```
Antabe 7:
                                                                                                                                                                                             _= gebuden
_= frei
     (\lambda \times . \lambda \times . \times (\lambda \times)) (\lambda = . \alpha)
                                                                                                                                                                  Ceine Scopes gezeigt

. \u.\times(\u.\times)
        (λy. (λz. ω) (y (λz. ω)))
      =\lambda_{\underline{y}}.\underline{\omega}
                                                                                                                                                                    · x (yx)
                                                                                                                                                                                                                                         1/25
Aufgale 2:
              15 200 0 = true
     (λm.σ(λx.(λt.λf.f))(λt.λf.t))(λs.λz.z)
      = (hs. hz.z) (hx. ht. hf.t) (ht. hf.t)
    = ( \z. \z. ) ( \lambda t . \lambda f . t)
      =(\lambda \xi. \lambda f. \xi)
    = true V
     is zero Z = \{a(se) \\ (\lambda m. m(\lambda x. (\lambda t. \lambda f. t))(\lambda t. \lambda f. t)\}(\lambda s. \lambda z. s(s z))
    = ( \lambda s. \lambda s (s=)) (\lambda k. (\lambda t. \lambda f. t)) (\lambda t. \lambda f. t) \rangle -05
    = (12. (1x. (1t. 14.4)) ((1x. (1t. 1f. 4))=) (1t. 1f. 6)
     = ( \lambda \times ( \l
     = (\lambda_{\times}.(\lambda t.\lambda f.f))(\lambda t.\lambda f.f)
    = (\lambda \xi. \lambda f. f) -
    =false
```