

International Trade I: Assignment 2

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Theoretical Part

- (i) Assuming CES utility function $C = \left(\sum_{i=1}^N c_i^{\frac{\sigma-1}{\sigma}} \right)^{\sigma/\sigma-1}$; furthermore suppose $w=1$, $\tau=1$. There are no trade costs \downarrow
- We know that in the case of Trade between two identical economies and assumptions are met, then
- $$\frac{\text{Exports}}{\text{Output}} = \frac{X}{q} = \frac{L^* c}{q} = \frac{L c}{q} = \frac{L c}{2 L c} = \frac{1}{2} = 50\%.$$
- $L = L^*$ $q^{FT} = 2 L c$

- (ii) Lets assume an **increase in σ** . We know that $N^{FT} = \frac{L}{f \sigma} = N^A$ whenever $L = L^*$
- It's obvious that $\frac{d N^{FT}}{d \sigma} < 0$ (i.e. The equilibrium number of varieties negatively depends on σ)
- \rightarrow If $\uparrow \sigma \Rightarrow \downarrow N^{FT}$ and viceversa.
- We have 2 effects on welfare
- Note that PP equation doesn't change i.e. $\frac{p^{FT}}{w} = \frac{\sigma}{\sigma-1} \frac{1}{\varphi}$
 - If $\sigma \rightarrow \infty \Rightarrow \frac{\sigma}{\sigma-1} \rightarrow 1 \therefore \frac{p^{FT}}{w} \xrightarrow{p \rightarrow 1} \frac{1}{\varphi} < \frac{\sigma}{\sigma-1} \frac{1}{\varphi} = \frac{p^{FT}}{w} \Rightarrow \downarrow P^{FT} (\text{price index}) \Rightarrow \uparrow C^{FT} (\text{welfare})$
 - On the other hand this increase in $\sigma \Rightarrow \downarrow N^{FT} \Rightarrow \uparrow p^{FT} \Rightarrow \downarrow C^{FT}$
- In sum, the effect of an increase in σ is AMBIGUOUS.

- (iii) Now, let $L^* > L$

$$\frac{p}{w} = \frac{\sigma}{\sigma-1} \frac{1}{\varphi} = \frac{p}{w^*} \quad \text{where } w \text{ is the wage rate for H and } w^* \text{ for F}$$

$$\frac{p}{w} = \frac{f}{(L+L^*)c} + \frac{1}{\varphi} \quad c = \frac{f}{L} \varphi (\sigma-1) ; \quad c^* = \frac{f}{L^*} \varphi (\sigma-1), \quad q = (L+L^*)c$$

This is all we need

$$\frac{\text{Exports}}{\text{Output}} = \frac{X}{q} = \frac{L^* c}{(L+L^*)c} = \frac{L^*}{L+L^*}$$

Data Part: Intra-Industry Trade

```
#Apply Grubel_Lloyd Index to DF
#SITC Rev 3
t1 <- system.time({
  for (i in years) {
    for (j in industries.All_3) {
      imports <- All_3.IM %>%
        filter(Year == i,
               ProductDescription == j)

      exports <- All_3.X %>%
        filter(Year == i,
               ProductDescription == j)

      diff <- abs(imports$TradeValue.in.1000.USD -
                 exports$TradeValue.in.1000.USD)

      sum <- imports$TradeValue.in.1000.USD +
             exports$TradeValue.in.1000.USD

      ratio <- diff / sum

      trade.All_3 <- trade.All_3 %>%
        add_row(year = i,
                prod = j,
                ratio = ratio)
    }
  }
})

#SITC Rev 5
t2 <- system.time({
  for (i in years) {
    for (j in industries.All_5) {
      imports <- All_5.IM %>%
        filter(Year == i,
               ProductDescription == j)

      exports <- All_5.X %>%
        filter(Year == i,
               ProductDescription == j)

      diff <- abs(exports$TradeValue.in.1000.USD -
                 imports$TradeValue.in.1000.USD)

      sum <- exports$TradeValue.in.1000.USD +
             imports$TradeValue.in.1000.USD

      ratio <- diff / sum

      trade.All_5 <- trade.All_5 %>%
```

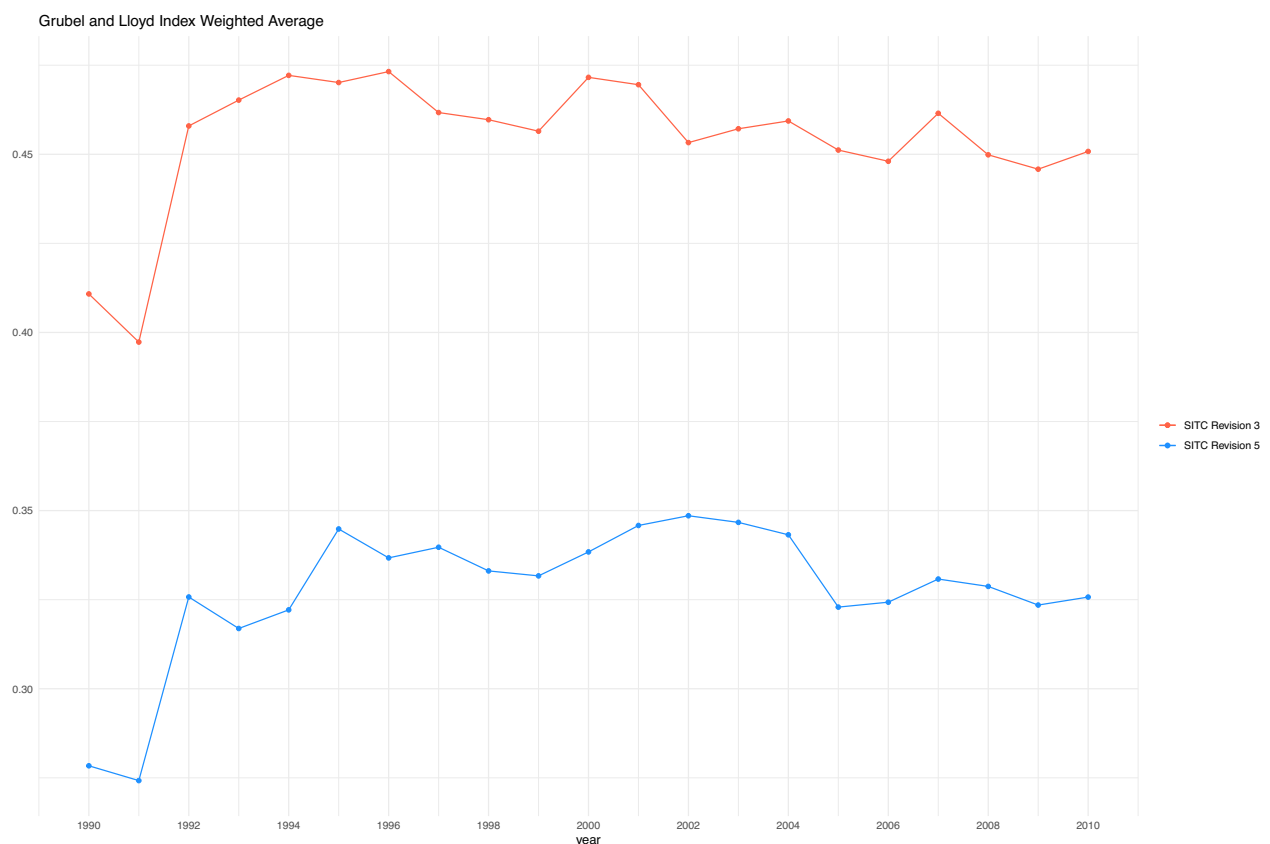
```

        add_row(year = i,
                prod = j,
                ratio = ratio)
    }
}
})

# Index
GruberLloyd.All_3 <- aggregate(. ~ year, trade.All_3[-2], mean)
GruberLloyd.All_3$index <- 1 - GruberLloyd.All_3$ratio

GruberLloyd.All_5 <- aggregate(. ~ year, trade.All_5[-2], mean)
GruberLloyd.All_5$index <- 1 - GruberLloyd.All_5$ratio

```



I will try to answer both questions by grouping statements together.

We can see that since the enactment of NAFTA Mexico-US trade has become increasingly integrated. While Mexico tends to specialize in relatively labor-intensive sectors and US specializes in more capital-intensive sector, the specialization takes place not only across different industries, but also at very fine levels within the same industry.

Mexico-US trade has taken place within large, specialized industries common to both countries. Take the automotive industry for example, this provides the best one of this kind of integration. We observe that in intra-industry trade, products are exported and re-imported at different stages of production, this implies that firms are able to produce at a lower average unit cost, thus increasing overall competitiveness in both international and domestic markets, reducing prices for domestic and foreign consumers.

Mexico-US intra-industry trade has increased since 1990, and showing a constant tendency since 1994, meaning intra-industry trade sectors strengthened after NAFTA's enactment. Thus, we can infer that the integration of both economies resulted in the growth of intra-industry trade, implying a or positively correlated business cycle(between both countries). This two-way exchange implies each country is sending the other the same product, just at different stages of production.

The top products traded by Mexico and US have not changed, implying that trade expansion may have less disruptive consequences in both countries as a result of the intra-industry nature of their trade relationship experienced over this period. This, may also be an important factor in the economic synchronization of Mexican and US business cycles.

The effects of trade liberalization are clearly seen, reallocation of resources where intra-industry trade is relatively more intense is noted. That is, we can actually see resources are reallocated to more productive sectors.