3. Conclusion

Error Comparison Table

Algorithm Dataset	K-means	Fuzzy c-means	DBSCAN
First Dataset	$egin{array}{l} { m K}=3 \\ { m SC}=0.493 \\ { m SSE}=80.71 \\ { m PC}={\it NA} \\ { m S/F}={ m Succeeds} \\ \end{array}$	$egin{array}{l} { m K}=2 \\ { m SC}=0.536 \\ { m SSE}={\it NA} \\ { m PC}=0.408 \\ { m S/F}={ m Succeeds} \end{array}$	$egin{aligned} \mathrm{K} &= 1 \ \mathrm{SC} &= 0.516 \ \mathrm{SSE} &= \mathit{NA} \ \mathrm{PC} &= \mathit{NA} \ \mathrm{S/F} &= \mathbf{Fails} \end{aligned}$
Second Dataset	$egin{array}{l} { m K}=3 \ { m SC}=0.724 \ { m SSE}=6487 \ { m PC}={\it NA} \ { m S/F}={ m {f Succeeds}} \end{array}$	$egin{array}{l} { m K}=3 \ { m SC}=0.544 \ { m SSE}={\it NA} \ { m PC}=0.28 \ { m S/F}={ m Succeeds} \end{array}$	$egin{aligned} \mathrm{K} &= 9 \ \mathrm{SC} &= 0.617 \ \mathrm{SSE} &= \mathit{NA} \ \mathrm{PC} &= \mathit{NA} \ \mathrm{S/F} &= \mathbf{Succeeds} \end{aligned}$
Third Dataset	$egin{array}{l} { m K}=5 \ { m SC}=0.560 \ { m SSE}=222 \ { m PC}={\it NA} \ { m S/F}={ m Succeeds} \end{array}$	$egin{aligned} \mathrm{K} &= 4 \ \mathrm{SC} &= 0.365 \ \mathrm{SSE} &= \mathit{NA} \ \mathrm{PC} &= 0.16 \ \mathrm{S/F} &= \mathbf{Fails} \end{aligned}$	$egin{aligned} \mathrm{K} &= 5 \ \mathrm{SC} &= 0.501 \ \mathrm{SSE} &= \mathit{NA} \ \mathrm{PC} &= \mathit{NA} \ \mathrm{S/F} &= \mathbf{Succeeds} \end{aligned}$

SSE = Error Sum of Squares

K = number of clustersSC = Silhouette Coefficient

PC = Partition Coefficient

S/F =Succeeds or fails to cluster

Validation Comparison Table

Algorithm Dataset	K-means	Fuzzy c-means	DBSCAN
First Dataset	SC = Good SSE = Good PC = NA	$egin{aligned} & ext{SC} = ext{Good} \ & ext{SSE} = ext{NA} \ & ext{PC} = ext{Good} \end{aligned}$	SC = Bad $SSE = NA$ $PC = NA$
Second Dataset	SC = Good SSE = Good PC = NA	SC = Good SSE = NA PC = So-so	$egin{aligned} & ext{SC} = ext{Good} \ & ext{SSE} = ext{NA} \ & ext{PC} = ext{NA} \end{aligned}$
Third Dataset	SC = Good SSE = Good PC = NA	SC = So-so SSE = NA PC = Bad	$egin{aligned} & ext{SC} = ext{Good} \ & ext{SSE} = ext{NA} \ & ext{PC} = ext{NA} \end{aligned}$
K = number of cluste SC = Silhouette Coef			

SSE = Error Sum of SquaresPC = Partition Coefficient

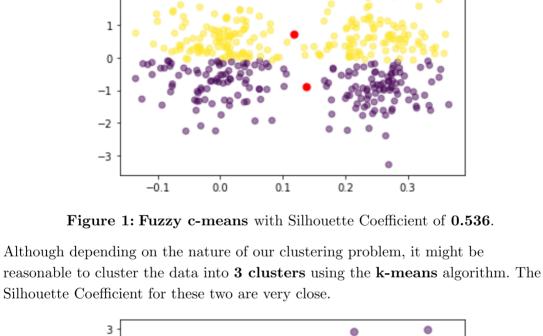
Good: Using this validation we can beautifully cluster our data.

So-so: Using this validation we can somehow cluster our data. Bad: Using this validation we can not cluster our data.

Winners of the Clustering Competition First dataset:

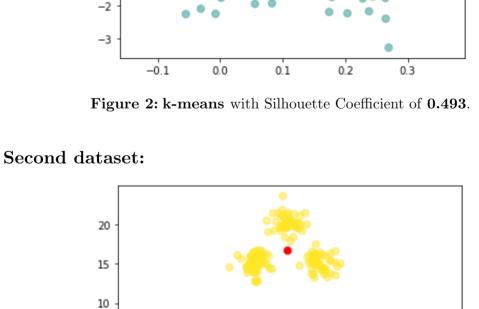
Fuzzy c-means Clustering with c=2 3

2



2

1 0



15 20 10

Figure 3: k-means with Silhouette Coefficient of 0.724.

Although depending on the nature of our clustering problem, it might be

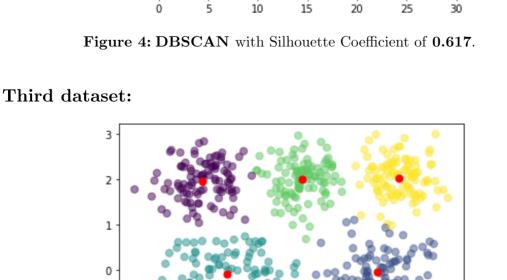
5

10

5

-1

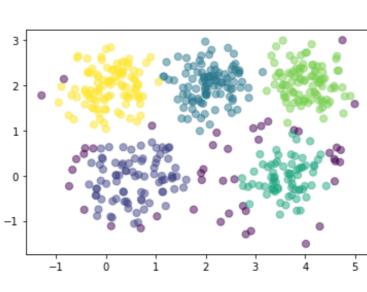
reasonable to cluster the data into 9 clusters using the DBSCAN algorithm. The Silhouette Coefficient for these two are very close. 20 15



-1 ż 0 3 1

Figure 5: k-means with Silhouette Coefficient of 0.560.

Ties with:



Final thoughts: As there are no one-size-fits-all, there are also no one-algorithm-clusters-all. Having a sense of how each clustering algorithm works, how each method validates

Figure 6: DBSCAN with Silhouette Coefficient of 0.501.

the clusters and how our data is scattered, can guide us into the right direction of clustering.

Knowing the nature of the clustering problem can also be very helpful.