

- *Techniques:*
 - *Infinite-Value Time Constant (IVTC) Method*
 - *Used for obtaining f_L*
 - *Zero-Value Time Constant (ZVTC) Method*
 - *Used for obtaining f_H*
- These techniques are *extremely easy to apply*, and the results are *quite close to actuals*
- However, there is *one limitation* of these techniques

- They give information only regarding the *Dominant Pole* (DP) of the circuit
- *Completely hides information* about *other poles and zeros* of the circuit [known as *Non-Dominant Poles* (NDP) or *Zeros* (NDZ)]
- Anyway, information about *NDP and NDZ* are *not* that *critically important* from *practical point of view*

Low-Frequency Response

- *The Infinite-Value Time Constant (IVTC) Technique:*
 - Used for obtaining the *lower cutoff frequency* (f_L)
 - If a circuit has n number of *capacitors*, then it would have n number of *time constants*
 - *This technique derives the information regarding f_L from these time constants*

- *The Algorithm:*

- *Null all independent sources to the circuit*
 - *Short all independent voltage sources*
 - *Open all independent current sources*
 - *DO NOT TOUCH DEPENDENT SOURCES*
- *Name the capacitors C_i ($i = 1-n$)*
- *Consider C_1 and assign infinite values to all other capacitors (thus the name!)*
 - Thus, *except C_1 , all other capacitors will short out*
- *Determine the Thevenin Resistance (R_1^∞) across the two terminals of C_1*

- *Find the time constant τ_1 associated with C_1*
 $(\tau_1 = R_1^\infty C_1)$
- *Calculate the corresponding frequency $f_1 = 1/(2\pi\tau_1)$*
- *Repeat for all other capacitors, taking one at a time, and find all the rest of the frequencies*
 (f_2, f_3, \dots, f_n)
- Then the *Lower Cutoff Frequency* f_L can be expressed as:

$$f_L = \left[\sum_{i=1}^n f_i^2 \right]^{1/2}$$

- In *discrete circuits*, a *major component of total cost* is due to the *cost of the capacitors* (*directly proportional to the value*)
- Hence, an attempt is made to *minimize* the *total capacitor requirement of the circuit*
- For this, the *Dominant Pole* (DP) technique is used
 - *One of the frequencies among f_1 - f_n is made dominant*
 - *Others are made to lie at least 10 times away from it*

- For example, if f_d is chosen to be the DP, then all other poles are assumed to be at $f_d/10$

$$\Rightarrow f_L = \left[f_d^2 + \sum_{n=1} \left(\frac{f_d}{10} \right)^2 \right]^{1/2}$$

- C_d , which contributes f_d , is chosen to be that capacitor that sees the least Thevenin resistance across its terminals

- Reason is obvious:

- If any other capacitor were chosen to contribute f_d , then C_d would have been ten times higher

- This choice is based on heuristics