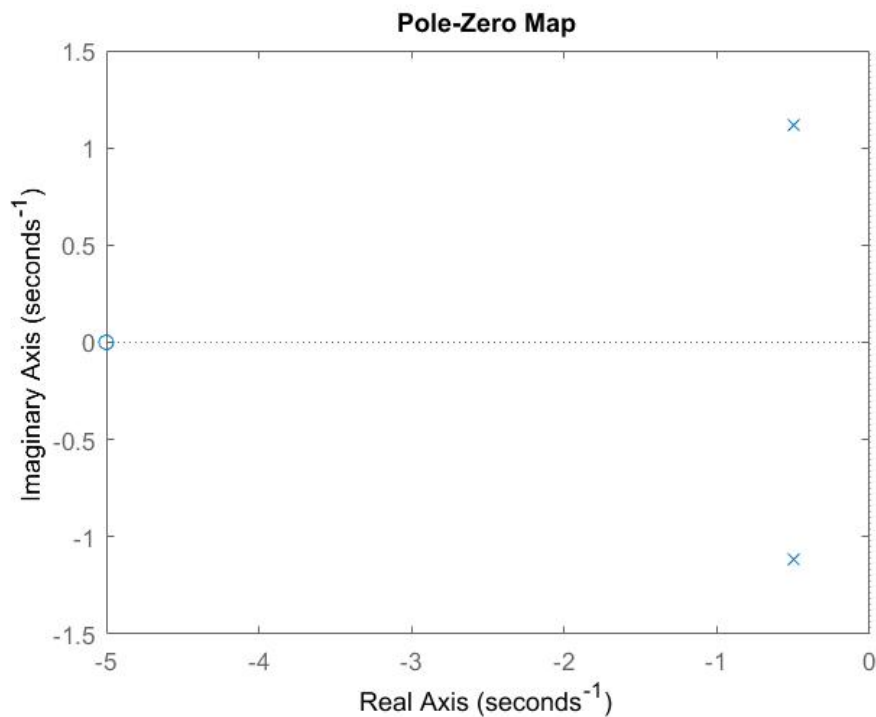


Lab 3: System Functions and Frequency Response

PART 1: Pole-Zero Diagrams in MATLAB.

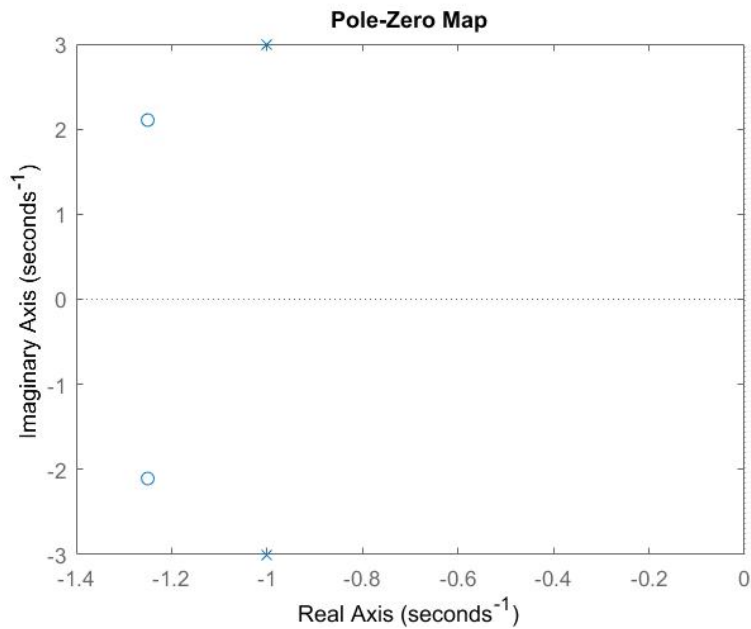
1. $H(s) = \frac{s+5}{s^2+2s+3}$

```
clear all;  
close all;  
b = [1 5]; % Numerator coefficients  
a = [2 2 3]; % Denominator coefficients  
zs = roots(b); % Generates Zeros  
ps = roots(a); % Generates poles  
pzmap(ps,zs); % generates pole-zero diagram
```



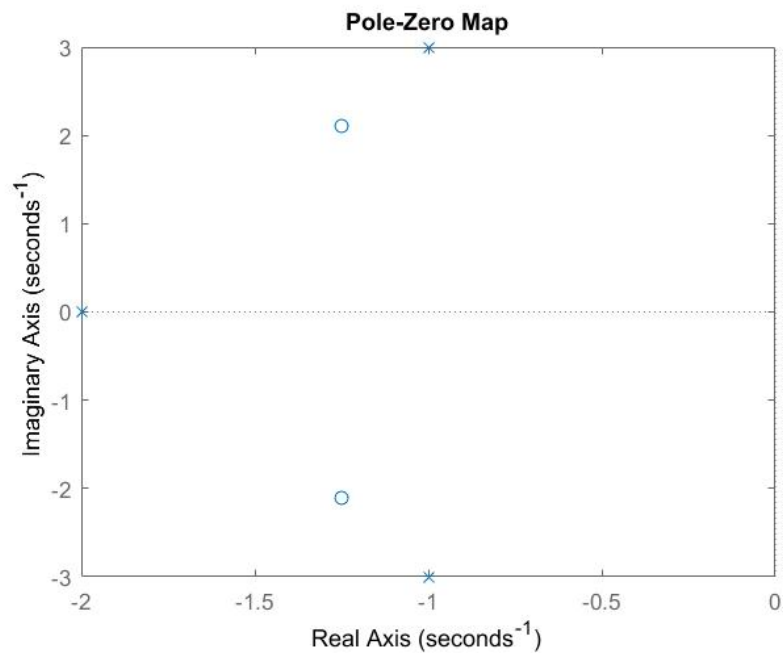
2. $H(s) = \frac{2s^2+5s+12}{s^2+2s+10}$

```
clear all;
close all;
b = [2 5 12]; % Numerator coefficients
a = [1 2 10]; % Denominator coefficients
zs = roots(b); % Generates Zeros
ps = roots(a); % Generates poles
pzmap(ps,zs); % generates pole-zero diagram
```



3. $H(s) = \frac{2s^2+5s+12}{(s^2+2s+10)(s+2)}$

```
clear all;
close all;
b = [2 5 12]; % Numerator coefficients
a = [1 4 14 20]; % Denominator coefficients
zs = roots(b); % Generates Zeros
ps = roots(a); % Generates poles
pzmap(ps,zs); % generates pole-zero diagram
```



PART 2: Frequency Response and Bode Plots in MATLAB

1. Plot the bode plot of each four system functions given in the part 1

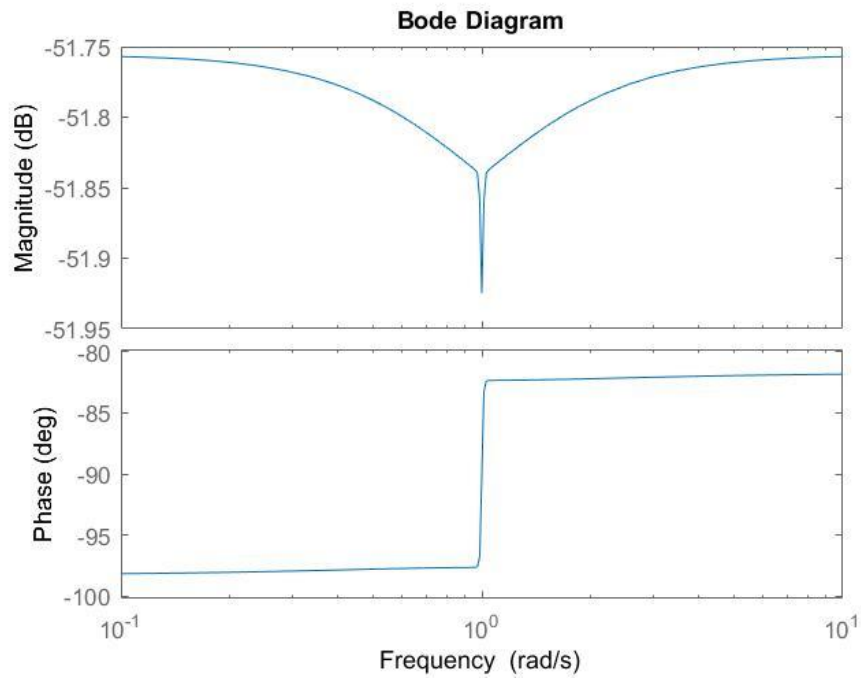
a. $H(s) = \frac{s+5}{s^2+2s+3}$

```
clear all;
close all;
b = [1 5]; % Numerator coefficients
a = [1 2 3]; % Demoninator coefficients

omega = linspace(-20,20,200);

H = freqs(b,a,omega);

bode(H,omega);
```



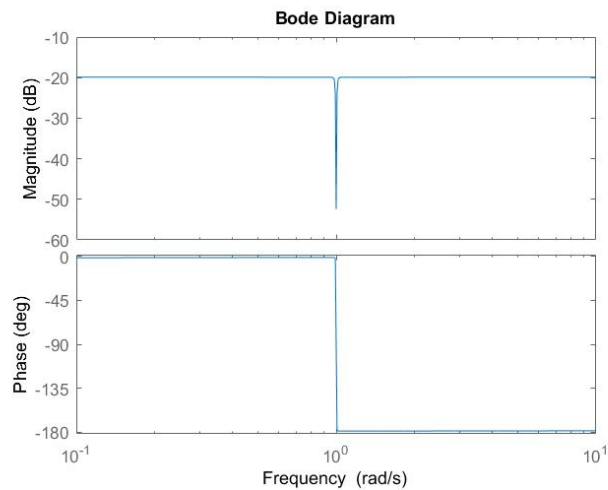
b. $H(s) = \frac{2s^2+5s+12}{s^2+2s+10}$

```
clear all;
close all;
b = [2 5 12]; % Numerator coefficients
a = [1 2 10]; % Denominator coefficients

omega = linspace(-20,20,200);

H = freqs(b,a,omega);

bode(H,omega);
```



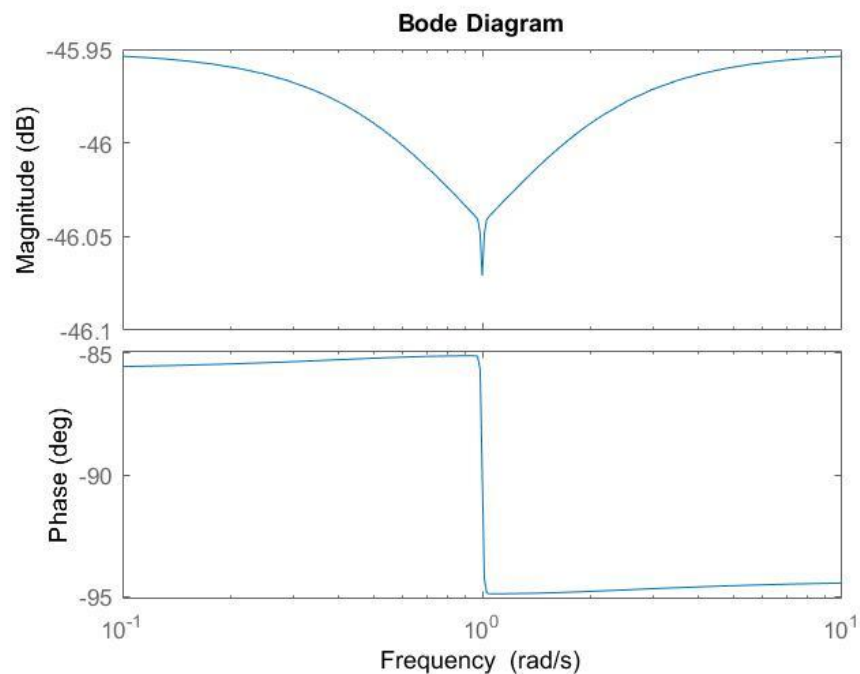
c. $H(s) = \frac{2s^2+5s+12}{(s^2+2s+10)(s+2)}$

```
clear all;
close all;
b = [2 5 12]; % Numerator coefficients
a = [1 4 14 20]; % Demoninator coefficients

omega = linspace(-20,20,200);

H = freqs(b,a,omega);

bode(H,omega);
```



2. Select three sinusoidal signals with unit magnitude, zero phase and three different frequencies (f_1, f_2, f_3 in kHz, here $f_i = \text{Registration number} * i$). Assume that they are three inputs for abovementioned four systems. Then find the corresponding three outputs for each system

```
close all
clear all

b1=[1,-1];
a1=[1,2,2];

b2=[1,5];
a2=[1,2,3];
```

```

b3=[2,5,12];
a3=[1,2,10];

b4=[2,5,12];
a4=[1 4 14 20];

for i=1:3
    figure
    fi=48*i;
    t=linspace(0,0.002*pi,20);
    x=sin(2*pi*fi*t);

    subplot(4,1,1);
    sys1=tf(b1,a1,fi);
    [y1,t1]=lsim(sys1,x);
    plot(t1,y1);

    subplot(4,1,2);
    sys2=tf(b2,a2,fi);
    [y2,t2]=lsim(sys2,x);
    plot(t2,y2);

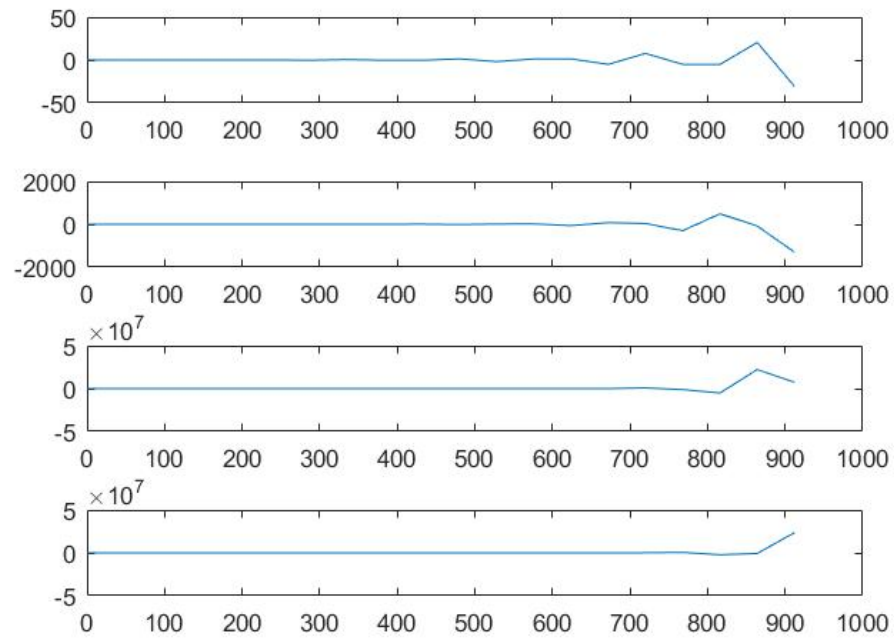
    subplot(4,1,3);
    sys3=tf(b3,a3,fi);
    [y3,t3]=lsim(sys3,x);
    plot(t3,y3);

    subplot(4,1,4);
    sys4=tf(b4,a4,fi);
    [y4,t4]=lsim(sys4,x);
    plot(t4,y4);

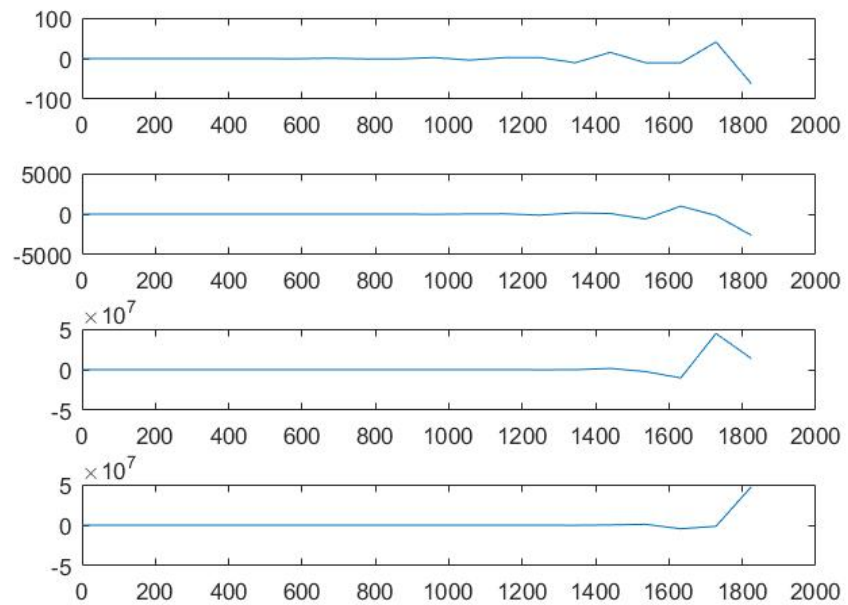
end

```

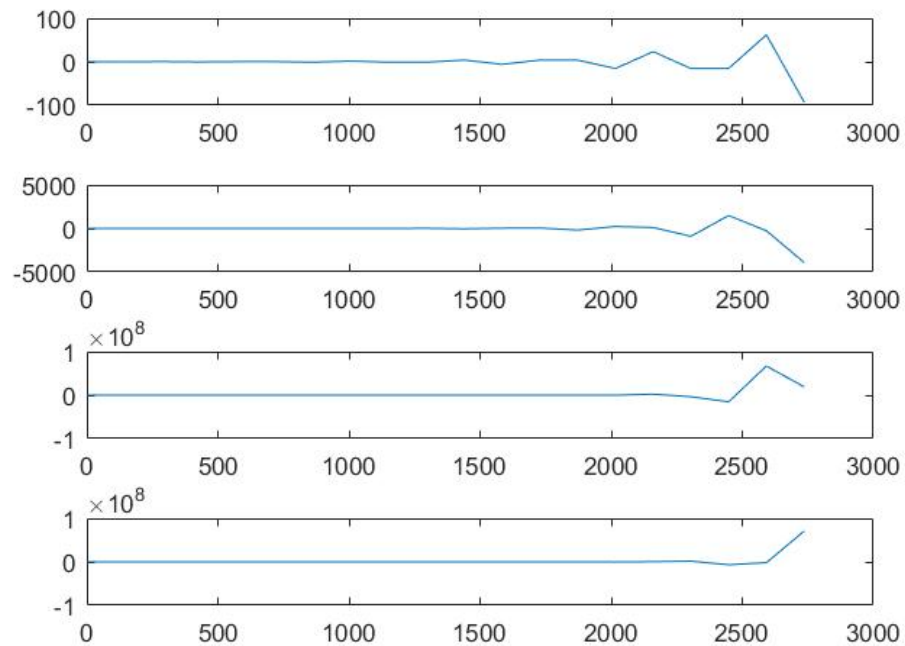
F = 48Hz



F = 48 x 2Hz



$$F = 48 \times 3\text{Hz}$$



PART 3: Surface Plots of a System Function in MATLAB

Where are the poles and zeros on the surface plot? What's the relationship between the surface plot and the plot in 2.(2) ?

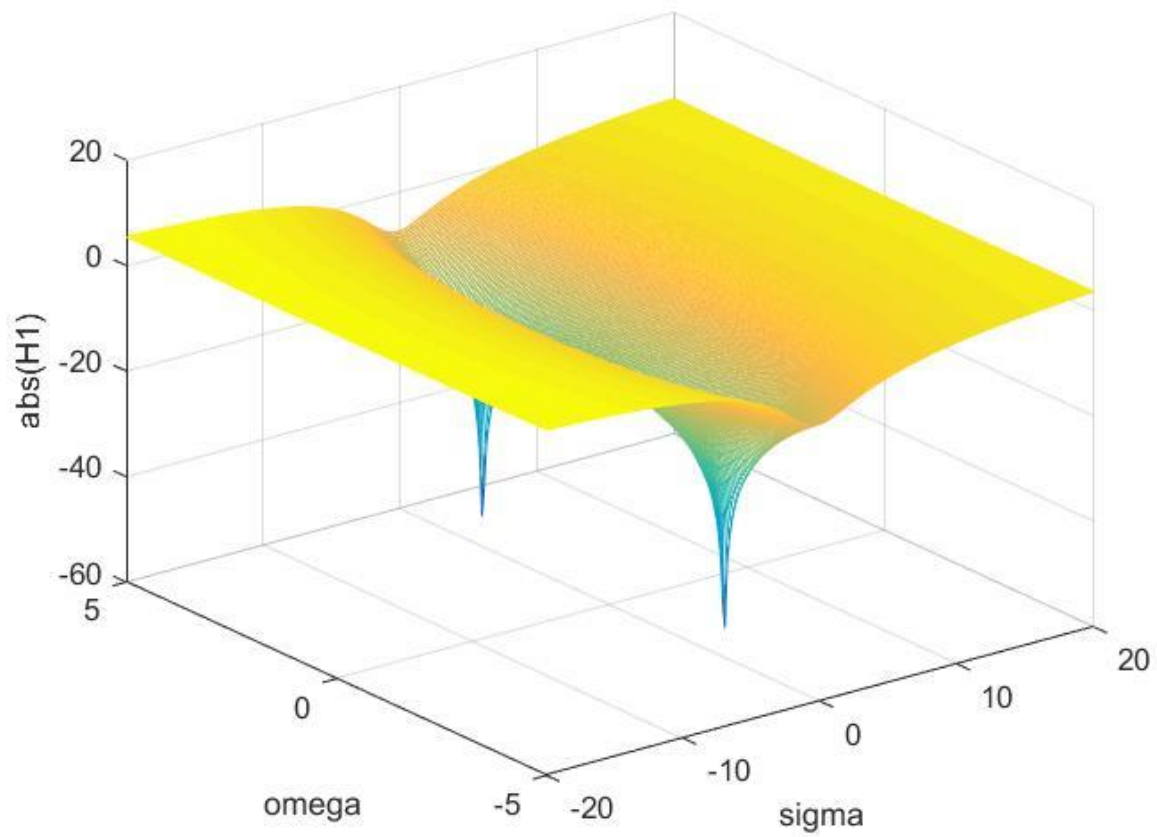
```
clear all;
close all;

sigma = linspace(-20, 20, 200);
omega = linspace(-5, 5, 200);
[sigmatgrid, omegatgrid] = meshgrid(sigma, omega);
sgrid = sigmatgrid + 1i*omegatgrid;

b = [2 2 17];
a = [1 4 104];
H1 = polyval(b, sgrid)./polyval(a, sgrid);
mesh(sigma, omega, 20*log10(abs(H1)));
xlabel('sigma');
ylabel('omega');
```



```
zlabel('abs(H1)');
```



2.2 is the $\sigma = 0$ cross section of this plot (in logarithmic scale)