

《物理与人工智能》

10. 举例-生成对抗网络

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鸣谢：基于[slazebni](#)幻灯片



北京大学



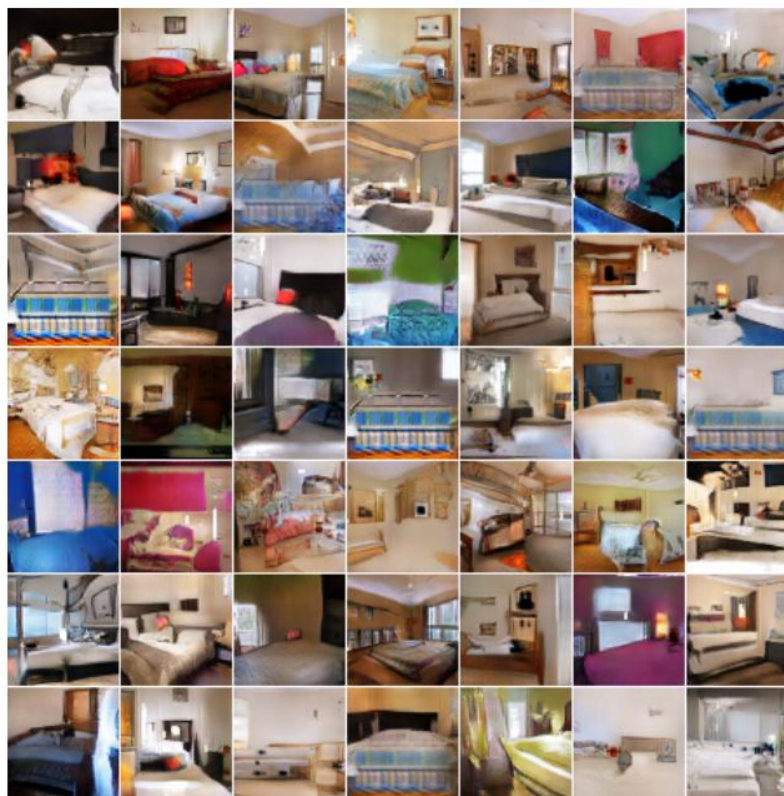


Outline

- Generative modeling tasks
- Original GAN formulation
- Alternative GAN objectives

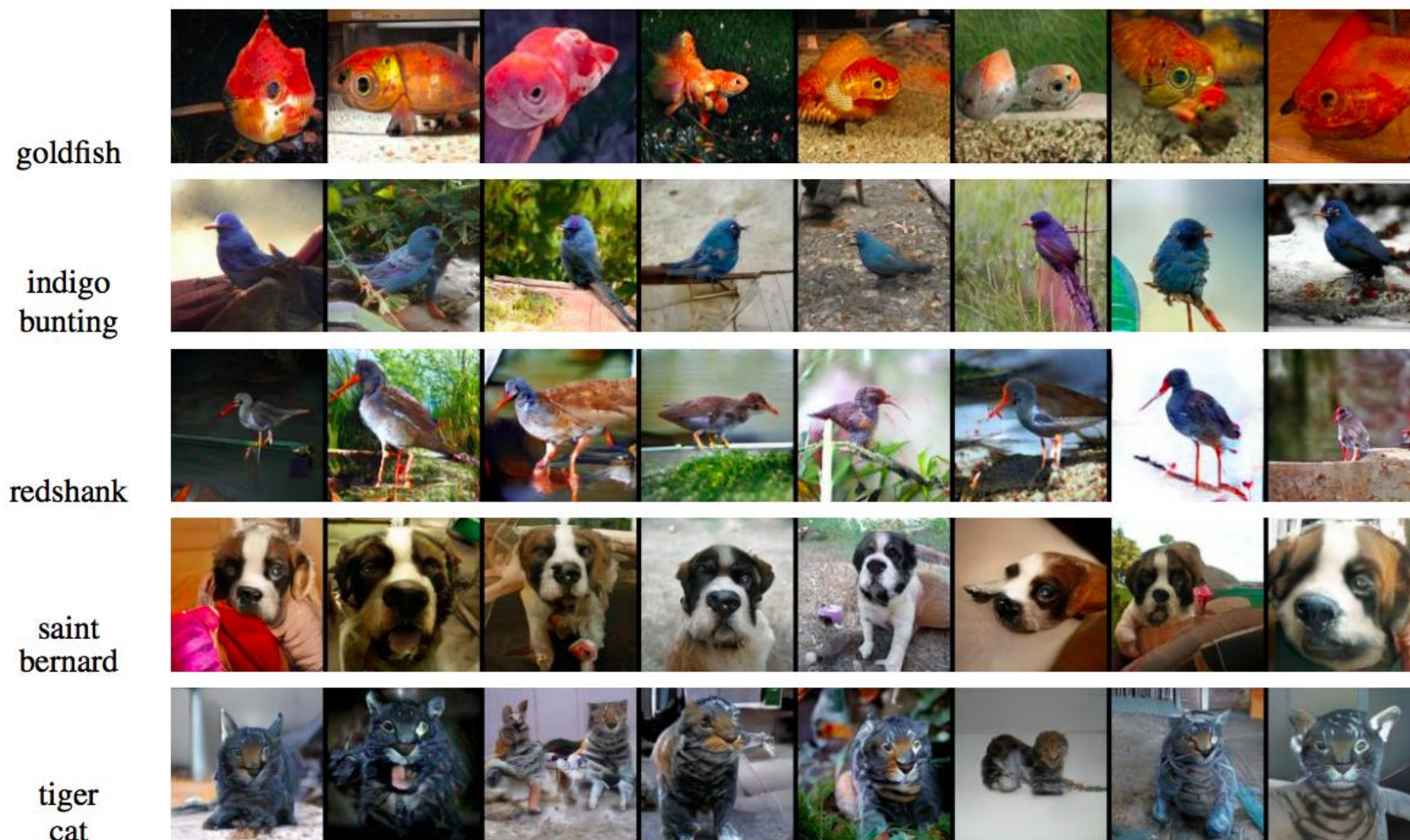
Generative modeling tasks

- Generation: learn to sample from the distribution represented by the training set



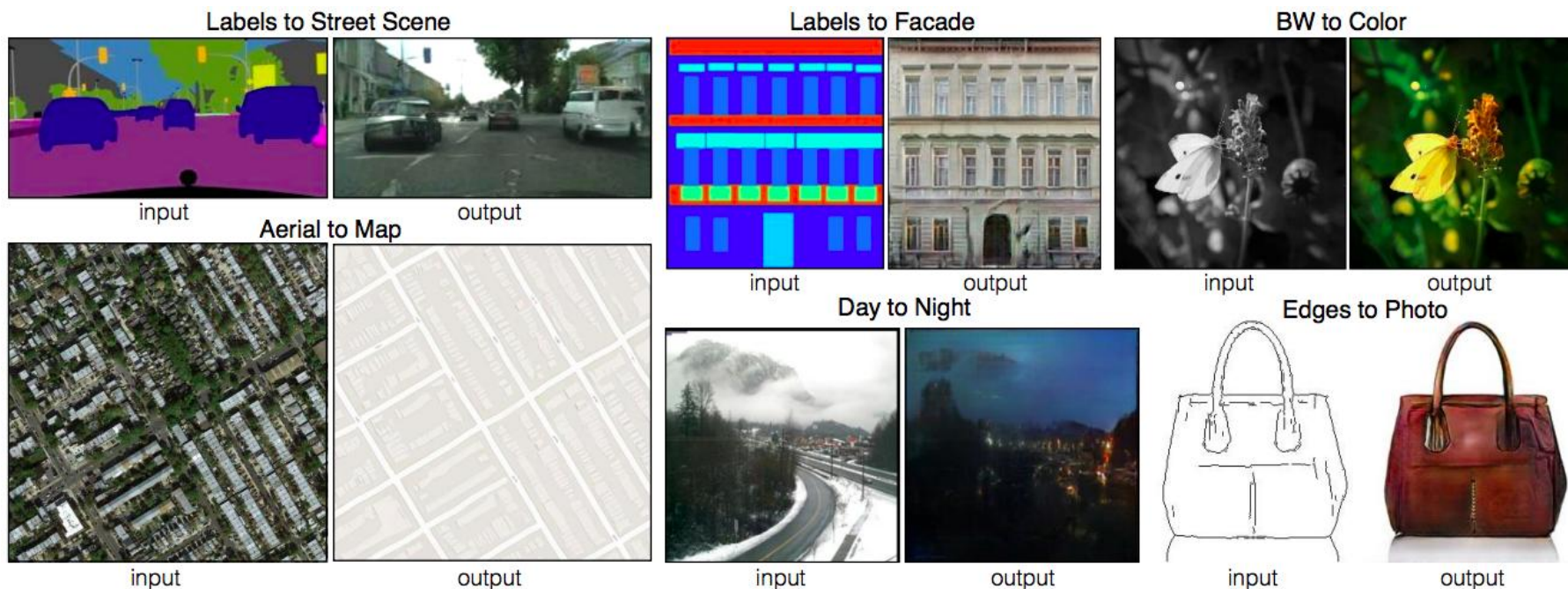
Generative modeling tasks

- Generation conditioned on class label or text prompt



Generative modeling tasks

- Generation conditioned on image (*image-to-image translation*)



Designing a network for generative tasks

1. We need an architecture that can generate an image

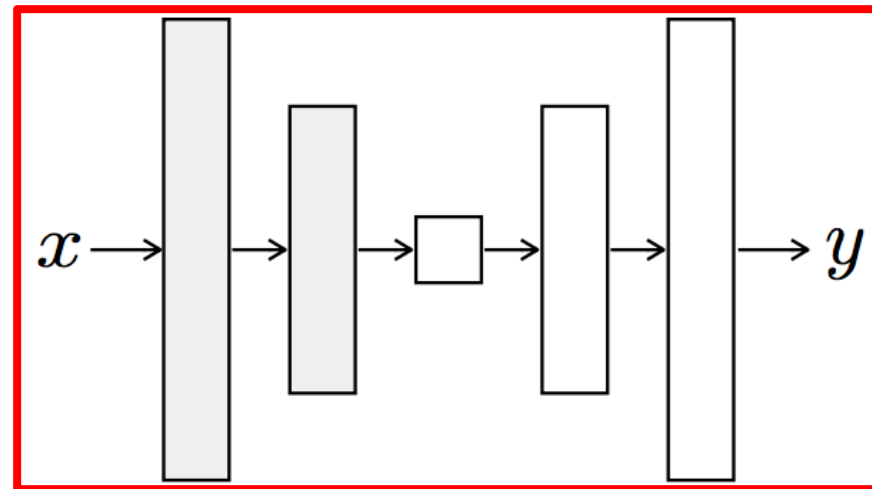
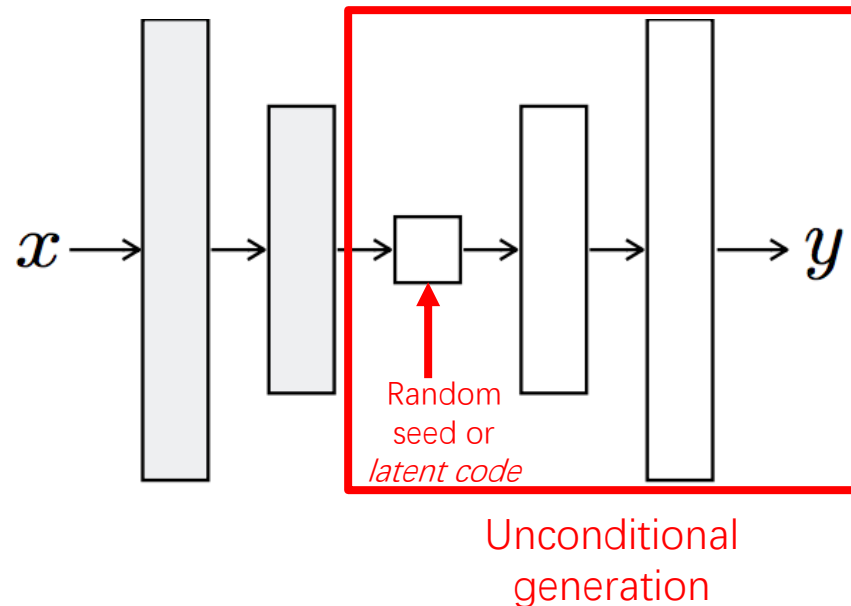


Image-to-image translation

Designing a network for generative tasks

1. We need an architecture that can generate an image



Designing a network for generative tasks

1. We need an architecture that can generate an image
2. We need to design the right loss function and training framework

Learning to sample



Training data $x \sim p_{\text{data}}$



Generated samples $x \sim p_{\text{model}}$

We want to learn p_{model} that matches p_{data}

Generative adversarial networks

- Train two networks with opposing objectives:
 - **Generator:** learns to generate samples
 - **Discriminator:** learns to distinguish between generated and real samples

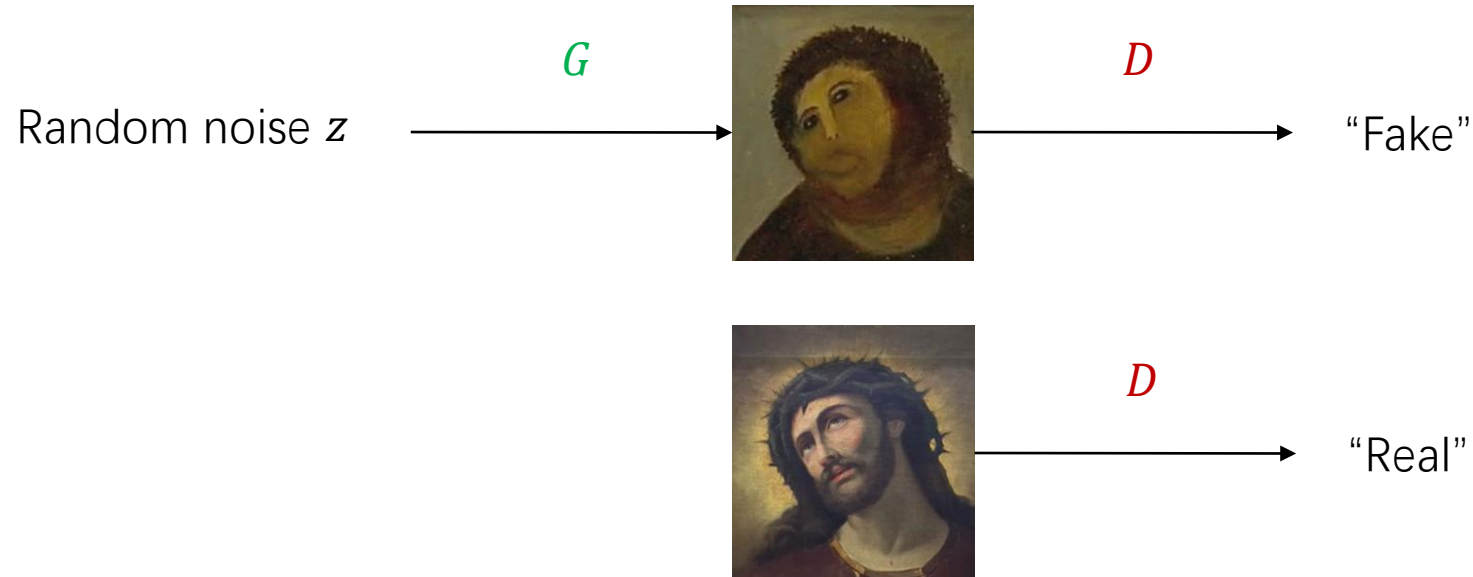
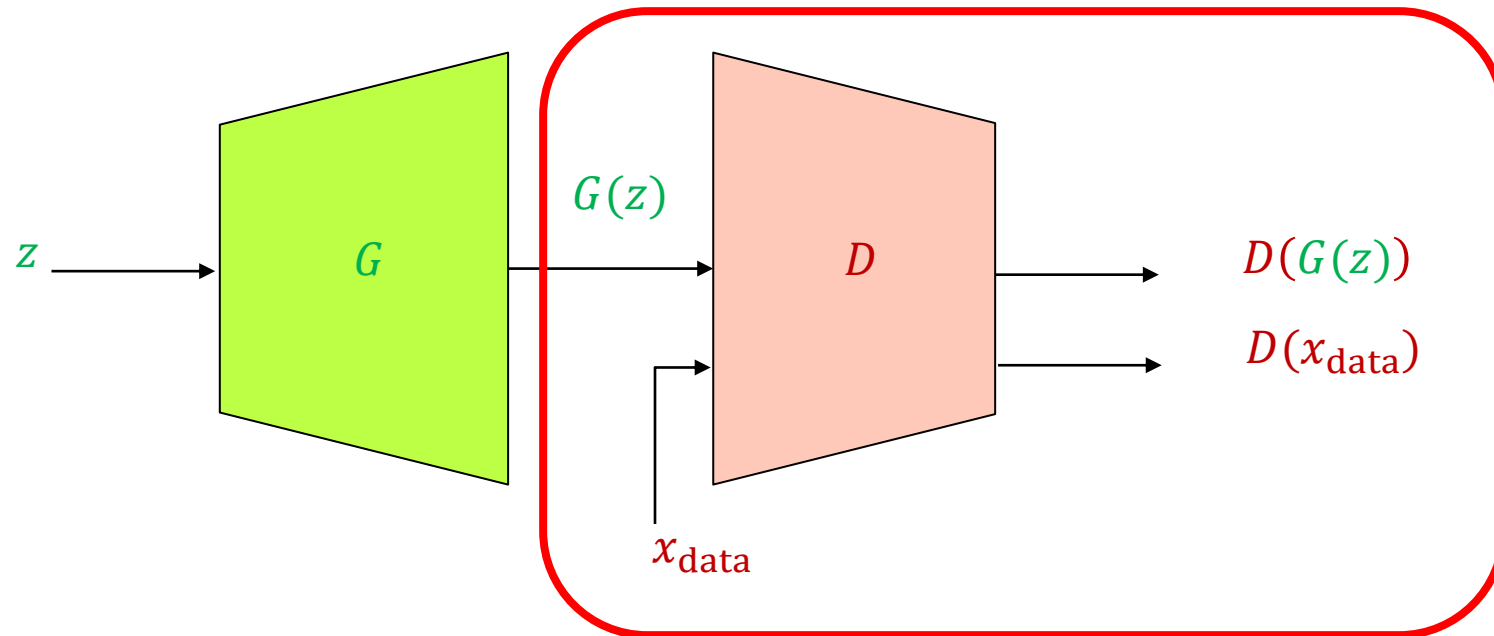


Figure adapted
from [F. Fleuret](#)

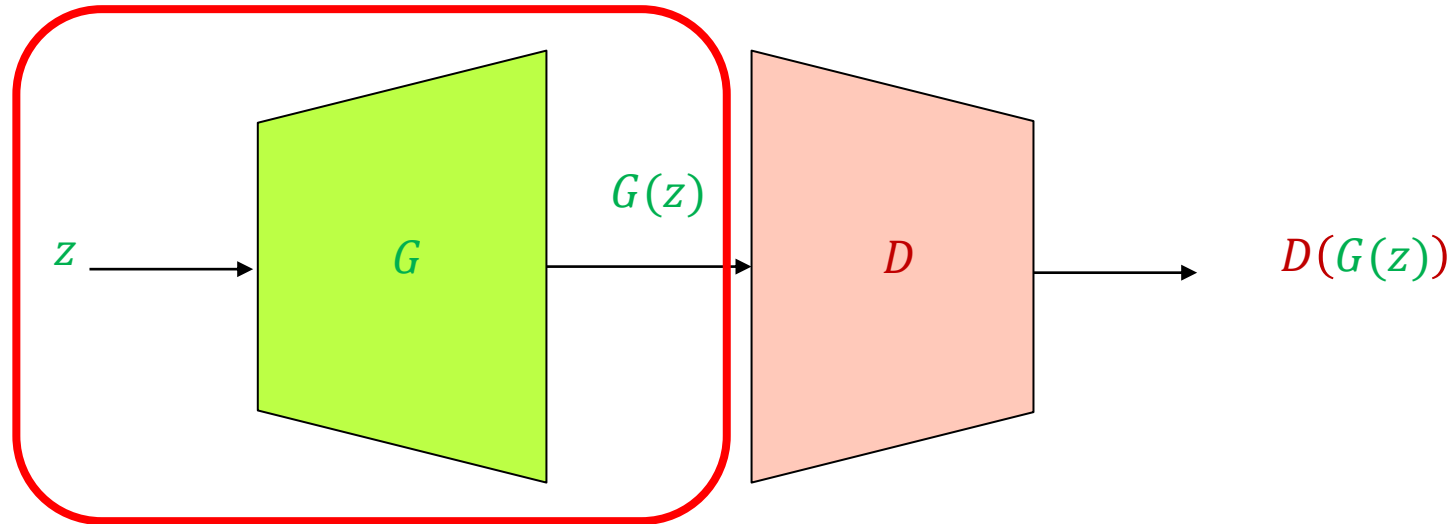
GAN: Schematic picture

- Update discriminator: push $D(x_{\text{data}})$ close to 1 and $D(G(z))$ close to 0
- The generator is a “black box” to the discriminator



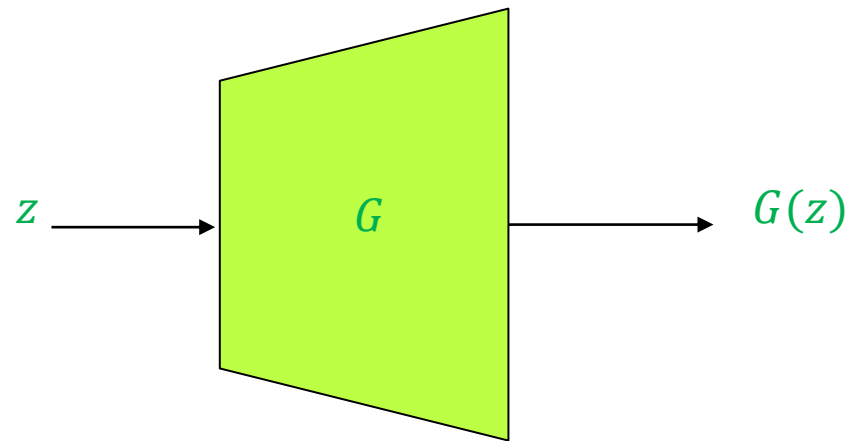
GAN: Schematic picture

- Update generator: increase $D(G(z))$
 - Requires back-propagating through the composed generator-discriminator network (i.e., the discriminator cannot be a black box)
 - The generator is exposed to real data only via the output of the discriminator *and its gradients*



GAN: Schematic picture

- Test time – the discriminator is discarded



Original GAN results

MNIST digits



Toronto Face Dataset



↑
Nearest real image for
sample to the left

Original GAN results

CIFAR-10 (FC networks)

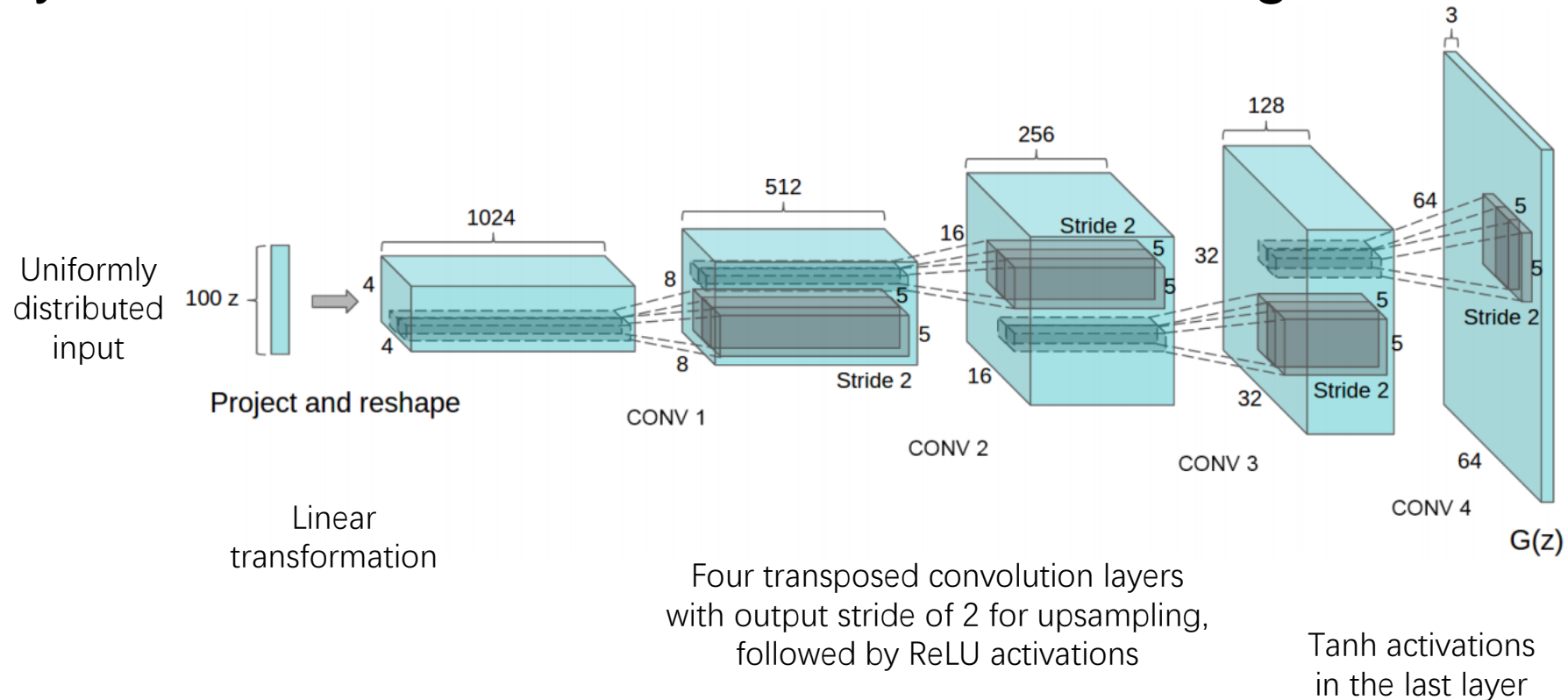


CIFAR-10 (conv networks)



DCGAN

- Early, influential convolutional architecture for generator



DCGAN

- Early, influential convolutional architecture for generator
- Discriminator architecture (empirically determined to give best training stability):
 - Don't use pooling, only strided convolutions
 - Use Leaky ReLU activations (sparse gradients cause problems for training)
 - Use only one FC layer before the softmax output
 - Use batch normalization after most layers (in the generator also)

DCGAN results

Generated bedrooms after one epoch



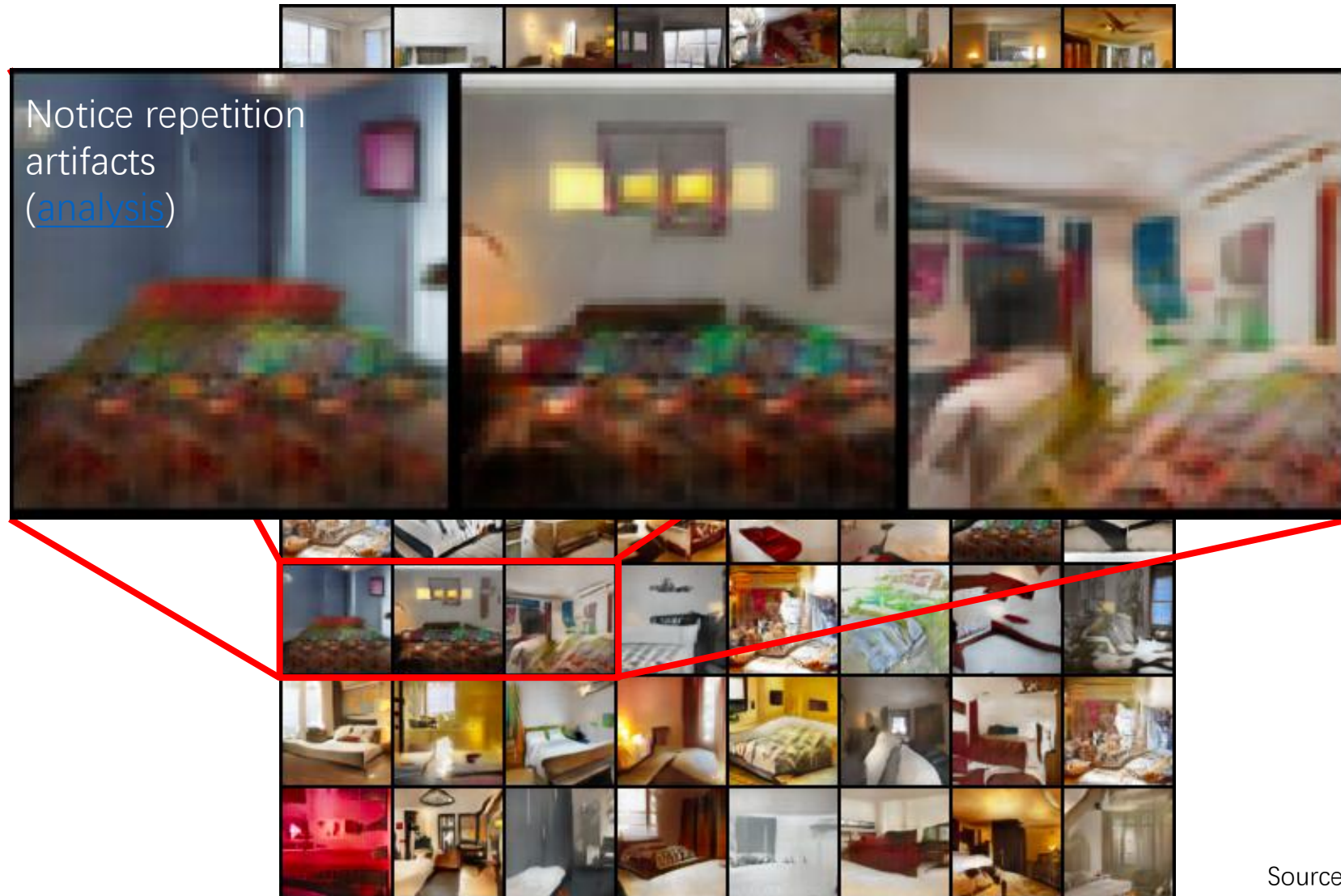
DCGAN results

Generated bedrooms after five epochs



DCGAN results

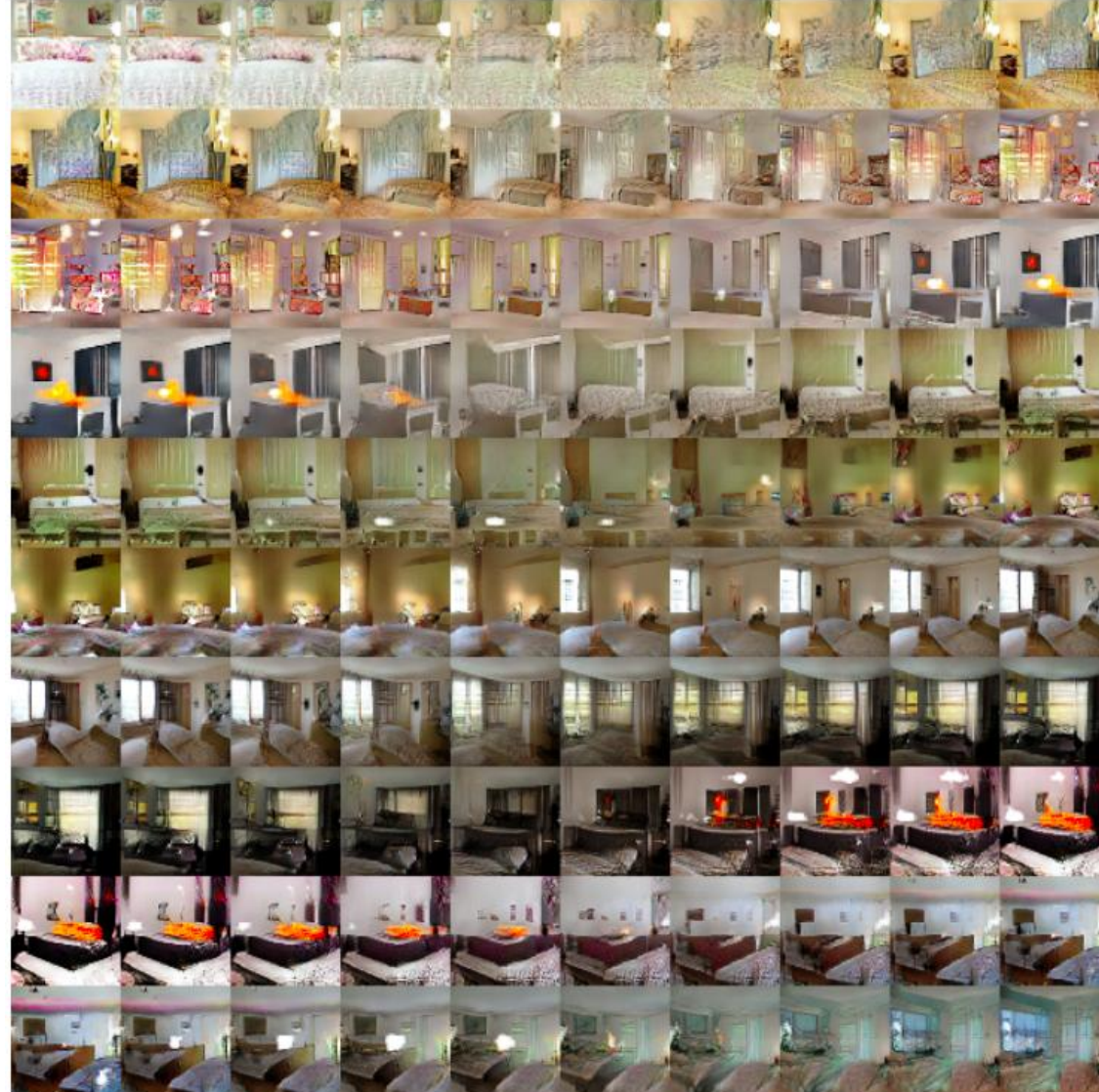
More bedrooms



Source: F. Fleuret

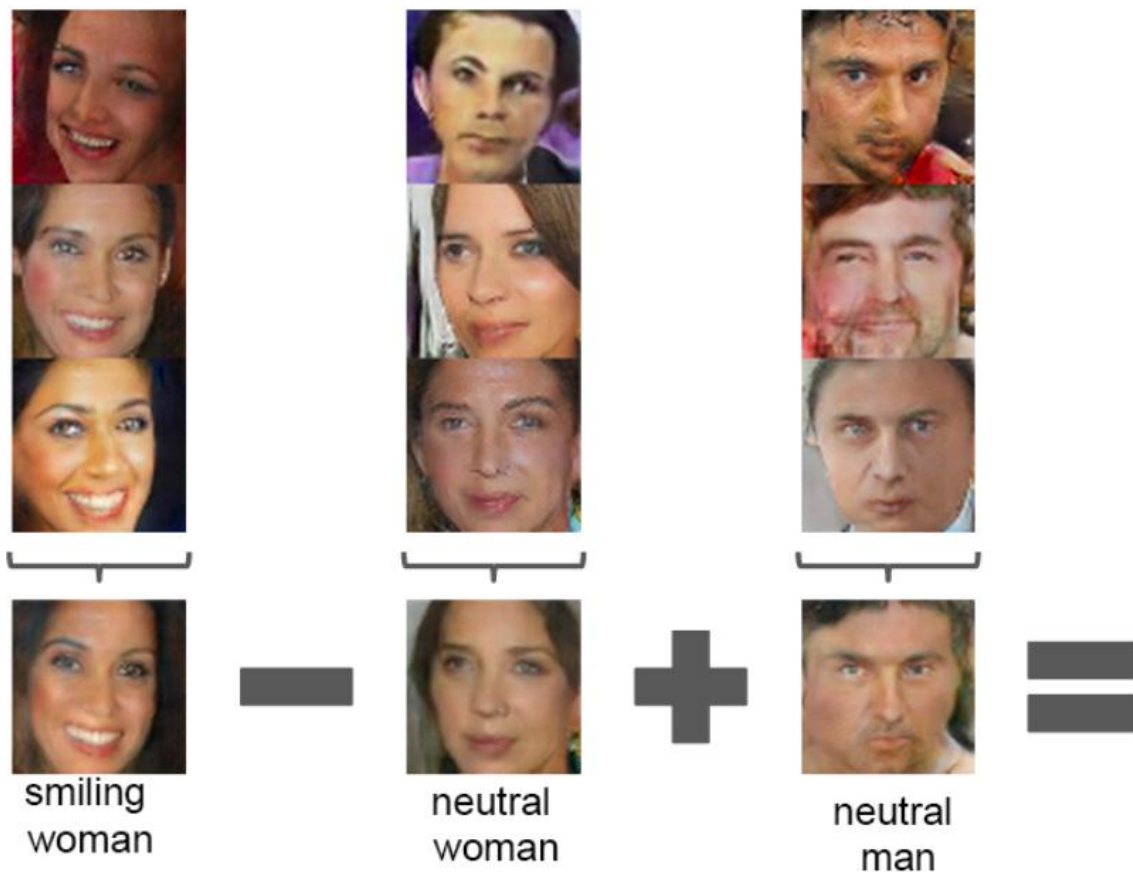
DCGAN results

Interpolation between different points in the z space



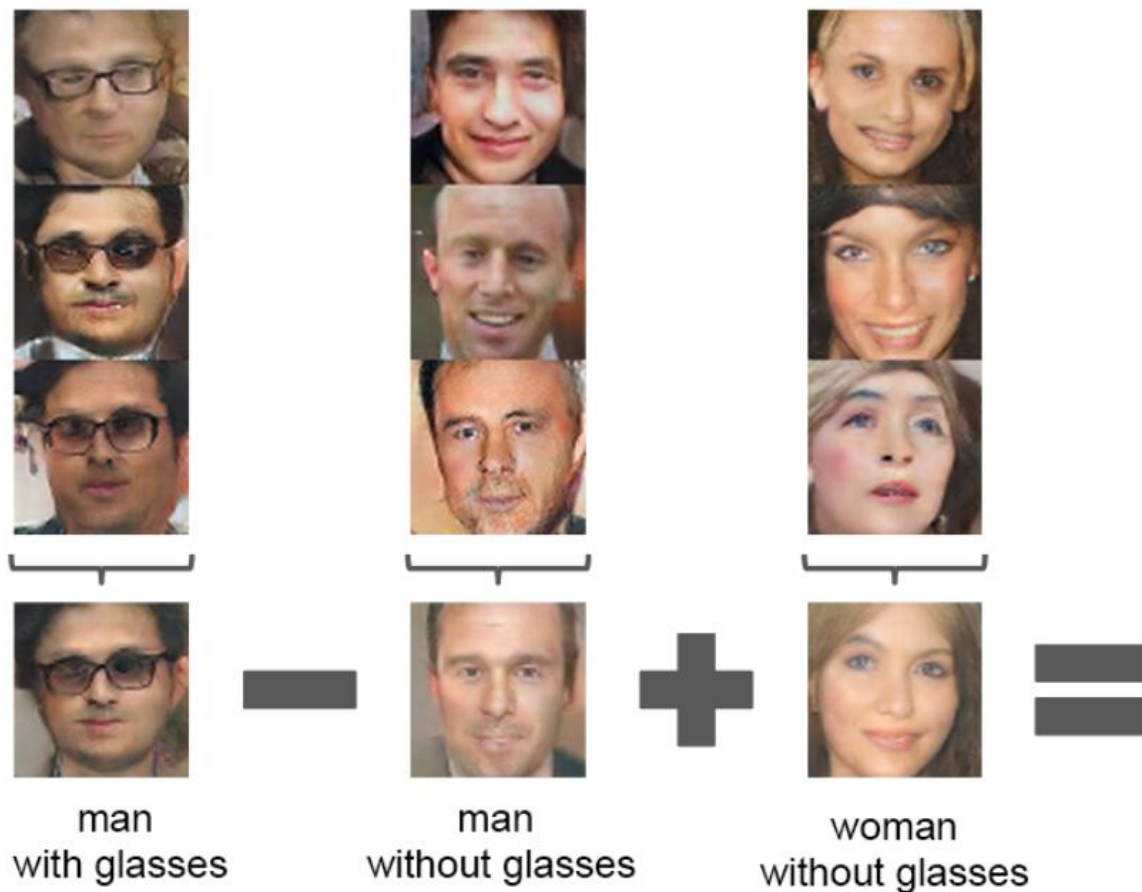
DCGAN results

- Vector arithmetic in the z space



DCGAN results

- Vector arithmetic in the z space



DCGAN results

- Pose transformation by adding a “turn” vector

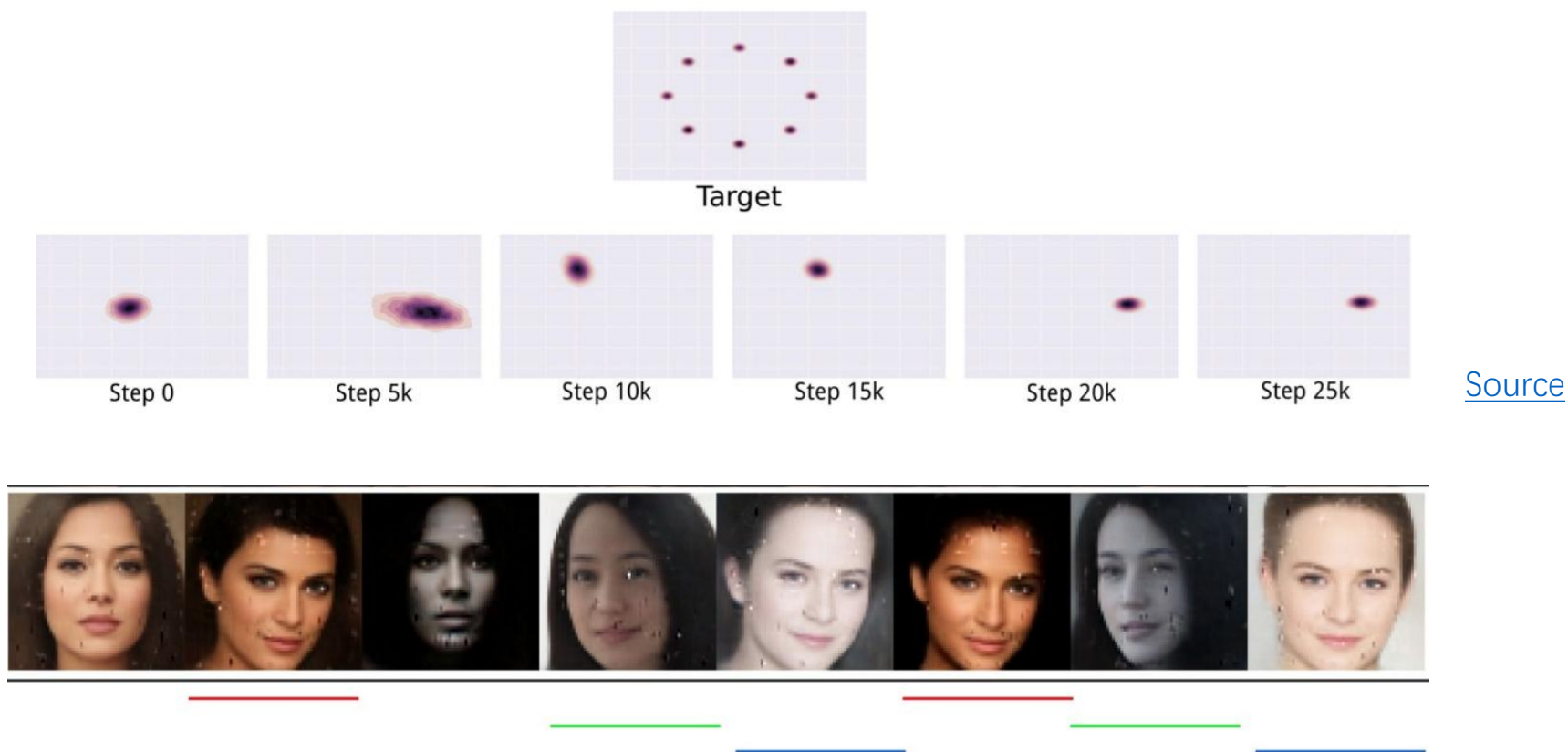


Problems with GAN training

- Stability
 - Parameters can oscillate or diverge, generator loss does not correlate with sample quality
 - Behavior very sensitive to hyperparameter selection

Problems with GAN training

- Mode collapse
 - Generator ends up modeling only a small subset of the training data



Outline

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Wasserstein GAN (WGAN)

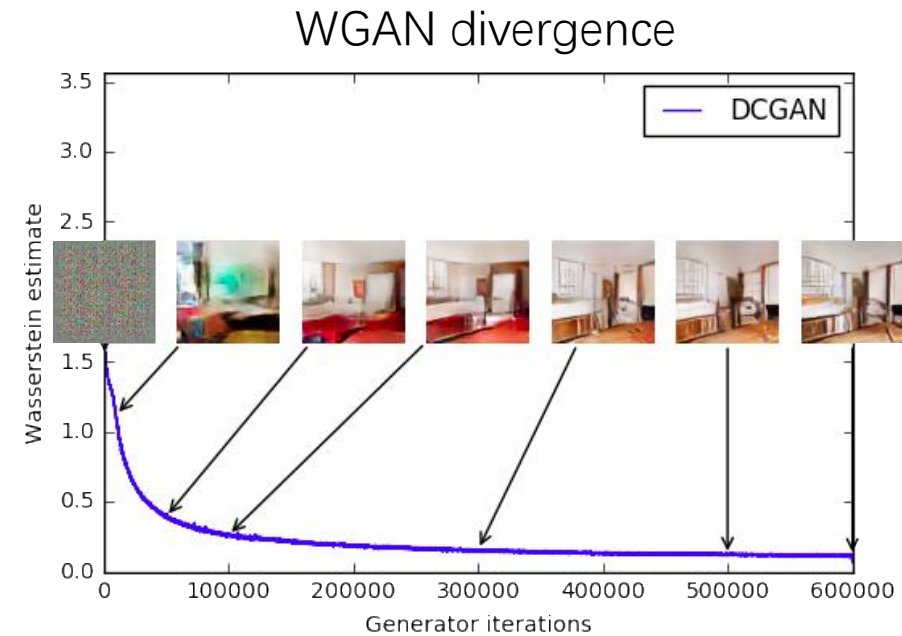
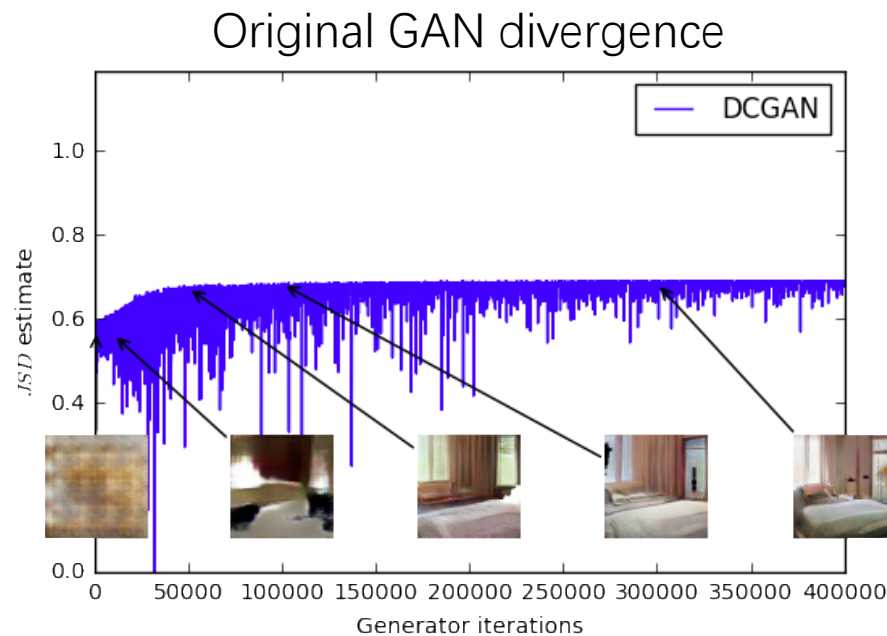
- Motivated by *Wasserstein or Earth mover's distance*, which is an alternative to JS divergence for comparing distributions
 - In practice, use linear activation instead of sigmoid in the discriminator and drop the logs from the objective:

$$\min_G \max_D \left[\mathbb{E}_{x \sim p_{\text{data}}} D(x) - \mathbb{E}_{z \sim p} D(G(z)) \right]$$

- Due to theoretical considerations, important to ensure smoothness of discriminator
- This paper's suggested method is clipping weights to fixed range $[-c, c]$

Wasserstein GAN (WGAN)

- Benefits (claimed)
 - Better gradients, more stable training
 - Objective function value is more meaningfully related to quality of generator output



Improved Wasserstein GAN (WGAN-GP)






- Weight clipping leads to problems with discriminator training
- Improved Wasserstein discriminator loss:

$$\mathbb{E}_{\tilde{x} \sim p_{\text{gen}}} D(\tilde{x}) - \mathbb{E}_{x \sim p_{\text{real}}} D(x) \\ + \lambda \mathbb{E}_{\hat{x} \sim p_{\hat{x}}} [(\|\nabla_{\hat{x}} D(\hat{x})\|_2 - 1)^2]$$

Unit norm gradient penalty on
points \hat{x} obtained by interpolating
real and generated samples

Improved Wasserstein GAN: Results

DCGAN	LSGAN	WGAN (clipping)	WGAN-GP (ours)
Baseline (G : DCGAN, D : DCGAN)			
			
G : No BN and a constant number of filters, D : DCGAN			
			
G : 4-layer 512-dim ReLU MLP, D : DCGAN			
			
No normalization in either G or D			
			
Gated multiplicative nonlinearities everywhere in G and D			
			
tanh nonlinearities everywhere in G and D			
			
101-layer ResNet G and D			
			

Least Squares GAN (LSGAN)

- Use least squares cost for generator and discriminator
 - Equivalent to minimizing Pearson χ^2 divergence

$$L_D = \mathbb{E}_{x \sim p_{\text{data}}} (D(x) - 1)^2 + \mathbb{E}_{z \sim p} (D(G(z)))^2$$

Push discrim.
response on real
data close to 1

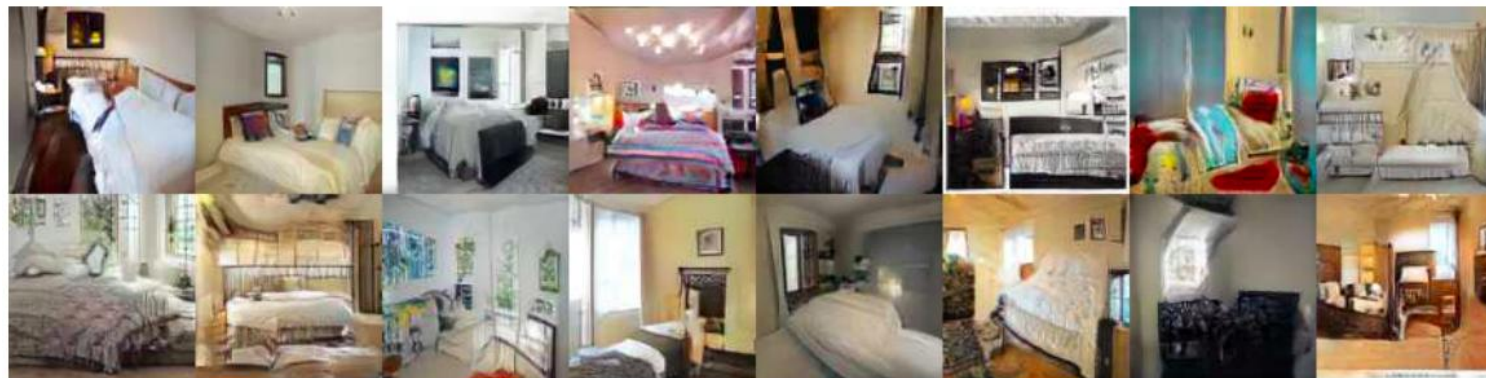
Push response on
generated data close to 0

$$L_G = \mathbb{E}_{z \sim p} (D(G(z)) - 1)^2$$

Push response on
generated data close to 1

Least Squares GAN (LSGAN)

- Benefits (claimed)
 - Higher-quality images



(a) Generated images (112×112) by LSGANs.

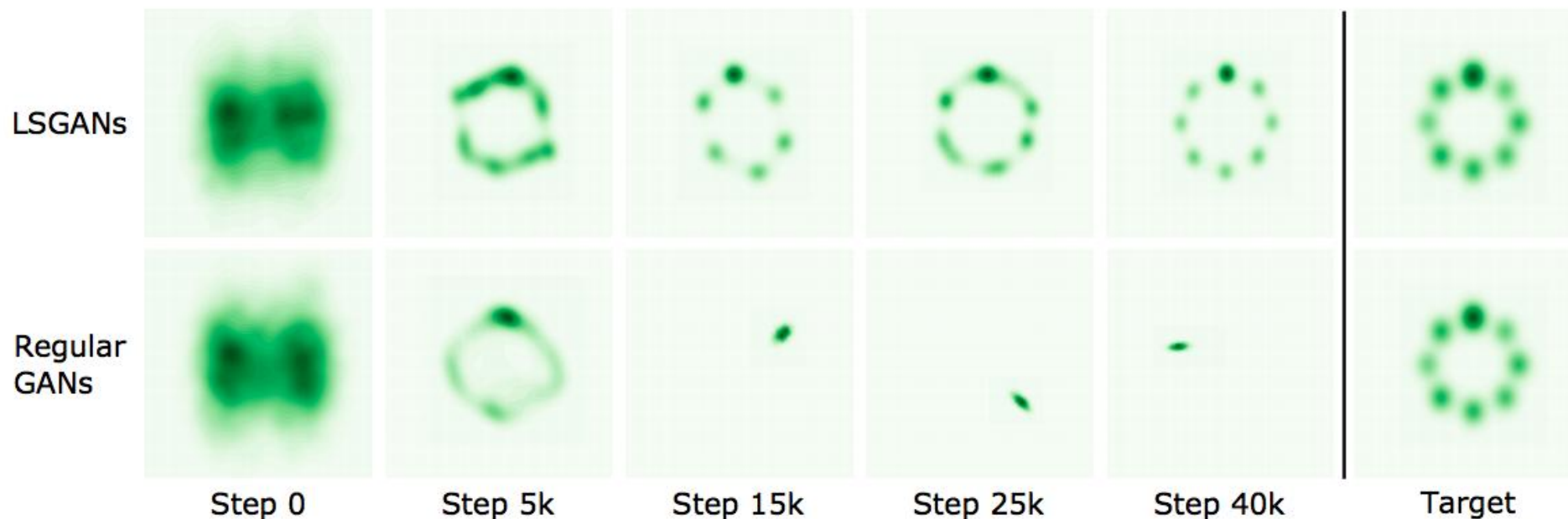


(b) Generated images (112×112) by DCGANs.

X. Mao et al. [Least squares generative adversarial networks](#). ICCV 2017

Least Squares GAN (LSGAN)

- Benefits (claimed)
 - Higher-quality images
 - More stable and resistant to mode collapse



GAN with hinge loss

- Discriminator: Drive discriminator score on real data above 1, on generated data below -1

$$L_D = -\mathbb{E}_{x \sim p_{\text{data}}} [\min(0, D(x) - 1)] \\ - \mathbb{E}_{z \sim p} [\min(0, -D(G(z)) - 1)]$$

- Generator: maximize discriminator score on generated data

$$L_G = -\mathbb{E}_{z \sim p} D(G(z))$$

谢谢



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