

- **Simple NMOS CM:**

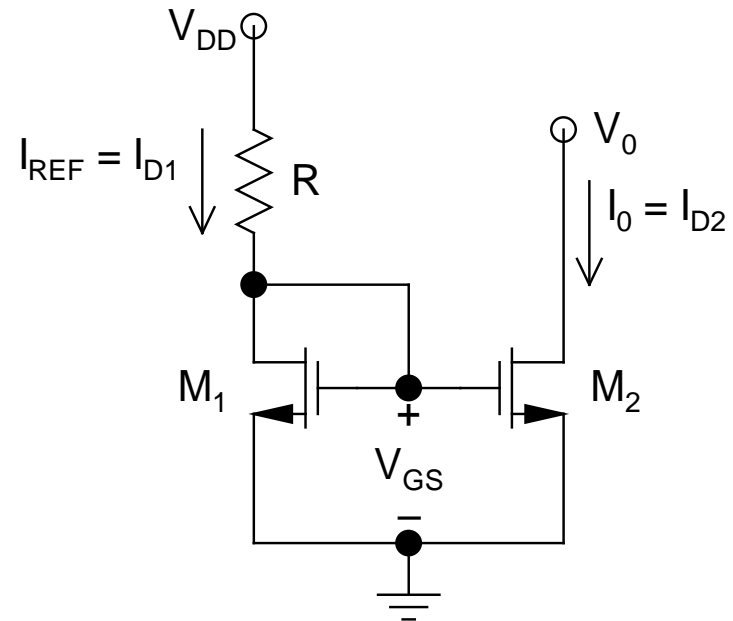
- $V_{GS1} = V_{GS2} = V_{GS}$

- M_1 has its ***D and G***
shorted $\Rightarrow V_{GD1} = 0$

\Rightarrow ***always in saturation***,
since $V_{DS1} > V_{GT1}$

\Rightarrow Known as ***diode-***
connected MOSFET

- Even though $I_G = 0$, the analysis is slightly more cumbersome than simple BJT CM



- *In general, for NMOS (PMOS), the B terminal is always connected to the most negative (positive) potential available in the circuit to ensure that SB and DB junctions never get forward biased*
- *Both M_1 and M_2 have their B terminals grounded $\Rightarrow V_{SB1} = V_{SB2} = 0$*
 - $V_{TN1} = V_{TN01}$ and $V_{TN2} = V_{TN02}$
- Thus:

$$I_{REF} = I_{D1} = \frac{k'_{N1}}{2} \left(\frac{W}{L} \right)_1 (V_{GS} - V_{TN01})^2$$

- For a *given V_{DD} and R* , the equation has *2 unknowns*: I_{D1} and V_{GS}
- Need *another equation* for *unique solution*, which is the *load line equation*:
$$I_{D1} = (V_{DD} - V_{GS})/R$$
- *Simultaneous solution* of these *two equations* would give a *unique solution* for I_{D1} and V_{GS}
 - *Caution: 2 roots, out of which, one will be unphysical*
- So far, we have *neglected CLM*, which we would include soon!

➤ Now:

$$V_{GS} = V_{TN01} + \sqrt{\frac{2I_{REF}}{k'_{N1} (W/L)_1}} = V_{TN02} + \sqrt{\frac{2I_0}{k'_{N2} (W/L)_2}}$$

➤ Thus:

$$I_0 = \frac{k'_{N2} (W/L)_2}{2} \left[(V_{TN01} - V_{TN02}) + \sqrt{\frac{2I_{REF}}{k'_{N1} (W/L)_1}} \right]^2$$

➤ This is the *exact expression* of I_0 , *without making any assumptions/approximations whatsoever*

➤ Now, if $V_{TN01} = V_{TN02} = V_{TN0}$, and

$$k'_{N1} = k'_{N2} = k'_N :$$

$$I_0 = \frac{(W/L)_2}{(W/L)_1} I_{REF}$$

➤ *Very similar* to BJT CM, but with a *big exception*:

- *In BJT CM, this ratio could only be an integer*
- *In MOS CM, no such restriction exists: $(W/L)_2$ can be $>$, $=$, or $<$ $(W/L)_1 \Rightarrow$ any arbitrary current ratio can be obtained*

- Finally, if $(W/L)_2 = (W/L)_1$:
 $I_0 = I_{REF} \Rightarrow \text{Current Mirror!}$
- Two MOSFETs are deemed to constitute a *matched pair*, if they have *same* V_{TN0} , γ , ϕ_F , λ , and k'_N
 - Note that all of these are *process parameters*
 - *(W/L) is NOT a process parameter*, since it's under *designer's control*
 - *If (W/L)s are also same, then the pair is known as perfectly matched*