- $> (1 + g_m R_E)$ is known as the *Degeneration Factor*
- \triangleright R_i can also be written as:

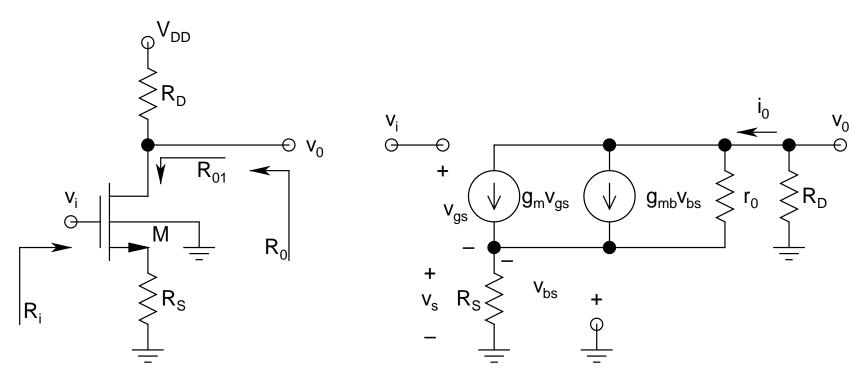
$$R_i \approx r_{\pi} + \beta R_E = r_{\pi} (1 + g_m R_E)$$

Thus, $R_i \uparrow$ by the *Degeneration Factor* as compared to the *CE stage*

Interesting to note that the loss in gain is returned by this circuit to its R_i by the same factor!

- > Why do we sacrifice gain?
 - Later on, we will see that this sacrifice in gain leads to a commensurate increase in the bandwidth of the circuit
- For a given DC bias point, the gainbandwidth product (GBP) of a circuit remains constant (will be explored later)
- This is one of the *famous paradoxes* of analog circuits:
 - To increase gain, sacrifice bandwidth, and vice versa

• Common-Source (Degeneration) [CS(D)]:



ac Schematic

ac Low-Frequency Equivalent

> Defining Relations:

$$\begin{split} v_{0} &= -i_{0}R_{D} \\ i_{0} &= g_{m}v_{gs} + g_{mb}v_{bs} + (v_{0} - v_{s})/r_{0} \\ v_{s} &= i_{0}R_{S} \\ v_{gs} &= v_{i} - v_{s} \\ v_{bs} &= -v_{s} \\ \Rightarrow A_{v} &= \frac{v_{0}}{v_{i}} = -\frac{g_{m}R_{D}}{1 + (g_{m} + g_{mb})R_{S} + (R_{S} + R_{D})/r_{0}} \end{split}$$

➤ Pretty *complicated* expression, however, *simplifications* can be made

 \triangleright Generally, $(R_S + R_D)/r_0$ can be *neglected*:

$$\Rightarrow A_{v} = \frac{V_{0}}{V_{i}} \simeq -\frac{g_{m}R_{D}}{1 + (g_{m} + g_{mb})R_{S}}$$

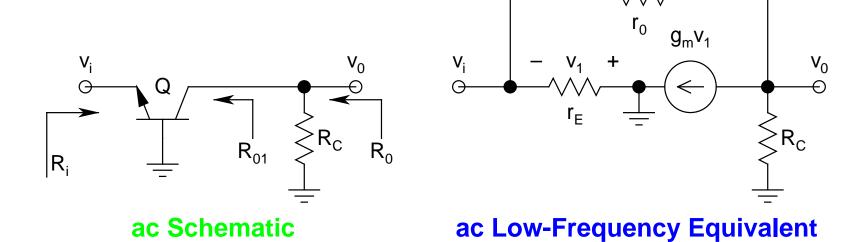
> Neglect body effect:

$$\Rightarrow A_{v} \simeq -\frac{g_{m}R_{D}}{1+g_{m}R_{S}} = -\frac{R_{D}}{1/g_{m}+R_{S}}$$

- > Again, remarkable similarity with CE(D) stage
- > Golden Observation:
 - MOS stages, in absence of body effect, is absolutely similar to BJT stages, with r_E replaced by $1/g_m$, and both β and $r_\pi \to \infty$

- Note that here the **Degeneracy Factor** is $(1 + g_m R_S)$
- $ightharpoonup R_i
 ightharpoonup \infty$
- $ightharpoonup R_0 = R_{01} || R_D$ $R_{01} = r_0 [1 + (g_m + g_{mb}) R_S] (Show!)$
- Again gain is sacrificed in order to improve the bandwidth by the same amount
- The complexity of analysis of this circuit is slightly more than the others encountered so far

• Common-Base (CB):



- Note that the *alternate hybrid-\pi model* appropriate for *CB circuit* has been used
- $rac{1}{2}$ $rac{1}{2}$ $rac{1}{2}$ appears between input and output