

i) F. It is function trivially

ii) F. It doesn't have accurate specular component

iii) T

iv) T

v) F. When single ray of light comes it happens.

vi) F. A 0 order geometric and parametric continuity are similar

vii) T

viii) F. It has 3 coordinates

ix) F. Shape is changeable

x) T.

a) The 4 components of Phong illumination or reflection model using RGB

Model: OpenGL allows us to break this lights emitted instl intensity into 4 components

- * ambient lighting
- * specular lighting
- * diffuse lighting
- * emission lighting

Ambient light

A surface that is not exposed to direct light may still be lit up by reflections from other nearby objects

Diffuse Reflection:

- * surfaces that are rough or grainy tend to reflection in all direction.



- * This scattered light is called diffuse reflection

- * lambertian surface appears equally bright from all viewing directions

Specular reflections:

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A perfect mirror reflects light only in the specular reflection direction.

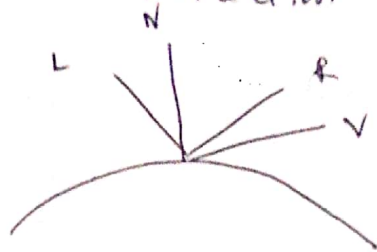
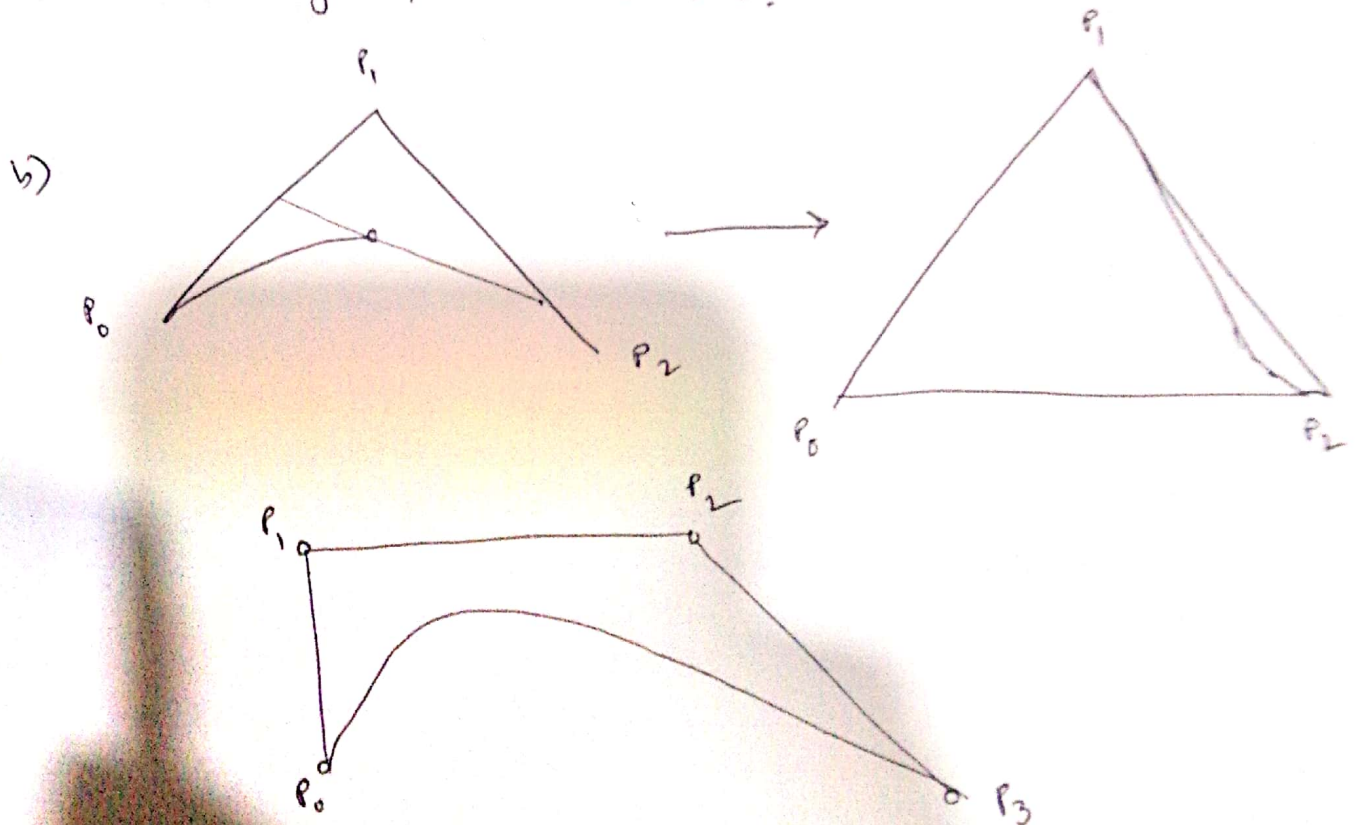


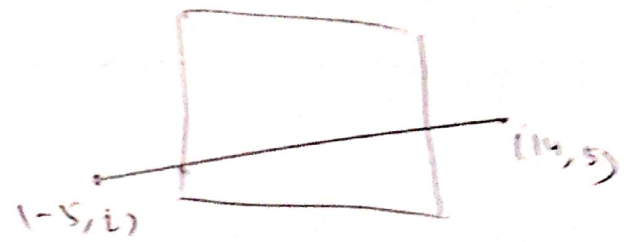
fig: specular reflection.



300) $A = (-5, 2)$

$B = (14, 5)$

boundary given = 12



$$x = x_0 + t_{\text{line}} (x_1 - x_0)$$

$$x = x_a + t_{\text{edge}}$$

$$\begin{array}{r} 0001 \\ 0010 \\ \hline 0000 \end{array}$$

The line is considered clipped case.

b) $y_{top} = 80$ $y_s = 20$ $x_{left} = 20$
 $y_u = 60$ $y_{bot} = 5$ $x_{right} = 50$

point A = (22, 0)

For green component of A

$$\begin{aligned} \text{color}_{left} &= \text{color}_1 + (\text{color}_u - \text{color}_1) \frac{y_s - y_{bot}}{y_u - y_{bot}} \\ &= 100 + (170 - 100) \frac{20 - 5}{60 - 5} \\ &= 119.09 \end{aligned}$$

$$\begin{aligned} \text{color}_{right} &= \text{color}_1 + (\text{color}_2 - \text{color}_1) \frac{y_s - y_{bot}}{y_{top} - y_{bot}} \\ &= 100 + (125 - 100) \frac{20 - 5}{80 - 5} \\ &= 105 \end{aligned}$$

$$\begin{aligned} \text{color}_x &= \text{color}_{left} + (\text{color}_{right} - \text{color}_{left}) \frac{x - x_{left}}{x_{right} - x_{left}} \\ &= 119.09 + (105 - 119.09) \frac{22 - 20}{50 - 20} \\ &= 119.09 + 1.409 \\ &= 120.499 \end{aligned}$$

Answer according to question ~~no 3~~

(a) Parametric continuity means the smoothness between both the ~~curve~~ curve and of its parameterizations. There are 3 types of parametric continuity.

(1) Zero order. It means simply that the curves meet, that is the values of x , y and z evaluated at u for the 'let' curve section are equal. It is also referred to as C^0 continuity.

2) First order: means that the parametric derivatives (tangent lines) of the co-ordination functions defined by $x = x(u)$, $y = y(u)$, $z = z(u)$ and $u_1 < u < u_2$ for 2 successive curves sections are equal at joining points.

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Answer according to Question No 45

b) Given

$p = (-5 + \text{last digit of NUB ID}), 3 + \text{last digit of NUB ID})$

AND

$(15 + \text{last digit of NUB ID}, 9 + \text{last digit of NUB ID})$

$$x_{wmax} = 10$$

$$y_{wmax} = 10$$

$(-5, 3)$ and $(15, 9)$
A B

Using Liang Barsky we get

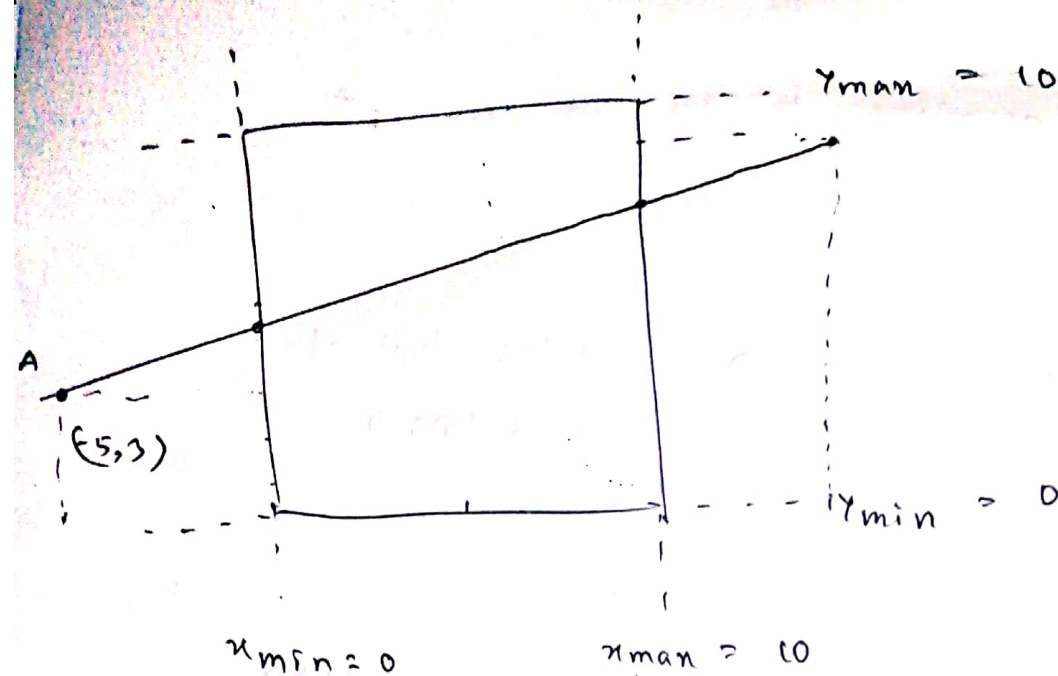
$$u_{left} = \frac{r_1}{p_1} = \frac{05-0}{-(15-5)} = \frac{5}{-10} = -\frac{1}{2} \quad u_{min}$$

$$u_{right} = \frac{r_2}{p_2} = \frac{10-5}{15-5} = \frac{5}{10} = \frac{1}{2} \quad u_{max}$$

$$u_{bottom} = \frac{r_3}{p_3} = \frac{3-0}{-(9-3)} = -\frac{3}{6} = -\frac{1}{2}$$

$$u_{top} = \frac{r_4}{p_4} = \frac{\left(\frac{y_0 - y_{wmin}}{-\Delta y} \right)}{\frac{10-3}{9-3}} = \frac{7}{6} = > 0 \quad x$$

$$\left(\frac{y_{wmax} - y_0}{\Delta y} \right)$$



$$\begin{array}{r} 0001 \\ 0010 \\ \hline 0000 \end{array}$$

So the line is considered to be

clipped case

$$P_{\text{end}} - P_0 = (15 - 5, 9 - 3) = (10, 6)$$

We have

$$u_{\min} = -\frac{1}{2} \quad \text{and} \quad u_{\max} = \frac{1}{2}$$

If $u_{\min} < u_{\max}$, there is a line segment.

So we need to draw a line from

$$\begin{aligned} (-5 + 10 \times -\frac{1}{2}, 3 + 6 \times -\frac{1}{2}) &= (-5 + 5, 3 - 3) \\ &= \begin{pmatrix} -10 \\ 0 \end{pmatrix} \end{aligned}$$

to

$$(-5 + 10 \times \frac{1}{2}, 3 + 6 \times \frac{1}{2}) = (0, 6)$$

- (b) Several models have been developed ~~used~~ for representing blobby objects as distribution functions over a region of space. One way is to model objects as combination of Gaussian density function.

one way to do this is to model object as combination of gaussian density functions. A surface function is defined as

$$f(x, y, z) = \sum_k b_k e^{-a_k r_k^2} - T = 0$$

where $r_k^2 = \sqrt{x_k^2 + y_k^2 + z_k^2}$

Other methods for generating blobby objects use density functions that fall off to 0 in a finite interval, rather than exponentially. The 'metaball' describes composite objects as combinations of quadratics, function of form

$$f(r) = \begin{cases} b(1 - 3r^2/d^2) & \text{if } 0 < r \leq d/3 \\ \frac{3}{2}b(1 - r/d)^2 & \text{if } d/3 < r \leq d \\ 0 & \text{if } r > d \end{cases}$$