

09/12/2023
Saturday

* Construct Binary Search Tree from inorder -

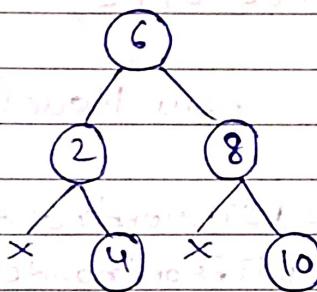
Given inorder array, we have to make BST using it.

I/P - inorder = [2, 4, 6, 8, 10]

O/P -

6
2 8
4 10

} level-order print of BST

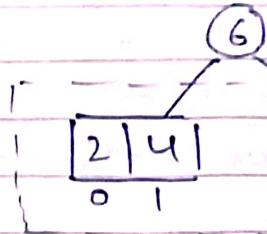
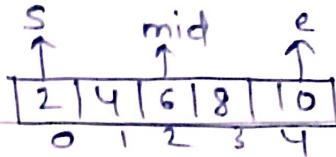


Approach -

- = Base case - ($\text{start} > \text{end}$) represents invalid array.
- = The mid index of inorder array is the root node of BST.
- = left subarray, $(s, e) = (s, \text{mid}-1)$
- = right subarray, $(s, e) = (\text{mid}+1, \text{end})$

left and right subarray, ko recursion solve kr dega.

For instance, inorder =



Recursion will solve this.

Code -

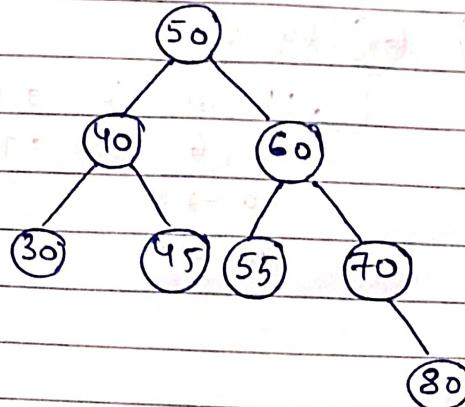
```
Node* BSTfromInorder(vector<int>&inorder, int s, int e)
{
    if(s > e) return NULL;
    int mid = s + (e-s)/2;
    Node* root = new Node(inorder[mid]);
    root->left = BSTfromInorder(inorder, s, mid-1);
    root->right = BSTfromInorder(inorder, mid+1, e);
    return root;
}

int main()
{
    vector<int> inorder{2, 4, 6, 8, 10};
    int start = 0;
    int end = inorder.size() - 1;
    Node* root = BSTfromInorder(inorder, start, end);
    levelOrderTraversal(root);
}
```

* Validate Binary Search Tree (Leetcode-98)

Given root of a binary tree, determine if it is a valid BST.

I/P -



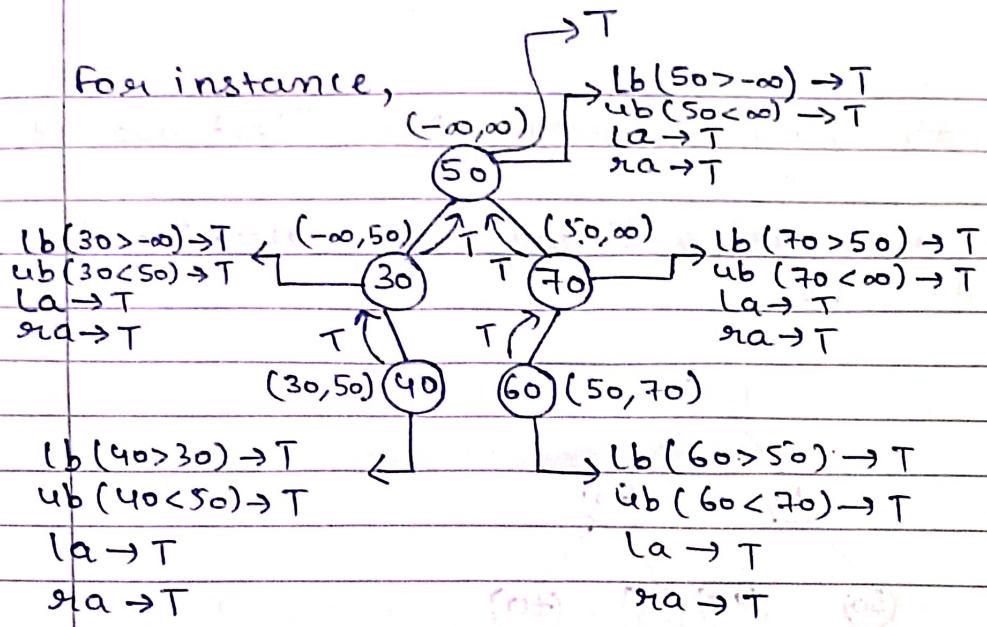
O/P - true

Approach -

At every node in binary tree, following 4 conditions must be true.

- (1) $\text{root} \rightarrow \text{val} > \text{lowerBound}$
- (2) $\text{root} \rightarrow \text{val} < \text{upperBound}$
- (3) left subtree should be BST.
- (4) right subtree should be BST.

- Initially, at root node, the range i.e. $(\text{lowerBound}, \text{upperBound})$ is $(-\infty, \infty)$.
- Moving to the left of root node, the range changes to $(-\infty, \text{root} \rightarrow \text{val})$.
- Moving to the right of root node, the range changes to $(\text{root} \rightarrow \text{val}, \infty)$.



public:

```
bool solve(TreeNode* root, long long lowerBound,
           long long upperBound) {
```

```
    if (!root) return 1; // base case
```

```
    bool cond1 = (root->val > lowerBound &&
                  root->val < upperBound);
```

```
    bool cond2 = (solve(root->left, lowerBound, // C2P and b2C
                        root->val) && solve(root->right, // C2P and b2C
                        root->val, upperBound));
```

```
    return cond1 && cond2;
```

```
bool isValidBST(TreeNode* root) {
```

```
    return solve(root, LONG_MIN, LONG_MAX);
```

```
}
```

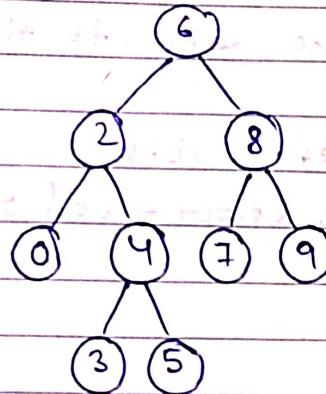
* Lowest common Ancestor of a Binary Search Tree (leetcode - 235)

Given a BST, find the LCA node of two given nodes in the BST.

I/P -

$\text{root} = [6, 2, 8, 0, 4, 7, 9, \text{null}, \text{null}, 3, 5]$

$p = 2, q = 4$

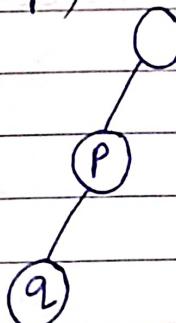


O/P - 2

Approach -

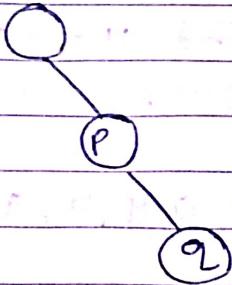
Case 1 → When p and q are in left subtree i.e.

$(\text{root} \rightarrow \text{val} > p) \&\& (\text{root} \rightarrow \text{val} > q)$



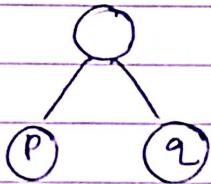
Make a recursive call to the $\text{root} \rightarrow \text{left}$.

Case 2 - When p and q are in right subtree i.e.
 $(\text{root} \rightarrow \text{val} < p) \& \& (\text{root} \rightarrow \text{val} < q)$



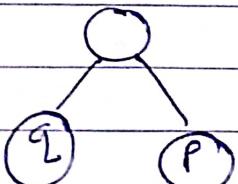
Make a recursive call to the $\text{root} \rightarrow \text{right}$.

Case 3 - when p is in left subtree and q is in right subtree i.e. $(\text{root} \rightarrow \text{val} > p) \& \& (\text{root} \rightarrow \text{val} < q)$



return root.

Case 4 - when p is in right subtree and q is in left subtree i.e. $(\text{root} \rightarrow \text{val} < p) \& \& (\text{root} \rightarrow \text{val} > q)$



return root.

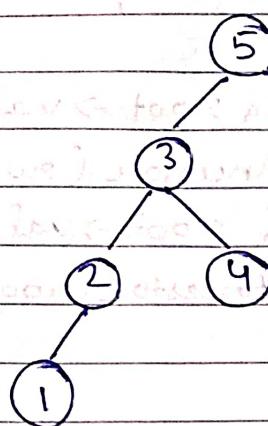
Code -

```
class Solution {
public:
    TreeNode* lowestCommonAncestor(TreeNode* root,
                                    TreeNode* p, TreeNode* q)
    {
        if (!root) return NULL;
        if (root->val > p->val && root->val > q->val)
            return lowestCommonAncestor(root->left, p, q);
        if (root->val < p->val && root->val < q->val)
            return lowestCommonAncestor(root->right, p, q);
        return root;
    }
};
```

* kth smallest element in a BST (Leetcode - 230)

Given the root of a BST, and an integer k , return the k th smallest value of all the values of the nodes in a tree.

I/P - $\text{root} = [5, 3, 6, 2, 4, \text{null}, \text{null}, 1]$, $k = 3$



O/P - 3

Approach -

Inorder traversal mei hum ascending order mei traverse kr sakte hote hai.

BST ki leftmost node pr jake return kerte time $k--$ karte rhe henge. Jis node pr $k=0$ ho jayega, vhi node \rightarrow data k th smallest element hai.

Note - Is approach ka use karke hum BST mei nodes ki indexing kr skte hai.

Code - class Solution {
public:

```
int kthSmallestElement(TreeNode* root, int& k) {
```

```
    if (!root) return -1;
```

// L

```
    int leftAns = kthSmallestElement(root->left, k);  
    if (leftAns != -1) return leftAns;
```

// N

```
K--;
```

```
if (k == 0) return root->val;
```

// R

```
int rightAns = kthSmallestElement(root->right, k);  
if (rightAns != -1) return rightAns;
```

```
return -1;
```

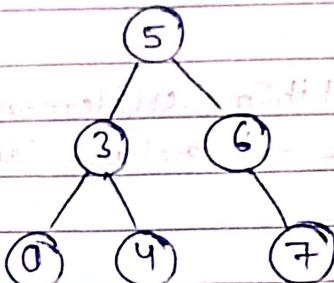
```
}
```

→ K ko "pass by reference" kina pdega so that K ka track rkh ske else return herte time jb previous node pe gaye honge to k ki value accordingly node change ho jayengi.

* Two Sum IV - Input is a BST (leetcode-653)

Given the root of a BST and an integer k, return true if there exists two elements in the BST such that their sum equals to k, or false otherwise.

I/P →



root = [5, 3, 6, 0, 4, null, 7], k = 7

O/P → true

Approach -

= find inorder of the BST. It will be sorted.

= Use two pointers s and e, s=0 & e=inorder.size() - 1

= if sum i.e. inorder[s] + inorder[e] = target sum
, then return 1.

= else if sum > target sum , then e-- .

= else if sum < target , then sum s++ .

for the given input BST and $k=7$,

inorder =	$\begin{array}{ c c c c c c c }\hline 0 & 1 & 2 & 3 & 4 & 5 \\ \hline 0 & 3 & 4 & 5 & 6 & 7 \\ \hline \end{array}$	$8 > 7$
	$\uparrow \uparrow \uparrow \uparrow \uparrow \uparrow$	$6 < 7$
	$s \ s \ e \ e \ e \ e$	$9 > 7$
		$8 > 7$
		$7 = 7 \} \text{return 1}$

Code -

```
class Solution {
public:
    void BSTinorder(TreeNode* root, vector<int>& inorder) {
        if (!root) return;
        BSTinorder(root->left, inorder);
        inorder.push_back(root->val);
        BSTinorder(root->right, inorder);
    }

    bool findTarget(TreeNode* root, int k) {
        vector<int> inorder;
        BSTinorder(root, inorder);

        int s = 0;
        int e = inorder.size() - 1;
        while (s < e) {
            int sum = inorder[s] + inorder[e];
            if (sum == k) return 1;
            else if (sum > k) e--;
            else s++;
        }
        return 0;
    }
};
```