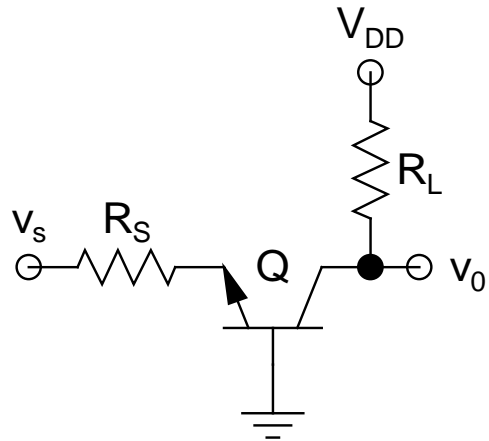
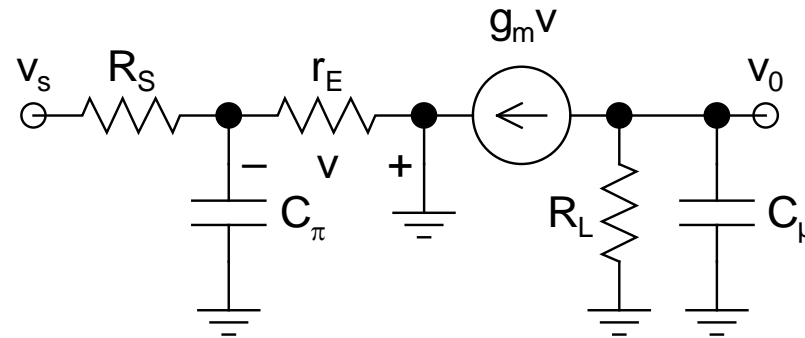


- **CB:**



ac Schematic



High-Frequency Equivalent

- *Note that there is no input-output coupling capacitor present in this circuit*
- ⇒ *Miller effect will be absent*, and the *circuit will have very high f_H*

➤ C_π :

$$R_\pi^0 = R_S \parallel r_E \quad \text{and} \quad \tau_1 = R_\pi^0 C_\pi$$

➤ C_μ :

$$R_\mu^0 = R_L \quad \text{and} \quad \tau_2 = R_\mu^0 C_\mu$$

➤ Taking the *values* of our previous *example*:

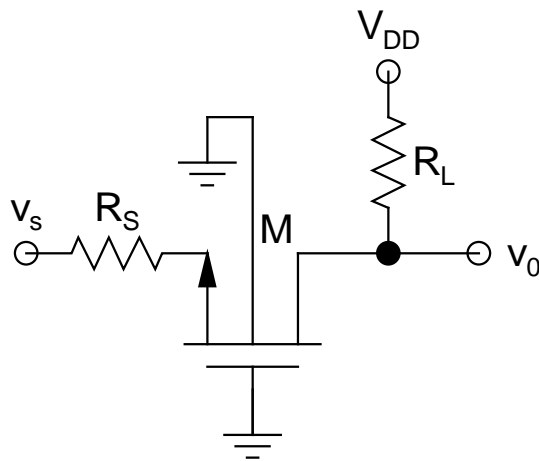
$$R_\pi^0 = 25.34 \, \Omega, \quad \tau_1 = 0.253 \, \text{ns}$$

$$R_\mu^0 = 2 \, \text{k}\Omega, \quad \tau_2 = 1 \, \text{ns}$$

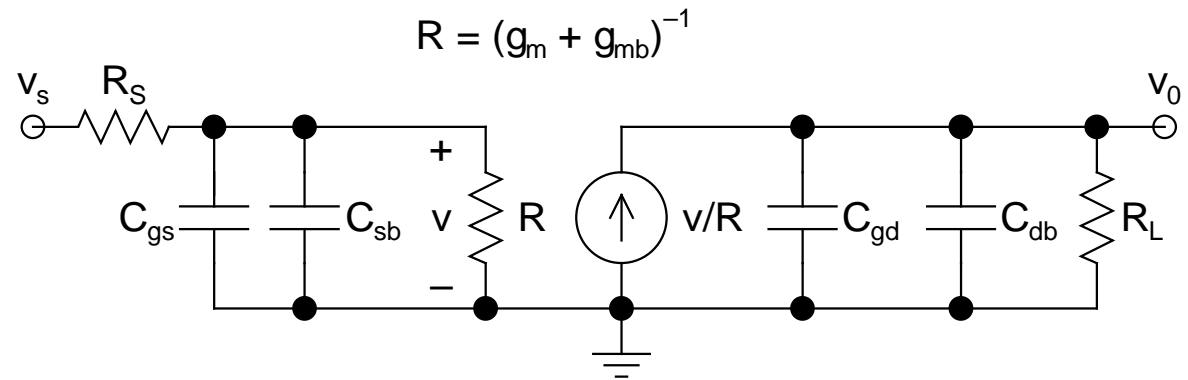
$$\Rightarrow \tau_{\text{net}} = 1.25 \, \text{ns} \quad \text{and} \quad f_H = 127.3 \, \text{MHz}$$

➤ *Note the enormous increase of f_H from about 4 MHz for a CE amplifier*

- **CG:**



ac Schematic

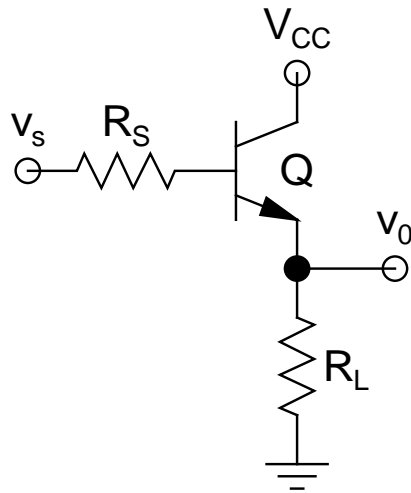


High-Frequency Equivalent

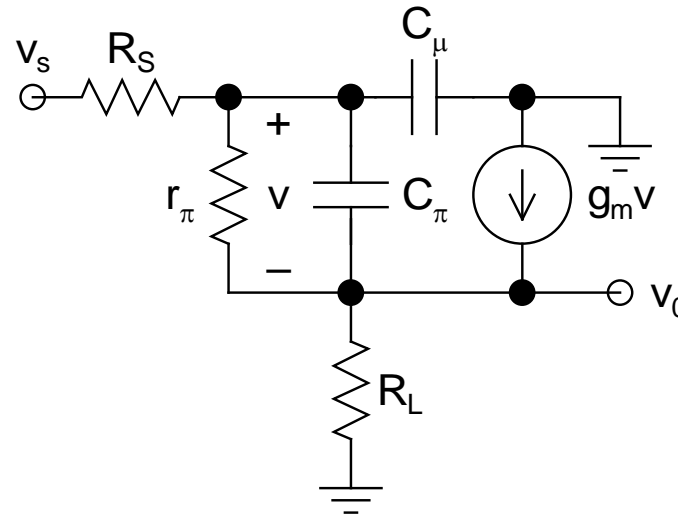
➤ *Note that all 4 capacitors would be present and none could be eliminated*

- *C_{gs} and C_{sb} are in parallel*
 - ⇒ *Can be clubbed to a single capacitor $C_1 = C_{gs} + C_{sb}$, with time constant τ_1*
- Also, *C_{gd} and C_{db} can be clubbed to another single capacitor $C_2 = C_{gd} + C_{db}$, with time constant τ_2*
- *Again note the absence of any input-output coupling capacitor*
 - ⇒ *This circuit should also have very high f_H*
- *C_1 : $R_1^0 = R_s \parallel R$ and $\tau_1 = R_1^0 C_1$*
- *C_2 : $R_2^0 = R_L$ and $\tau_2 = R_2^0 C_2$*

- **CC:**



ac Schematic



High-Frequency Equivalent

- *This circuit is slightly more involved - can't be done by inspection*
- *But we will have some other Standard Forms*

➤ This circuit has a *peculiar frequency response*

- *At midband:*

$$A_v = v_o/v_s = [R_L/(R_L + r_E)] \times [R_i/(R_i + R_S)]$$

$$R_i = r_\pi + (\beta + 1)R_L$$

- *Beyond f_H , as $f \uparrow$, reactance of $C_\pi \downarrow$ earlier than that of C_μ (since, in general, $C_\pi \gg C_\mu$)*
- *Eventually, reactance of C_π would approach zero, thus shorting out r_π*
- *Under this condition, circuit behaves like a simple voltage divider with a gain of $R_L/(R_L + R_S)$*
- *If $f \uparrow$ further, then eventually C_μ also will short out, and v_o would go to zero*

- Thus, the *frequency response* of this circuit looks like a *staircase*, having *two steps*

➤ C_π :

- R_π^0 *can't be obtained by inspection*
- *Analyze the circuit and show that:*

$$R_\pi^0 = r_\pi \parallel \left(\frac{R_S + R_L}{1 + g_m R_L} \right)$$

$$\Rightarrow \tau_1 = R_\pi^0 C_\pi$$

- This is another *Standard Form* and the *topology should be carefully noted*

