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# Submission Deadline: 11/11/2020 10:00

SECOND QUIZA

#### Q.1 [MCQ Question, 3 Marks, answer it in the box below]:

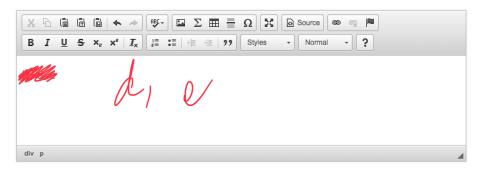
Choose the correct options from below:

- a).  $u_x u_y u_z = 32$  is a linear PDE.
- b).  $u_x + \sin(u) = 0$  is a fully non linear PDE.
- c).  $u_x u_y u_z = 32$  is a PDE of order 3.
- d)  $\frac{1}{u}u_x + \frac{1}{u}u_y = 1$  is a quasilinear PDE.
- e)  $u_x + u_y = u$  is a linear PDE.
- f) none of the above.

This is a long answer type question. You can either upload a file or type your answer below.

# **UPLOAD A FILE**

or



### Q.2 [MCQ Question, 3 Marks, answer it in the box below]:

Consider the following problem:

$$\frac{u_x}{2} + u_y = 0$$
,  $u(x, 2x) = \sin(x)$ 

Choose the correct options:

- a) The above problem has infinitely many solutions.
- b) The above problem has a unique solution.
- c) The above problem does not admit any solution.
- d) The non characteristics condition is satisfied at the point (1,2).
- e) none of the above.

This is a long answer type question. You can either upload a file or type your answer below.

# **UPLOAD A FILE**

or



#### Q.3 [Descriptive Question, 7 Marks]

Consider the following problem:

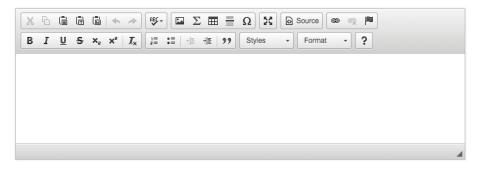
$$u_x - 2u_y = u^2$$
,  $u(x, 0) = 1$ .

- a) write down the characteristics equation for the above problem. (3 marks)
- b) Solve it. (3 marks)
- c) Does the projected characteristics intersects? Justify your answer. (1 marks)

This is a long answer type question. You can either upload a file or type your answer below.

#### **UPLOAD A FILE**

or



## Q.4 [Descriptive Question, 6 Marks]:

Find the set of all eigenvalues and their corresponding eigenfunctions for the following problem:

$$y''(t) + \lambda y(t) = 0$$
 on  $(\pi, 2\pi)$ ,  $y(\pi) = y(2\pi) = 0$ .

This is a long answer type question. You can either upload a file or type your answer below.

#### **UPLOAD A FILE**

or

