



Unit 5 Circularly Linked Lists & Doubly Linked List

College of Computer Science, CQU

Circularly Linked Lists

- **Singly Linked Lists**

- the last node contain a NULL pointer

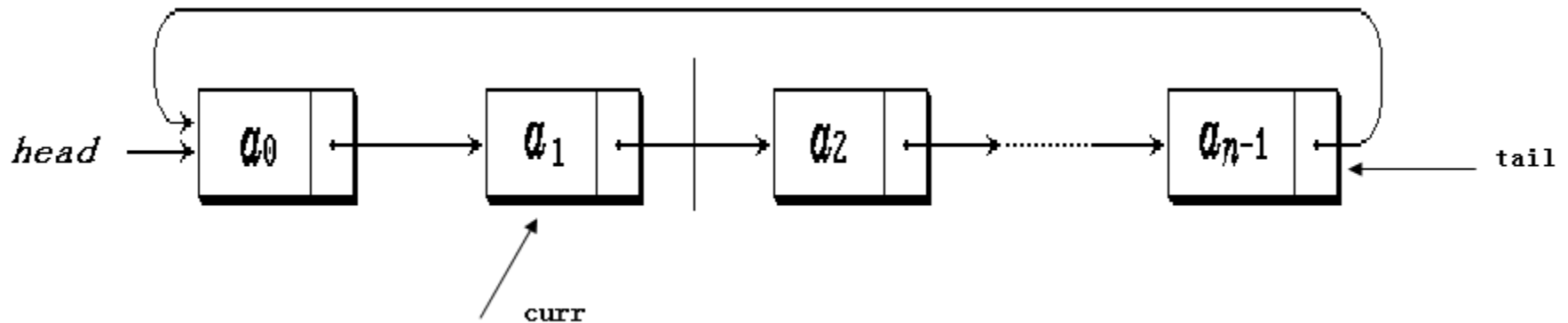
- **Circularly Linked Lists**

- the last node contains a pointer to the first node

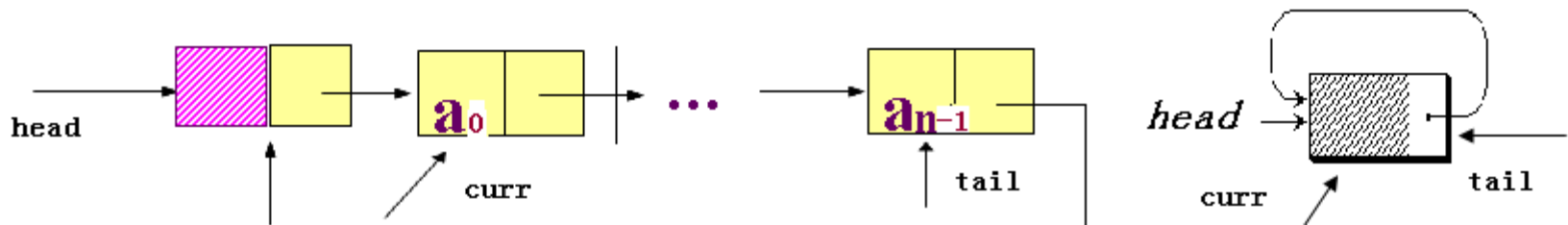
- **Advantage**

- start from any node, can access the others.

□ Example of circular linked list



□ Nonempty list & Empty list



Example: Josephus problem

- A description of the problem are: number $1, 2, \dots, n$ of n individuals sitting around a circle clockwise, each holding a password (positive integer). Choose a positive integer beginning as a limit on the number of reported m , starting from the first person to start a clockwise direction from a report number, report the number of reported m stop. Who reported m out of line, his password as the new m value, in a clockwise direction from the next person he began to re-reported from a number, it goes on until all the people all of the columns so far. Design a program, according to the column order prints each number.



Example: Josehus problem

- **Use circular link list to accomplish.**
- **Josehusproblem.cpp**



Example: Josephus problem

- ❑ **Main function**
- ❑ **bool LList<Elem>::remove(Elem& it)**
- ❑ **void LList<Elem>::getOut(int &it,int& sum)**
- ❑ **bool LList<Elem>::append(const people& T)**

Doubly Linked Lists

□ Singly Linked Lists

The singly linked list allows for direct access from a list node only to the next node in the list.

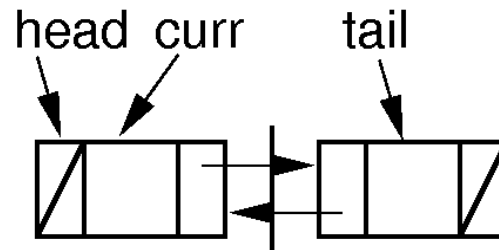
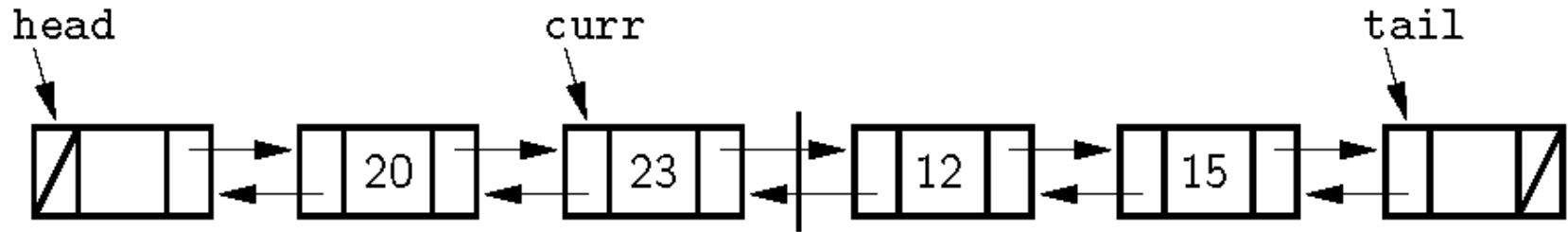
□ Doubly Linked Lists

- **A doubly linked list allows convenient access from a list node to the next node and also to the preceding node on the list.**

□ How to accomplish?

The doubly linked list node accomplishes this in the obvious way by storing two pointers: one to the node following it (as in the singly linked list), and a second pointer to the node preceding it.

Doubly Linked Lists



Doubly Linked Lists

- ❑ `// Doubly linked list link node with freelist support`
- ❑ `template <typename E> class Link {`
- ❑ `private:`
- ❑ `static Link<E>* freelist; // Reference to freelist head`
- ❑ `public:`
- ❑ `E element; // Value for this node`
- ❑ `Link* next; // Pointer to next node in list`
- ❑ `Link* prev; // Pointer to previous node`

Doubly Linked Lists

- ❑ `// Constructors`
- ❑ `Link(const E& it, Link* prevp, Link* nextp) {`
- ❑ `element = it;`
- ❑ `prev = prevp;`
- ❑ `next = nextp;`
- ❑ `}`
- ❑ `Link(Link* prevp =NULL, Link* nextp =NULL) {`
- ❑ `prev = prevp;`
- ❑ `next = nextp;`

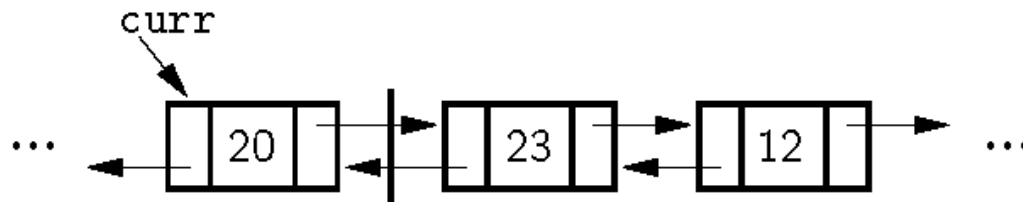
Doubly Linked Lists

- ❑ `void* operator new(size_t) { // Overloaded new operator`
- ❑ `if (freelist == NULL) return ::new Link; // Create space`
- ❑ `Link<E>* temp = freelist; // Can take from freelist`
- ❑ `freelist = freelist->next;`
- ❑ `return temp; // Return the link`
- ❑ `}`

Doubly Linked Lists

- `// Overloaded delete operator`
- `void operator delete(void* ptr) {`
- `((Link<E>*)ptr)->next = freelist; // Put on freelist`
- `freelist = (Link<E>*)ptr;`
- `}`
- `};`
- `// The freelist head pointer is actually created here`
- `template <typename E>`
- `Link<E>* Link<E>::freelist = NULL;`

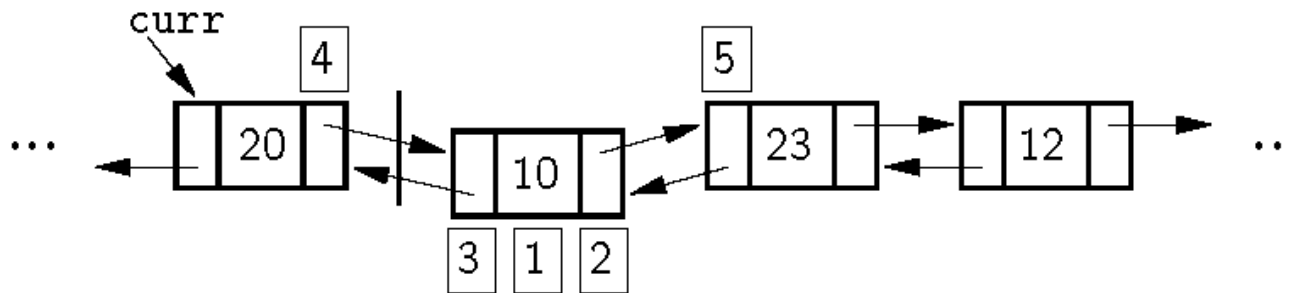
Doubly Linked Insert



Insert 10:

	10	
--	----	--

(a)

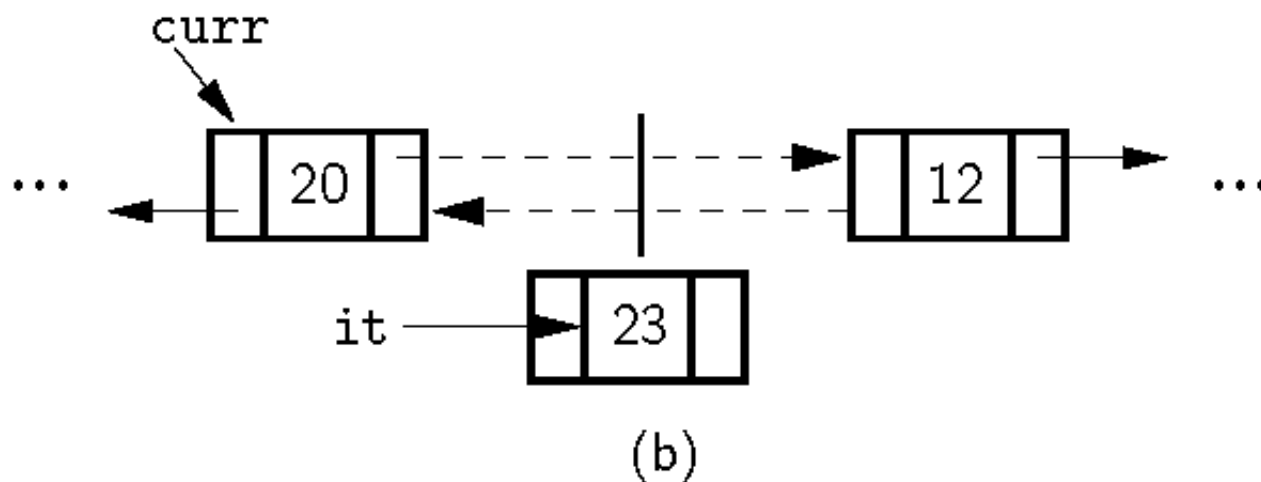
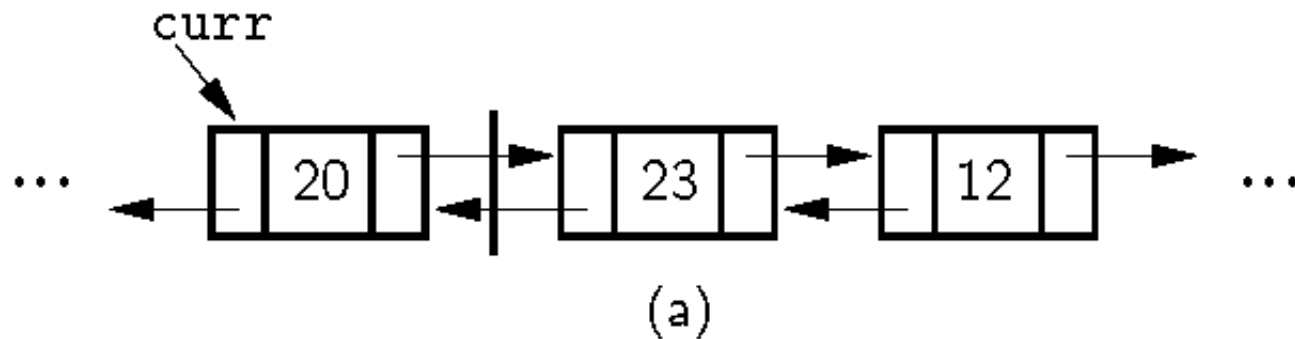


(b)

Doubly Linked Insert

- **// Insert "it" at current position**
- **void insert(const E& it) {**
- **curr->next = curr->next->prev =**
- **new Link<E>(it, curr, curr->next);**
- **cnt++;**
- **}**

Doubly Linked Remove



Doubly Linked Remove

- ❑ `// Remove and return current element`
- ❑ `E remove() {`
- ❑ `if (curr->next == tail) // Nothing to remove`
- ❑ `return NULL;`
- ❑ `E it = curr->next->element; // Remember value`
- ❑ `Link<E>* ltemp = curr->next; // Remember link node`
- ❑ `curr->next->next->prev = curr;`
- ❑ `curr->next = curr->next->next; // Remove from list`
- ❑ `delete ltemp; // Reclaim space`
- ❑ `cnt--; // Decrement cnt`
- ❑ `return it;`
- ❑ `}`



Doubly Linked Append

- **// Append "it" to the end of the list.**
- **void append(const E& it) {**
- **tail->prev = tail->prev->next =**
- **new Link<E>(it, tail->prev, tail);**
- **cnt++;**
- **}**

Doubly Linked Prev

- **// Move fence one step left; no change if left is empty**
- **void prev() {**
- **if (curr != head) // Can't back up from list head**
- **curr = curr->prev;**
- **}**

Doubly Linked List disadvantage

- ❑ **The only disadvantage** of the doubly linked list as compared to the singly linked list is the additional space used.

Application: polynomial

$$\begin{aligned} P_n(x) &= a_0 + a_1x + a_2x^2 + \cdots + a_nx^n \\ &= \sum_{i=0}^n a_i x^i \end{aligned}$$

Expressing the polynomial

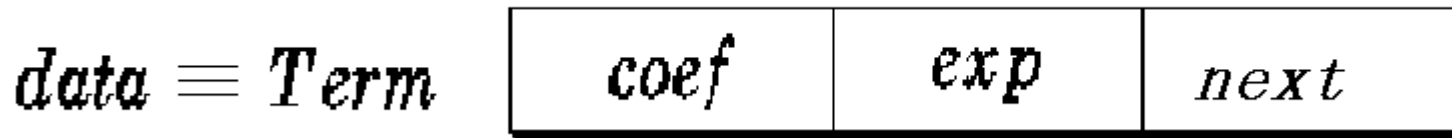
- Express the linear list :

$$P = (p_0, p_1, \dots, p_n)$$

- It is also unsuitable to express the form like $S(X) = 1 + 3x^{10000}$
- Writing factor and index number
((p_1, e_1) , (p_2, e_2) , ..., (p_m, e_m))
- How about the defects

The link expressing

- Every one node addd data member Nexts during the polynomial chained list being living is expressed , As the link pointer .



- Strong point is :
**The number of item of polynomial may rise dynamicly .
It is convenient to insert,delete the element .**

Polynomial type definition

ADT Polynomial {

Data object : $D = \{ a_i \mid a_i \in \text{TermSet}, i=1,2,\dots,m, m \geq 0 \}$

Data relationship : $R1 = \{ \langle a_{i-1}, a_i \rangle \mid a_{i-1}, a_i \in \text{The index number value of } A_{i-1} < \text{The index number value of } A_i, i=2,\dots,n \}$

Basic operations :

 CreatPolyn (&P)

 DestroyPolyn (&P)

 PrintPolyn (&P)

 AddPolyn (...)

 SubtractPolyn (...)

 MultiplyPolyn (...)

 PolynLength (P)

} ADT Polynomial



Polynomial node definition

```
Class term{  
    private  
        int coef;  
        int exp;  
        term * link;  
}
```



Polynomial node definition

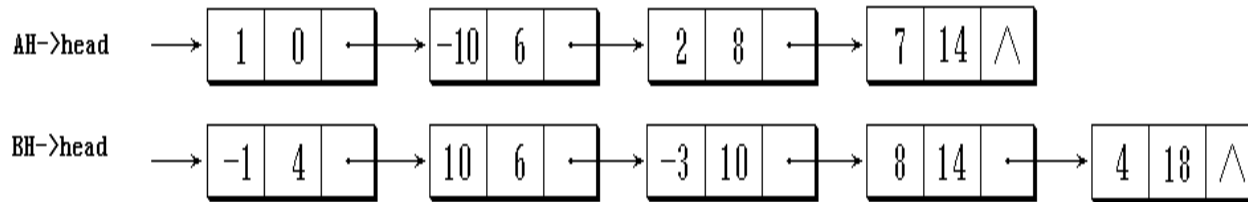
```
Class Term{
    public
        int coef;
        int exp;

        Term(const int c_t=1, const int e_t=0)
        {
            coef = c_t;
            exp = e_t;
        }
        Term(const Term& t)
        {
            coef = t.coef;
            exp = t.exp;
        }
}
```

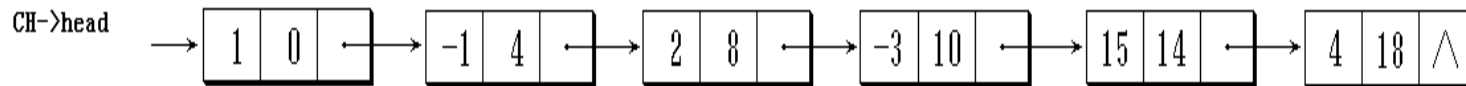
Polynomial adding to of chained list

$$AH = 1 - 10x^6 + 2x^8 + 7x^{14}$$

$$BH = -x^4 + 10x^6 - 3x^{10} + 8x^{14} + 4x^{18}$$



(a) 两个相加的多项式



(b) 相加结果的多项式



```

❑ void addPoly(Llist<Term> *p1, Llist<Term> *p2)
❑ {
❑     p1->moveToStart();
❑     p2->moveToStart();
❑     while(p2->length() > 0)
❑     {
❑         if( p1->currPos()==p1->length() ||
❑            p1->getValue().exp>p2->getValue().exp )
❑         { p1->insert(p2->remove()); p1->next(); continue; }

❑         if( p1->getValue().exp == p2->getValue().exp )
❑         {
❑             Term t2 = p2->remove();
❑             Term t1 = p1->remove();
❑             if(t1.coef + t2.coef != 0)
❑                 p1->insert(Term(t1.coef+t2.coef, t1.exp));
❑         }
❑         p1->next();
❑     }

```

```

□  Llist<Term>* addPoly(const Llist<Term> *p1, const Llist<Term> *p2)
□  {
□      p1->moveToStart(); p2->moveToStart();
□      Llist<Term>* pp = new Llist<Term>;


---


□      while(p1->currPos() < p1->length() && p2->currPos() < p2->length() )
□      {
□          if( p1->getValue().exp == p2->getValue().exp) {
□              if(p1->getValue().coef+p2->getValue().coef != 0)
□                  pp->append(Term(p1->getValue().coef+p2->getValue().coef,
□                      p1->getValue().exp));
□              p1->next();    p2->next();
□          } else{
□              Llist<Term>* tt = (p1->getValue().exp < p2->getValue().exp? p1 : p2);
□              pp->append(tt->getValue());
□              tt->next();    }
□      } // end of while
□      Llist<Term>* tmp = (p1->currPos() < p1->length()? p1 : p2);
□      while( tmp->currPos() < tmp->length())
□          { pp->append(tmp->getValue()); tmp->next();}

□      return pp;
□  }

```

Polynomial

Polymial.cpp



Reference

□ **P115-----P120**



-End-

