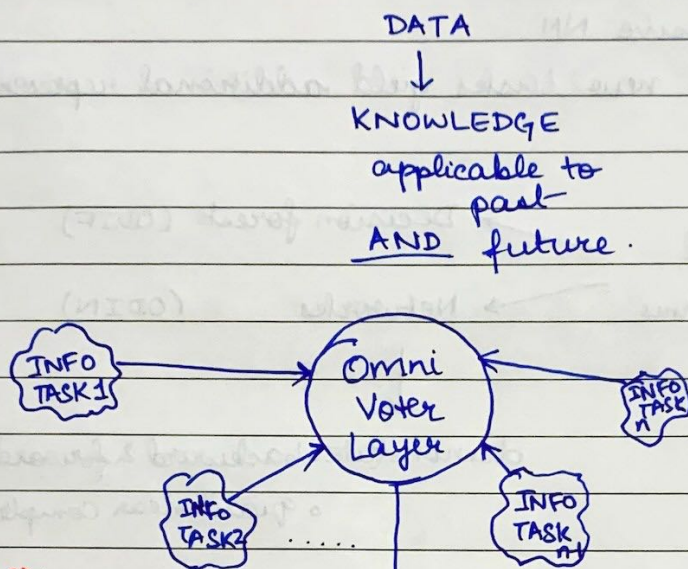


Lifelong learning paper

AIM: Build a bi-directional transfer learning system



Q If the omnivoter layer is deciding how to respond, how does it learn "future tasks"?

- ensembles repⁿ learnt independently on all tasks
- decides how to proceed on new data point
- 1 single decision making entity
- combines all knowledge from all tasks

Catastrophic forgetting: Performance on ~~old~~ tasks falls rapidly as you learn new tasks

Ways to overcome this

Reallocate resources
i.e, forget some things,
learn new ones

Add/build resources
i.e, add connectⁿ ~~based~~ as part
of development to make space
for new info.

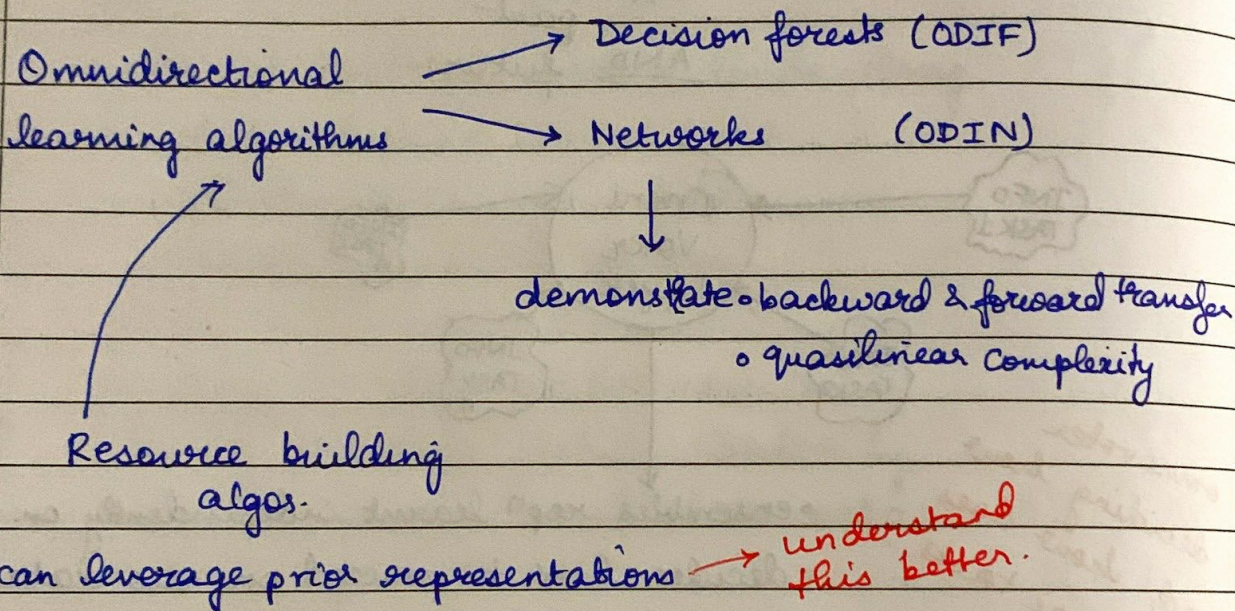
Neither exhibit omnidirectional learning
i.e, most cannot learn forward
& none learn backward

- * Read ProgNN paper → DeepMind
- * What is quasilinear computational complexity?

Significant step forward:

Progressive NN

new tasks yield additional representational capacity



Lifelong learning generalizes classical machine learning by:

- i) Environment of T (possibly ∞) tasks instead of 1
- ii) Sequential data instead of batch
- iii) Computational complexity constraints

↙
∴ can't just retrain when new data

GOAL IN LIFELONG LEARNING:

Given new data & a new task,
use all the existing data to achieve lower
generalization error on all new & previous tasks

IN CLASSICAL ONLINE SYSTEMS:

Previously experienced tasks may recur,

∴ maintain/improve performance on these as well

Isn't this true even
in lifelong learning?

NOTE: Only looking at task-aware scenarios

i.e., we know all task details for all tasks

i.e., $h: \mathcal{X} \times T \rightarrow \mathcal{Y}$

COMPARED TO 9 REFERENCE ALGORITHMS

EVALUATION CRITERIA:

Transfer efficiency = $\frac{\text{gen}^n \text{ error of algo trained on task } 1}{\text{gen}^n \text{ error of algo trained on all data}}$

R^t : risk of task t

S_n^t : data asso^d with task t

S_n : all data

$R^t(f(S_n^t))$ risk on task ' t ' by hypothesis learnt on task t data

$R^t(f(S_n))$ risk on task ' t ' by hypothesis learnt on all data

$$\text{Transfer efficiency} = \frac{E(R^t(f(S_n^t)))}{E(R^t(f(S_n)))}$$

\uparrow
 $TE_n^t(f)$

Algorithm ' f ' has transfer learned for task ' t ' with data ' S_n ' if & only if $TE_n^t(f) > 1$

Respecting the 'streaming' nature of tasks:

Forward transfer efficiency = $\frac{\text{Risk of algo. with access to data from 't'}}{\text{Risk of algo. with access upto task 't'}}$

$(FTE_n^t(f))$

& including last obsⁿ of.

$$= \frac{E(R^t(f(S_n^t)))}{E(R^t(f(S_n^{\leq t})))}$$

An algo. has used data from prev. tasks to improve perf. on t if $FTE > 1$

Backward transfer efficiency = $\frac{E(R^t(f(S_n^{\leq t})))}{E(R^t(f(S_n^t)))}$ = $\frac{\text{Risk with access upto 't'}}{\text{Risk with access to 't'}}$

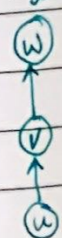
$(BTE_n^t(f))$

An algo. has used data from future tasks to improve perf. on t if $BTE > 1$

task info. known for all, but data appears sequentially

Omnidirectional algorithms

for single learner



$h(\cdot) = w \circ v \circ u(\cdot)$
 hypotheses for lifelong learning
 can be decomposed into 3 constituent parts

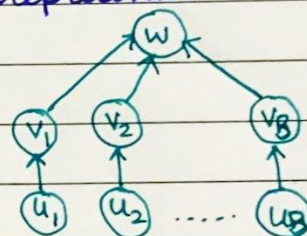
<p>decider $y \rightarrow \hat{y}$ produces a predicted label</p>	<p>voter $\tilde{x} \rightarrow \Delta y$ maps transformed data to a posterior distribution i.e. a score on response space \mathcal{Y}.</p>	<p>representer $u: X \rightarrow \tilde{X}$ maps i/p X to internal repⁿ space \tilde{X}</p>
---	---	--

Step 1

'B' diff representer \rightarrow one voter per representer

B voters

Decider ensembles voters

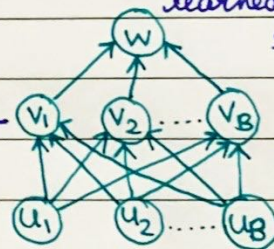
Step 2

Each voter ensembles representer

"Omni-voter layer"

ensembles all the existing representations, irrespective of the order they were learnt in

helps if each representer has learned complementary representations



Then, ensemble of voters feeds into the decider \Rightarrow helps if

* Omnidirectional Forest: Decision forest based instance of ensembling representations (ODIF)

* Omnidirectional Network: Deep network based instance of ensembling representations (ODIN)