

优化理论与最优控制

Prof . Dr . -ing L. Wang



什么是优化（第一个例子：文献）



Optimization of wind turbine energy and power factor with an evolutionary computation algorithm

Andrew Kusiak*, Haiyang Zheng

Department of Mechanical and Industrial Engineering, 3131 Seamans Center, The University of Iowa, Iowa City, IA 52242-1527, USA

ARTICLE INFO

Article history:

Received 10 August 2009

Received in revised form

13 November 2009

Accepted 17 November 2009

Available online 30 November 2009

Keywords:

Wind turbine

Power factor

Power output

Power quality

Data mining

Neural network

Dynamic modeling

Multi-objective optimization

Evolutionary computation algorithm

ABSTRACT

An evolutionary computation approach for optimization of power factor and power output of wind turbines is discussed. Data-mining algorithms capture the relationships among the power output, power factor, and controllable and non-controllable variables of a 1.5 MW wind turbine. An evolutionary strategy algorithm solves the data-derived optimization model and determines optimal control settings. Computational experience has demonstrated opportunities to improve the power factor and the power output by optimizing set points of blade pitch angle and generator torque. It is shown that the pitch angle and the generator torque can be controlled to maximize the energy capture from the wind and enhance the quality of the power produced by the wind turbine with a DFIG generator. These improvements are in the presence of reactive power remedies used in modern wind turbines. The concepts proposed in this paper are illustrated with the data collected at an industrial wind farm.

© 2009 Elsevier Ltd. All rights reserved.

An evolutionary computation approach for **optimization** of power factor and power output of wind turbines is discussed. Data-mining algorithms capture the relationships among the power output, power factor, and controllable and non-controllable variables of a 1.5 MW wind turbine. An evolutionary strategy algorithm solves the data-derived optimization model and determines **optimal control** settings. Computational experience has demonstrated opportunities to improve the power factor and the power output by **optimizing** set points of blade pitch angle and generator torque. It is shown that the pitch angle and the generator torque can be controlled to maximize the energy capture from the wind and enhance the quality of the power produced by the wind turbine with a DFIG generator. These improvements are in the presence of reactive power remedies used in modern wind turbines. The concepts proposed in this paper are illustrated with the data collected at an industrial wind farm.



Optimization of wind turbine energy and power factor with an evolutionary computation algorithm

Introduction

Problem formulation and methodology

Power optimization problem formulation

Dynamic modeling of wind turbines

The bi-objective power optimization model

Wind turbine modeling

Data description

Dynamic models extracted by the data-mining algorithms

Bi-objective power optimization

Low wind speed scenario

High wind speed scenario

Conclusion

Acknowledgement

References

什么是优化（第二个例子：水网络）

来源于工业的例子

工业需求

思考需求

生存需求

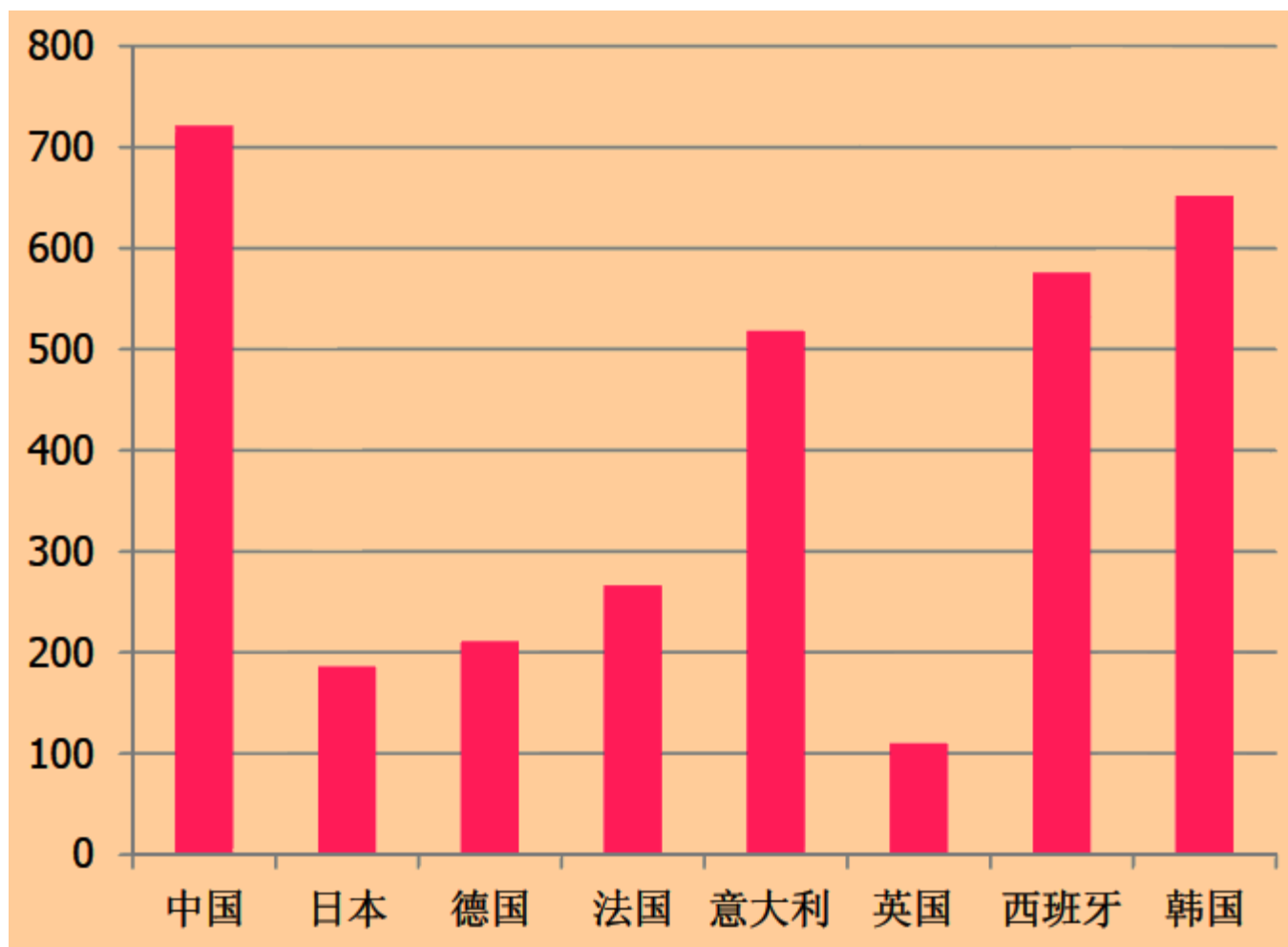


I. 水危机是全球性的，中国尤其严重

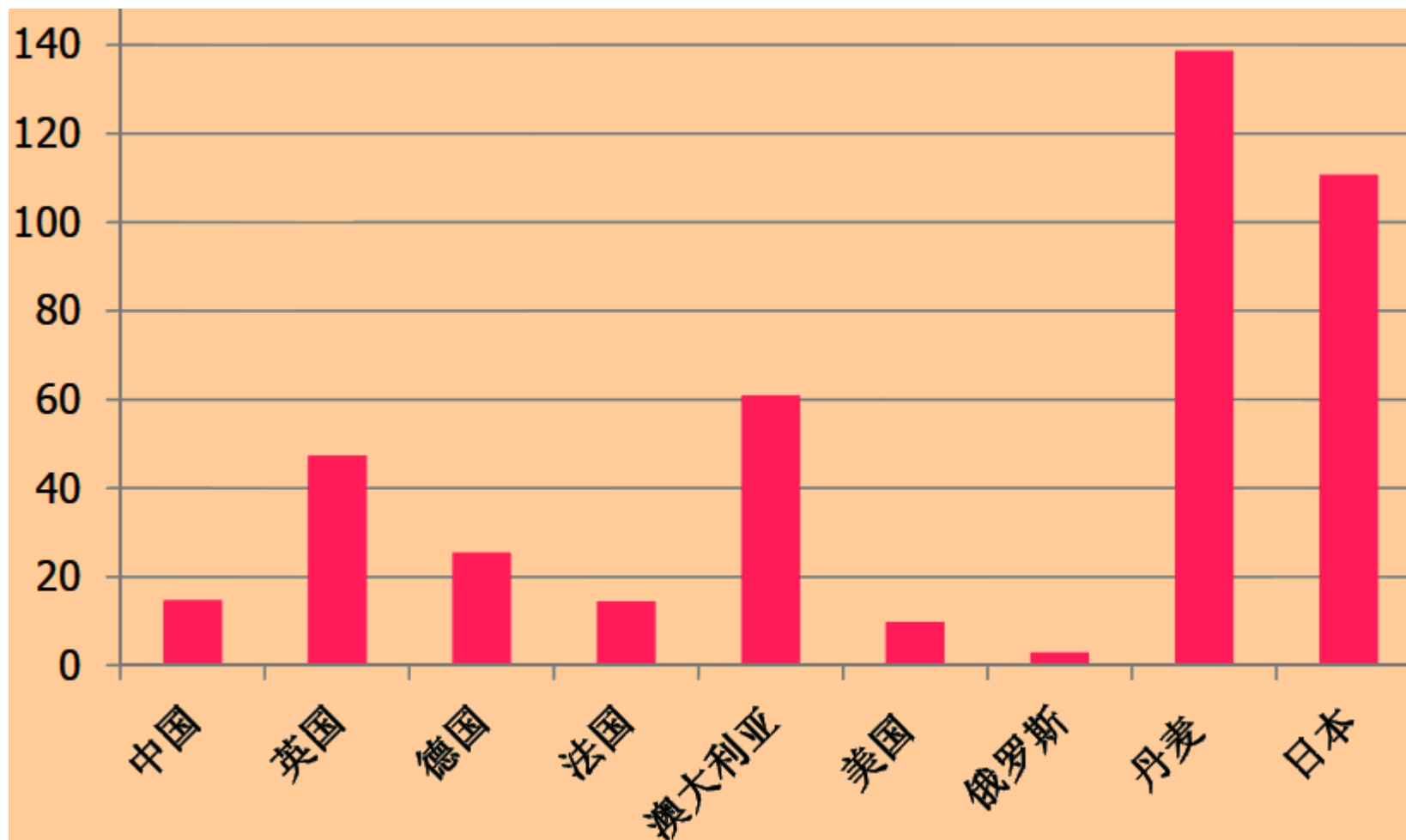
1. 地球上所有的水中，只有2.5%是淡水。
2. 20世纪世界人口增加近三倍，淡水消耗量增加了6倍，其中工业用水增加了26倍，但水资源并未增加。20世纪末人均占有水量仅为世纪初的1/18。地球上的可饮用水正在面临枯竭。
3. 全世界每年排放工业废水 $4260 \times 10^8 \text{m}^3$,这使得可供人类使用的1/3淡水资源受到污染。
4. 12亿人口会由于缺乏净水而陷入困境。
5. 26亿人口缺乏充分的卫生设施条件保障。



II. 单位GDP用水量(m^3 /万美元)



III. 工业用水效率(万美元/m³)



IV. 对策（政策层面）

确立水资源开发利用控制的三条红线：

到2030年全国用水总量控制在7000亿立方米以内；

万元工业增加值用水量降低到40立方米以下；

2020年，全国用水总量力争控制在6700亿立方米以内；

万元工业增加值用水量降低到65立方米以下；

2015年，全国用水总量力争控制在6350亿立方米以内；

万元工业增加值用水量比2010年下降30%以上

2010年实际万元工业增加值用水量为105立方米。

2015年控制值是： 73.5立方米

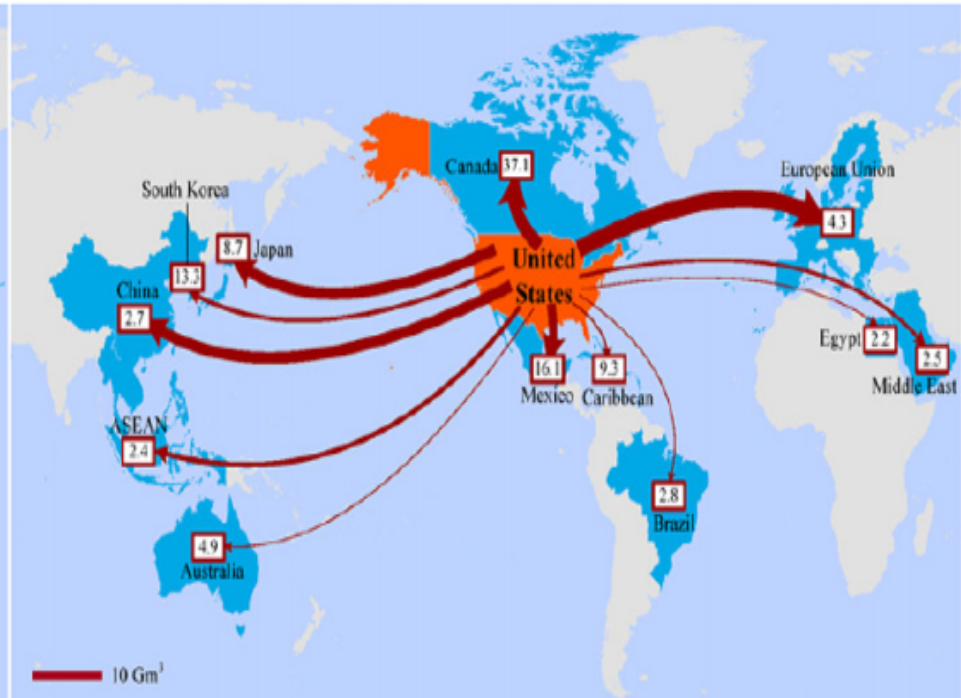
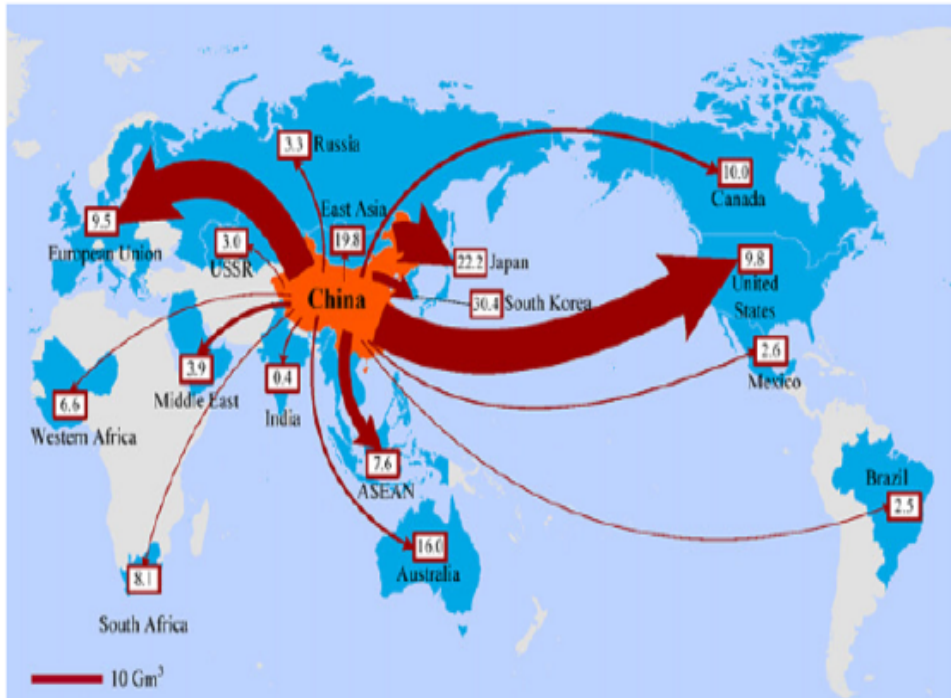


IV. 对策（技术层面—经济学）

联合国教科文组织的研究表明：

中国因为没有在国际贸易中考虑虚拟水问题，
在1996—2005年的贸易中已导致**虚拟水净损失**
235亿立方米。





IV. 对策（技术层面—工学）

1. 工业企业内水网络系统集成**优化**

A. 单个水网络系统

B. 同时**优化**水用量最小和能量最小（生产力最大）

C. 多原料(如煤、天然气等)工艺与能水系统同时**优化**

2. 跨企业多个水网络系统集成**优化**（工业园区）

3. 城市水网络问题



IV. 对策（技术层面—工学）

优化的目标函数问题：

1. 新鲜水用量最小化：

以此为目标函数有片面性—可能导致“花钱买指标”；

2. 水系统运行总成本最小化：

水系统涵盖范围大了后，成本就显著上升了；



IV. 对策（技术层面—工学）

优化变量：结构中的联接数目 N_s

1. 新鲜水用量最小化：

目标： \min

$$\sum_{j=1}^{N_s} F_j$$

约束： s.t.

$$W_i = \sum_{j=1}^{N_s} w_{i,j} + w_{i,\text{waste}} \quad (j = 1, 2, \text{L} \ , N_s)$$

$$G_j = F_j + \sum_{i=1}^{N_R} w_{i,j} \quad (j = 1, 2, \text{L} \ , N_s)$$

$$G_j z_j^{\text{in}} = \sum_{i=1}^{N_R} w_{i,j} y_i \quad (j = 1, 2, \text{L} \ , N_s)$$

$$z_j^{\min} \leq z_j^{\text{in}} \leq z_j^{\max} \quad (j = 1, 2, \text{L} \ , N_s)$$



IV. 对策（技术层面—工学）

1. 新鲜水用量最小化(举例)

由10个用水过程构成的用水网络，其结构中的联接数目可
达72个。如果不能满足实现条件的联接删除，则可行性联
接由72个下降为40个。

过程号	$F_{i,j}(\text{ton /h})$	有回用最小新鲜水流量	废水流量
5	$F_{4,5} = 20.0$	20.0	40.0

总新鲜水最小流率(ton /h) = 165. 9424

最小总新鲜水耗量:

由252.4t/h下降到165.9t/h，新鲜水节省了34%以上。



优化求解 (工具一-AspenWater)



什么是优化（第三个例子：微反应器设计）



Optimal Shape Design for T-shaped Microreactors with Engulfment Flow

Lin WANG, Osamu TONOMURA, Manabu KANO, Shinji HASEBE

Process Control & Process Systems Engineering Lab

Department of Chemical Engineering

Kyoto University

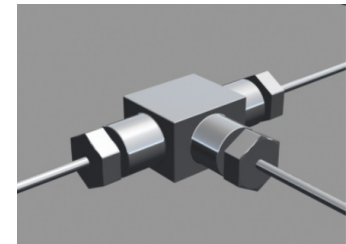


Reaction in Microreactors

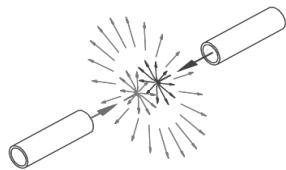
Main advantages

1. Suppression of hot spots in highly exothermic reaction
2. Suppression of by-products

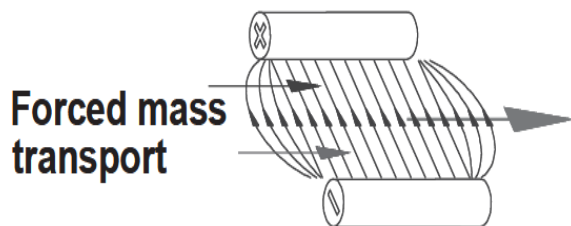
Mixing performance affects product yield



Active mixing: high energy collision (Ultrasonic, etc.)

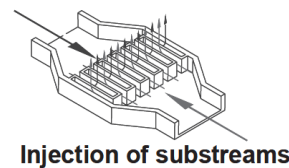


High energy collision



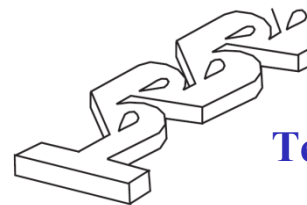
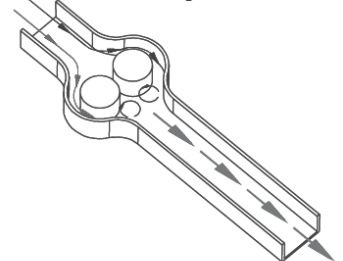
Forced mass transport

Passive mixing: the geometry of a channel must be “**complicated enough**”



Injection of substreams

Periodic injection



Tesla structure

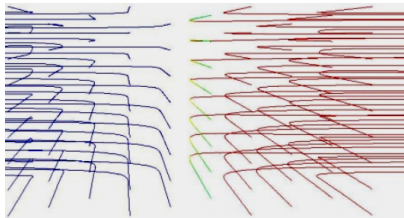
Hessel, V., et al., *Chem. Eng. Sci.*, 60, (2005)

*Hong, C. C., et al., *Lab chip*, 4, (2004)

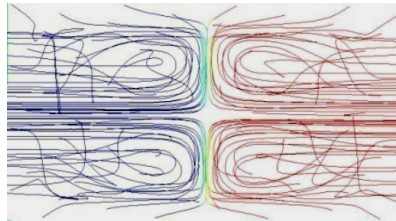
T-Shaped Microreactors (T-MRs)

- Three types of flow.

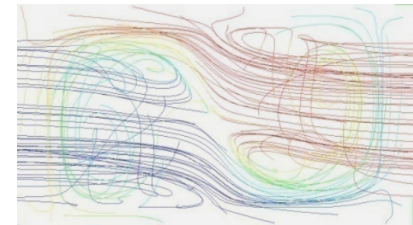
Stratified flow



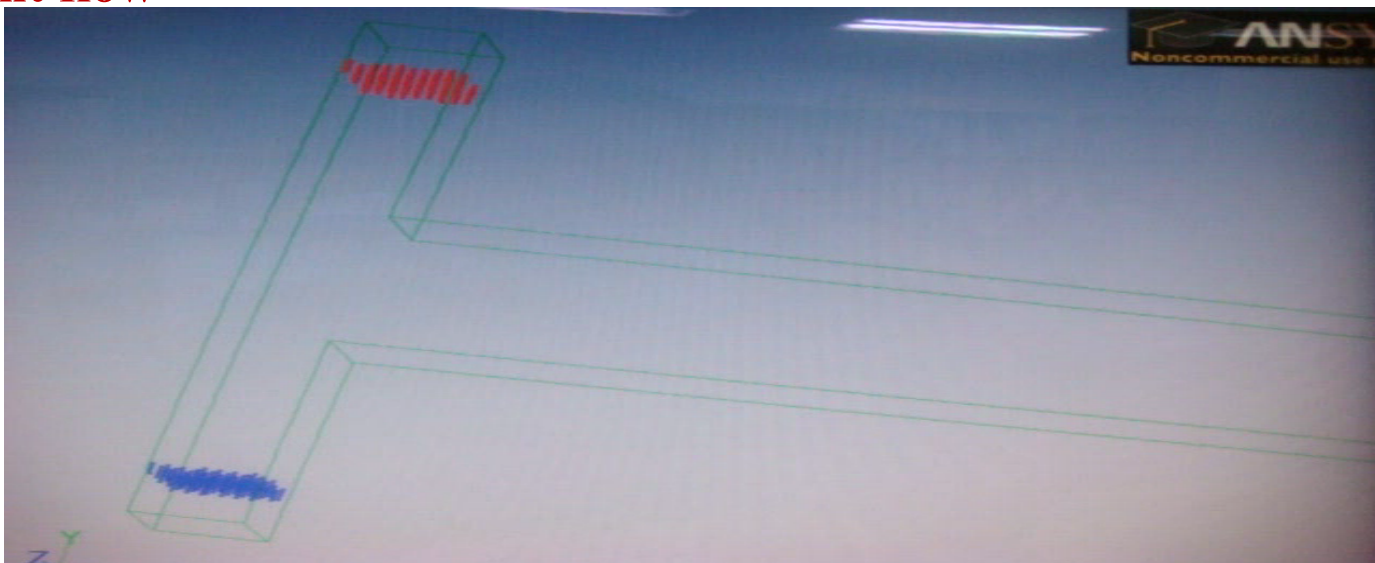
Vortex flow



Engulfment flow



Engulfment flow



Design Objective of T-MRs

- High mixing performance is achieved by engulfment flow and lead to high product yield.
- ↓
- Engulfment flow is generated at high Re.
- ↓
- High Re needs high pressure drop.

**Design
Objective**

**To design a T-MR with higher product yield
and lower pressure drop**

Constrains

a simplified model

Optimal Design Results

$$\text{Max}_{[W_M, H_I, L_M]} Y_R$$

s. t.

$$V = 4 \times 10^{-8} \text{ m}^3 \text{ s}^{-1}$$

$$\text{Re}_{low} \leq \text{Re}$$

$$200 \mu\text{m} \leq W_M \leq 400 \mu\text{m}$$

$$80 \mu\text{m} \leq H_I \leq 120 \mu\text{m}$$

$$\Delta P \leq 1.3 \times 10^4 \text{ Pa}$$

Results

$$W_M^{\text{opt}} = 262 \mu\text{m}$$

$$H_I^{\text{opt}} = 115 \mu\text{m}$$

$$L_M^{\text{opt}} = 7700 \mu\text{m}$$

Optimization problems



Optimization problems

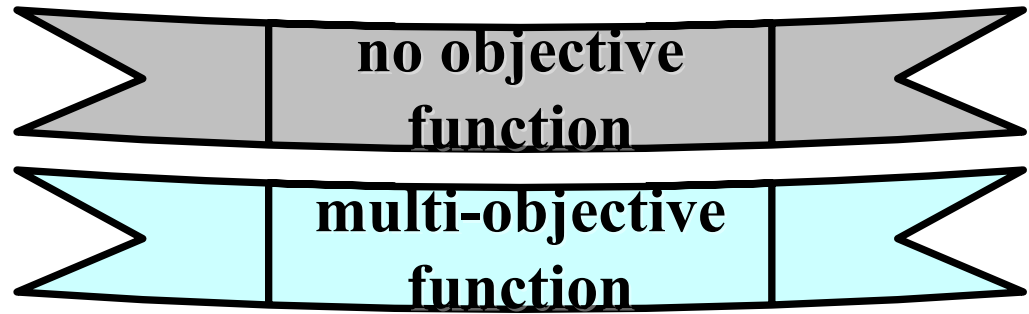
objective function

set of **unknowns** or **variables**

constraints



objective function



which we want to minimize or maximize.

- 1 In a manufacturing process, we might want to maximize *the profit* or minimize *the cost*.
- 2 In fitting experimental data to a user-defined model, we might minimize the *total deviation of observed data from predictions* based on the model.
- 3 In designing an automobile panel, we might want to maximize *the strength*..



set of **unknowns** or **variables**

essential

which affect the value of the objective function.

1. In the manufacturing problem, the variables might include the *amounts of different resources used* or the *time spent on each activity*.
2. In fitting-the-data problem, the unknowns are the *parameters* that define the model.
3. In the panel design problem, the variables used define the *shape and dimensions* of the panel..



constraints

**unconstrained
opt.**

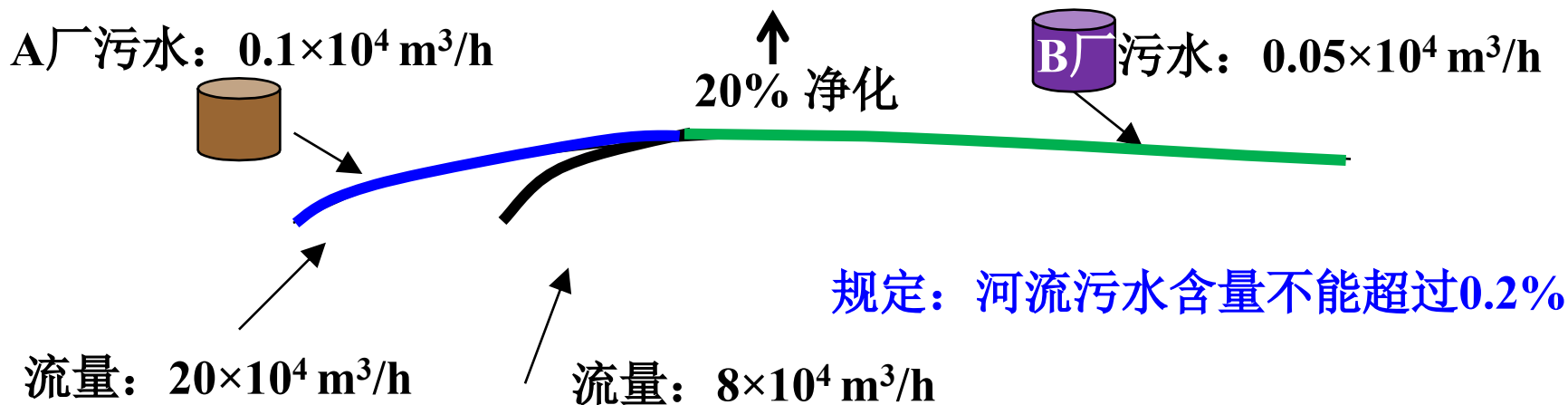
*allow the unknowns to take on certain values
but exclude others.*

1. In the manufacturing problem, it does not make sense to spend a negative amount of time on any activity, so we constrain all the "time" variables to be non-negative.
2. In the panel design problem, we would probably want to limit the *weight* of the product and to constrain its *shape*.



环境保护问题

从第一化工厂排出的工业污水流到第二
化工厂以前，有20%可以自然净化。



已知: 处理污水成本: A厂 1000元 / 10^4 m^3 B厂 800元 / 10^4 m^3

问题: 在满足环保要求的前提下, 各个厂处理多少污水, 才能使
该公司处理污水的费用最小。



环境保护问题

x_1 、 x_2 ——分别代表工厂A和工厂B处理污水的数量(10^4m^3)。

目标函数: $\min z=1000x_1+800x_2$

约束条件:

第一段河流 (兰色) :

$$(0.1-x_1)/20 \leq 0.2\%$$

第二段河流 (绿色) : :

$$[0.8(0.1-x_1)+(0.05-x_2)]/28 \leq 0.2\%$$

此外有:

$$x_1 \leq 0.1; \quad x_2 \leq 0.05$$

化简有:



优化问题的数学模型

$$\min (\max) f(x)$$

s. t.

$$g(x) \geq 0$$

$$h(x) = 0$$

式中 $g(x) = (g_1(x), g_2(x), \dots, g_m(x))^T$

$$h(x) = (h_1(x), h_2(x), \dots, h_l(x))^T$$

$$x = (x_1, x_2, \dots, x_n)^T$$

等式约束: $h(x)$

化工过程 热力学、动力学

➤ 物料平衡方程

➤ 热量平衡方程

➤ 动量平衡方程

不等式约束: $g(x)$

过程操作安全生产条件

➤ 压力上下限

➤ 温度上下限

➤ 人力、物力、设备处理能力



决策变量

决策者根据目标和约束条件的要求而确定

- 选择那些易观察、能检测、能控制的变量

状态变量

描述过程或系统的特征或行为

- 其值不能任意选取

决策变量一经确定，状态变量也随之确定

在确定状态变量和决策变量时必须遵循以下原则

状态变量数目 = 状态方程数目

变量总数 - 状态方程数 = 决策变量数

★ 决策变量数 又称为优化问题的自由度

❖ 难易程度、0、1、大、小

