

# SCelta FINALE TITLE

titolo me da rimandare con calma

ACRONIMI: DYS  
OF  
POP  
A  
AW  
AOPSP  
IAOPORSP  
LP  
MILP

QP  
1b input domain  
ob obj.

ABSTRACT - PURPOSE  
TABLE OF CONTENT  
FIGURES  
TABLES  
ACRONIMS AND DEFINITIONS  
INTRODUCTION (HISTORY)  
THEORY BACKGROUND  
PROBLEMS DEFINITION, ~~DECISION VARIABLES~~  
AND METRICS, DISTANCE BETWEEN 2 CASES  
GUROBI MODELS  
METHODOLOGY (ALL ALGORITHMS LOGIC)  
DIFFERENT DATASETS AND RESULTS  
CONCLUSION AND FUTURE WORK  
BIBLIOGRAPHY  
APPENDICES (RAW DATA?)

Brief about exp about Python  
GUROBI EXPLANATION?  
LINEAR PROGRAMMING  
AND CONSTRAINTS  
Computational complexity.  
Contextualization of dimension of dataset.

Metti la data quando fin.

~~Table~~ ~~comparative~~

Richiedi Gurobi presentazione dati

Reference sparse

Numero di pagine presenti due volte  
quando inizio il capitolo

Poi di pagine esente  
10mm before section  
6mm before subsection

INCONTI dopo def and then

ABSTRACT: What the paper of the thesis / what does it bring  
Context  
Scheduling description  
Problems description  
Stages of the work done  
Results and implications.

INTRODUCTION: HISTORICAL OVERVIEW ON SCHEDULING  
WHAT DOES THIS THESIS WORK ON, RESOURCE USAGE  
EXPLANATION ON THE LOGIC, FINDING SOLVERS AND MATHEMATICAL RIGOROUSITY  
THE NECESSITY OF REDUCING COST AND TIME: SOLVER VS ALGORITHMIC SOLUTIONS  
WAYS OF FINDING A SOLUTION, EXACT ALGORITHM VS EVOLUTIVE, OPTIMAL SOLUTIONS.  
CURRENT STATUS OF RESEARCH OF THE TOPIC  
WHAT IS MY CONTRIBUTION TO THIS TOPIC

GUROBI MODELS: 3 SECTIONS → 1 model and 2 models  
Each section will contain: Decision variables and parameters  
Objective function  
Constraint documentation and description  
Rapid results overview  
Decision = C → Time-based model  
Decision = Z → Assignment-based model

$$x \in [1, 2] \Rightarrow x \in [1.0, 2.0]$$

VALIDATION INSTANCES:

① No need, algorithm is optimal

② OF:  $\begin{cases} A \geq S_{AW} \\ S \geq A_{AW} \\ A \geq A_{S} \\ A \leq S_{AW} \end{cases} \begin{matrix} 20 \times N \\ N: \\ 10, 15, 20 \end{matrix} \left| \begin{matrix} \text{for all} \\ \text{algorithm} \end{matrix} \right. = 240 \rightarrow \text{OF\_X\_N\_I.TXT}$   
 $x \in [\emptyset, 1, 2, 3]$   
 $NE[11, 15, 19]$  make  
 $i \in [1 \dots 20]$

TIME:  $\begin{cases} \text{Guided view} \\ \text{vs} \\ \text{trial algorithm} \end{cases} \begin{matrix} 5 \times N \\ N: 5 \dots 16 \\ \text{steps} \end{matrix} = 120$   
(used A=AWC=S)  
TIME\_N\_I.TXT → NE[5, 7, ..., 15, 17]  
 $i \in [1 \dots 5]$

(Methodology)

Algorithms: P1: 1) Forward Greedy 2) EUGENICS ALGORITHM? EHEHE  
3) Backward Greedy

P2: 1) Forward greedy + 1.1) Sampling  
1.2) Sticking  
1.3) Group sticking + 2) Adaptive neighborhood...

## THEORY BACKGROUNDS: P vs NP

~~WHAT IS A PROBLEM AND THE HARD~~  
~~WHAT IS AN ALGORITHM~~ → DEF  
~~COMPUTATIONAL COMPLEXITY OF AN ALGORITHM~~ → YES, EVERY CASE OF ALL COMBINATIONS  
P = PROBLEM  
NP = PROBLEM  
BRIEF DISCUSSION ON NP-HARD AND NP COMPLETE  
OPTIMAL SOLUTION VS HEURISTIC SOLUTION  
IMPLICIT ENUMERATION OF ALL SOLUTIONS

## SCHEDULING PROBLEM CLASSIFICATIONS:

WHAT IS SCHEDULING INFORMALLY  
DEFINITIONS  
3 FIELDS CLASSIFICATION  
α  
β  
γ  
JOB SHOP/FLOWSHOP INSIGHT.  
FLEXIBLE VARIATION