Notes Template

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Abstract

This is a template for taking lecture notes in mathematics/physics. Feel free to adapt it or to make suggestions. I must thank Pingbang Hu, who made the original template which I have adapted [Hu23].

1 Introduction

1.1 A subsection

Let's showcase some of the environments.

Definition 1.1 (Template) A document or file having a preset format, used as a starting point for a particular application so that the format does not have to be recreated each time it is used.

Definition This definition is not numbered and does not have a title.

We can also reference such environments in our template.

Theorems can be proved in the same box,

Theorem 1.1

$$1 + 1 = 2$$

Proof Trivial

or in a seperate box, as seen in Appendix A.1.

There are similar environments for the following:

- propositions
- conjectures
- corollaries
- lemmas

Exercises and answers behave like theorems and proofs.

Exercise 1.1 Show that

$$\int_0^{2\pi} dx = 2\pi$$

Answer

$$\int_0^{2\pi} dx = \left[x \right]_0^{2\pi}$$
$$= 2\pi - 0$$
$$= 2\pi$$

Example Calculate $\partial_v f(x,y)$ for the function $f(x,y) = x^2 - y^2$ in the direction of v = (a,b).

Solution

$$f((x,y) + t(a,b)) = (x+ta)^2 - (y+tb)^2 = x^2 + 2tax + t^2a^2 + y^2 - 2tby - t^2b^2$$

$$\therefore \frac{d}{dt}f(x+tv) = 2ax + 2ta^2 - 2by - 2tb^2,$$

$$\partial_v f(x,y) = \frac{d}{dt}f(x+tv)\Big|_{t=0} = 2ax - 2by.$$

*

Note Environments can be nested.

Notation For $1 \leq i \leq n$, $\partial_{v_i} f(x)$ is called the i^{th} -partial derivative of $f: U \to \mathbb{R}^k$ at $x \in U$.

2 Other environments

2.1 Algorithms

The following example is taken from the algorithm2e package documentation.

2.2 Formulas

Useful for physics notes.

Gibb's entropy
$$S\coloneqq -k_{\rm B}\sum_i P_i \ln P_i \tag{2.1}$$

Appendices

A Additional Proofs

A.1 Proof of Theorem 1.1

We can now prove Theorem 1.1.

Proof of Theorem 1.1 See the Principia Mathematica.

References

[Hu23] Pingbang Hu. Note Template. Last accessed 14 September 2023. 2023. URL: https://github.com/sleepymalc/LaTeX-Template/tree/main/Note.