# **Alphabetic List of Existential Paths**

# Standard Dictionary for Path Semantics

by Sven Nilsen, 2017

# **Binary Operators**

### Α

### D

```
\exists div <=> (\neg= 0)
\exists div(k) <=> (\neg= 0)
```

### Ε

```
\exists eq <=> true_1
\exists eq(k) <=> \exists(= k) <=> true_1
```

### F

 $\exists false_1 <=> not$ 

### G

```
\exists ge <=> true_1

\exists ge(k) <=> \exists (<= k) <=> true_1

\exists gt <=> true_1

\exists gt(k) <=> \exists (< k) <=> if k == 0 { id } else { true_1 }
```

### 

 $\exists id <=> true_1$ 

#### L

```
\exists le <=> true_1

\exists le(k) <=> \exists (>= k) <=> if k == 0 { id } else { true_1 }

\exists len <=> true_1

\exists lt <=> true_1

\exists lt(k) <=> \exists (> k) <=> true_1
```

### M

```
\begin{array}{l} \exists mul_{\mathbb{N}} <=> true_1 \\ \exists mul_{\mathbb{N}}(k) <=> \exists (\cdot \ k) <=> \setminus (x) = (x == 0) \parallel (x \% \ k) == 0 \\ \exists \exists mul_{\mathbb{N}}(k) <=> \exists \exists (\cdot \ k) <=> if \ k == 0 \ \{ \ true_1 \} \ else \ if \ k == 1 \ \{ \ id \ \} \ else \ \{ \ true_1 \} \end{array}
```

# N

∃neg <=> true<sub>1</sub> ∃not <=> true<sub>1</sub>

### 0

 $\exists$ or <=> true<sub>1</sub>

# R

 $\exists$ random <=> probl

# S

 $\exists$ sequence(0, 2) <=> even  $\exists$ sequence(1, 2) <=> odd  $\exists$ sequence(a, b) <=> linear(a, b)  $\exists$ sub<sub>N</sub> <=> true<sub>1</sub>  $\exists$ sym <=> true<sub>1</sub>

# T

 $\exists true_1 <=> id$ 

# U

 $\exists unit <=> true_1$ 

# X

 $\exists xor <=> true_1$