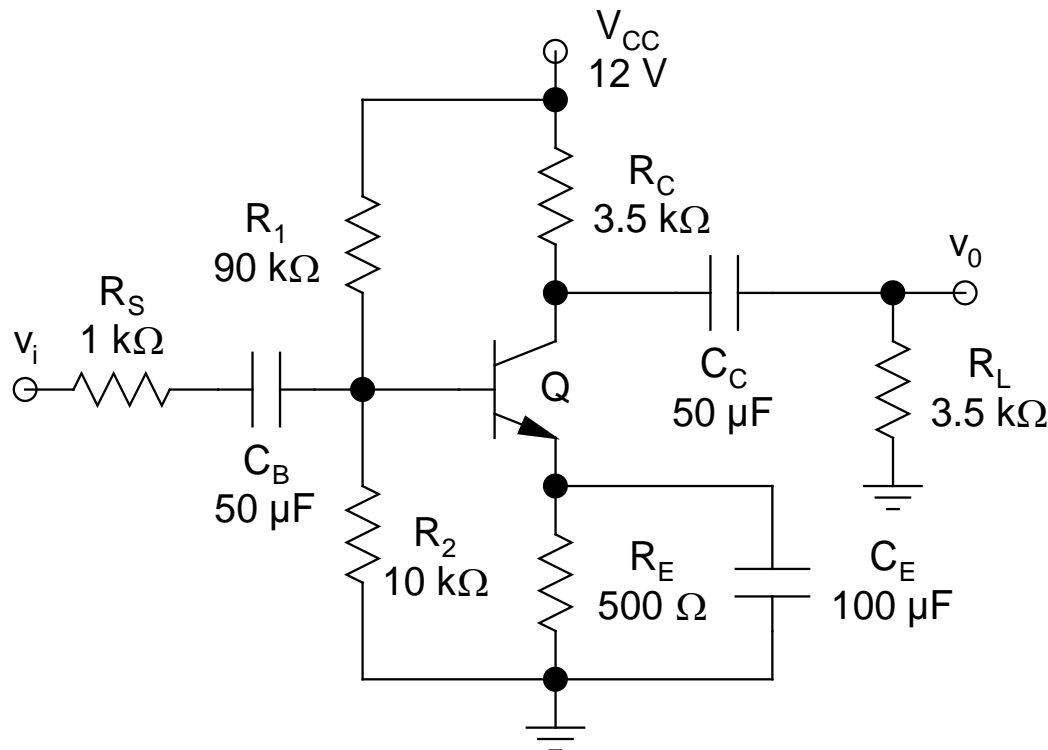
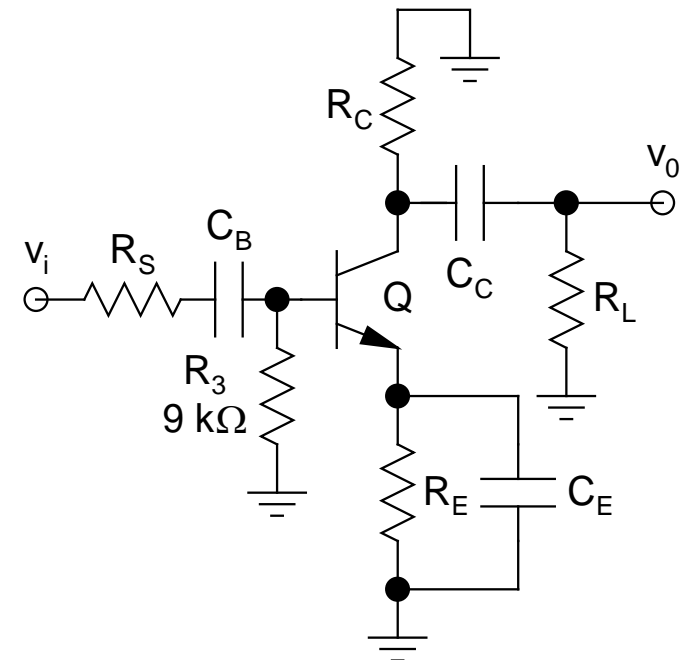


- Low-Frequency Response of RC-Coupled Amplifier:***



Complete Circuit



ac Schematic

- *DC analysis* gives $I_C = 1 \text{ mA}$ and $V_{CE} = 4 \text{ V}$
 $\Rightarrow r_E = 26 \Omega$ and $r_\pi = 2.6 \text{ k}\Omega$ (assuming $\beta = 100$)
- *Neglect Early effect*
 $\Rightarrow r_0 \rightarrow \infty$
- 3 *capacitors* (C_B, C_E, C_C) with *time constants* τ_1, τ_2, τ_3 , and corresponding *cutoff frequencies* f_1, f_2, f_3
- To apply the *IVTC technique*, we have to take *one capacitor at a time* and *treat other capacitors as short circuits*
- *The analysis can be done by inspection!*

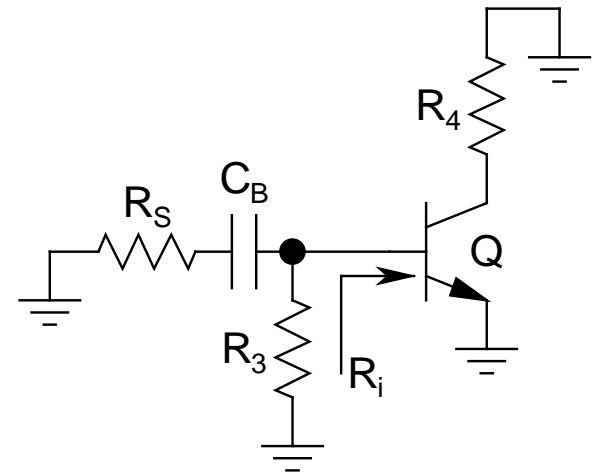
➤ C_B :

- *Short C_C and C_E*
- $R_3 = R_1 \parallel R_2 = 9 \text{ k}\Omega$
- $R_4 = R_C \parallel R_L = 1.75 \text{ k}\Omega$
- $R_i = r_\pi = 2.6 \text{ k}\Omega$
- By inspection, the *Thevenin resistance* seen by C_B :

$$R_B^\infty = R_S + (R_3 \parallel R_i) = 3 \text{ k}\Omega$$

$$\Rightarrow \tau_1 = R_B^\infty C_B = 150 \text{ ms}$$

$$\Rightarrow f_1 = 1/(2\pi\tau_1) = 1.06 \text{ Hz}$$



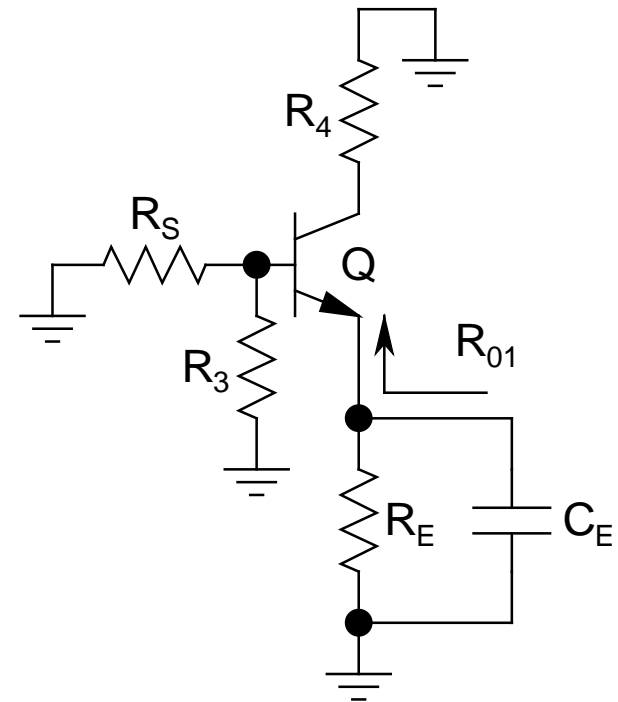
➤ C_E :

- *Short C_C and C_B*
- $R_{01} = r_E + (R_S \parallel R_3)/(\beta + 1)$
 $= 34.9 \Omega$
- By inspection, the *Thevenin resistance* seen by C_E :

$$R_E^\infty = R_E \parallel R_{01} = 32.6 \Omega$$

$$\Rightarrow \tau_2 = R_E^\infty C_E = 3.26 \text{ ms}$$

$$\Rightarrow f_2 = 1/(2\pi\tau_2) = 48.8 \text{ Hz}$$



➤ C_C :

- *Short C_E and C_B*

- By inspection, the *Thevenin resistance* seen by C_C :

$$R_C^\infty = R_C + R_L = 7 \text{ k}\Omega$$

$$\Rightarrow \tau_3 = R_C^\infty C_C = 350 \text{ ms}$$

$$\Rightarrow f_3 = 1/(2\pi\tau_3) = 0.45 \text{ Hz}$$

- Thus, the *lower cutoff frequency* of the circuit:

$$f_L = \left[f_1^2 + f_2^2 + f_3^2 \right]^{1/2} = 48.8 \text{ Hz}$$

➤ Note that f_L is equal to f_2 (contributed by C_E)

➤ Now let's attempt to *minimize* the *total capacitance requirement* of the circuit

➤ ***Minimization of the Total Capacitance:***

- From the previous analysis, we note that C_E *sees the least Thevenin resistance across its two terminals*

⇒ *Let's choose C_E to contribute the DP f_d , and let C_C and C_B each contribute poles at $f_d/10$*

$$\Rightarrow 48.8 = \sqrt{f_d^2 + 2(f_d/10)^2}$$

$$\Rightarrow f_d = 48.3 \text{ Hz and } f_d/10 = 4.83 \text{ Hz}$$

- Thus:

$$C_E = 1/(2\pi f_d R_E^\infty) = 101.1 \text{ } \mu\text{F}$$

$$C_B = 1/[2\pi(f_d/10)R_B^\infty] = 11 \text{ } \mu\text{F}$$

$$C_C = 1/[2\pi(f_d/10)R_C^\infty] = 4.7 \text{ } \mu\text{F}$$