- Gate-Source and Gate-Drain Capacitance (C<sub>gs</sub> and C<sub>gd</sub>):
  - Each has *two components*: *intrinsic* (i) and *technological* (t)
  - Total intrinsic gate-body capacitance:  $C_{gbi} = C'_{ox}WL$
  - ➤ Using *Meyer's model*, *intrinsic component*:
    - In *linear region*:  $C_{gsi} = C_{gdi} = C_{gbi}/2$
    - In *saturation region*:  $C_{gsi} = (2/3)C_{gbi}$ ,  $C_{gdi} = 0$
  - ➤ Technology component arises due to gatesource and gate-drain overlap (L<sub>D</sub>)

## > Technology components:

$$\mathbf{C}_{\mathrm{gst}} = \mathbf{C}_{\mathrm{gdt}}' = \mathbf{C}_{\mathrm{gs0}}' \mathbf{W} = \mathbf{C}_{\mathrm{gd0}}' \mathbf{W}$$

Gate-Source/Drain Overlap Capacitance

per unit width: 
$$C'_{gs0} = C'_{gd0} = C'_{ox}L_{D}$$

>Thus, total capacitance in saturation:

$$C_{gs} = (2/3)C'_{ox}WL + C'_{gs0}W$$

$$C_{gd} = C'_{gd0}W$$

$$\gt C_{gs} \gt\gt C_{gd}$$

- Source-Body and Drain-Body Capacitance (C<sub>sb</sub> and C<sub>db</sub>):
  - ➤ Both reverse-biased n<sup>+</sup>p junctions

$$\begin{split} & C_{sb} = \frac{C_{sb0}}{\left(1 + V_{SB}/V_{0}\right)^{m}} \quad \text{and} \quad C_{db} = \frac{C_{db0}}{\left(1 + V_{DB}/V_{0}\right)^{m}} \\ & C_{sb0} = C_{sb}\big|_{V_{SB}=0} \quad \text{and} \quad C_{db0} = C_{db}\big|_{V_{DB}=0} \\ & V_{SB} \quad \text{and} \quad V_{DB} \geq 0 \end{split}$$

- *Drain/Source Series Resistance* (R<sub>S</sub> and R<sub>D</sub>):
  - > Due to neutral n+ source/drain regions

## The Hybrid- $\pi$ Model

