

## 2714. Find Shortest Path with K Hops Premium

Solved ●

Hard Topics Hint

You are given a positive integer  $n$  which is the number of nodes of a **0-indexed undirected weighted connected** graph and a **0-indexed 2D array** `edges` where `edges[i] = [ui, vi, wi]` indicates that there is an edge between nodes  $u_i$  and  $v_i$  with weight  $w_i$ .

You are also given two nodes  $s$  and  $d$ , and a positive integer  $k$ , your task is to find the **shortest** path from  $s$  to  $d$ , but you can hop over **at most**  $k$  edges. In other words, make the weight of **at most**  $k$  edges 0 and then find the **shortest** path from  $s$  to  $d$ .

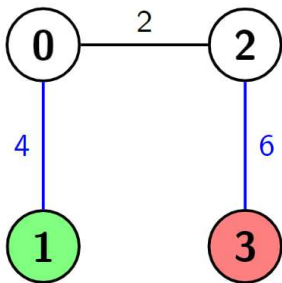
Return the length of the **shortest** path from  $s$  to  $d$  with the given condition.

### Example 1:

**Input:**  $n = 4$ , `edges = [[0,1,4],[0,2,2],[2,3,6]]`,  $s = 1$ ,  $d = 3$ ,  $k = 2$

**Output:** 2

**Explanation:** In this example there is only one path from node 1 (the green node) to node 3 (the red node), which is (1→0→2→3) and the length of it is  $4 + 2 + 6 = 12$ . Now we can make weight of two edges 0, we make weight of the blue edges 0, then we have  $0 + 2 + 0 = 2$ . It can be shown that 2 is the minimum length of a path we can achieve with the given condition.

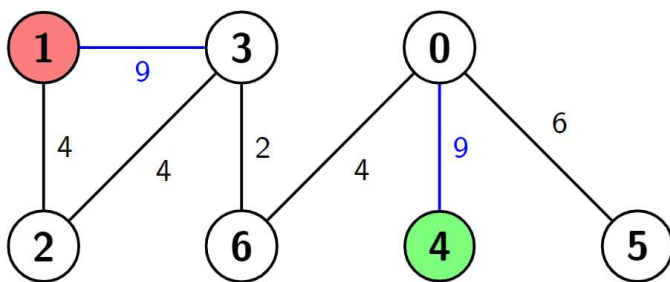


### Example 2:

**Input:**  $n = 7$ , `edges = [[3,1,9],[3,2,4],[4,0,9],[0,5,6],[3,6,2],[6,0,4],[1,2,4]]`,  $s = 4$ ,  $d = 1$ ,  $k = 2$

**Output:** 6

**Explanation:** In this example there are 2 paths from node 4 (the green node) to node 1 (the red node), which are (4→0→6→3→2→1) and (4→0→6→3→1). The first one has the length  $9 + 4 + 2 + 4 + 4 = 23$ , and the second one has the length  $9 + 4 + 2 + 9 = 24$ . Now if we make weight of the blue edges 0, we get the shortest path with the length  $0 + 4 + 2 + 0 = 6$ . It can be shown that 6 is the minimum length of a path we can achieve with the given condition.

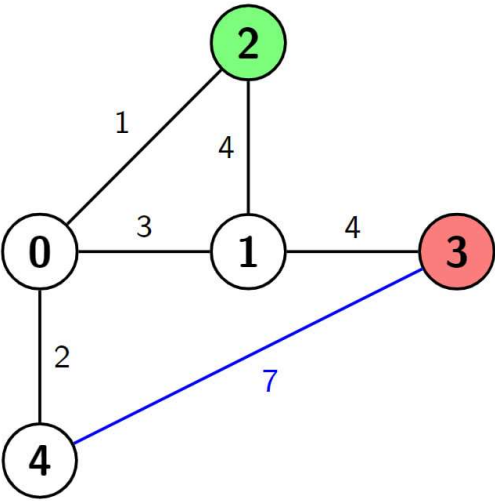


### Example 3:

**Input:**  $n = 5$ , `edges = [[0,4,2],[0,1,3],[0,2,1],[2,1,4],[1,3,4],[3,4,7]]`,  $s = 2$ ,  $d = 3$ ,  $k = 1$

**Output:** 3

**Explanation:** In this example there are 4 paths from node 2 (the green node) to node 3 (the red node), which are (2→1→3), (2→0→1→3), (2→1→0→4→3) and (2→0→4→3). The first two have the length  $4 + 4 = 1 + 3 + 4 = 8$ , the third one has the length  $4 + 3 + 2 + 7 = 16$  and the last one has the length  $1 + 2 + 7 = 10$ . Now if we make weight of the blue edge 0, we get the shortest path with the length  $1 + 2 + 0 = 3$ . It can be shown that 3 is the minimum length of a path we can achieve with the given condition.



Constraints:

- `2 <= n <= 500`
- `n - 1 <= edges.length <= min(104, n * (n - 1) / 2)`
- `edges[i].length = 3`
- `0 <= edges[i][0], edges[i][1] <= n - 1`
- `1 <= edges[i][2] <= 106`
- `0 <= s, d, k <= n - 1`
- `s != d`
- The input is generated such that the graph is **connected** and has **no repeated edges** or **self-loops**

Seen this question in a real interview before? 1/5

Yes No

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Topics	▼
Hint 1	▼
Hint 2	▼
Hint 3	▼
Hint 4	▼
Hint 5	▼
Hint 6	▼
Discussion (0)	▼