

Daniel Louback S. Lubanco

Exercises 6

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from scipy.fftpack import rfft, irfft, fftfreq, fft

# My first estimate is that it is approximately k = 1000 the period
# where k is the month accumulator, so my conclusion initially
# is period T = 1000 mounths
def fft_on_data(y):
    N = len(y)
    print(len(y))
    #t = np.linspace(0,10,1000)
    dt=1
    #F = np.fft.fft(y)
    W = fftfreq(y.size,dt)
    #f_signal = rfft(y.to_numpy())
    f_signal = fft(y.to_numpy())
    plt.plot(W,np.abs(f_signal),'r')
    plt.xlabel("Frequency")
    plt.ylabel("Magnitude")
    plt.xlim(0,0.05) # plotting only relevant part from right axis

    plt.show()
    #plt.plot(F_2)
    #plt.show()
def main():
    headers = ['Months','Sunspots']
    df = pd.read_csv("sunspots.csv", header=None, names=headers)

    x = df['Months']
    y = df['Sunspots']
    rows,=y.shape
    fft_on_data(y)

if __name__ == "__main__":
    main()
```

'''

*****FINAL ANSWER*****

My initial conclusion was 100 months was the period T.

However after performing the fft, the peak is found at : $f = 0.0077$
Thus the period T is approximately 129.87 months which is equal to:
10,82 Years

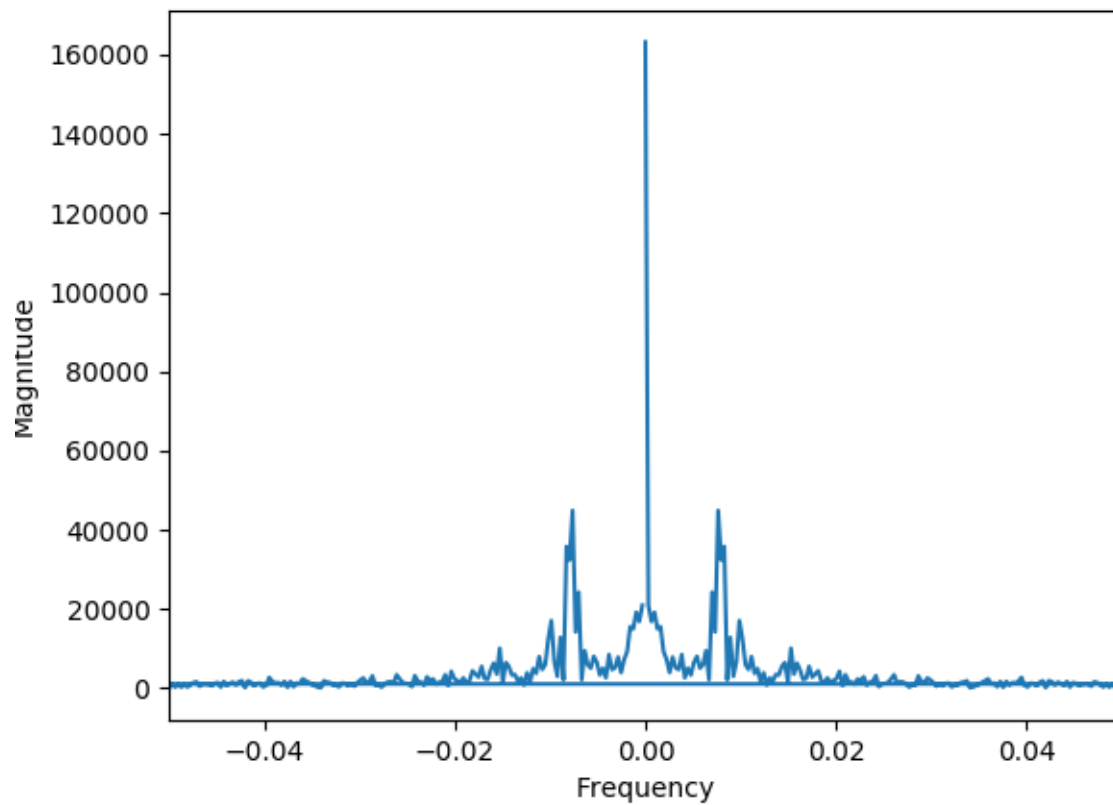
The real frequency was not so far from the initial guess. However, it must be noted that the initial guess was very rough and very uncertain.

Therefore, the conclusion is that the fft allowed to visualize the frequency in a signal which visually was very difficult to define a pattern with high certainty.

'''

---- Figures

Whole spectrum output



Only Right side of the spectrum

