## Finding the Operating Point: Load Line Analysis

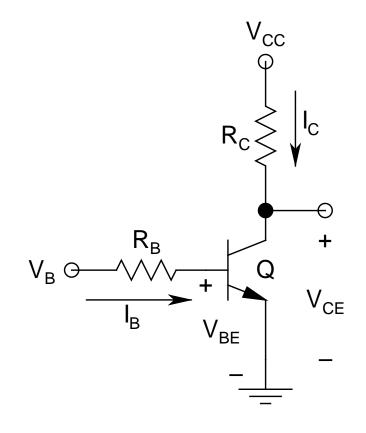
• Quick estimate in FA mode:

$$\triangleright I_{\rm B} = (V_{\rm B} - V_{\rm BE})/R_{\rm B}$$

$$V_{\rm BE} = 0.7 \, {\rm V}$$

$$\triangleright I_C = \beta I_B$$

➤ Independent of R<sub>C</sub>, so long as FA operation is maintained



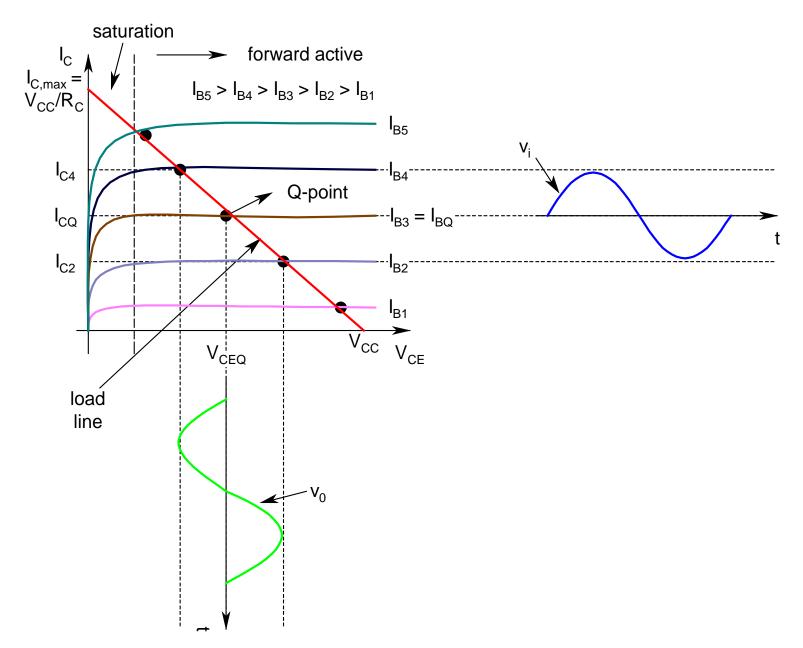
- For continuous variation of  $V_B$ , continuous variation of  $I_C$  and  $I_B$ 
  - The *output characteristics* will *fill up* the *entire quadrant*
- The operating point (Q-point) can lie anywhere in this quadrant
- To find the *unique* Q-point, need to *draw* the *load line*
- Load line equation:

$$ightharpoonup I_{\rm C} = (V_{\rm CC} - V_{\rm CE})/R_{\rm C}$$

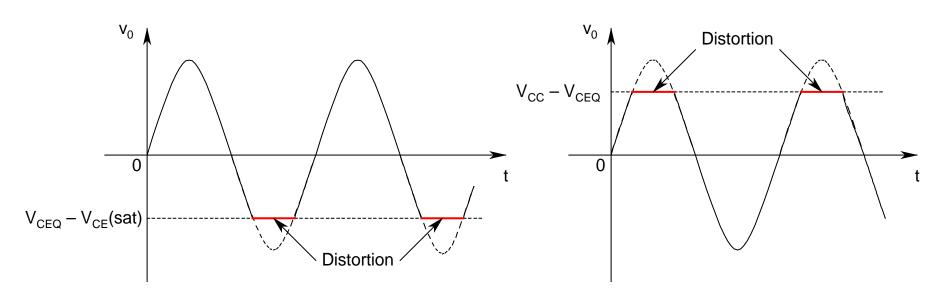
## • 2 boundary points:

- $\triangleright$  For  $I_C = 0$ ,  $V_{CE} = V_{CC}$
- $\triangleright$  For  $V_{CE} = 0$ ,  $I_C = V_{CC}/R_C$
- Joining these 2 points by a straight line gives the load line
- The *intersection point* of the *load line* with the *output characteristic* gives the *Q-point*
- Gives infinite number of choices for possible Q-point

- The *best choice* for the *Q-point* is *right at the center* of the *load line* 
  - $\gt V_{CEQ}(best) = V_{CC}/2$  and  $I_{CQ}(best) = V_{CC}/(2R_C)$
- Permits the maximum possible signal swing in both directions
- If  $V_{CEQ} > V_{CC}/2$ , it's biased more towards cutoff
- If  $V_{CEQ} < V_{CC}/2$ , it's biased more towards saturation
- Either way, we will get a distorted output



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(a) Negative Clipping: Saturation Induced

(b) Positive Clipping:
Cutoff Induced

- Under *application* of an *ac signal* (v<sub>i</sub>), the *dynamic operating point* (DOP) will *move along the load line*
- For positive  $v_i$ , the DOP will move Q towards saturation  $(V_{CE} \rightarrow 0, I_C \rightarrow I_{C,max})$ 
  - The *output signal*  $(v_0)$  will be in its *negative excursion*
  - ightharpoonup If Q enters *saturation*, *negative peak* of  $v_0$  will get *clipped*
  - > Distorted output