

#### 软件开发环境国家重点实验室

State Key Laboratory of Software Development Environment



### 基于Event-B的隔离内核 模型及验证技术

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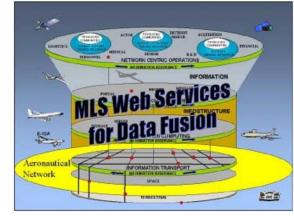
### 报告提纲

- 1. 什么是隔离内核
- 2. 隔离内核验证的研究现状
- 3. 总体思路
- 4. 隔离内核模型
- 5. 隔离内核验证方法
- 6. 小结



### 隔离内核 Separation Kernel

- · 由美国斯坦福研究院(SRI)的John Rushby于1981年提出
- 最初目的:通过分区将系统的不同部分隔离开,分区之间只能通过可控的方式进行安全通信,以支持各部分(内核、中间件、上层应用)
   独立验证/认证,而且多级安全应用共存于一个系统中
- · 美国空军研究实验室与美国国家安全局 MILS 计划
  - Multiple Independent Levels of Security/Safety
  - 融合Security和Safety相关技术
    - Safety(RTCA DO-178B Level A, ARINC-653)
    - Security(Common Criteria, High Robustness, DCID 6/3 Separation

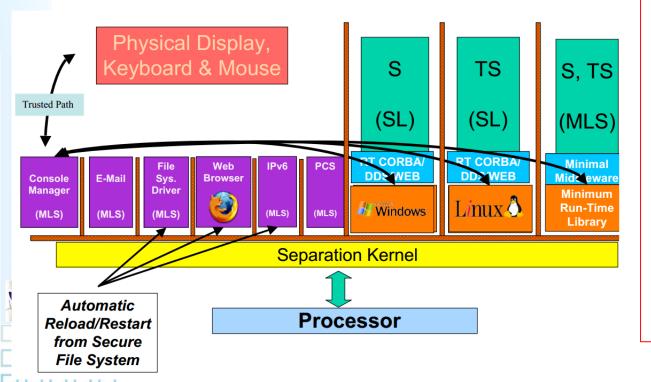


- 为武器系统、通信设施、指挥控制平台等提供MSLS/MLS计算、Web和网络服 \_\_\_条



### MILS架构

- · 广泛应用于各类安全关键系统
  - F22, F35, FCS, JTRS, DDG-1000, CDS
- ・ 包括3层
  - 隔离内核、中间件和应用



#### > 隔离内核

- ✔ 通过分区,隔离进程空间
- ✓ 分区间数据/信息/控制的 安全传输
- ✔ 规模较小:~4000行代码
- ▶ 中间件
  - ✓ 分区内操作系统、库或通信中间件
  - ✓ 提供安全的端到端对象消息流
  - ✔ 维护应用组件
  - ✓ 设备驱动、文件it、网络 协议栈、CORBA、DDS 等
- ▶ 应用
- ✔ 实现任务功能

### 隔离内核产品

- ・ 硬件隔离内核 (CPU)
  - Rockwell Collins的AAMP7处理器
- · 软件隔离内核(OS)
  - 风河WindRiver的VxWorks MILS平台
  - 绿山Green Hills的Integrity-178B
  - Lynux Works的LynuxOS-178
  - SYSGO的PiksOS

CC认证 DO-178B认证 产品 AAMP7处理器 EAL 7 Level A VxWorks MILS EAL 6+ Level A Level A Integrity-178B EAL 6+ LynuxOS-178 EAL 7 Level A **PiksOS** ?? ??

西安631所下一代实时 操作系统内核就是MILS 架构下的隔离内核(结合 Hypervisor)

#### Common Criteria Evaluation Assurance Levels

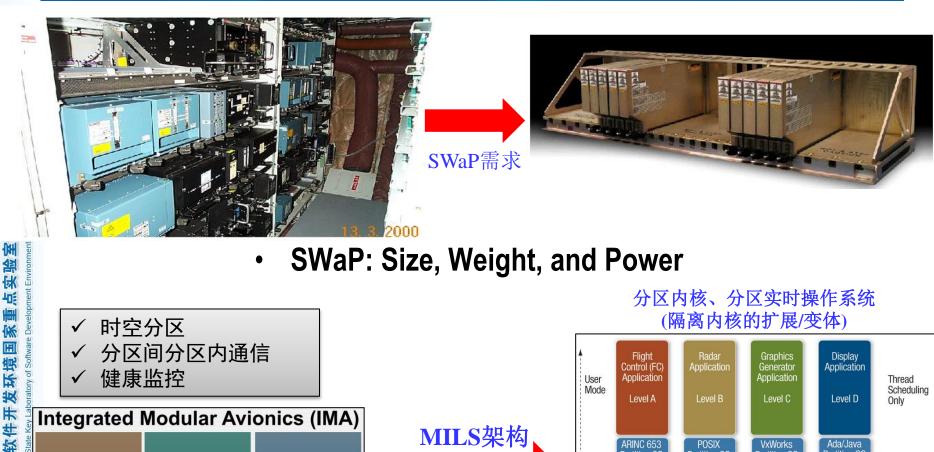
- EAL 7: Formally Verified Design and Tested
- EAL 6: Semi-formally Verified Design and Tested
- EAL 5: Semi-formally Designed and Tested
- EAL 4: Methodically Designed, Tested and Reviewed
- EAL 3: Methodically Tested and Checked
- EAL 2: Structurally Tested
- EAL 1: Functionally Tested

#### DO-178B Software Assurance Levels

- Level A: Catastrophic Failure Protection
- Level B: Hazardous/Severe Failure Protection
- Level C: Major Failure Protection
- Level D: Minor Failure Protection
- Level E: Minimal Failure Protection



### 综合化航电 IMA和ARINC653



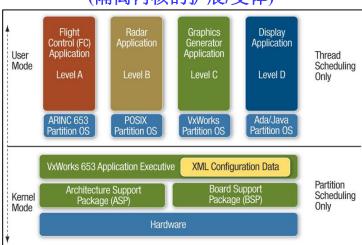
SWaP: Size, Weight, and Power

- ✓ 时空分区
- 分区间分区内通信
- 健康监控





分区内核、分区实时操作系统 (隔离内核的扩展/变体)



### 隔离内核验证的现状

- 1. Partitioning Kernel Protection Profile (PKPP)
  - 2003年,洛克希德马丁,空军研究实验室,OpenGroup草案
- 2. Separation Kernel Protection Profile (PKPP)
  - 2007年,美国国家安全局正式颁布
- 3. 美国国防部: a Mathematically Analyzed Separation Kernel (MASK) 项目
- Rockwell Collins公司的GWV安全策略及信息流安全验证
- 美国海军研究中心ED separation kernel形式验证
- 英国约克大学Grand Challenge Verified Software项目下 Separation Kernel形式模型与验证
- 7. 美国Critical Software公司Partitioning Kernel的B模型及验证
- 德国Verisoft XT项目对PikeOS的Separation Kernel验证
- 澳大利亚NICTA: seL4作为Separation Kernel,验证安全性



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### 研究目标

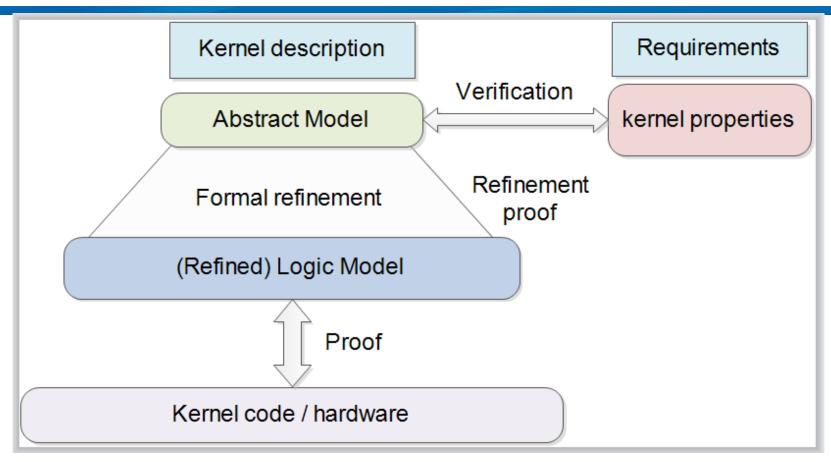
- · 针对现有隔离内核只在设计层面、或部分代码层面的形式 化验证现状
- 提出一种隔离内核的形式化验证方法
  - 验证内核实现的功能正确性
  - 验证内核实现的关键性质
- 可对隔离内核的源码进行形式化验证
- ・ 方法和模型可重用性强
  - 隔离内核版本升级
  - 同样适用其他隔离内核的验证



隔离内核的安全性质集 隔离内核形式化参考模型



### 总体思路



Refinement及证明

B方法: refinement及proof obligation

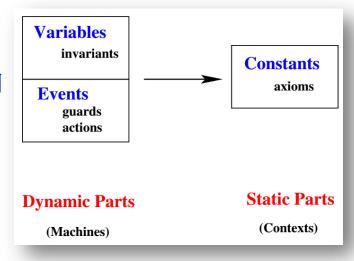
Proof obligation的正确性: 定理证明器Coq



### Event-B简介

- 由Jean-Raymond Abrial提出
  - 1980s,提出Z语言
  - 1990s,提出B语言
    - 太复杂
  - 2000s, 提出Event-B
    - · 替代经典B
- · 基于集合论、基本算术、一阶逻辑
- Event-B模型
  - 离散迁移系统: 离散状态及迁移(事件触发)
  - 状态: 带公理(axiom)的常量(constant)、带不变式(invariant)的变量(variable)
  - 事件:包括卫式(guard)和动作(action),卫式表明事件触发条件,动作表明状态被修改的方式
  - 常量、变量、卫式和动作均采用集合论表达式 来书写







### Event-B应用状况

#### **Space**

- **Space Systems Finland** 
  - Bepi Colombo (ESAs first mission to Mercury)
  - On-Board Satellite Software: Attitude and Orbit Control System (AOCS)
- SSF

#### **Transportation**

- Siemens, Systerel: Communication-based Train Control (CBTC)
- Battelle and ClearSy: automation of the Flushing and Culver metro lines in New York
- **Alstom: Dynamic Trusted Railway Interlocking**

#### Automotive

**Bosch: Cruise-control system, Engine start-stop system** 

#### 其他

- SAP: Service choreography modelling
- Critical Software Technologies: Integrated Secondary Flight Display, used on-board commercial and military aircraft; Smart Energy Grids
- XMOS: XCore Microprocessor指令集验证
- The CCF Display and Information System, air traffic controllers based at the London **Terminal Control Centre**
- STMicroelectronics: modelling and generation of a VHDL code for a smartcard-based microcircuit
- Dependable Systems Forum (DSF) project in Japan (NTT-Data, Fujitsu, Hitachi, NEC, Toshiba, and SCSK)



### **Context、Machine和Event**

```
context
  < context\_identifier >
extends *
  < context\_identifier >
sets *
  < set\_identifier >
constants *
  < constant\_identifier >
axioms *
  < label >: < predicate >
theorems *
  < label >: < predicate >
end
```

```
软件子
State Key Li
```

```
machine
  < machine\_identifier >
refines *
  < machine\_identifier >
sees *
 < context\_identifier >
variables
  < variable\_identifier >
invariants
  < label >: < predicate >
theorems *
  < label >: < predicate >
events
  < event >
variant *
  < variant >
end
```

### **Substitution**

Kind	Generalized Substitution
Deterministic	x := E(v)
Empty	skip
Non-deterministic	any $t$ where $P(t,v)$ then $x:=F(t,v)$ end



### Event-B模型的语义

- 事件的语义
  - 系统动态行为由卫式命令(事件)表示

WHEN guard THEN action END

- Machine的语义
  - 系统总体行为是系统事件的无限循环

#### forever do

Event1 or

Event2 or

Event3 or ...

end

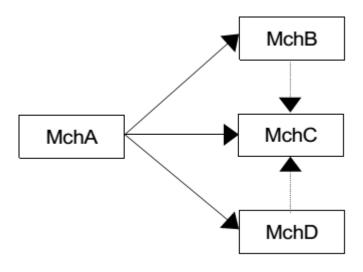
模型不变式定义了一个允许状态的集合,每个事件都必须保持不 变式



### 模型关系

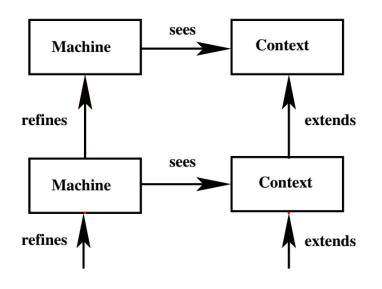
#### · 经典B方法 - 过于复杂

- Component : machine, implementation
- 关系: Include, see, use, import, refine, extend, promote



#### ・ Event-B方法 – 简洁

- Component : Context, Machine
- 关系: extend, see, refine





### 隔离内核模型

#### • 隔离内核模型

分区管理、分区内进程管理、时间管理、内存管理、分区间/分区 内通信、健康监控

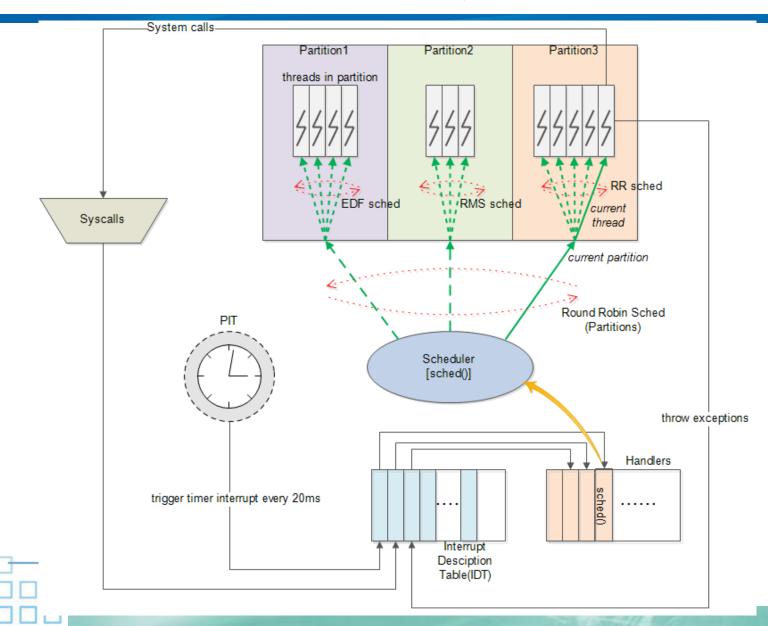
#### • 关键性质

- Spatial separation
  - 数据隔离
  - 内存隔离
- Temporal separation
  - 两级调度
- Information flow control
  - 分区间通信及安全性



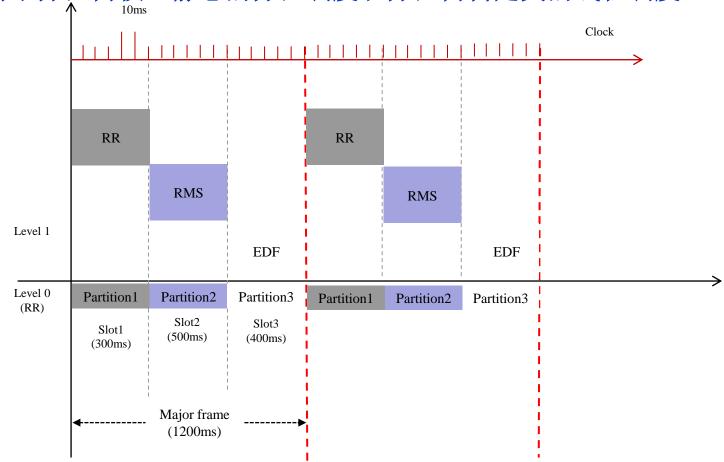
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### 隔离内核执行



### 隔离内核顶层模型

- · 从顶层的视角,隔离内核的实质是分区管理和分区调度
  - 分区管理包括分区内线程,调度是两级调度
  - 对于分区内核,静态的分区调度和分区内自定义的线程调度



### 隔离内核模型的求精过程

#### 顶层模型

• 分区、线程和调度

refinement

#### 第1层

分区、线程状态 及转换

#### 第2层

• 两级调度

#### 第3层

• 分区、线程管理

#### 第4层

• 分区、线程及数据的内存模型

#### 第5层

• 分区间/分区内通信

#### 第6层

• 健康监控

### 顶层Event-B模型

#### context Kernel c01

#### sets Partitions

AllThreads // the thread including used and unused threads
PartitionModes ThreadStates

#### constants PM\_IDLE PM\_NORMAL PM\_WARM\_START

PM\_COLD\_START // partition operating mode, according to ARINC653

TS\_Dormant TS\_Poody TS\_Waiting TS\_Suspend TS\_WaitandSuspend TS\_Pun

TS\_Dormant TS\_Ready TS\_Waiting TS\_Suspend TS\_WaitandSuspend TS\_Running

#### axioms

- @axm00 finite(Partitions) // ^ finite(Threads)
- @axm01 partition(PartitionModes,{PM\_IDLE}, {PM\_NORMAL}, {PM\_WARM\_START},{PM\_COLD\_START})
- @axm03 card(Partitions) ≥ 2 // at least two partition, the kernal partition and a application partition

#### end



### 顶层Event-B模型

```
machine Kernel m01
sees Kernel c01
variables Threads
     threadsOfPartition partitionstate
     threadstate
     current_partition
     current thread
invariants
 @inv1 partitionstate \in Partitions \rightarrow PartitionModes
 @axiom1 threadsOfPartition ∈ AllThreads → Partitions
 @inv2 threadstate ∈ AllThreads → ThreadStates
 @inv3 current partition ∈ Partitions
 @inv4 current thread ∈ AllThreads ∧ Threads(current thread) = TRUE ∧
threadsOfPartition(current_thread) = current_partition
 @inv31 partitionstate(current partition) = PM NORMAL
 @inv41 threadstate(current thread) = TS Running
 @inv5 card(partitionstate ▷ {PM NORMAL}) ≥ 1
 @inv6 card(threadstate ▷ {TS Running}) ≤ 1
```

### 顶层Event-B模型

```
event schedule
  any p t
  where
    @axm1 p ∈ Partitions
    @axm11 t ∈ AllThreads ∧ Threads(t) = TRUE
    @axm2 threadsOfPartition(t) = p
    @axm3 partitionstate(p) = PM_NORMAL
    then
    @act1 threadstate = (threadstate (threadstate ~[{TS_Running}] × {TS_Ready})) {t →
    TS_Running}
    @act5 current_partition = p
    @act6 current_thread = t
end
```



### 第2层Event-B模型

#### 在顶层模型基础上,增加分区和线程的状态转换

```
event schedule refines schedule
  any pt
  where
   @axm1 p \in Partitions
   @axm11 t \in AllThreads \land Threads(t) = TRUE
   @axm2 threadsOfPartition(t) = p
   @axm3 partitionstate(p) = PM_NORMAL
   @axm4 threadstate(t) = TS Ready
   @axm5 t ≠ current thread
  then
   @act0 threadstate: | threadstate'(t) = TS Running \( \lambda \) threadstate'(current thread) = TS Ready
   @act5 current partition = p
   @act6 current thread = t
 end
event partition cold restart
end
event partition warm restart
end
event partition_go
event partition shutdown
event thread ready // put a thread into READY except the situation of runing --> ready, which has been in the event of "schedule"
event thread stop // put a thread into DORMANT
event thread_stopself // put a thread into DORMANT
event thread_waiting // put a thread into WAITING
event thread waitingfrmruning // put a thread into WAITING
event thread suspend
end
event thread suspendself
```

event thread\_waitandsuspend

### 第3层Event-B模型

· 在第2层模型基础上,增加两级调度

#### context Kernel c03

/\*two level scheduling with defined partition time frame, we also add clock\*/
extends Kernel c01

#### constants

schedulingFrameofPartition /\*the scheduling time frame of each partition\*/
schedulingFrames /\*the scheduling time frames\*/
majorFrame /\*the total time of all partitions\*/

#### axioms

@axm00 schedulingFrames  $\in \mathbb{P}1(\mathbb{N}\times\mathbb{N})$  /\*each  $< x \mid ->y> :$  schedulingFrames, x is the start time of the frame and y is the end time\*/

@axm01  $\forall x \cdot (x \in dom(schedulingFrames)) \Rightarrow x \leq schedulingFrames(x)) /*the end time should be larger than the start time of each frame*/$ 

@axm02  $\forall x,y \cdot (x \in dom(schedulingFrames) \land y \in dom(schedulingFrames) \Rightarrow (x \ge schedulingFrames(y) \le y \ge schedulingFrames(x))) /*scheduling frames are disjoint*/$ 

@axm03 schedulingFrameofPartition ∈ schedulingFrames → Partitions /\*in a major frame, each partition should have one or more than one scheduling frame\*/

@axm04 majorFrame 
© N1 /\*majorFrame should be larger than sum of all schedulingframe.

There may be spare time space between scheduling frames\*/

#### end

### 第3层Event-B模型

• 在第2层模型基础上,增加两级调度

```
event schedule extends schedule when
```

```
@axm6 \exists x,y,n \cdot (x \in \mathbb{N}1 \land y \in \mathbb{N}1 \land n \in \mathbb{N}1 \land x \Rightarrow y \in schedulingFrames
 \land schedulingFrameofPartition(x \Rightarrow y) = p
 \land (x + n*majorFrame) < clock_tick \land clock_tick < (y + n*majorFrame))
/*current tick is in the scheduling frame of the partition*/
end
```

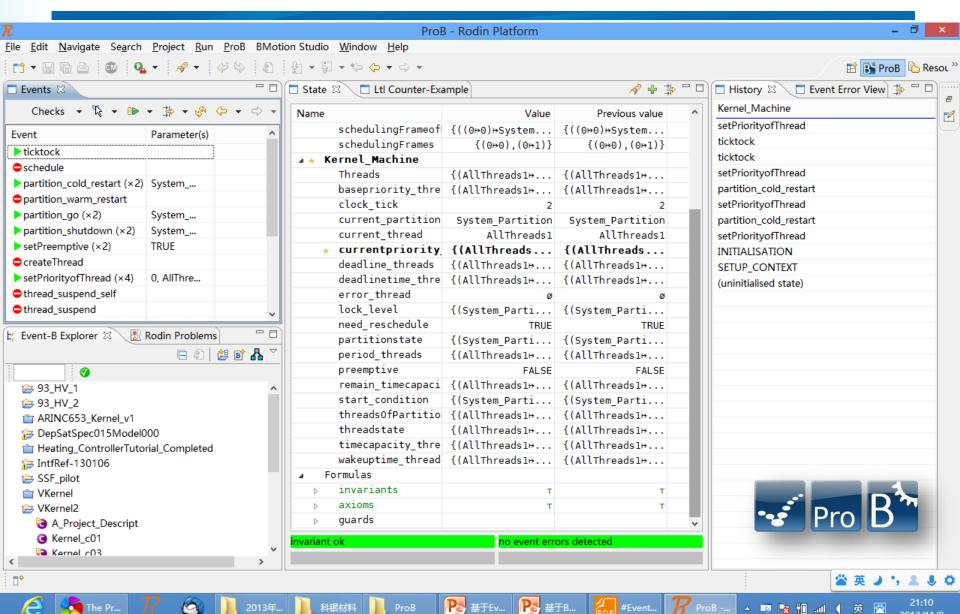


### 第4层Event-B模型

• 在第3层模型基础上,增加分区管理和线程管理



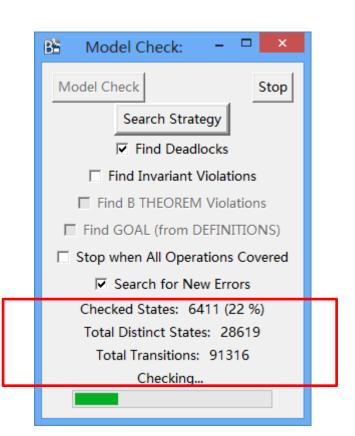
### 隔离内核的验证—模拟

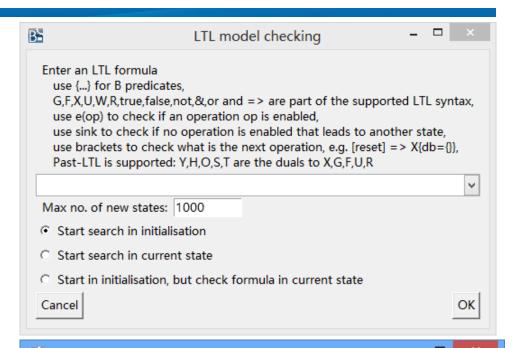


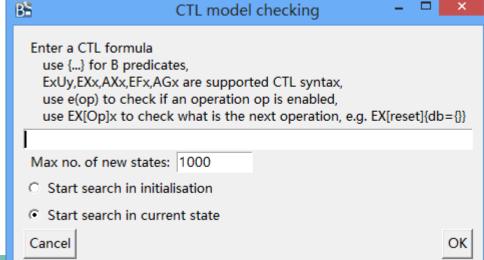
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### 隔离内核的验证一模型检测









### 隔离内核的验证—演绎推理(Deductive reasoning)

#### · 正确性的必要条件

- 需证明的命题,也称证据(proof)命题/证据义务(proof obligation)
- 需证明的证据命题,可由Event-B工具自动生成

#### · 对于一个Machine

- 事件的可行性Feasibility
- 事件的不变式保持Invariant preservation
- Machine的无死锁deadlockfree

#### 对于一个Refined Machine

- 事件的可行性Feasibility
- 事件的不变式保持Invariant preservation
- Machine的无死锁deadlockfree
- 事件的求精正确性Correct refinement
  - 事件的卫式条件被加强或保持不变
  - 事件的动作模拟被求精事件的动作(求精后每个迁移都被抽象模型所允许)
  - 使用关联不变式(gluing invariant)来连接新旧模型的状态



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### 可行性

s: sets

c: constants

· v: event执行之前的变量值

· v': event执行之后的变量值

• P(s, c): 常量的性质 ---- context中的axioms

• I (s, c, v): 不变式---- machine中的invariants

• G(s, c, v): 事件的卫式条件 ---- event起始的where条件

• R(s, c, v, v'): 事件的前后谓词 ---- event执行前后保持的性质



### 举例

#### context Kernel\_c01

#### sets Partitions

AllThreads // the thread including used and unused threads
PartitionModes ThreadStates

#### constants PM\_IDLE PM\_NORMAL PM\_WARM\_START

PM\_COLD\_START // partition operating mode, according to ARINC653

TS\_Dormant TS\_Ready TS\_Waiting TS\_Suspend TS\_WaitandSuspend TS\_Running

#### axioms

- @axm00 finite(Partitions) // ^ finite(Threads)
- @axm01 partition(PartitionModes,{PM\_IDLE}, {PM\_NORMAL}, {PM\_WARM\_START},{PM\_COLD\_START})
- @axm03 card(Partitions) ≥ 2 // at least two partition, the kernal partition and a application partition

#### end



### 举例

```
machine Kernel m01
sees Kernel c01
variables Threads
     threadsOfPartition partitionstate
     threadstate
     current_partition
     current thread
invariants
 @inv1 partitionstate \in Partitions \rightarrow PartitionModes
 @axiom1 threadsOfPartition ∈ AllThreads → Partitions
 @inv2 threadstate ∈ AllThreads → ThreadStates
 @inv3 current partition ∈ Partitions
 @inv4 current thread ∈ AllThreads ∧ Threads(current thread) = TRUE ∧
threadsOfPartition(current_thread) = current_partition
 @inv31 partitionstate(current partition) = PM NORMAL
 @inv41 threadstate(current thread) = TS Running
 @inv5 card(partitionstate ▷ {PM_NORMAL}) ≥ 1
 @inv6 card(threadstate ▷ {TS Running}) ≤ 1
```

### 可行性

```
event schedule
  any pt
  where
                                                         P(s, c)
I (s, c, v)
-G(s, c, v)
   @axm1 p \in Partitions
   @axm11 t \in AllThreads \land Threads(t) = TRUE
   @axm2 threadsOfPartition(t) = p
   @axm3 partitionstate(p) = PM_NORMAL
  then
   @act1 threadstate = (threadstate (threadstate~[{TS_Running}]
                                                                      {TS_Ready}))
                                                                                     {t →
TS_Running}
   @act5 current_partition = p
   @act6 current thread = t
end
                                                      ∃v':R(s, c, v, v')=T
```



### 不变式保持

```
event schedule
                                                       P(s, c)
I (s, c, v)
  any pt
  where
   @axm1 p \in Partitions
                                                       G(s, c, v)
   @axm11 t \in AllThreads \land Threads(t) = TRUE
   @axm2 threadsOfPartition(t) = p
                                                       R(s, c, v, v')
   @axm3 partitionstate(p) = PM_NORMAL
  then
                                                                   rs_Ready}))
                                    (threadstate~[{TS_Running}]
   @act1 threadstate = (threadstate
                                                                                {t →
TS_Running}
   @act5 current_partition = p
   @act6 current thread = t
end
                                                       I (s, c, v')
```



### 无死锁

```
event schedule
  any pt
  where
   @axm1 p \in Partitions
   @axm11 t \in AllThreads \land Threads(t) = TRUE
   @axm2 threadsOfPartition(t) = p
   @axm3 partitionstate(p) = PM_NORMAL
                                                        G(s, c, v)
  then
                                     (threadstate~[{TS_Running}] × {TS_Ready}))
   @act1 threadstate = (threadstate
                                                                                  { t →
TS_Running}
   @act5 current_partition = p
   @act6 current thread = t
end
```



### 可行性和不变式保持的命题

#### • 对于一般性事件,证明可行性和不变式保持的两个命题

$P(s,c) \wedge I(s,c,v) \wedge G(s,c,v) \Rightarrow \exists v' \cdot R(s,c,v,v')$	FIS
$P(s,c) \wedge I(s,c,v) \wedge G(s,c,v) \wedge R(s,c,v,v') \Rightarrow I(s,c,v')$	INV

- P(s, c)常量的性质
- I(s, c, v)不变式
- G(s, c, v)事件的卫式条件
- R(s, c, v, v')事件的前后谓词: 事件执行后保持的性质

Generalized Substitution	Before-after Predicate
x := E(v)	$x' = E(v) \land y' = y$
skip	v' = v
any $t$ where $P(t,v)$ then $x:=F(t,v)$ end	$\exists t \cdot (P(t,v) \land x' = F(t,v)) \land y' = y$



## 可行性和不变式保持命题

· 对于一个Machine的初始化事件,证明可行性和不变式保 持的两个命题

$P(s,c) \Rightarrow \exists v' \cdot RI(s,c,v')$	INI_FIS
$P(s,c) \wedge RI(s,c,v') \Rightarrow I(s,c,v')$	INI_INV



# 无死锁的命题

· 对于一个Machine, 无死锁的命题

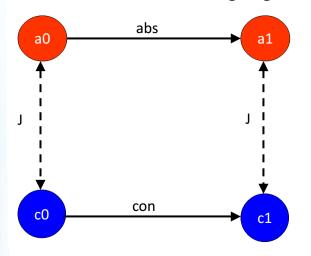
$P(s,c) \wedge I(s,c,v) \Rightarrow G_1(s,c,v) \vee \ldots \vee G_n(s,c,v)$	DLKF



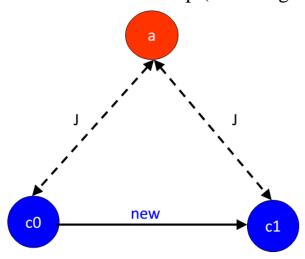
# 软件开发环境国家重点实验

## 事件求精的类型

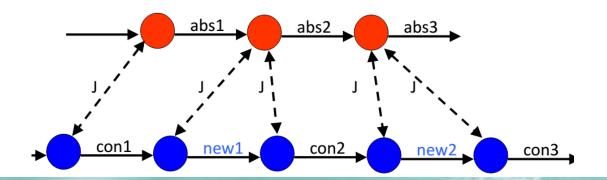
Simulation: maintaining a gluing relation



New concrete events refine skip (stuttering step)



## Refining traces





```
event schedule
                                               ✓ P(s, c)常量的性质
  any pt
                                               ✓ I (s, c, v)不变式
  where
   @axm1 p \in Partitions
   @axm11 t \in AllThreads \land Threads(t) = TRUE
                                               ✓ G(s, c, v): 抽象事件的卫式条件
   @axm2 threadsOfPartition(t) = p
   @axm3 partitionstate(p) = PM_NORMAL
                                               ✓ R(s, c, v, v'): 抽象事件的前后谓词
  then
   @act1 threadstate = (threadstate
                                  (threadstate \sim [{TS Running}] \times {TS Ready})) {t \neq TS Running}
   @act5 current partition = p
   @act6 current thread = t
end
                                               ✓ J (s, c, v, w): 关联(gluing)不变式
event schedule refines schedule
  any pt
  where
   @axm1 p \in Partitions
   @axm11 t \in AllThreads \land Threads(t) = TRUE
                                               ✓ H(s, c, w): 具体事件的卫式条件
   @axm2 threadsOfPartition(t) = p
   @axm3 partitionstate(p) = PM NORMAL
                                               ✓ S(s, c, w, w'): 具体事件的前后谓词
   @axm4 threadstate(t) = TS_Ready
   @axm5 t ≠ current thread
  then
   @act0 threadstate: | threadstate'(t) = TS Running \( \triangle \) threadstate'(current thread) = TS Ready
   @act5 current partition = p
   @act6 current_thread = t
```

## 求精的正确性—可行性

```
event schedule
                                             ✓ P(s, c)常量的性质
 any pt
                                             ✓ I (s, c, v)不变式
 where
   @axm1 p \in Partitions
   @axm11 t \in AllThreads \land Threads(t) = TRUE
                                             ✓ G(s, c, v): 抽象事件的卫式条件
   @axm2 threadsOfPartition(t) = p
   @axm3 partitionstate(p) = PM_NORMAL
                                             ✓ R(s, c, v, v'): 抽象事件的前后谓词
 then
   @act1 threadstate = (threadstate
                                 (threadstate~[{TS_Running}] × {TS_Ready})) {t → TS_Running}
   @act5 current partition = p
   @act6 current thread = t
end
```

✓ J(s, c, v, w): 关联(gluing)不变式

```
P(s, c)
I (s, c, v)
J (s, c, v, w)
H(s, c, w)
```



```
any p t
where
```

- @axm1  $p \in Partitions$
- @axm11  $t \in AllThreads \land Threads(t) = TRUE$
- @axm2 threadsOfPartition(t) = p
- @axm3 partitionstate(p) = PM NORMAL
- @axm4 threadstate(t) = TS Ready
- @axm5 *t* ≠ *current\_thread*

- ✓ H(s, c, w): 具体事件的卫式条件
- ✓ S(s, c, w, w'): 具体事件的前后谓词



**S**(s, c, w, w')



@act0 threadstate: | threadstate'(t) = TS\_Running ^ threadstate'(current\_thread) = TS\_Ready

- @act5 current\_partition = p
- @act6 current\_thread = t

end

## 求精的正确性一卫式保持

```
event schedule
                                             ✓ P(s, c)常量的性质
 any pt
                                             ✓ I (s, c, v)不变式
 where
  @axm1 p \in Partitions
  @axm11 t \in AllThreads \land Threads(t) = TRUE
                                             ✓ G(s, c, v): 抽象事件的卫式条件
  @axm2 threadsOfPartition(t) = p
  @axm3 partitionstate(p) = PM_NORMAL
                                             ✓ R(s, c, v, v'): 抽象事件的前后谓词
 then
  @act1 threadstate = (threadstate
                                 (threadstate~[{TS_Running}] × {TS_Ready})) {t → TS_Running}
  @act5 current partition = p
  @act6 current thread = t
```

✓ J(s, c, v, w): 关联(gluing)不变式

```
P(s, c)
I (s, c, v)
J (s, c, v, w)
H(s, c, w)
```

#### event schedule refines schedule

```
any p t
where
```

end

- $@axm1 p \in Partitions$
- @axm11  $t \in AllThreads \land Threads(t) = TRUE$
- @axm2 threadsOfPartition(t) = p
- @axm3 partitionstate(p) = PM NORMAL
- @axm4 threadstate(t) = TS\_Ready
- @axm5 *t* ≠ *current\_thread*

- ✓ H(s, c, w): 具体事件的卫式条件
- ✓ S(s, c, w, w'): 具体事件的前后谓词



**G**(s, c, v)

#### then

@act0 threadstate: | threadstate'(t) = TS\_Running ^ threadstate'(current\_thread) = TS\_Ready

- @act5 current\_partition = p
- @act6 current\_thread = t

#### end

## 求精的正确性—不变式保持

```
event schedule
                                            ✓ P(s, c)常量的性质
 any pt
                                            ✓ I (s, c, v)不变式
 where
  @axm1 p \in Partitions
  @axm11 t \in AllThreads \land Threads(t) = TRUE
                                            ✓ G(s, c, v): 抽象事件的卫式条件
  @axm2 threadsOfPartition(t) = p
  @axm3 partitionstate(p) = PM_NORMAL
                                            ✓ R(s, c, v, v'): 抽象事件的前后谓词
 then
  @act1 threadstate = (threadstate
                                (threadstate~[{TS_Running}] × {TS_Ready})) {t → TS_Running}
  @act5 current partition = p
  @act6 current thread = t
                                                                                    P(s, c)
end
                                                                                   I (s, c, v)
                                            ✓ J (s, c, v, w): 关联(gluing)不变式
                                                                                   J (s, c, v, w)
```

event schedule refines schedule

```
any pt
where
```

- @axm1  $p \in Partitions$
- @axm11  $t \in AllThreads \land Threads(t) = TRUE$
- @axm2 threadsOfPartition(t) = p
- @axm3 partitionstate(p) = PM NORMAL
- @axm4 threadstate(t) = TS\_Ready
- @axm5 *t* ≠ *current thread*

- ✓ H(s, c, w): 具体事件的卫式条件
- ✓ S(s, c, w, w'): 具体事件的前后谓词

#### then

@act0 threadstate: | threadstate'(t) = TS Running \( \triangle \) threadstate'(current thread) = TS Ready

- @act5 current partition = p
- @act6 current\_thread = t

 $\exists v': (R(s, c, v, v') \land J(s, c, v', w'))$ 

H(s, c, w)

**S**(s, c, w, w')

· 事件求精正确的命题(具体事件refines抽象事件)

$P(s,c) \wedge I(s,c,v) \wedge J(s,c,v,w) \wedge H(s,c,w)$ $\Rightarrow$ $\exists w' \cdot S(s,c,w,w')$	FIS_REF
$\begin{array}{l} P(s,c) \; \wedge \; I(s,c,v) \; \wedge \; J(s,c,v,w) \; \wedge \; H(s,c,w) \\ \Rightarrow \\ G(s,c,v) \end{array}$	GRD_REF
$P(s,c) \wedge I(s,c,v) \wedge J(s,c,v,w) \wedge H(s,c,w) \wedge S(s,c,w,w')$ $\Rightarrow$ $\exists v' \cdot (R(s,c,v,v') \wedge J(s,c,v',w'))$	INV_REF

- G(s, c, v): 抽象事件的卫式条件
- H(s, c, w): 具体事件的卫式条件
- J(s, c, v, w): 关联不变式
- ┗ R(s, c, v, v'): 抽象事件的前后谓词
- S(s, c, w, w'): 具体事件的前后谓词



## 新事件正确性的命题

- 每个新事件是对隐式的skip动作的求精
- 新增的所有事件,必须互不偏离(diverge)

$P(s,c) \wedge I(s,c,v) \wedge J(s,c,v,w) \wedge H(s,c,w)$ $\Rightarrow$ $\exists w' \cdot S(s,c,w,w')$	FIS_REF
$P(s,c) \wedge I(s,c,v) \wedge J(s,c,v,w) \wedge H(s,c,w) \wedge S(s,c,w,w')$ $\Rightarrow$ $J(s,c,v,w')$	INV_REF

$$P(s,c) \ \land \ I(s,c,v) \ \land \ J(s,c,v,w) \ \land \ H(s,c,w) \ \land \ S(s,c,w,w')$$
 
$$\Rightarrow \\ V(s,c,w) \in \mathbb{N} \ \land \ V(s,c,w') < V(s,c,w)$$
 WFD\_REF



## • 新事件无死锁的命题

- 弱性无死锁

$$P(s,c) \wedge I(s,c,v) \wedge J(s,c,v,w) \wedge G_i(s,c,v)$$

$$\Rightarrow$$

$$H_1(s,c,w) \vee \ldots \vee H_m(s,c,w) \vee N_1(s,c,w) \vee \ldots \vee N_n(s,c,w)$$

 $W_DLK_E_i$ 

### - 强性无死锁

$$P(s,c) \wedge I(s,c,v) \wedge J(s,c,v,w) \wedge G_i(s,c,v)$$

$$\Rightarrow$$

$$H_i(s,c,w) \vee N_1(s,c,w) \vee \ldots \vee N_n(s,c,w)$$

 $\mathsf{S\_DLK\_E}_i$ 



## 小结

- ・完成了
  - 隔离内核的Event-B模型
  - 基于模拟和模型检测方法的验证
- ・下一步工作
  - 采用演绎推理的方式验证隔离内核的Event-B模型
- · Event-B建模思路与软件的区别
- · Event-B中,不变式保持以事件为最小粒度



# 谢谢!

# 请批评指正!