

# Coherent One Way (COW) QKD Protocol

INSTITUIÇÕES ASSOCIADAS



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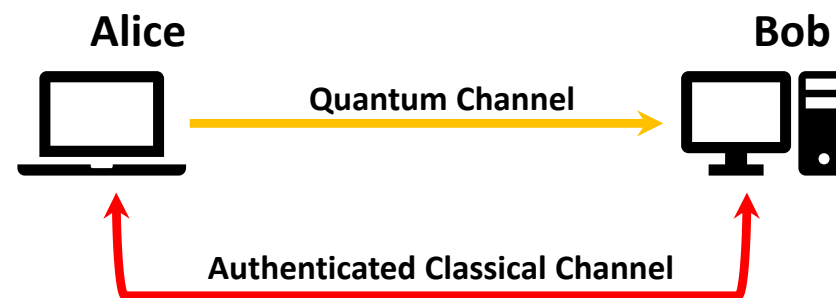


# Quantum Key Distribution

- Quantum Key Distribution (QKD) is a secure way of create and share a unique random key between two spatially distant parties.
- Polarization QKD vs Time Bin QKD.

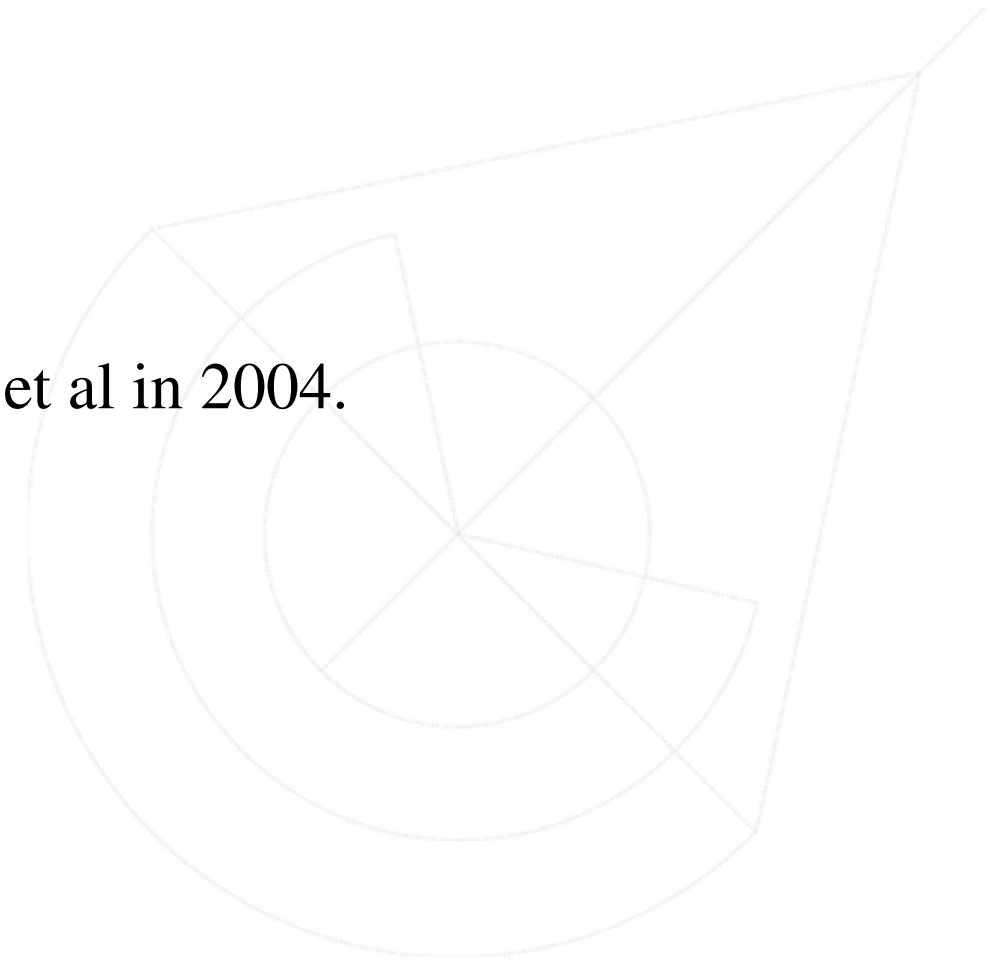
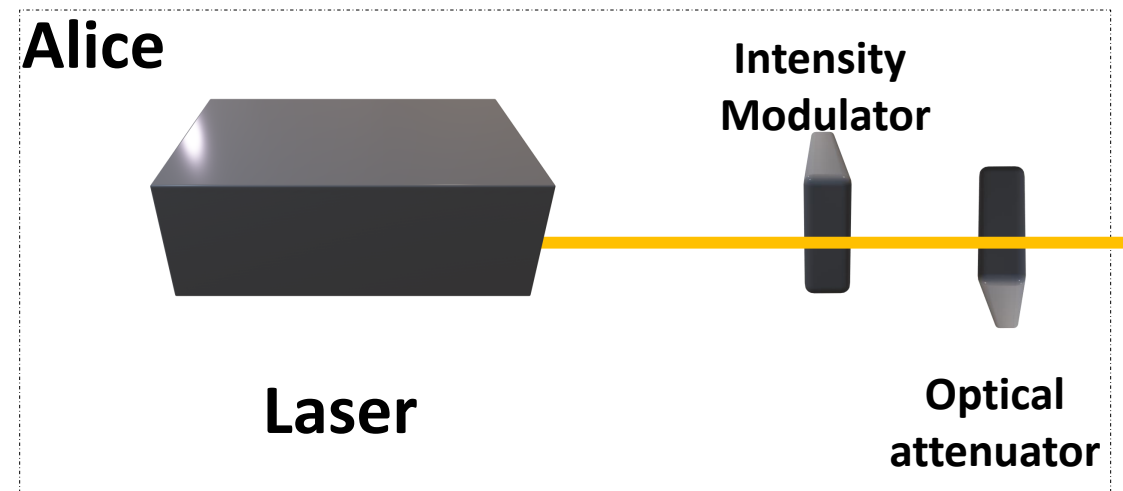
They use:

- One quantum channel (with one way transmission)
- And one authenticated classic channel (can be eavesdropped but can't be modified).



# Time Bin QKD

- The Coherent One Way (COW) protocol was elaborated by Nicolas Gisin et al in 2004.
- Uses time bin encoding.
- It has a very simple setup.



# Alice - COW protocol

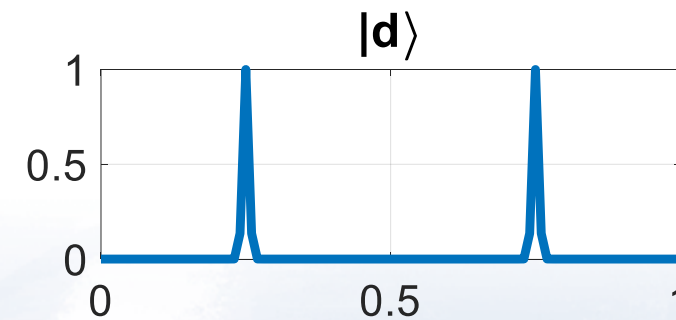
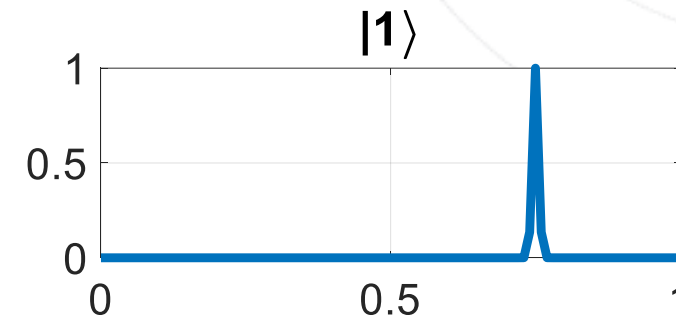
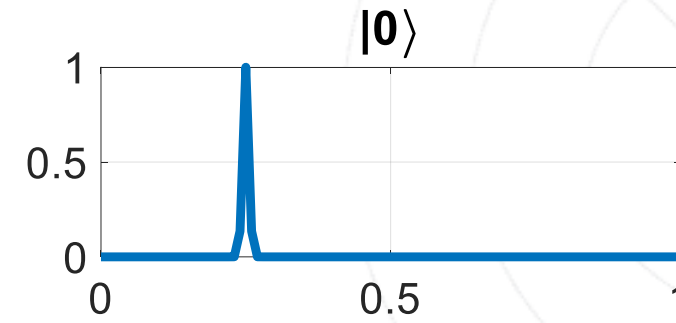
**Step 1** Alice creates a random key using:

$$|0\rangle = |\alpha\rangle|\emptyset\rangle = \textit{Logical 0}$$

$$|1\rangle = |\emptyset\rangle|\alpha\rangle = \textit{Logical 1}$$

$$|d\rangle = |\alpha\rangle|\alpha\rangle = \textit{DecoyState}$$

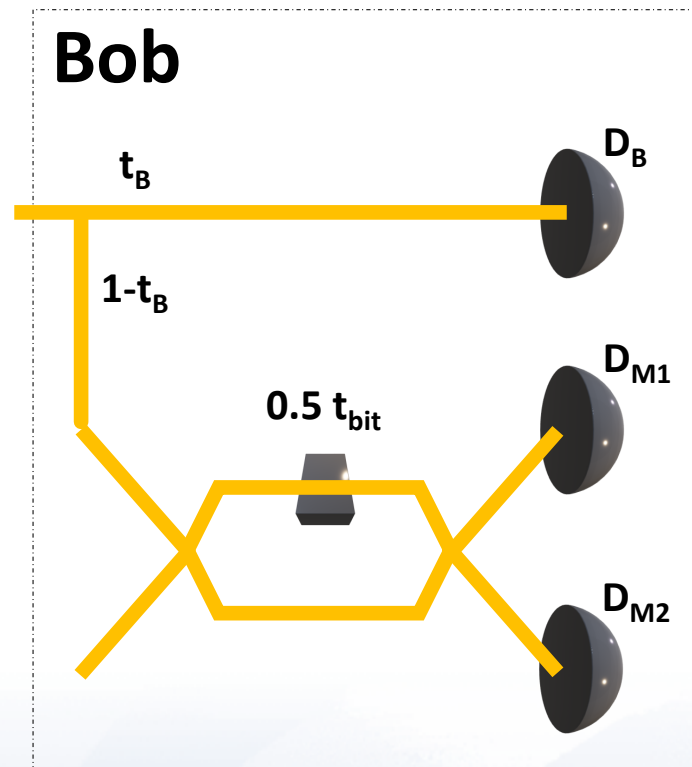
Where  $|\emptyset\rangle$  is the vacuum state and  $|\alpha\rangle$  is a coherent state of light with intensity  $\mu = |\alpha|^2 \ll 1$ .



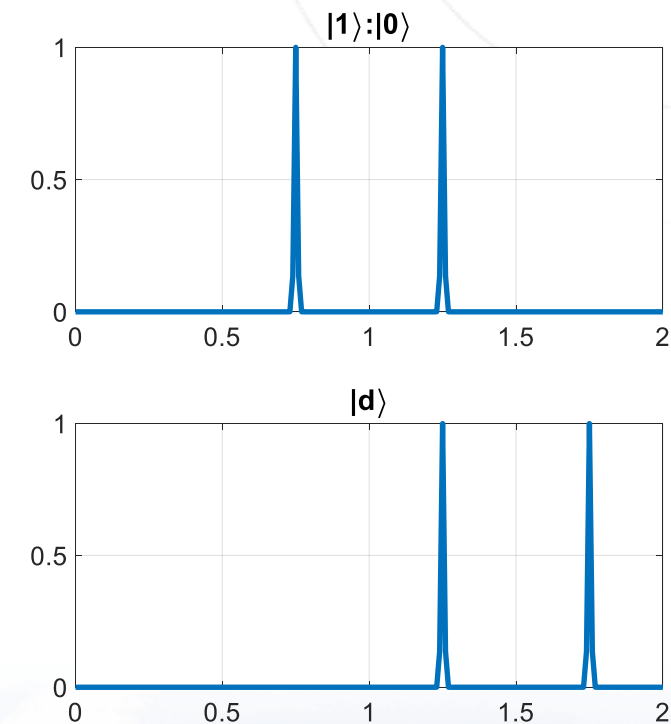
# Bob - COW protocol

**Step 2** A fraction  $t_B$  of the photons go into the photon counter  $D_B$ , where the bits are discriminated by the time of arrival.

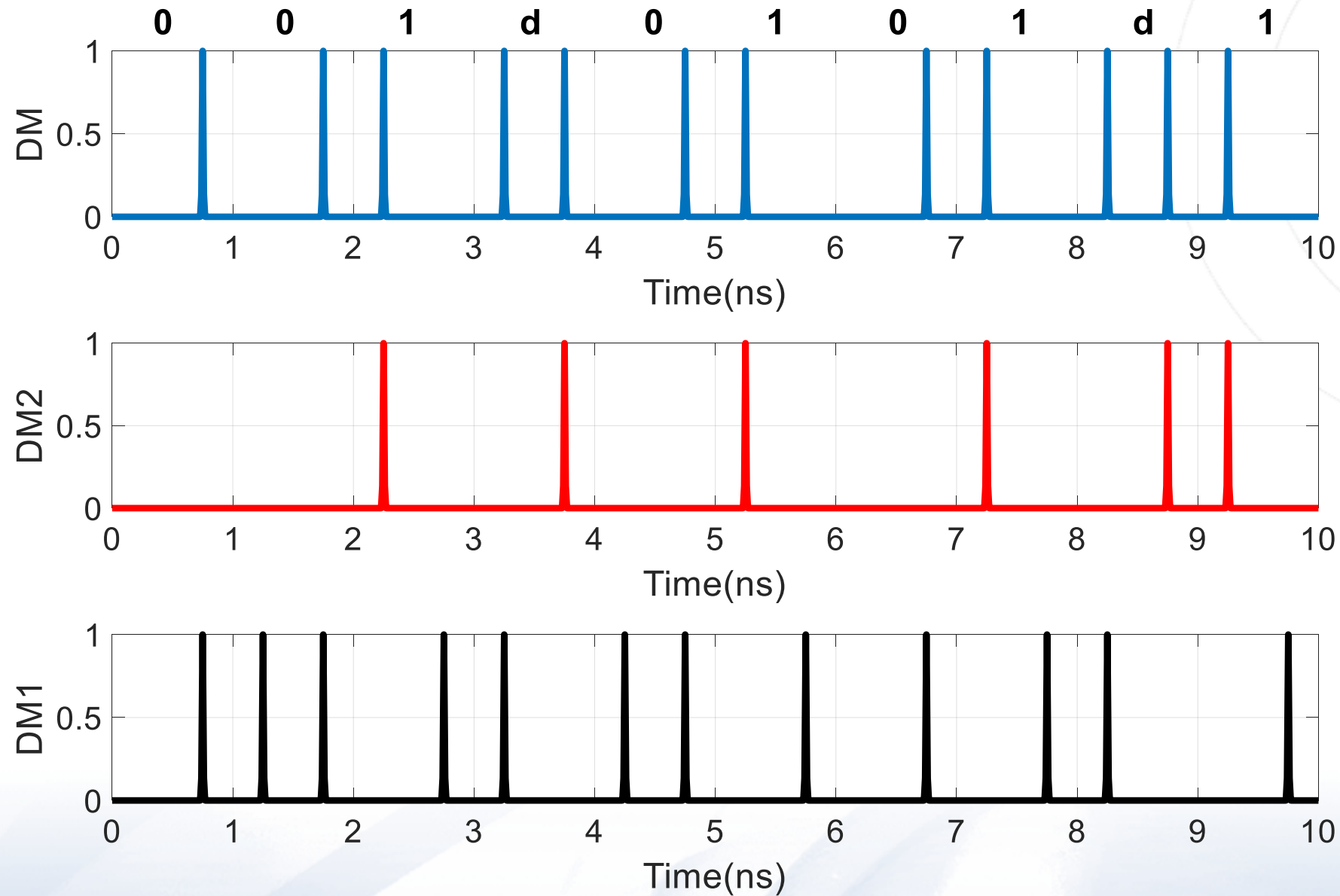
Half of the other photons are delayed by  $0.5 t_{bit}$  interacting with the half of non-delayed bits.



Therefore  $D_{M2}$  (constructive photon counter) should only click when:



# Monitoring line - COW protocol





# Testing Visibility and Errors - COW protocol

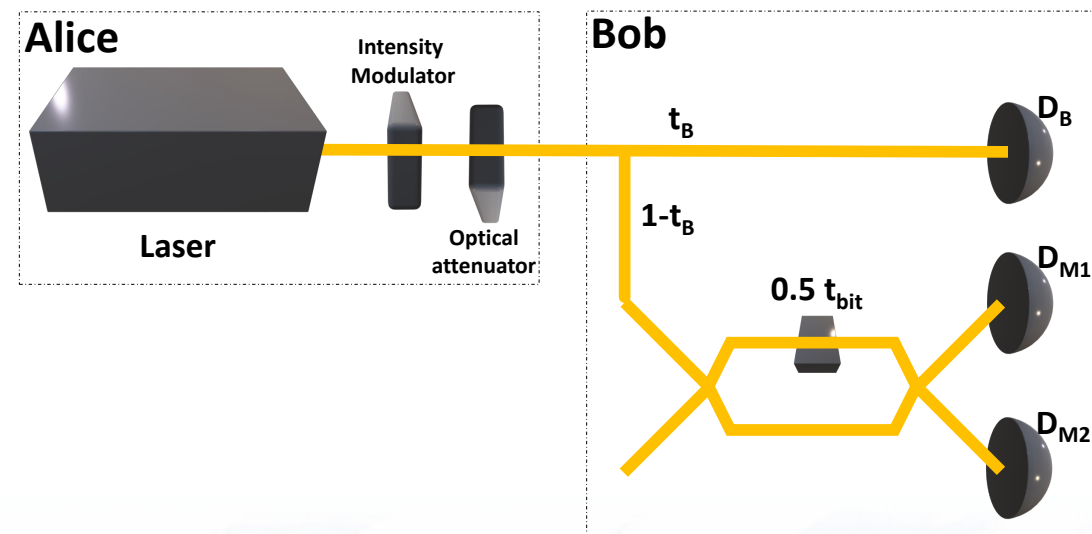
**Step 3** Alice tell the decoy times. Bob checks if the  $D_{M2}$  has fired during those times.

**Step 4** Bob reveals the other times that he had a detection in  $D_{M2}$ , Alice verifies if they belong to a  $|1\rangle : |0\rangle$ .

**Step 5** Bob reveals the times that  $D_B$  fired, and they use those as key.

**Step 6** QBER, check the number of the detections for every detector.

**Step 7** run error correction and privacy amplification.

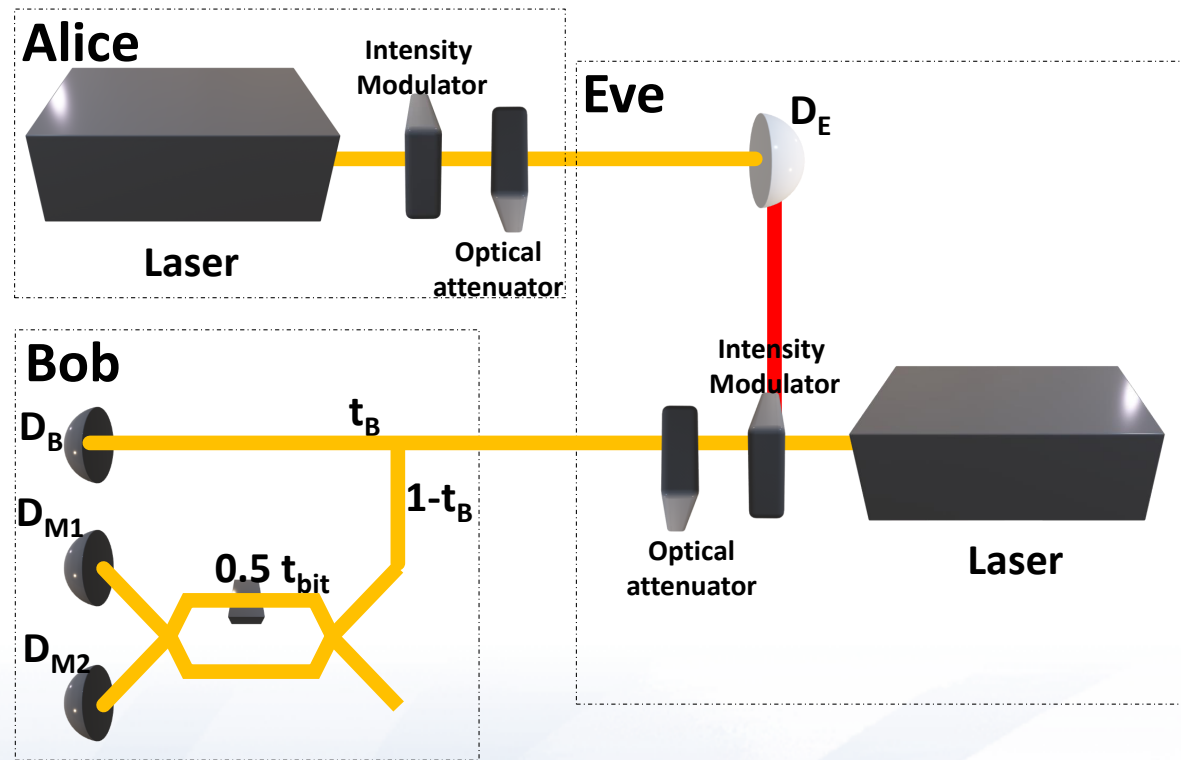


# Security

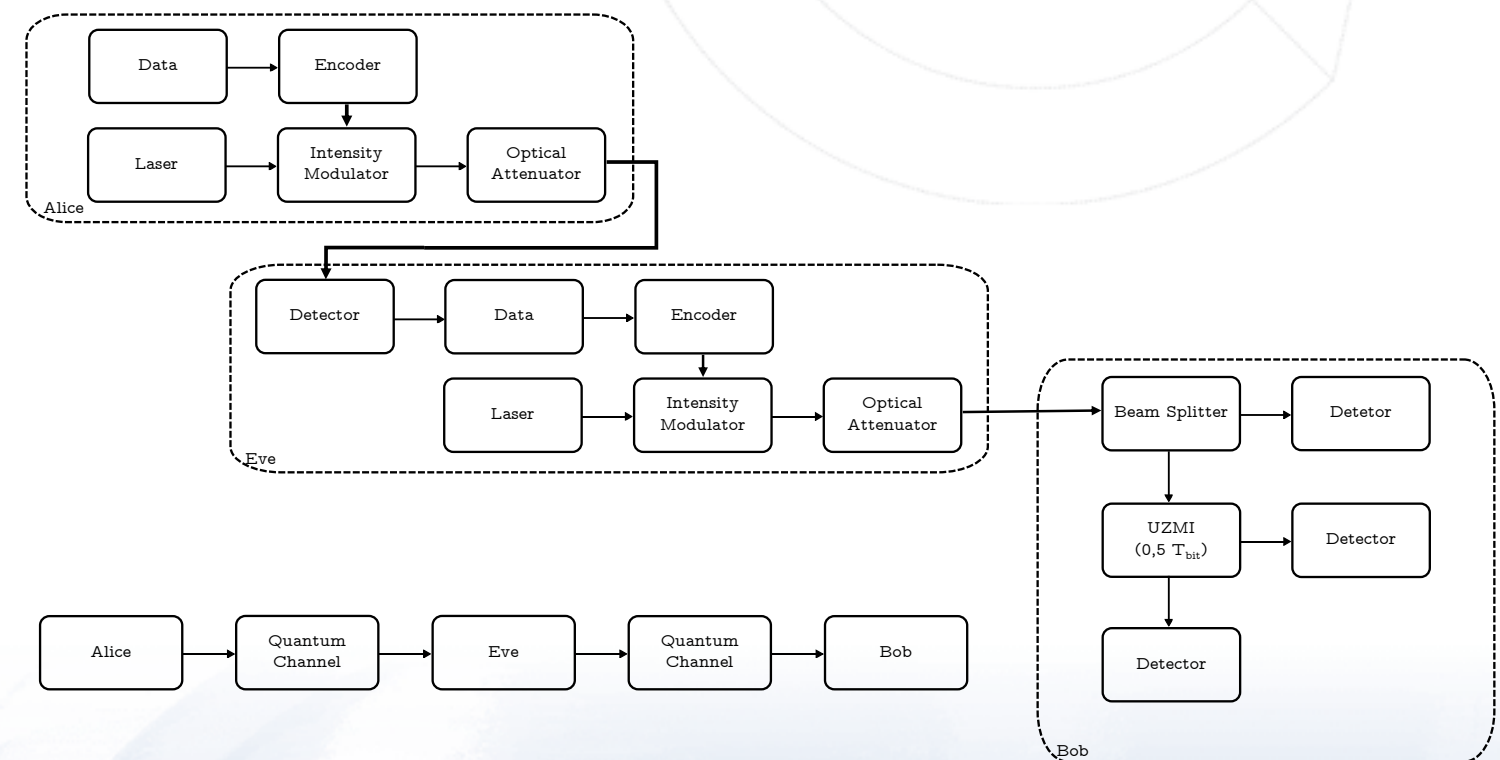
The two main security features of the model is the test of **coherence** and the **Length of the Key**.

We want to see how robust is the protocol to a **Intercept-Resend Attack**. On this attack Eve captures all the information, measures and then resend it to Bob.

Using the same representation as previously:



Using a block Diagram:

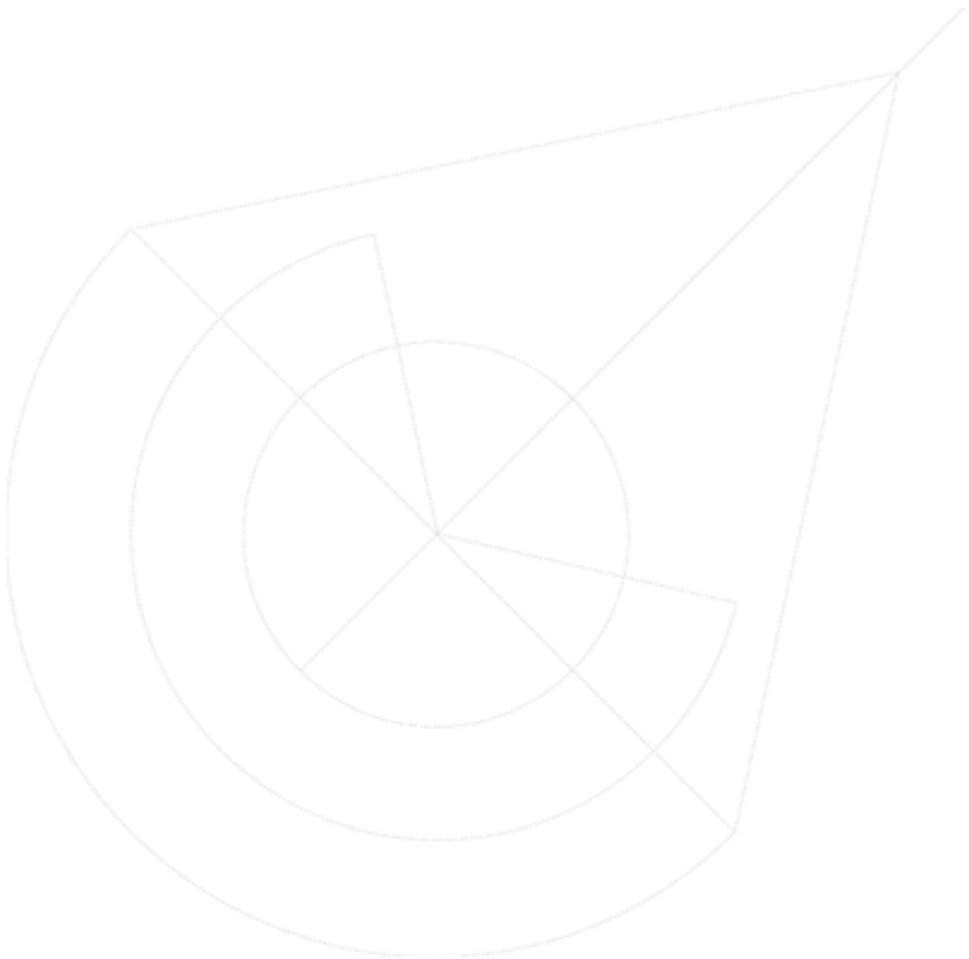




# Simulation

For the Simulation, using a fiber without losses:

Logical Bits from Alice	$10^7$
Probability of Decoy	10 %
Alice Attenuation	0.1
Bob Detectors Efficiency	10 %
Bob DarkCount Probability	$10^{-5}$
Average Over	200 times
Percentage of the Key for QBER	50 %



Note that  $10^7$  logical bits in a fiber with 90% losses and with an attenuation from Alice equal to 0.1 is 1 second with the system working.

In a simulation without attack, and with these variables, the final information that Bob and Alice have is:

	Min	Averag.	Max
QBER	$9.9 \times 10^{-5}$	0.0001366	0.00018906
$B_{M1} + B_{M2}$	95294	96288	97069
Key Length	422730	423898	425281

# IR - Eve Efficiency

Using the Attenuation of Eve equal to 0.1, by changing the efficiency we get:

	Eve Efficiency = 0.1			Eve Efficiency = 0.5			Eve Efficiency = 1		
	Min	Averag.	Max	Min	Averag.	Max	Min	Averag.	Max
QBER	0.0020583	0.73014	1	0.0016881	0.22776	1	0.001729	0.0023946	0.00032631
$B_{M1} + B_{M2}$	0	1106	9261	0	4602	9383	8889	9173	9404
Key Length	85	4968	40642	91	20361	40883	40034	40438	40748

Simulation without attack again for comparison:

	Min	Averag.	Max
QBER	$9.9 \times 10^{-5}$	0.0001366	0.00018906
$B_{M1} + B_{M2}$	95294	96288	97069
Key Length	422730	423898	425281

Eve presence lowers the Key length.

# IR - Eve Attenuation

Assuming that Eve has 100 % efficiency. By altering the value of her attenuation we get:

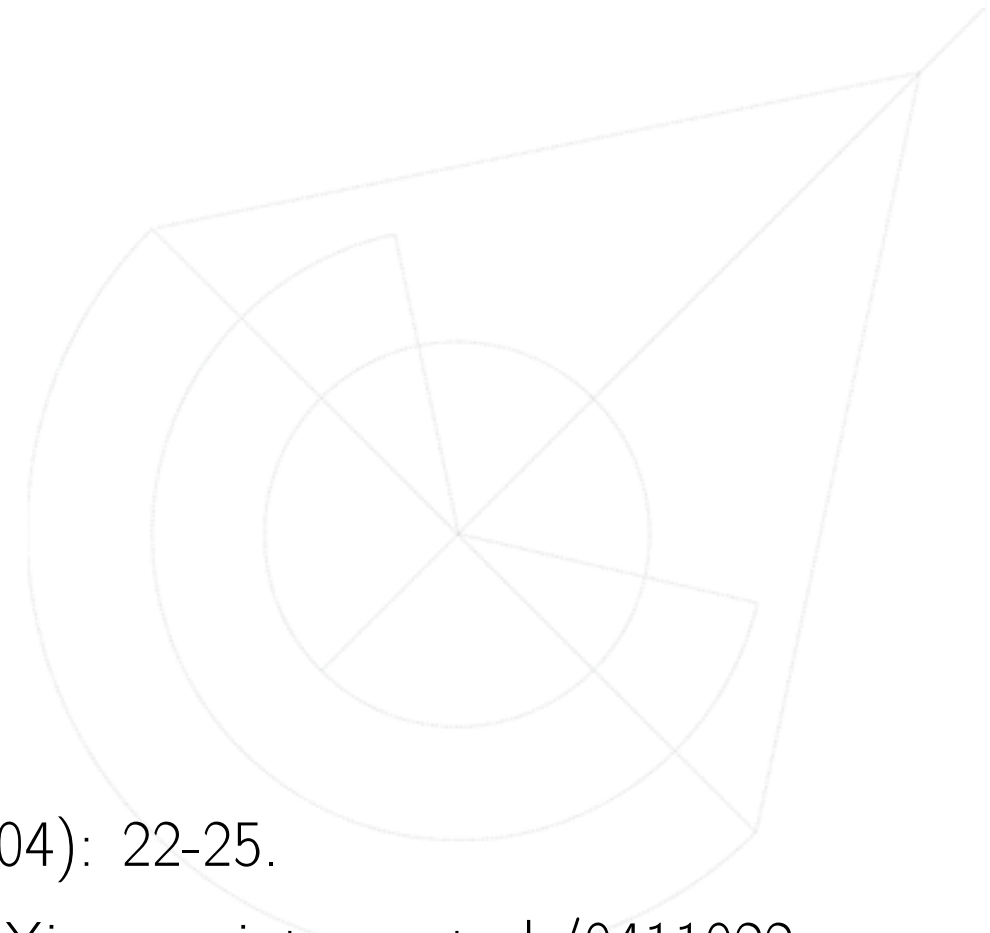
	Eve Attenuation = 1.101			Eve Attenuation = 2		
	Min	Averag.	Max	Min	Averag.	Max
QBER	0.00011775	0.00017323	0.00022875	$6.21 \times 10^{-5}$	$8.93 \times 10^{-5}$	0.00011472
$B_{M1} + B_{M2}$	99146	100632	101557	181047	182217	183986
Key Length	423756	424850	426440	739744	741841	743701

Simulation without attack again for comparison:

	Min	Averag.	Max
QBER	$9.9 \times 10^{-5}$	0.0001366	0.00018906
$B_{M1} + B_{M2}$	95294	96288	97069
Key Length	422730	423898	425281

Eve presence increases the sum ( $B_{M1} + B_{M2}$ ) when the Key Length is the correct, and lowers the Key Length when the Sum ( $B_{M1} + B_{M2}$ ) is correct.

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