

- The *simplified circuit* can be easily identified as the *three-legged creature*, and using the *ZVTC technique*:

$$R_C^0 = R' + R'' + G_{m2} R' R'' = 1.27 \text{ G}\Omega$$

- Now, to get an estimate of the *DPF*  $f_d$ , we assume that the *open-loop gain* is exactly 100 dB, and the *first pole* of the *uncompensated op-amp* is *exactly 1 MHz*

$$\Rightarrow f_d = 10 \text{ Hz}$$

- Also,  $f_d = \omega_d / (2\pi)$ , with  $\omega_d = 1/\tau$ , and  $\tau = R_C^0 C_C$

➤ Thus:

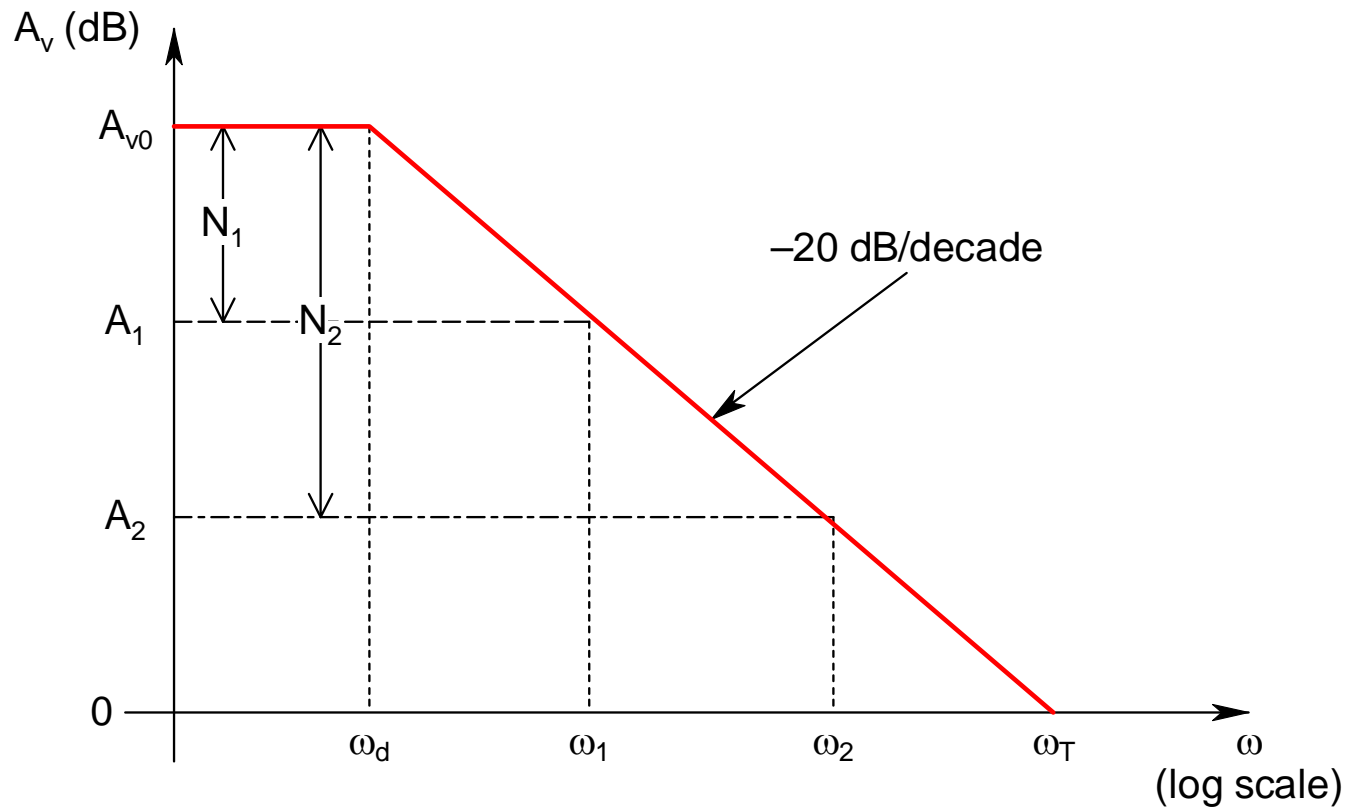
$$C_C = \tau/R_C^0 = 12.5 \text{ pF}$$

➤ Note that with this *compensation scheme*, the *open-loop bandwidth* of the *compensated op-amp* drops all the way down to *10 Hz* from *1 MHz*

➤ However, this is not really a *limitation*, since the *open-loop gain* is *so high*, that even with *negative feedback*, *sufficiently high values of gain can be achieved*

➤ **Unity-Gain Bandwidth ( $f_T$ ):**

- **Product** of the **dominant pole frequency** and the **open-loop gain**
- This is also the **bandwidth** of the system when the **gain is unity** (hence the name!)
- Also known as the **gain-bandwidth product** (GBP)
- It is **1 MHz** for this case
- Note that under **DPC**, it's also the **first pole** of **uncompensated system**
- With **negative feedback**, the **GBP remains constant**  
⇒ **As gain ↓, bandwidth ↑, and vice-versa**



$A_{v0}$ : Midband Gain,  $\omega_d$ : Compensated Bandwidth,  $\omega_T$ : Unity-Gain Bandwidth  
 $N_1$  and  $\omega_1$ ,  $N_2$  and  $\omega_2$ : Amount of Feedback and Corresponding Bandwidth  
 $A_1$ ,  $A_2$ : Gain With Feedback  $N_1$ ,  $N_2$   
 $A_{v0}\omega_d = A_1\omega_1 = A_2\omega_2 = \omega_T$

- *Protection Circuits:*

- $Q_{15}$ - $R_6$ : *Overload protection circuit* for  $Q_{14}$
- Similar to that discussed in the chapter on *Output Stages*
- $R_6$  *senses* the *current* being *sourced* by  $Q_{14}$  to *load*
- When the *drop* across  $R_6$  *approaches*  $V_\gamma$  of  $Q_{15}$ , it starts to *bypass* the *base current* of  $Q_{14}$   
⇒ *The current does not increase indefinitely*
- *Protection scheme of  $Q_{20}$  is slightly different*

- For the *previous case* of  $Q_{14}$ , the *load current* was *flowing out* of the circuit
- However, for  $Q_{20}$ , the *load current* is *flowing into* the circuit
- Thus, the circuit should be *protected* by *limiting* the amount of this *current*
- Here,  $R_7$  *senses* the *current* being *sunk* by  $Q_{20}$
- As soon as the *drop* across  $R_7$  *approaches*  $V_\gamma$  of  $Q_{21}$ , it *turns on* and starts to *bypass* the *current* through  $Q_{20}$

- *Values of  $R_6$  and  $R_7$  are slightly different to account for the difference in  $V_\gamma$  for npn and pnp BJTs*
- Initially, this *shunted current* starts to *flow* through the *unnumbered* 50 k $\Omega$  resistor to  $-V_{CC}$
- When the *drop* across this 50 k $\Omega$  resistor *approaches*  $V_\gamma$  of  $Q_{24}$ , it starts to *turn on*, which makes  $Q_{22}$  to *turn on* too (note that  $Q_{22}$  and  $Q_{24}$  form a *mirror*)
- Now, the *collector* of  $Q_{22}$  is *connected* to the *base* of  $Q_{16}$

- Thus,  $Q_{16}$  starts to *lose* its *base drive*, since a *part of it* is *shunted away* by  $Q_{22}$
- Hence,  $Q_{16}$  *conducts less*, and produces a *chain reaction*, which *limits* the *current sinking capability* of the *output stage*
- Thus, the *circuit gets protected*
- Now, about the *role played by  $Q_{23B}$*
- *Note*:  $V_{B16} = V_{E23B}$ , and  $V_{C17} = V_{B23B}$ 

$$\Rightarrow V_{EB23B} = V_{B16} - V_{C17}$$
- Also,  $V_{C17} = V_{B17} + V_{CB17}$



- Noting that  $V_{B17} = V_{E16}$ :  

$$V_{EB23B} = V_{B16} - V_{E16} - V_{CB17} = V_{BE16} - V_{CB17}$$
- Under *normal operating condition*,  $V_{BE16} \sim 0.7 \text{ V}$
- If  $Q_{17}$  also is in the *FA mode*, which is the *desired mode of operation*, then the *CB junction* of  $Q_{17}$  will be *reverse biased*
  - $\Rightarrow V_{CB17}$  is *positive*
  - $\Rightarrow V_{EB23B} < V_{BE16}$ , and  $Q_{23B}$  would *remain off*
- Now, if *for any reason whatsoever*,  $Q_{17}$  *moves towards saturation*, then  $V_{CB17}$  would *decrease*