

Assignment-5

Q:- In iNeuron there is upcoming 3rd Anniversary & Manger wants to gift the T-shirt for all his employee. It has working force of 1,00,000 employees. He has a sample data of 500 employees in which 200 ordered L-size & 300 ordered XL-size, the population standard deviation is known to be 150, with the sample mean of 450 & C.I of 95%. How many XL & L-size T-shirts he needs to order?

$$\Rightarrow N = 1,00,000 \quad n = 500 \quad \bar{X} = 450 \quad C.I = 95\%$$

No. of L-size shirts ordered by sample data of 500 = 200

No. of XL t-shirts ordered by sample data of 500 = 300

$$\text{Probability of L-size T-shirts on sample data} = \frac{200}{500} \Rightarrow 0.4 \Rightarrow 40\%$$

$$\text{Probability of XL-size T-shirts on sample data} = \frac{300}{500} \Rightarrow 0.6 \Rightarrow 60\%$$

By Apply Sample probability of L & XL-size T-shirts on the population data.

$$\therefore \text{Probability of L-size T-shirts} \Rightarrow \frac{40}{100} \times 1,00,000 \Rightarrow 40,000 \text{ T-shirts}$$

$$\text{Probability of XL-size T-shirts} \Rightarrow \frac{60}{100} \times 1,00,000 \Rightarrow 60,000 \text{ T-shirts}$$

$$\alpha = 1 - C.I$$

$$\alpha = 1 - 0.95$$

$$\alpha = 0.05$$

$$Z_{\frac{\alpha}{2}} = Z_{\frac{0.05}{2}} \Rightarrow Z_{0.025} \Rightarrow \pm 1.96$$

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$$\text{Lower Fence} \Rightarrow \bar{X} - Z_{\frac{\alpha}{2}} \left[\frac{\sigma}{\sqrt{n}} \right]$$

$$\Rightarrow 450 - 1.96 \left[\frac{150}{\sqrt{500}} \right] \Rightarrow 436.85$$

$$\Rightarrow 22.36 \Rightarrow 22.4$$

$$\text{Higher Fence} \Rightarrow \bar{X} + Z_{\frac{\alpha}{2}} \left[\frac{\sigma}{\sqrt{n}} \right]$$

$$\Rightarrow 450 + 1.96 \left[\frac{150}{\sqrt{500}} \right]$$

$$\Rightarrow 463.148 \Rightarrow 463.15$$

C.I range of sample data \Rightarrow Higher Fence - Lower Fence

$$\Rightarrow 463.15 - 436.85$$

$$\Rightarrow 26.3$$

$$\therefore \text{Lower Fence of L-size T-shirt} \Rightarrow 40,000 - 26.3 \left(\frac{N}{n} \right) \Rightarrow 40,000 - 26.3 \left(\frac{100,000}{500} \right)$$

$$\Rightarrow 40,000 - 5260 \Rightarrow 34,740 \text{ t-shirts.}$$

$$\text{Higher Fence of L-size T-shirt} \Rightarrow 40,000 + 26.3 \left(\frac{N}{n} \right) \Rightarrow 40,000 + 26.3 \left(\frac{100,000}{500} \right)$$

$$\Rightarrow 40,000 + 5260 \Rightarrow 45,260 \text{ t-shirts.}$$

$$\text{Lower Fence for XL-size T-shirt} \Rightarrow 60,000 - 26.3 \left(\frac{N}{n} \right) \Rightarrow 60,000 - 26.3 \left(\frac{100,000}{500} \right)$$

$$\Rightarrow 60,000 - 5260 \Rightarrow 54,740 \text{ t-shirts.}$$

$$\text{Higher Fence for XL-size T-shirt} \Rightarrow 60,000 + 26.3 \left(\frac{N}{n} \right) \Rightarrow 60,000 + 26.3 \left(\frac{100,000}{500} \right)$$

$$\Rightarrow 60,000 + 5,260 \Rightarrow 65,260 \text{ t-shirts}$$

\therefore XL-size T-shirts he should order between

$$54,740 \text{ to } 65,260$$

\therefore L-size T-shirts he should order between

$$34,740 \text{ to } 45,260$$