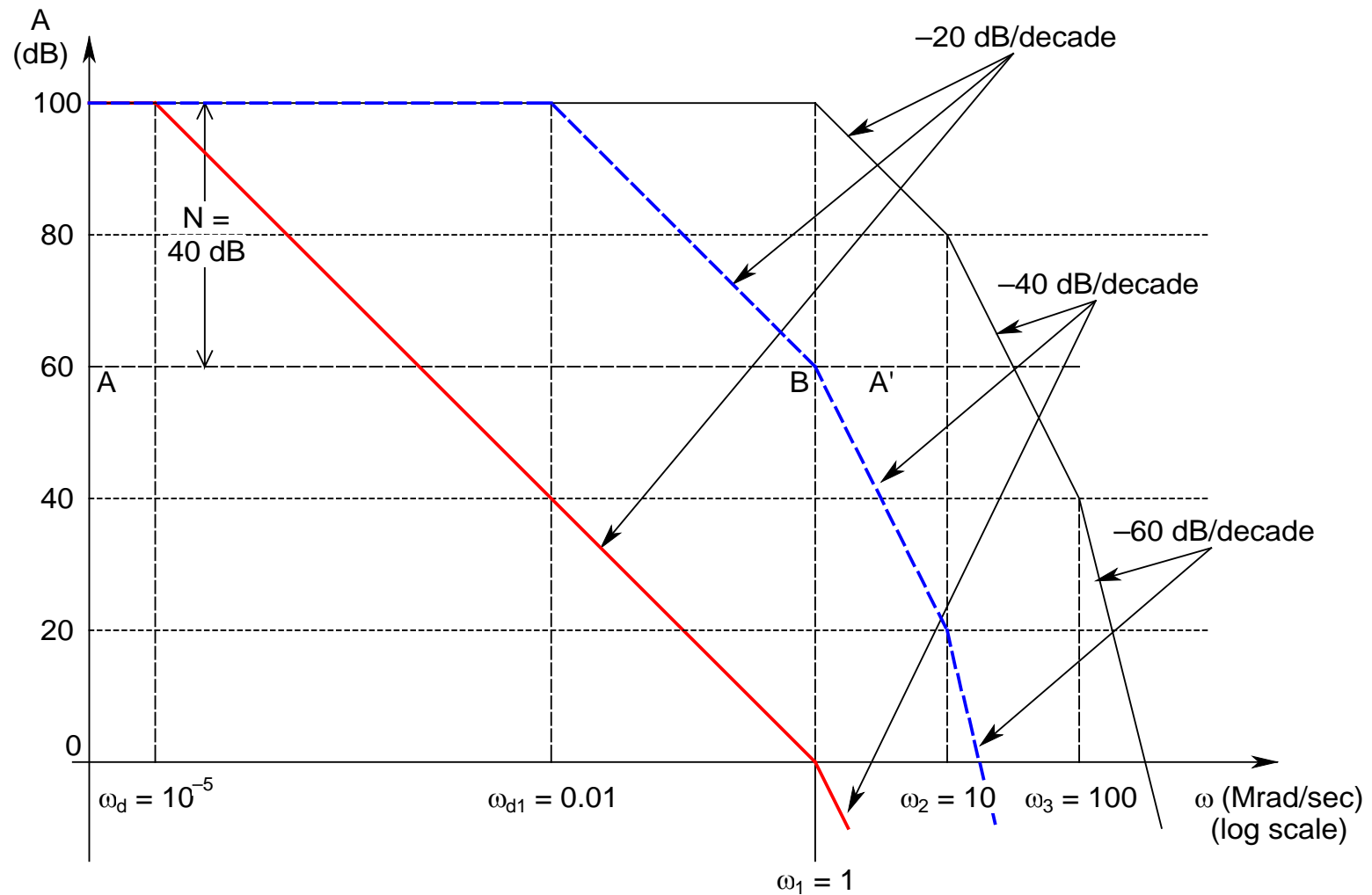


- *Two widely used methods:*
 - *Dominant Pole Compensation (DPC)*
 - *Pole Zero Compensation (PZC)*
- *Dominant Pole Compensation (DPC):*
 - This technique introduces a *dominant pole (DP)* into the system
 - Also known as *Miller Compensation Scheme*
 - This *DP* is chosen such that the *compensated gain characteristic* meets the *first pole* of the *uncompensated system* at *0 dB*, with a *slope* of *-20 dB/decade*

- This will make the system *unconditionally stable*, i.e., the *stability* of the system will be *independent* of the *amount of feedback*
- *Example*:
 - Assume $A = 10^5$ (100 dB), $\omega_1 = 1$ Mrad/sec, $\omega_2 = 10$ Mrad/sec, $\omega_3 = 100$ Mrad/sec
 - Refer to the slide on the next page
 - For *unconditional stability*:
 - ❖ Refer to the *red line*
 - ❖ The *compensated transfer function* should meet the *first pole* (ω_1) of the *uncompensated system* at $A = 0$ dB with a *slope* of *-20 dB/decade*



Normal Line: Open-loop system
Red Line: Compensated system for unconditional stability
Blue Line: Compensated system with conditional stability
 (till a feedback of 40 dB)

- ❖ To construct the *compensation characteristic*, *start at ω_1* and *go back 5 decades* ($= 100/20$)
- ❖ *Ends up at the DP frequency (ω_d) of 10 rad/sec*
- ❖ *Note that in between ω_d and ω_1 , the system behaves as if it has a single-pole transfer function*
- ❖ The *total phase* of the system at ω_1 will be -135° [-90° *due to the pole at ω_d* , and -45° *due to the pole at ω_1* (*since ω_2 is ten times away from ω_1 , the phase due to ω_2 is yet to start at this point*)]
- ❖ Thus, the *PM of the compensated system will be 45°*
- ❖ This implies a *stable system*, since the *PM is positive*
- ❖ Note that *if ω_2 and ω_1 were closer than 10 times*, the *PM would have been less than 45°* , but *still positive*, and thus, *would have retained the stable nature of the system*

- ❖ Note that in order to achieve *unconditional stability* of the system, the *bandwidth* has *reduced drastically* from *1 Mrad/sec* to only *10 rad/sec*!
- ❖ *This is the most severe limitation of the DPC technique*
- *For conditional stability:*
 - ❖ The *previous compensation scheme* ensured *system stability* for f all the way *up to unity* (corresponding to the *amount of feedback* of *100 dB*, i.e., the *entire output is fed back to the input*)
 - ❖ In some cases, it may be an *overkill*, if it is known *a priori* that the *entire output* will *NOT* be *fed back* to the *input*, *rather only a part of it*
 - ❖ This is what is known as *conditional stability*
 - ❖ Suppose that the *maximum amount of feedback* that the system would have is *40 dB*