

动量与学习率

主讲: 龙良曲

Outline

momentum

learning rate decay

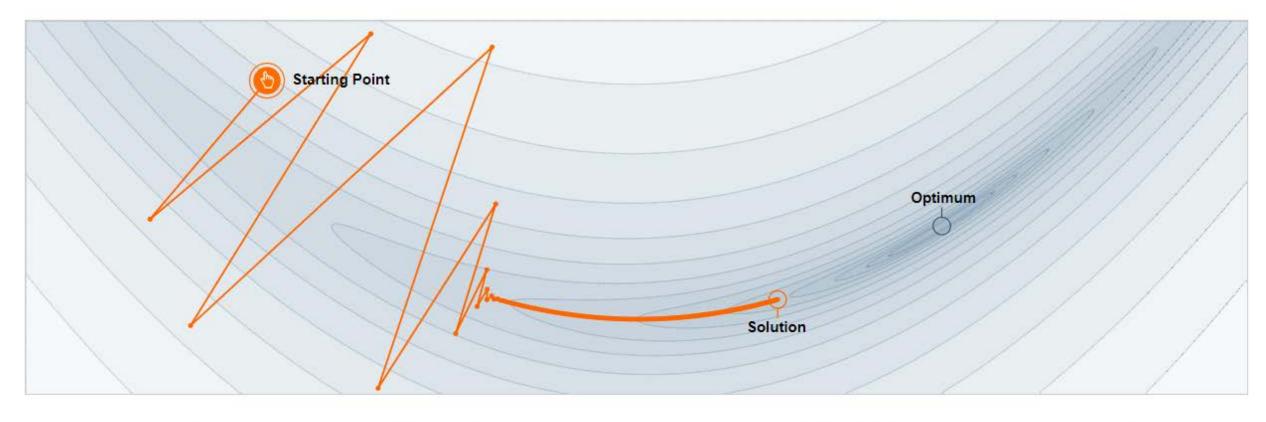
Momentum

$$w^{k+1} = w^k - \alpha \nabla f(w^k).$$

$$z^{k+1} = eta z^k +
abla f(w^k)$$
 $w^{k+1} = w^k - lpha z^{k+1}$

更新方向不仅与当前梯度有关,还与前一次更新方向有关 (不容易陷入局部最优)

No momentum





We often think of Momentum as a means of dampening oscillations and speeding up the iterations, leading to faster convergence. But it has other interesting behavior. It allows a larger range of step-sizes to be used, and creates its own oscillations. What is going on?

With appr. momentum



0.500

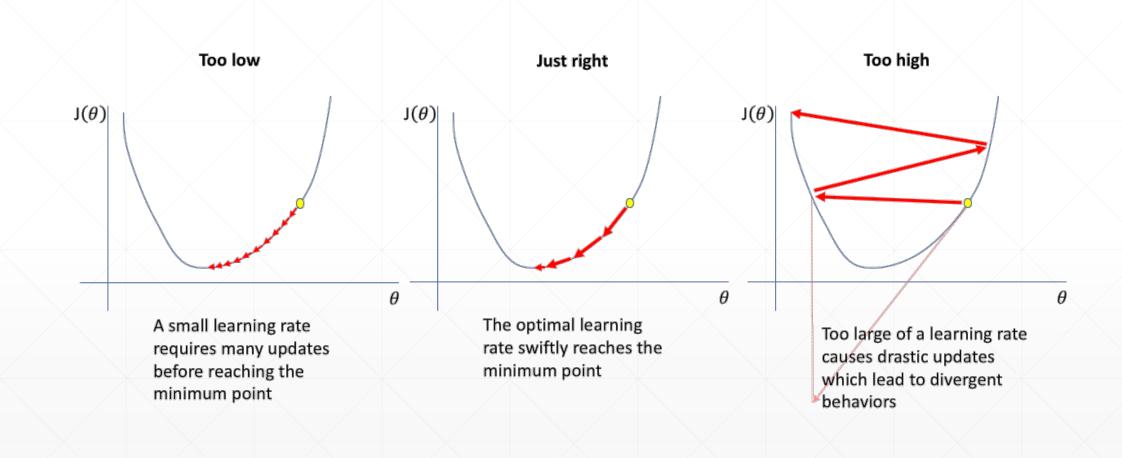
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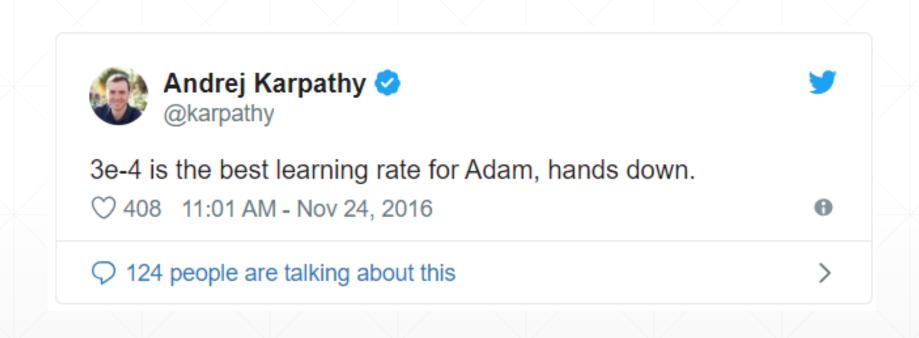
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Momentum

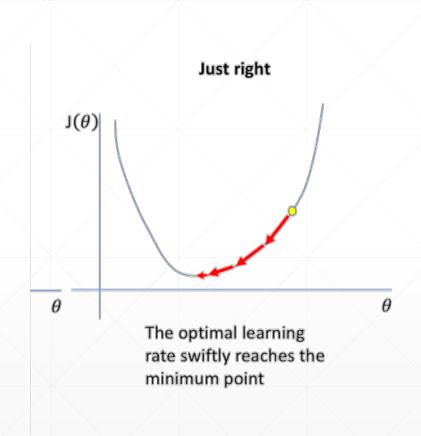
```
optimizer = SGD(learning_rate=0.02, momentum=0.9)
optimizer = RMSprop(learning_rate=0.02, momentum=0.9)
optimizer = SGD(learning_rate=0.02,
   beta_1=0.9, 内含momentum优化策略
   beta_2=0.999)
```

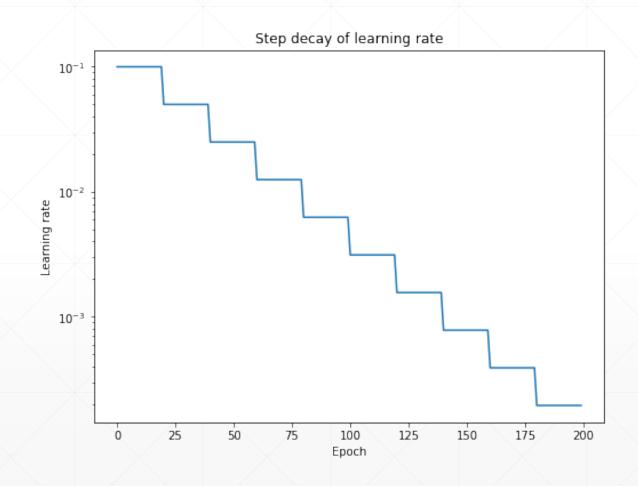
Learning rate tunning

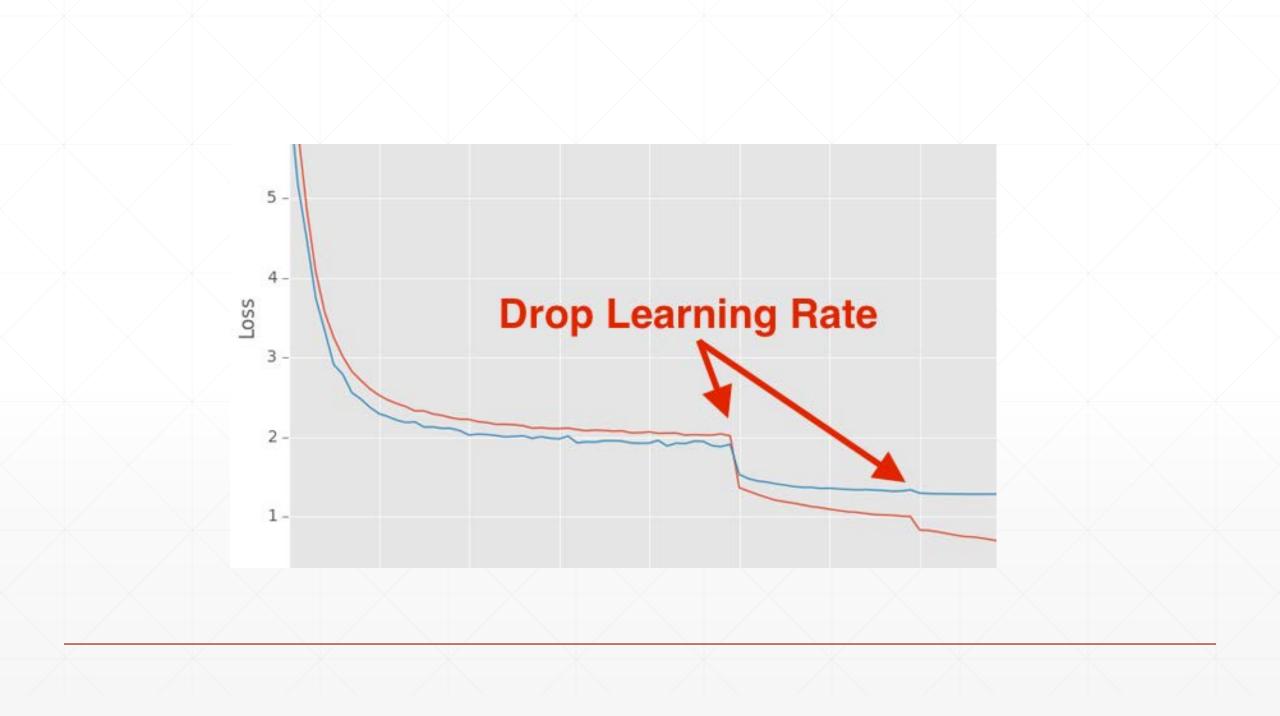




Learning rate decay







Adaptive learning rate

```
optimizer = SGD(learning_rate=0.2)
for epoch in range(100):
   # get loss
   # change learning rate
    optimizer.learning_rate = 0.2 * (100-epoch)/100
   # update weights
```

下一课时

Early Stopping, Dropout

Thank You.