\hat{\mathbf{y}}$ is a proper probability distribution whose element values can be interpreted accordingly.

we can still pick out the most likely class by

$$\underset{j}{\operatorname{argmax}} \hat{y}_{j} = \underset{j}{\operatorname{argmax}} o_{j}. \tag{3.4.4}$$

Although softmax is a nonlinear function, the outputs of softmax regression are still *determined* by an affine transformation of input features; thus, softmax regression is a linear model.

Vectorization for Minibatches



Multilayer Perceptrons

Output layer

Hidden layer h_1 h_2 h_3 h_4 h_5 Input layer

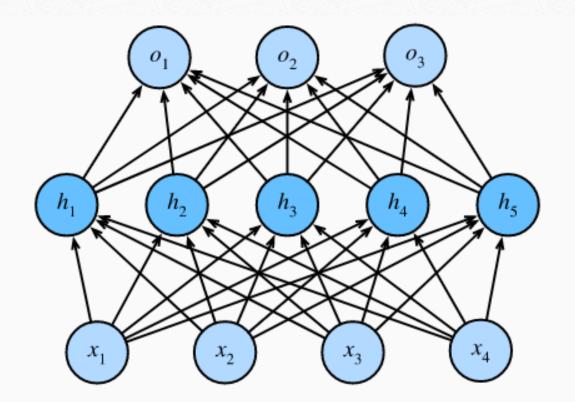
Fig. 4.1.1 An MLP with a hidden layer of 5 hidden units.

Multilayer Perceptrons

Output layer

Hidden layer

Input layer



$$\mathbf{H} = \mathbf{X}\mathbf{W}^{(1)} + \mathbf{b}^{(1)},$$

Fig. 4.1.1 An MLP with a hidden layer of 5 hidden units.

Multilayer Perceptrons

Output layer

Hidden layer

 h_1 h_2 h_3 h_4 h_5 x_1 x_2 x_3 x_4

$$\mathbf{O} = \mathbf{H}\mathbf{W}^{(2)} + \mathbf{b}^{(2)}$$
.

$$\mathbf{H} = \mathbf{X}\mathbf{W}^{(1)} + \mathbf{b}^{(1)},$$

Input layer

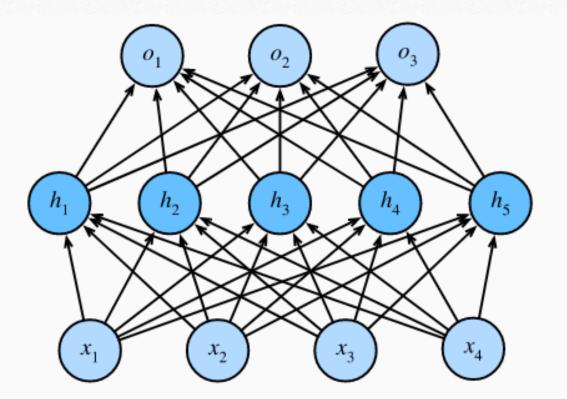
Fig. 4.1.1 An MLP with a hidden layer of 5 hidden units.

From Linear to Nonlinear

Output layer

Hidden layer

Input layer



$$\mathbf{H} = \sigma(\mathbf{X}\mathbf{W}^{(1)} + \mathbf{b}^{(1)}),$$

Fig. 4.1.1 An MLP with a hidden layer of 5 hidden units.

From Linear to Nonlinear

Output layer

Hidden layer

 h_1 h_2 h_3 h_4 h_5 x_1 x_2 x_3 x_4

 $\mathbf{O} = \mathbf{H}\mathbf{W}^{(2)} + \mathbf{b}^{(2)}$.

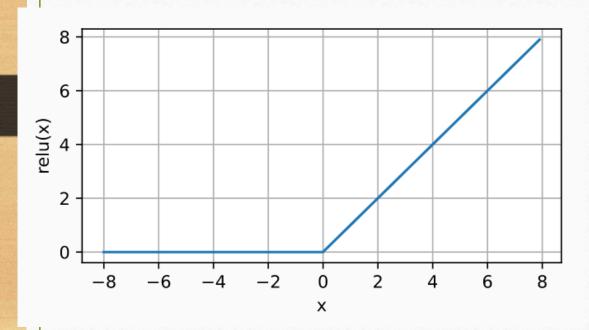
 $\mathbf{H} = \sigma(\mathbf{X}\mathbf{W}^{(1)} + \mathbf{b}^{(1)}),$

Activation Functions

Input layer

Fig. 4.1.1 An MLP with a hidden layer of 5 hidden units.

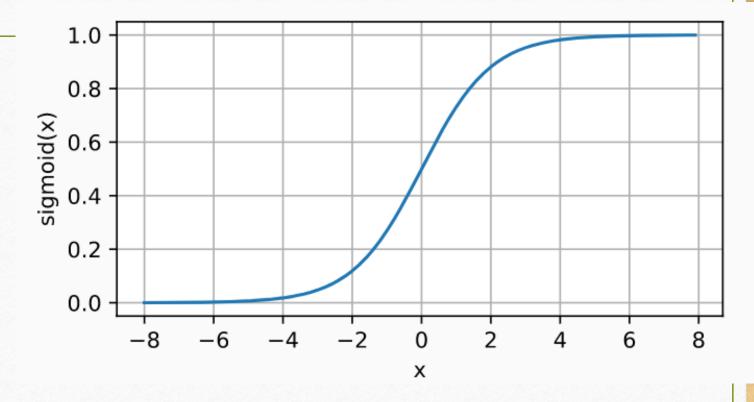
Activation Functions



ReLU(x) = max(x, 0).

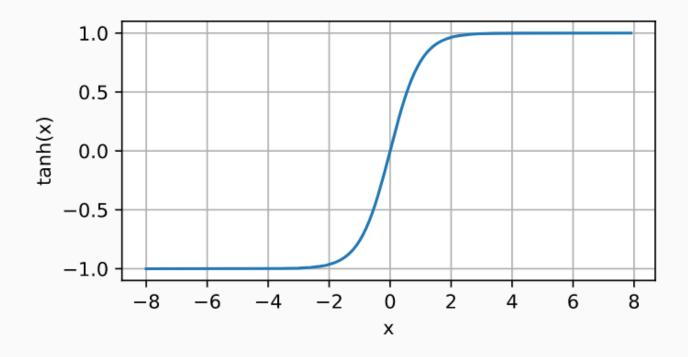
Sigmoid Function

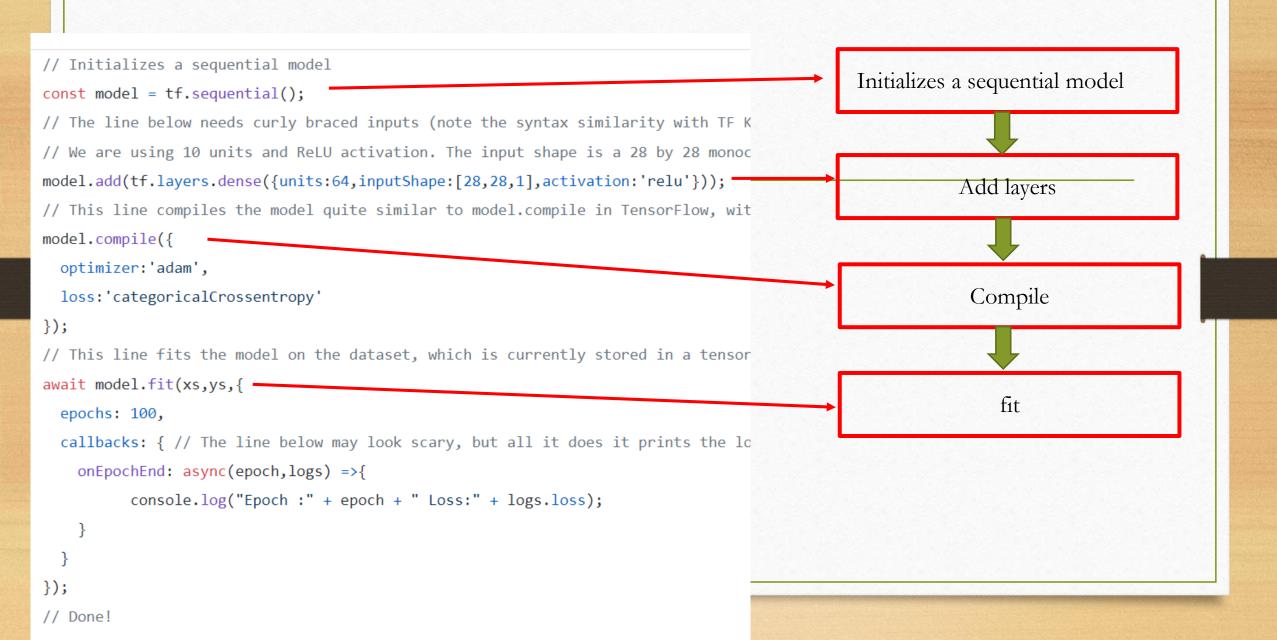
$$\operatorname{sigmoid}(x) = \frac{1}{1 + \exp(-x)}.$$



Tanh Function

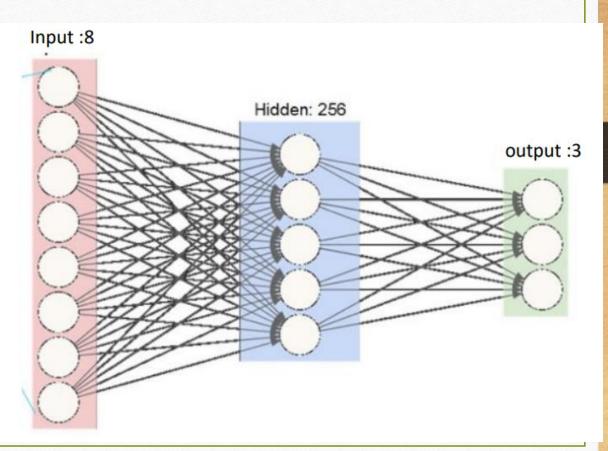
$$\tanh(x) = \frac{1-\exp(-2x)}{1+\exp(-2x)}.$$





model

const model = tf.sequential();
model.add(tf.layers.dense({units: 256, inputShape: [8]}));
model.add(tf.layers.dense({units: 3, inputShape: [256]}));
//returns a 1x3

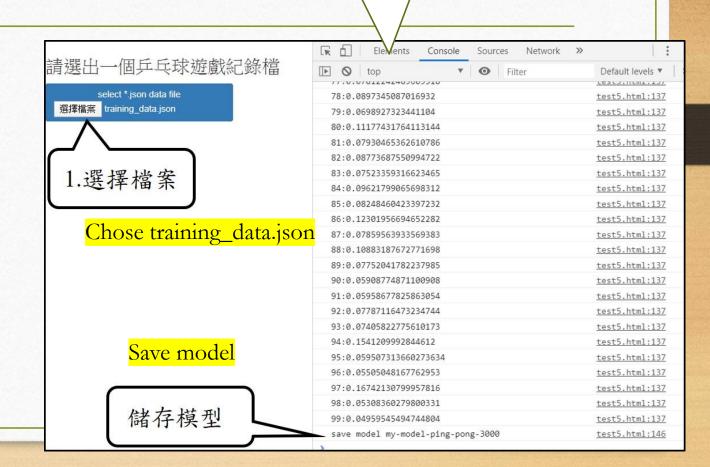


```
// initial model definition
 const model = tf.sequential();
 model.add(tf.layers.dense({units: 256, inputShape: [8]})); //input is a 1x8
 model.add(tf.layers.dense({units: 512, inputShape: [256]}));
 model.add(tf.layers.dense({units: 256, inputShape: [512]}));
 model.add(tf.layers.dense({units: 3, inputShape: [256]})); //returns a 1x3
Input:8
                                    Hidden:512
                   Hidden: 256
                                                              Hidden: 256
                                                                                   output:3
```

Exercise 11-4

Developer tools Ctrl+Shift+I

- ex11_29_4.html
- (copy from ex11_29_4.txt)
- Train model



model

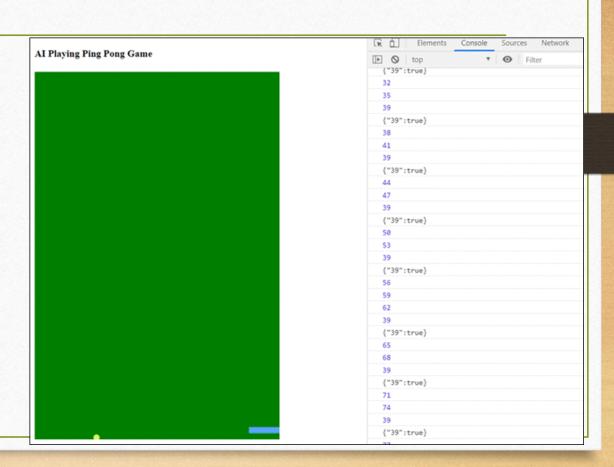
```
model = tf.sequential();
model.add(tf.layers.dense({units: 64,activation:'relu',
inputShape: [6]})); //input is a 1x8
model.add(tf.layers.dropout(0.5));
model.add(tf.layers.dense({units: 64,activation:'relu'}));
model.add(tf.layers.dropout(0.5));
model.add(tf.layers.dense({units: 3,activation:'softmax'}));
```

Setting Optimization algorithm & loss function

```
// set optimiser and compile model
const learningRate = 0.001;
const optimizer = tf.train.adam(learningRate);
model.compile({loss: 'categoricalCrossentropy', optimizer:
   optimizer, metrics: ['accuracy']});
console.log( 'compile finished');
```

Exercise 11-5

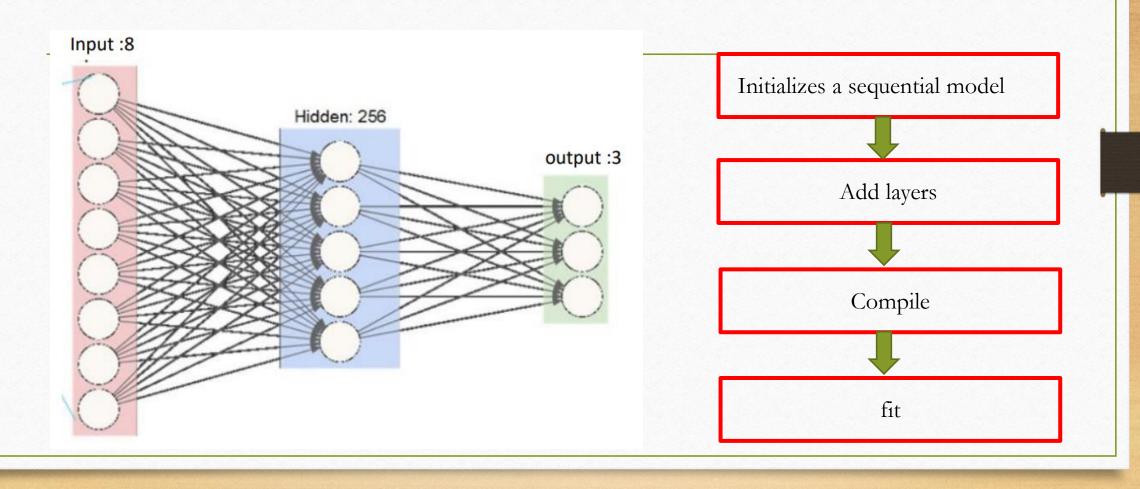
- ex11_29_5.html
- (copy from ex11_29_5.txt)
- AI play ping pong game



Model summary

Layer (type)	Output shape	Param #
dense_Densel (Dense)	[null,64]	448
dropout_Dropout1 (Dropout)	[null,64]	9
dense_Dense2 (Dense)	[null,64]	4160
dropout_Dropout2 (Dropout)	[null,64]	θ
dense_Dense3 (Dense)	[null,3]	195
Total params: 4803		
Trainable params: 4803		
Non-trainable params: 0		

Neural Networks



Exercise 11-6

http request

^

debug 26

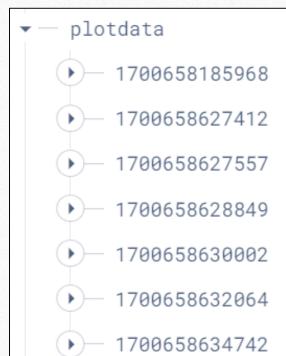
fornodered ▼

• Generate data to firebase:

function 16

timestamp

Realtime Database



JavaScript Get Date Methods

The new Date() Constructor

In JavaScript, date objects are created with new Date().

new Date() returns a date object with the current date and time.

Get the Current Time

const date = new Date();

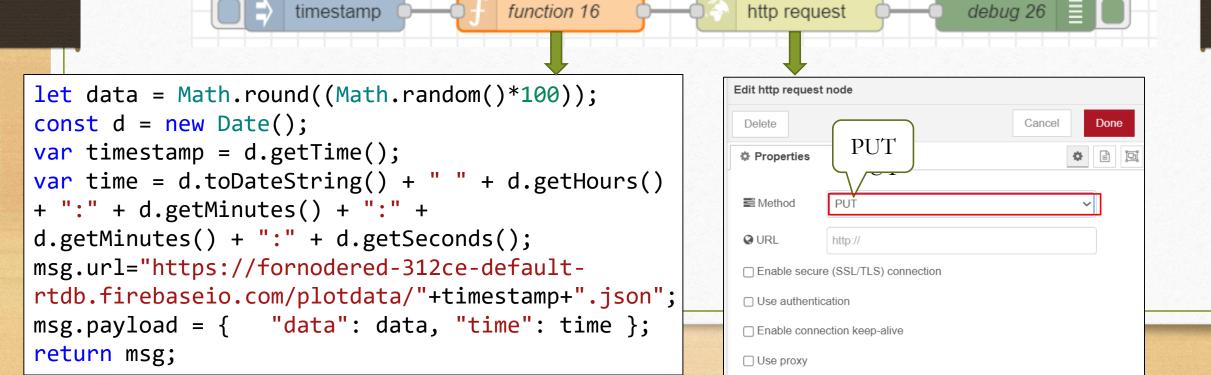
Try it Yourself »

Date Get Methods

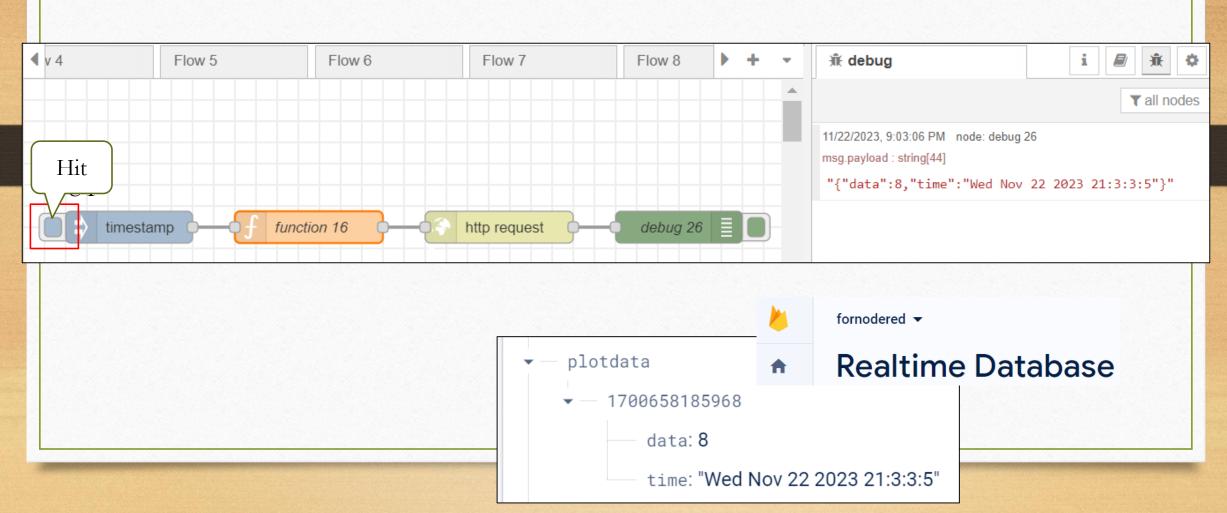
М	ethod	Description
ge	etFullYear()	Get year as a four digit number (yyyy)
ge	etMonth()	Get month as a number (0-11)
ge	etDate()	Get day as a number (1-31)
ge	etDay()	Get weekday as a number (0-6)
ge	etHours()	Get hour (0-23)
ge	etMinutes()	Get minute (0-59)
ge	etSeconds()	Get second (0-59)
ge	etMilliseconds()	Get millisecond (0-999)
ge	etTime()	Get time (milliseconds since January 1, 1970)

Edit nodes

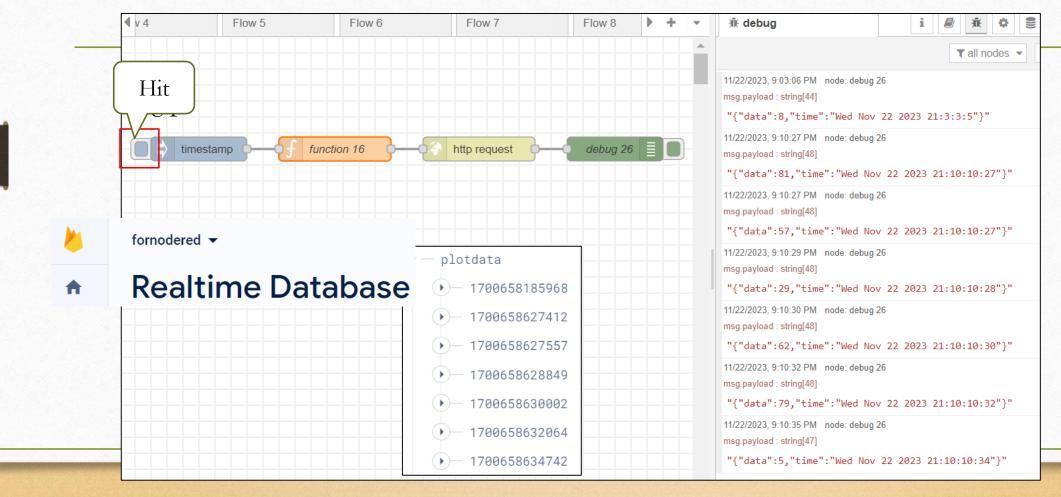
• Generate data to firebase:



Trigger

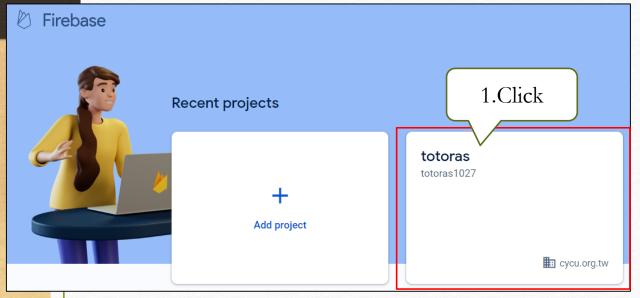


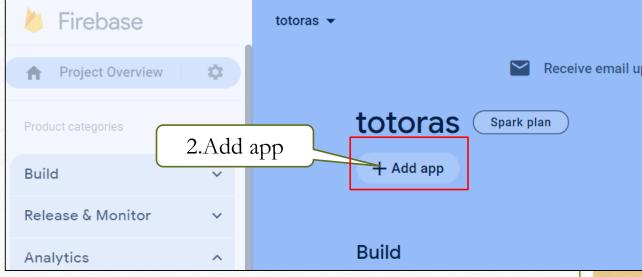
Trigger 6 times



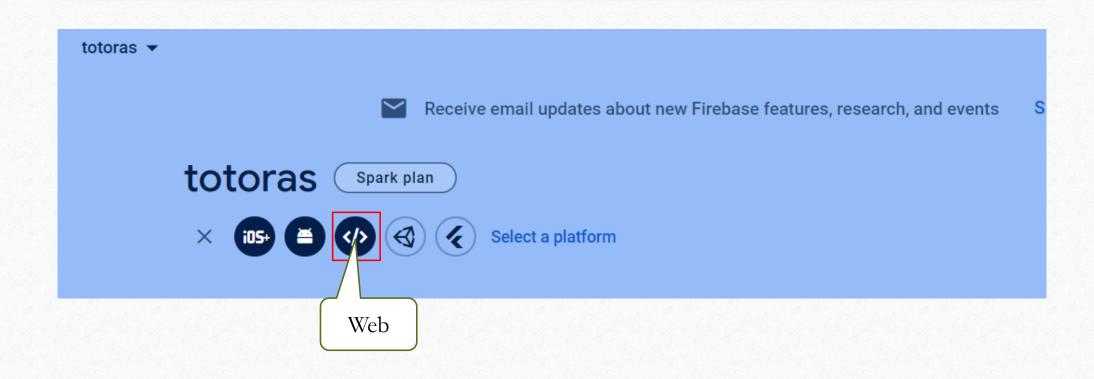
Exercise 11-7

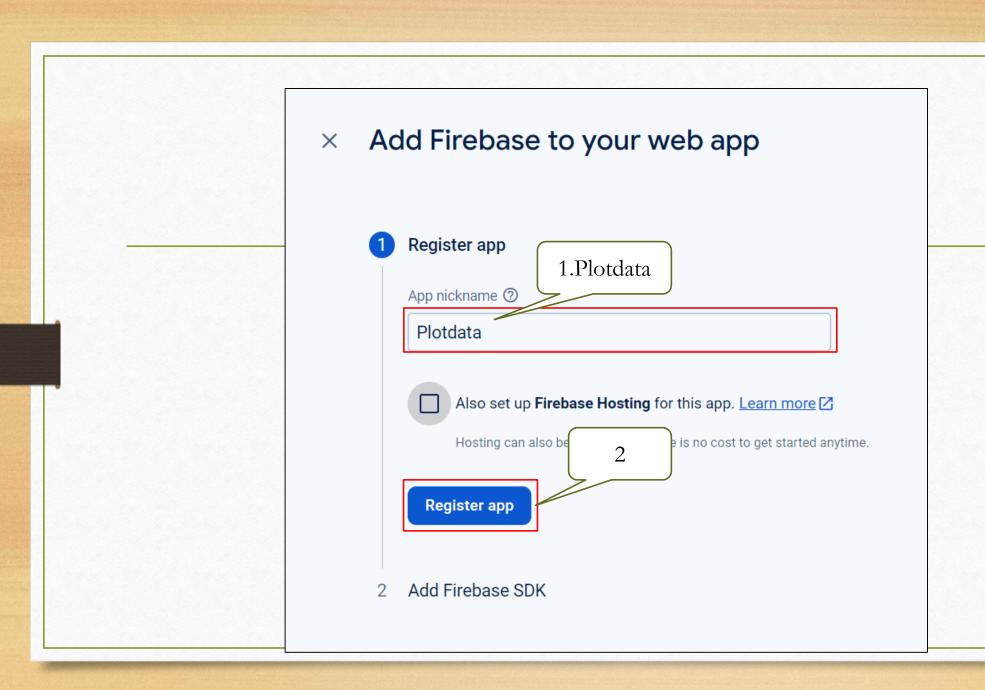
Add App

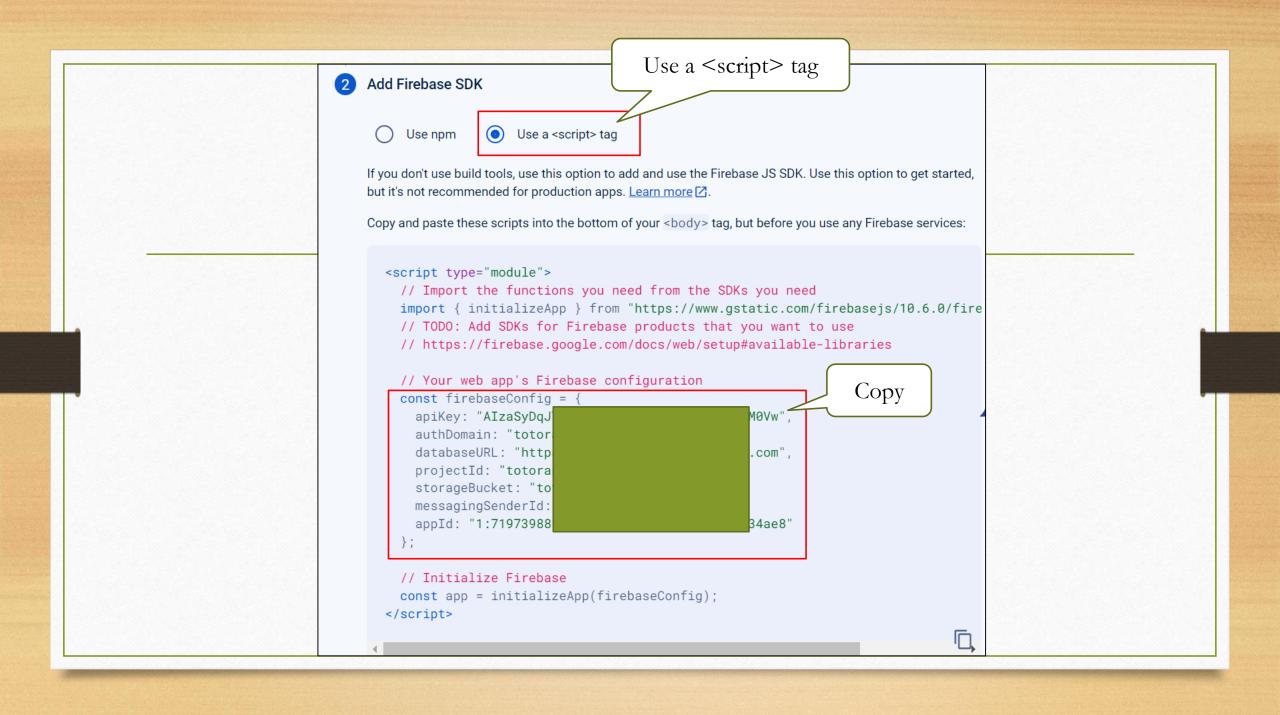




Add Web





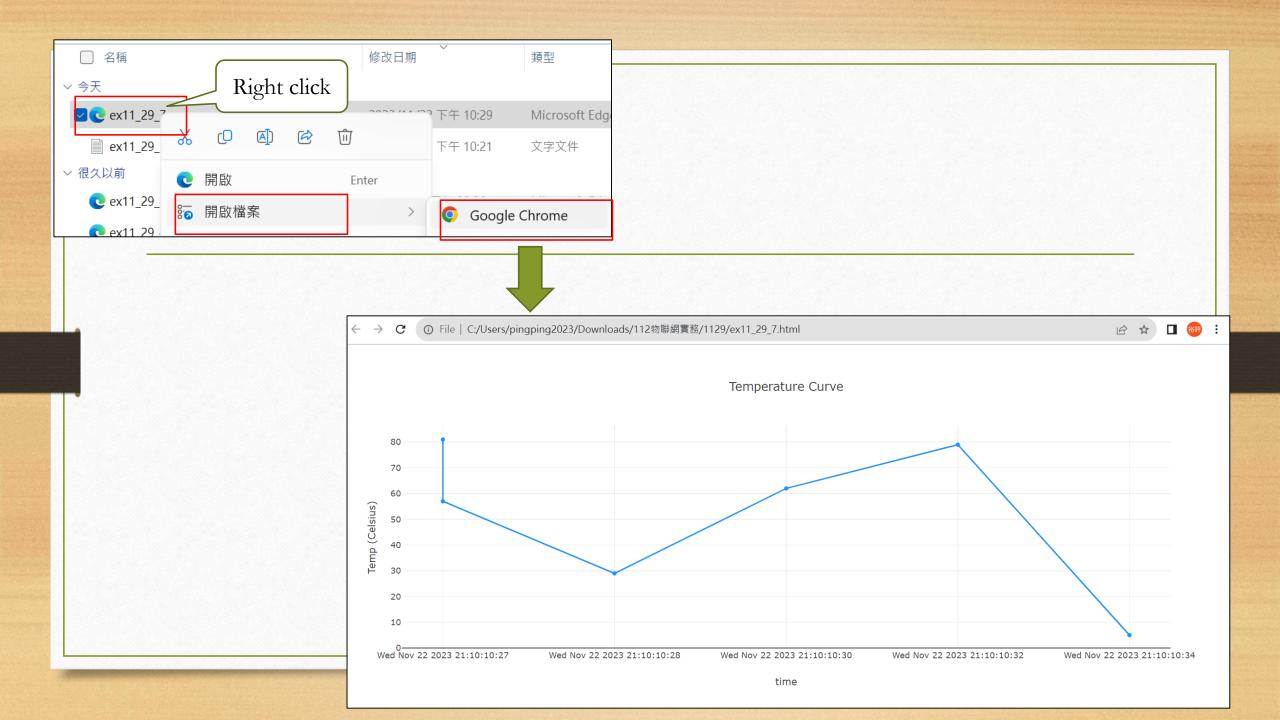


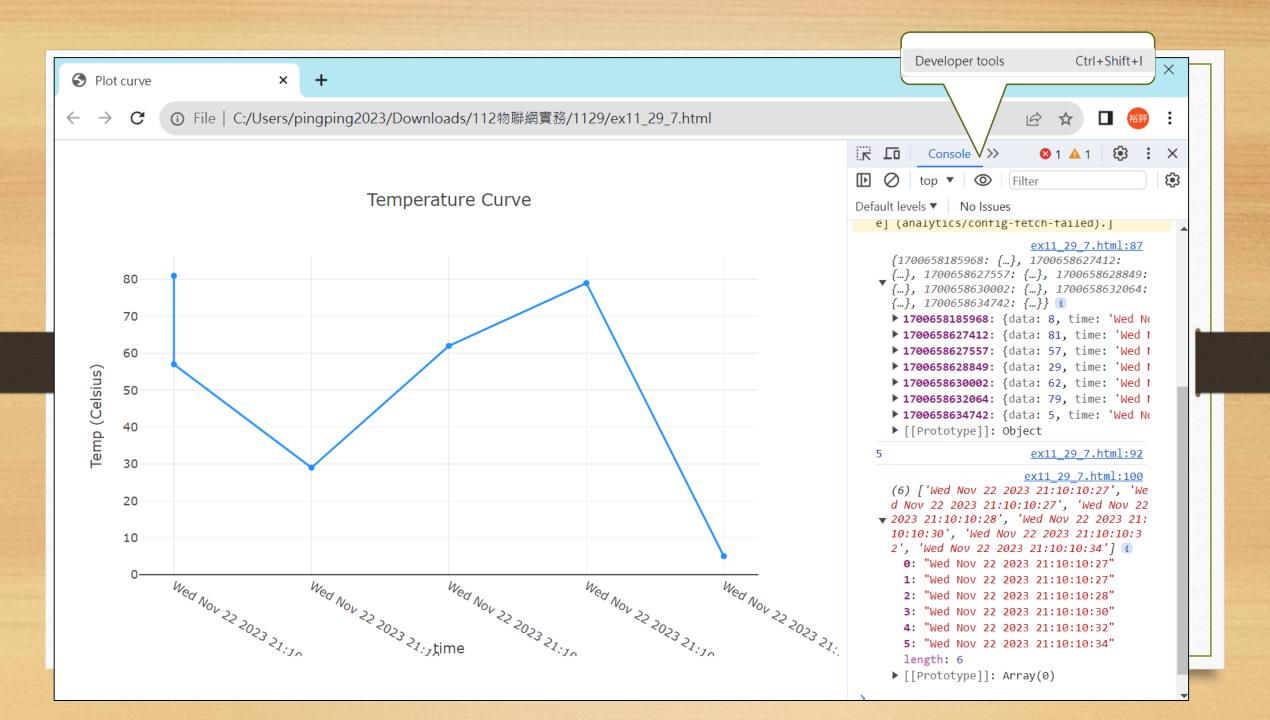
Paste to ex_11_29_7.txt

```
📇 ex6-1-2.txt 🗷 🔚 ex6-1-3.txt 🗵 🔡 ex6-1-4.txt 🗵 🔡 ht52352main.c 🗷 🔠 index.html 🗷 🛗 ex11_29_7.html 🗵 🛗 ex11_29_7.txt 🗵
        loadmodel(); //呼叫載入模型函數
58
59
       _*/
 60
61
          // Your web app's Firebase configuration
62
          // For Firebase JS SDK v7.20.0 and later, measurementId is optional
63
64
65
                                                                              Paste
          var firebaseConfig = {
 66
             apiKey: "AIzaSyDuBlpS8ZxxxxxxxxhthsESHU",
67
            authDomain: "xxxxxxxxxxxx.firebaseapp.com",
68
            databaseURL: "https://xxxxxxxxxxxxxxx.firebaseio.com",
69
            projectId: "xxxxxxxxxxxxxxxxxxxxx",
 70
 71
            storageBucket: "xxxxxxxxxxxxxxxxaappspot.com",
72
            messagingSenderId: "xxxxxx79",
            appId: "xxxxxxxxxxxxxxxxc67ce",
73
            measurementId: "xxxxxxxxxxx"
74
75
76
77
79
          // Initialize Firebase
81
82
          firebase.initializeApp(firebaseConfig);
          firebase.analytics();
83
84
86
          firebase.database().ref("plotdata").on('value', function (snapshot) {
```

Save As ex_11_29_7.html

```
📑 ex6-1-2.txt 🗵 블 ex6-1-3.txt 🗵 블 ex6-1-4.txt 🗵 블 ht52352main.c 🗵 블 index.html 🗵 블 ex11_29_7.html 🗵
                                                                                                      4 >
       <!DOCTYPE html>
     -\left<html>
     =<head>
 5
       <title>Ping Pong</title>
       <script src="https://unpkg.com/@tensorflow/tfjs"></script>
       <script src="https://cdn.plot.ly/plotly-latest.min.js"></script>
 9
       <!-- The core Firebase JS SDK is always required and must be listed first -->
       <script src="https://www.gstatic.com/firebasejs/7.21.0/firebase-app.js"></script>
10
11
12
      -- TODO: Add SDKs for Firebase products that you want to use
13
            https://firebase.google.com/docs/web/setup#available-libraries -->
14
       <script src="https://www.gstatic.com/firebasejs/7.21.0/firebase-analytics.js"></script>
15
16
17
       <script src="https://www.gstatic.com/firebasejs/7.21.0/firebase-database.js"></script>
18
      =<style>
       h1 {text-align: center;}
19
20
21
22
      -</style>
23
      -</head>
24
25
      -<body>
26
      27
       -
28
       <div id="epf" style="width:100%;height:500px;"></div>
29
       <h1><div id="status" style="center" ></div></h1>
```

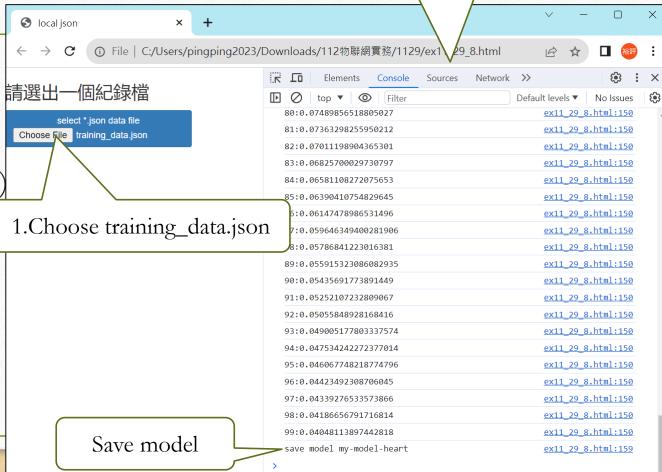






Developer tools Ctrl+Shift+I

- Training Model
- ex11_29_8.html
- (copy from ex11_29_8.txt)
- AI play ping pong game



Homework 11-2

• Open "ex11_29_7.html" and save as "ex11_29_9.html"

- Delete /* */
- /* */

Open "ex11_29_9.html" with google chrome

