

## Lab Final Question

CSE 314

Spring 2020

### Instructions:

- i. Write two programmes (one from each sets using the given procedure in instruction ii) in MATLAB/Octave.
- ii. Match the serial number (S.N.) of questions from set A and set B with the last digit of your Roll number (UAP) after adding 5 with it (roll no.). For example, if your roll number is 102, you have to add 5 with it, i.e.  $102 + 5 = 107$ . Then you have to answer question no. 7 from both the sets (A and B).
- iii. Do not copy equations from questions. Some mathematical signs may not work well.

S.N.	Set - A
1	Use forward divided difference approximation of the first derivative of $f(x) = 3e^{2.5x} + 2$ to calculate the derivative at $x_0=2.12$ , $x_1$ , $x_2$ with a step size of 2. Print the FDD result and also show the results in a $3 \times 3$ matrix that contains 3 columns such as: Serial No., x_value ( $x_i$ ), and y_value ( $y_i$ ).
2	Use forward divided difference approximation of the first derivative of $f(x) = 6e^{-3x} + 3$ to calculate the derivative at $x_0=2.12$ , $x_1$ , $x_2$ with a step size of 2. Print the FDD result and also show the results in a $3 \times 3$ matrix that contains 3 columns such as: Serial No., x_value ( $x_i$ ), and y_value ( $y_i$ ).
3	Use forward divided difference approximation of the first derivative of $f(x) = x^3 \ln(x)$ to calculate the derivative at $x_0=2.12$ , $x_1$ , $x_2$ with a step size of 2. Print the FDD result and also show the results in a $3 \times 3$ matrix that contains 3 columns such as: Serial No., x_value ( $x_i$ ), and y_value ( $y_i$ ).
4	Use backward divided difference approximation of the first derivative of $f(x) = \sin^2 x$ to calculate the derivative at $x_0=2.12$ , $x_1$ , $x_2$ with a step size of 2. Print the BDD result and also show the results in a $3 \times 3$ matrix that contains 3 columns such as: Serial No., x_value ( $x_i$ ), and y_value ( $y_i$ ).
5	Use backward divided difference approximation of the first derivative of $f(x) = 3e^{2.5x} + x^2$ to calculate the derivative at $x_0=2.12$ , $x_1$ , $x_2$ with a step size of 2. Print the BDD result and also show the results in a $3 \times 3$ matrix that contains 3 columns such as: Serial No., x_value ( $x_i$ ), and y_value ( $y_i$ ).
6	Use backward divided difference approximation of the first derivative of $f(x) = 3e^{2.5x} + \sin x$ to calculate the derivative at $x_0=2.12$ , $x_1$ , $x_2$ with a step size of 2. Print the BDD result and also show the results in a $3 \times 3$ matrix that contains 3 columns such as: Serial No., x_value ( $x_i$ ), and y_value ( $y_i$ ).
7	Use Central divided difference approximation of the first derivative of $f(x) = 3e^{2.5x} + 2$ to calculate the derivative at $x_0=2.12$ , $x_1$ , $x_2$ with a step size of 2. Print the CDD result and also show the results in a $3 \times 3$ matrix that contains 3 columns such as: Serial No., x_value ( $x_i$ ), and y_value ( $y_i$ ).
8	Use Central divided difference approximation of the first derivative of $f(x) = x^3 \ln(x)$ to calculate the derivative at $x_0=2.12$ , $x_1$ , $x_2$ with a step size of 2. Print the CDD result and also show the results in a $3 \times 3$ matrix that contains 3 columns such as: Serial No., x_value ( $x_i$ ), and y_value ( $y_i$ ).

9	Use Central divided difference approximation of the first derivative of $f(x) = 3e^{2.5x} + x^2$ to calculate the derivative at $x_0=2.12$ , $x_1$ , $x_2$ with a step size of 2. Print the CDD result and also show the results in a 3×3 matrix that contains 3 columns such as: Serial No., x_value ( $x_i$ ), and y_value ( $y_i$ ).
0	Use Central divided difference approximation of the first derivative of $f(x) = 3e^{2.5x} + \sin x$ to calculate the derivative at $x_0=2.12$ , $x_1$ , $x_2$ with a step size of 2. Print the CDD results and also show the results in a 3×3 matrix that contains 3 columns such as: Serial No., x_value ( $x_i$ ), and y_value ( $y_i$ ).

S.N.	Set - B
1	Use Newton-Raphson method to estimate the root of $x^4 - 4x^{3/2} + 5x + 2 = 0$ . Conduct 10 iterations assuming that the root exists in the interval of [4, 6]. Print the result of Root ( $x_i$ ), Absolute relative approximate error ( $ \epsilon_a $ ), and No. of significant digits after each Iteration. Use plot function to display the values of $x$ (i.e. $x_0$ , $x_1$ , $x_2$ , ..., $x_9$ ) and their corresponding values of $y$ by x-axis and y-axis, respectively.
2	Use Newton-Raphson method to estimate the root of $4x^3 + 7x + 3 = e^x$ . Conduct 10 iterations with an initial guess 3. Print the result of Root ( $x_i$ ), Absolute relative approximate error ( $ \epsilon_a $ ), and No. of significant digits after each Iteration. Use plot function to display the values of $x$ (i.e. $x_0$ , $x_1$ , $x_2$ , ..., $x_9$ ) and their corresponding values of $y$ by x-axis and y-axis, respectively.
3	Use Newton-Raphson method to estimate the root of $x^4 - 9x^{3/2} + 7x + 2 = 0$ . Conduct 10 iterations assuming that the root exists in the interval of [3, 4]. Print the result of Root ( $x_i$ ), Absolute relative approximate error ( $ \epsilon_a $ ), and No. of significant digits after each Iteration. Use plot function to display the values of $x$ (i.e. $x_0$ , $x_1$ , $x_2$ , ..., $x_9$ ) and their corresponding values of $y$ by x-axis and y-axis, respectively.
4	Use Newton-Raphson method to estimate the root of $e^x - 2x - 5 = 0$ . Conduct 10 iterations with an initial guess -2. Print the result of Root ( $x_i$ ), Absolute relative approximate error ( $ \epsilon_a $ ), and No. of significant digits after each Iteration. Use plot function to display the values of $x$ (i.e. $x_0$ , $x_1$ , $x_2$ , ..., $x_9$ ) and their corresponding values of $y$ by x-axis and y-axis, respectively.
5	Use Newton-Raphson method to estimate the root of $f(x) = x^{4/3} + x - 1$ . Conduct 10 iterations assuming that the root exists in the interval of [0.5, 1.0]. Print the result of Root ( $x_i$ ), Absolute relative approximate error ( $ \epsilon_a $ ), and No. of significant digits after each Iteration. Use plot function to display the values of $x$ (i.e. $x_0$ , $x_1$ , $x_2$ , ..., $x_9$ ) and their corresponding values of $y$ by x-axis and y-axis, respectively.
6	Use Newton-Raphson method to estimate the root of $f(x) = 2x^{0.5} + x^{0.5} - 5$ . Conduct 10 iterations assuming that the root exists in the interval of [4.5, 5.5]. Print the result of Root ( $x_i$ ), Absolute relative approximate error ( $ \epsilon_a $ ), and No. of significant digits after each Iteration. Use plot function to display the values of $x$ (i.e. $x_0$ , $x_1$ , $x_2$ , ..., $x_9$ ) and their corresponding values of $y$ by x-axis and y-axis, respectively.
7	Use Newton-Raphson method to estimate the root of $f(x) = x^3 - 7/(x+2)$ . Conduct 10 iterations assuming that the root exists in the interval of [1.4, 1.5]. Print the result of Root ( $x_i$ ), Absolute relative approximate error ( $ \epsilon_a $ ), and No. of significant digits after

	each Iteration. Use plot function to display the values of $x$ (i.e. $x_0, x_1, x_2, \dots, X_9$ ) and their corresponding values of $y$ by x-axis and y-axis, respectively.
8	Use Newton-Raphson method to estimate the root of $f(x) = 5\sin^2(x) - 8\cos^5(x)$ . Conduct 10 iterations assuming that the root exists in the interval of $[0.5, 1.5]$ . Print the result of Root ( $x_i$ ), Absolute relative approximate error ( $ \mathcal{E}_a $ ), and No. of significant digits after each Iteration. Use plot function to display the values of $x$ (i.e. $x_0, x_1, x_2, \dots, X_9$ ) and their corresponding values of $y$ by x-axis and y-axis, respectively.
9	Use Newton-Raphson method to estimate the root of $e^x - 3x^2 = 0$ . Conduct 10 iterations assuming that the root exists in the interval of $[3, 5]$ . Print the result of Root ( $x_i$ ), Absolute relative approximate error ( $ \mathcal{E}_a $ ), and No. of significant digits after each Iteration. Use plot function to display the values of $x$ (i.e. $x_0, x_1, x_2, \dots, X_9$ ) and their corresponding values of $y$ by x-axis and y-axis, respectively.
0	Use Newton-Raphson method to estimate the root of $\sin(x) - e^{-x} = 0$ . Conduct 10 iterations assuming that the root exists in the interval of $[3, 4]$ . Print the result of Root ( $x_i$ ), Absolute relative approximate error ( $ \mathcal{E}_a $ ), and No. of significant digits after each Iteration. Use plot function to display the values of $x$ (i.e. $x_0, x_1, x_2, \dots, X_9$ ) and their corresponding values of $y$ by x-axis and y-axis, respectively.