#Lecture 1:	Flotun 1:
*) Reasons do use v	rumerical method.
	* Truncation
#Lecture 2°	
*) True ennon =	True value - Approximate ennon
*) Relative tous enne	Appendix and a second s
# Lecture 3:	HIMBELDER (No. 1979)
*Approximate enno	n = Present approximation - Previous
* * Relative approxima	tion ennon = Approximate ennon
lants, Ea	Approximate enron  Present approximation  (0.5 ×10 <sup>2</sup> -m/
emon Tolarence	4) Gregieral toylor son
4) ennon/, < 5% mea	ns it has I significant bits
w % < 0-5%. ~	u n 2 n u
u /. <0.05% w	Spines minuspact (+
	- + # X +1 = 3

4) ADS = - (XAAX) - 2(X)

Scanned with CamScanner

## # Lecture 4;

## # Lecture 50 - and sount = across sount ( )

\*) Taylon series:

$$-\frac{3}{3}(\cos(x) = 1 - \frac{x^{2}}{2!} + \frac{x^{4}}{4!} - \frac{x_{6}}{6!} + \dots$$

$$-\frac{3}{5}(n(x) = 2x - \frac{x^{3}}{3!} + \frac{x^{5}}{5!} - \frac{x_{7}}{7!} + \dots$$

$$-\frac{x^{2}}{3!} + \frac{x^{5}}{5!} - \frac{x_{7}}{7!} + \dots$$

4) Greneral taylor series:

\*) Maclaunin series:

$$e^{x} = 1+ x + \frac{x^{2}}{2!} + \frac{x^{3}}{3!} + \dots$$

$$\#BDD$$
:
$$\Rightarrow f(x) = \frac{f(x) - f(x - ax)}{f(ax)}$$

# Denive & FDD, BDD from taylon serves.

## # Lecture 7:

#) Higher onder/second order derivative of FDDE

=> FDD: 
$$f'(x) = \frac{f(x_{i+2}) - 2f(x_{i+1}) + f(x_i)}{(4x)^2}$$

(4x)

$$7BDD: f'(x) = f(x_{i-2}) - 2f(x_{i-1}) + f(x_i)$$

$$(4x)^{2}$$

$$\Rightarrow$$
CDD:  $f'(x) = \frac{f(x_{i+1}) - 2f(x_i) + f(x_{i-1})}{(4x)^2}$ 

Discrete functions.

H becture 20

# Lecture 80 # Lecture 6: \*) Lagrang polynomial: -1 \( \( \times\_{\infty} \) = \frac{\( 2\times\_{\infty} + \times\_{\infty} \) \( \( \times\_{\infty} - \times\_{\infty} \) \( \times\_{\infty} - \times\_{\infty} \) (x2-x0)(x2-X1)  $f'(x) = \frac{2f(x_0)}{(x_0 - x_1)(x_0 - x_2)} + \frac{2f(x_1)}{(x_1 - x_0)(x_1 - x_2)} + \frac{2f(x_2)}{(x_2 - x_0)(x_2 - x_1)}$ # Lecture 90 # Lecture 3: \*) Bisection method so response remit (+ Drawbacks (strait = (x)) = (x)) teto # Lecture 100 > BDD: fixe. f(ce-2) - 2 \*) Newton's Raphson  $\Rightarrow \chi_{i+1} = \chi_i - \frac{f(\chi_i)}{f'(\chi_i)}$ 16a) = | xi+1 -xi x1007. A) Dnawbacks # Lecture 11: \* Secant method:  $X_{i+1} = X_i - \frac{f(x_i)(x_i - X_{i-1})}{f(x_i)}$ -8) 16~1 = 1 -X;+1-X; / x100%.

-) Draw Jacks