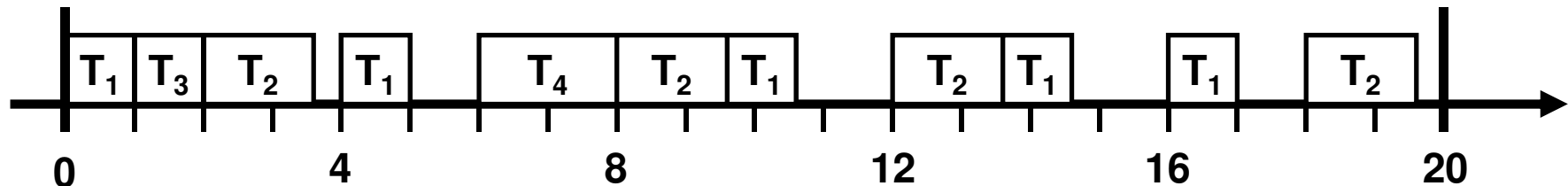


Example

◆ Consider a system with four tasks

- $T_1 = (4, 1)$
- $T_2 = (5, 1.8)$
- $T_3 = (20, 1)$
- $T_4 = (20, 2)$

◆ Possible schedule:



◆ Table starts out with:

- $(0, T_1), (1, T_3), (2, T_2), (3.8, T_1), (4, T_1), \dots$

Refinement: Frames

- ◆ We divide hyperperiods into *frames*
 - Timing is enforced only at frame boundaries
 - Each task is executed as a function call and must fit within a single frame
 - Multiple tasks may be executed in a frame
 - Frame size is f
 - Number of frames per hyperperiod is $F = H/f$

Frame Size Constraints

1. Tasks must fit into frames

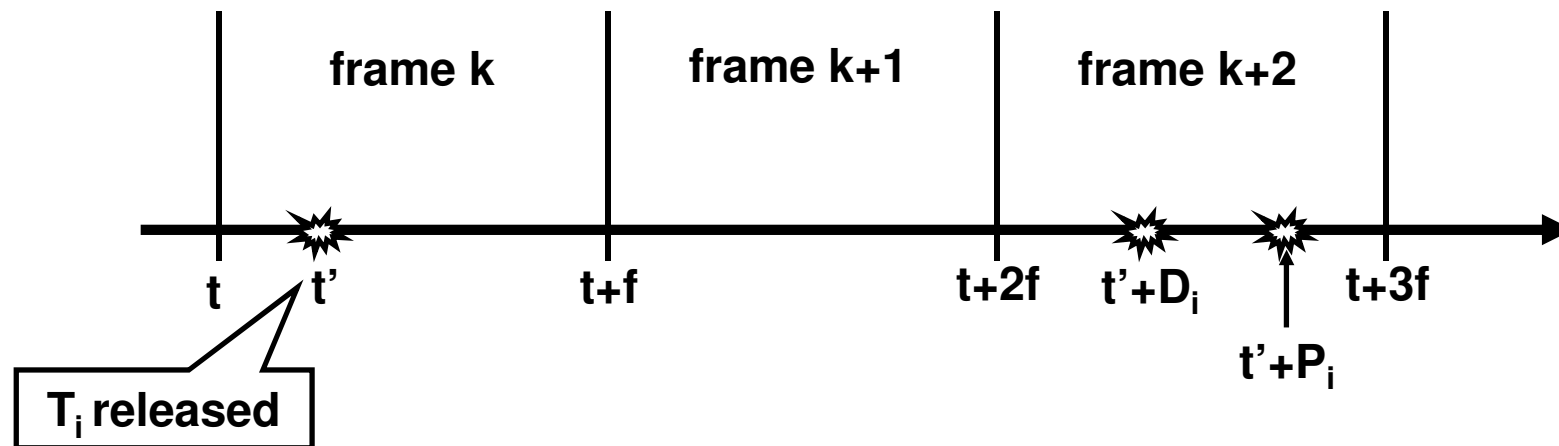
- So, $f \geq C_i$ for all tasks
- Justification: Non-preemptive tasks should finish executing within a single frame

2. f must evenly divide H

- Equivalently, f must evenly divide P_i for some task i
- Justification: Keep table size small

More Frame Size Constraints

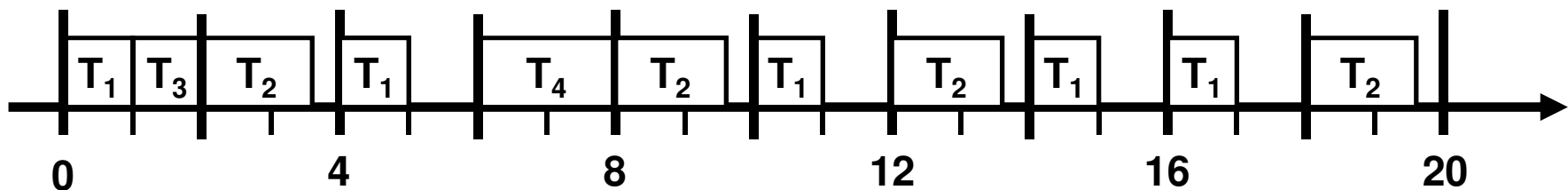
3. There should be a complete frame between the release and deadline of every task
- Justification: Want to detect missed deadlines by the time the deadline arrives



- Therefore: $2f - \gcd(P_i, f) \leq D_i$ for each task i

Example Revisited

- ◆ Consider a system with four tasks
 - $T_1 = (4, 1)$, $T_2 = (5, 1.8)$, $T_3 = (20, 1)$, $T_4 = (20, 2)$
 - $H = \text{lcm}(4, 5, 20) = 20$
- ◆ By Constraint 1: $f \geq 2$
- ◆ By Constraint 2: f might be 1, 2, 4, 5, 10, or 20
- ◆ By Constraint 3: only 2 works



Task Slices

- ◆ **What if frame size constraints cannot be met?**
 - **Example: $T = \{ (4, 1), (5, 2, 7), (20, 5) \}$**
 - **By Constraint 1: $f \geq 5$**
 - **By Constraint 3: $f \leq 4$**
- ◆ **Solution: “slice” a task into smaller sub-tasks**
 - **So $(20, 5)$ becomes $(20, 1)$, $(20, 3)$, and $(20, 1)$**
 - **Now $f = 4$ works**
- ◆ **What is involved in slicing?**

Design Decision Summary

- ◆ **Three decisions:**
 - **Choose frame size**
 - **Partition tasks into slices**
 - **Place slices into frames**
- ◆ **In general these decisions are not independent**

Cyclic Executive Pseudocode

// L is the stored schedule

current time $t = 0$;

current frame $k = 0$;

do forever

accept clock interrupt;

currentBlock = $L(k)$;

$t++$;

$k = t \bmod F$;

if last task not completed, take appropriate action;

execute slices in currentBlock;

sleep until next clock interrupt;