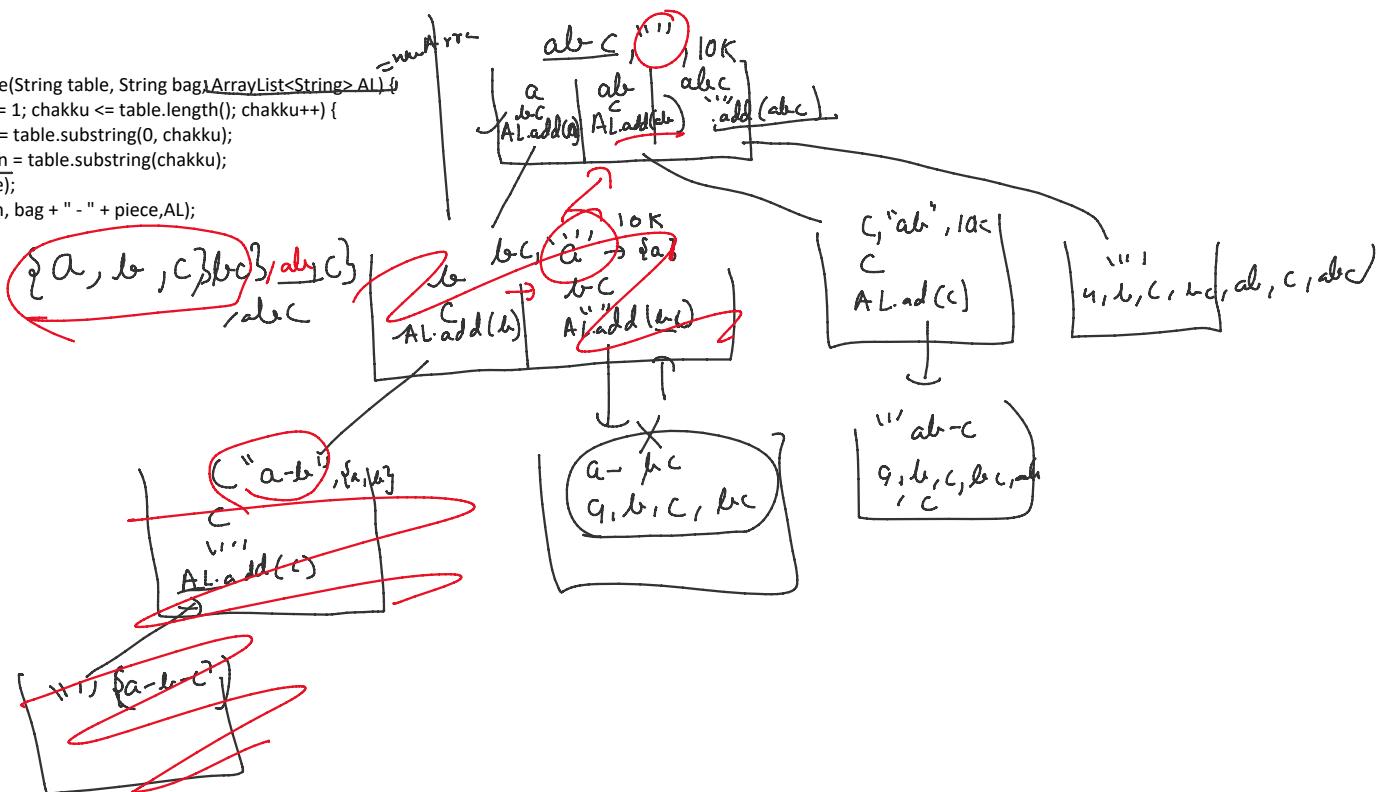




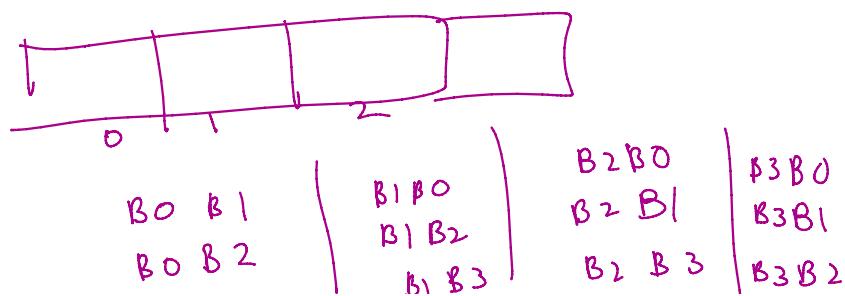
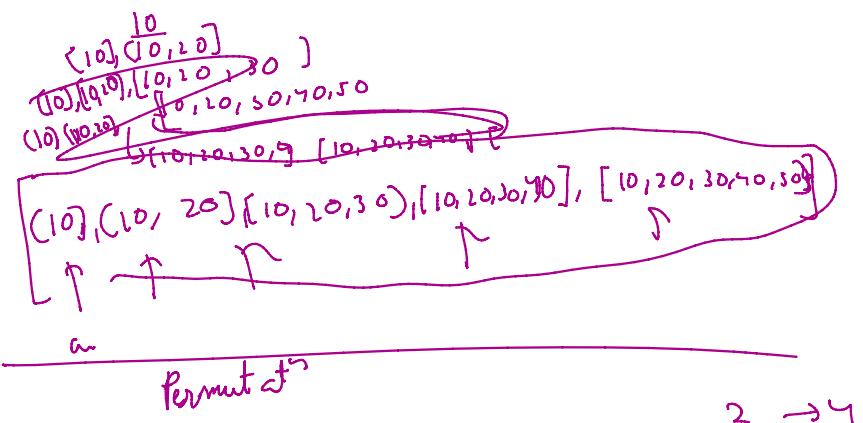
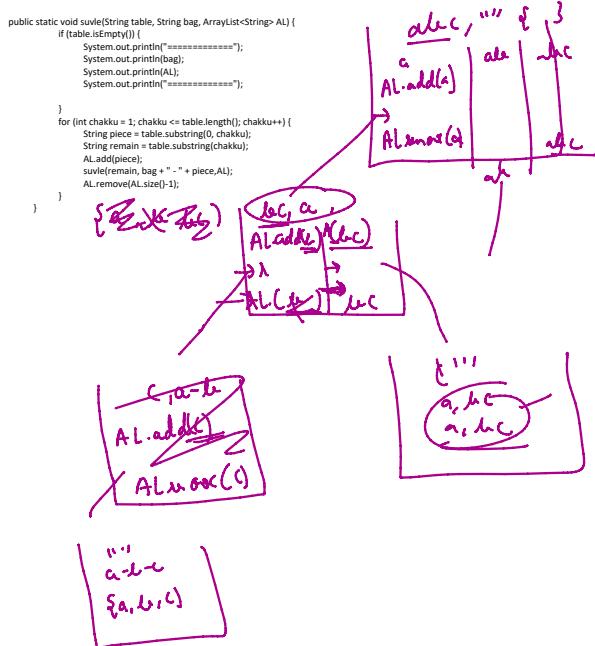
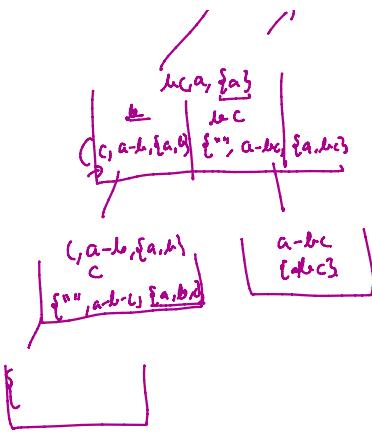
```
public static void suvle(String table, String bag, ArrayList<String> AL) {
    for (int chakku = 1; chakku <= table.length(); chakku++) {
        String piece = table.substring(0, chakku);
        String remain = table.substring(chakku);
        AL.add(piece);
        suvle(remain, bag + " - " + piece, AL);
    }
}
```



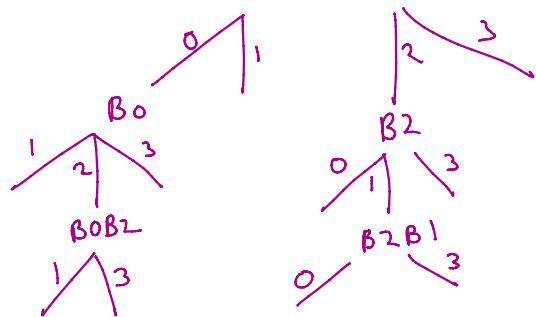
```

for (int chakku = 1; chakku <= table.length(); chakku++) {
    String piece = table.substring(0, chakku);
    String remain = table.substring(chakku);
    ArrayList<String> copy = new ArrayList<String>((AL));
    copy.add(piece);
    suvile(remain, bag + "-" + piece, copy);
}

```

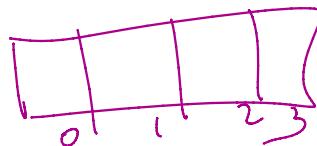
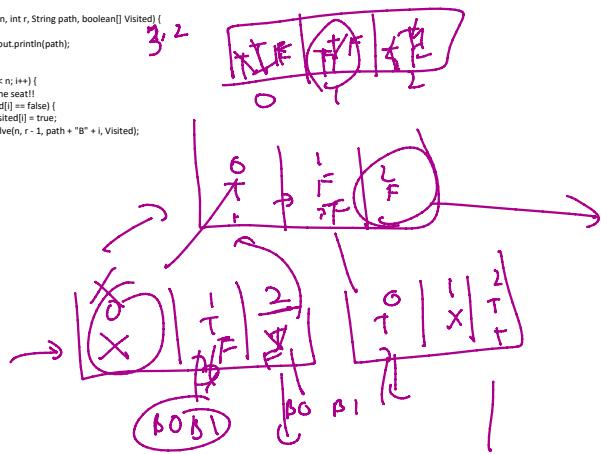


B0	B1		B1	B2		B2	B1		B3B1	
B0	B2		B1	B3		B2	B3		B3B2	
B0 B3			B1 B2			B2 B1				
									3 1 4	

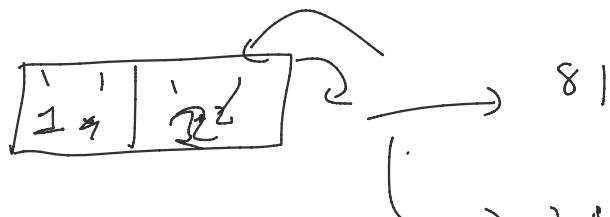


```

public static void solve(int n, int r, String path, boolean[] Visited) {
    if (r == 0) {
        System.out.println(path);
        return;
    }
    for (int i = 0; i < n; i++) {
        if (!the seat[i]) {
            if (Visited[i] == false) {
                Visited[i] = true;
                solve(n, r - 1, path + "B" + i, Visited);
            }
        }
    }
}
  
```



0	1		1	2		2	3
0	2		1	3		1	
0	3		2				



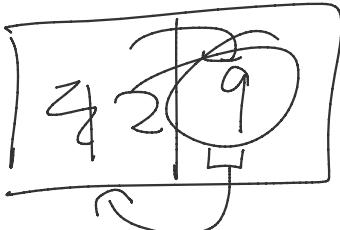
→ 7 | 8 →

10

0	1	2	3	4	5	6	7	8
0	5	3	7	1	9	5	6	
1	6	8	2	4	3	1	7	
2	9	7	6	8	3	1	4	
3	8	1	6	2	5	3	7	
4	7	4	8	3	1	6	2	
5	6	2	1	9	5	8	4	
6	3	8	7	6	9	1	5	
7	7	5	4	1	9	6	8	
8	8	6	2	8	7	9	3	

→ 1, 0

1
2
3
4



$$f(n) = f(n-1) + 1$$

$$\{ -n! \} \{ s_b = (n-1)! \}$$

and $n \cdot s_b$

M1) scatter
M2) $\forall i$ work in each f^n plane

$$(a^b)$$

$$s_b = a^{b-1}$$

and $s_b \cdot a$

≤ offset in each

f^n plane

(b^a)

$$s_b = a^{b-1}$$

value $s_b \cdot s_b$

(b^a)

$$f(n) = f(n-1) + 1$$

$$f(n_2) = f(n_2) + 1$$

$$f(n_{2^2}) = f(n_{2^2}) + 1$$

$$f\left(\frac{n}{2^k}\right) = f\left(\frac{n}{2^{k+1}}\right) + 1$$

$$f(n) = 1 \times 1 + \dots + k + \lg n$$

$$f(n) = f(n-1) + 1$$

$$f(n_2) = f(n_2) + 1$$

$$f(n_{2^2}) = f(n_{2^2}) + 1$$

$$f(n-(n-1)) = f(n) + 1$$

$$f(n) = n$$

Recurrence relationship

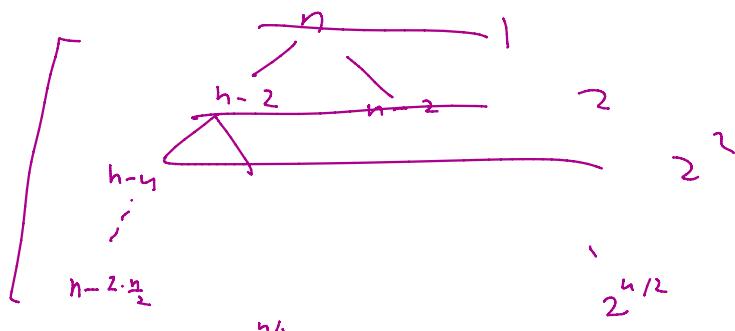
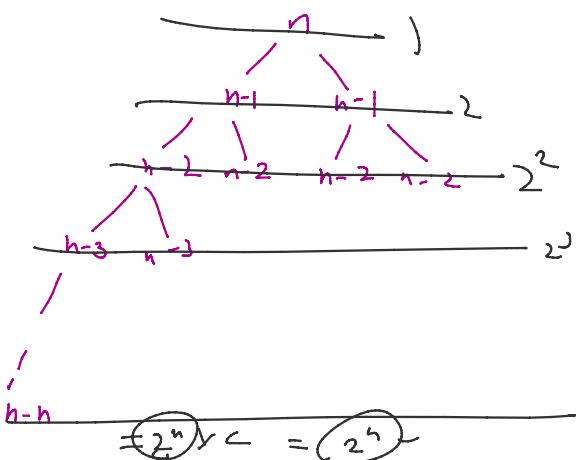
$$f(n) \leftarrow f(n-1) + f(n-2)$$

1

$$\frac{b}{2^k} = 1$$

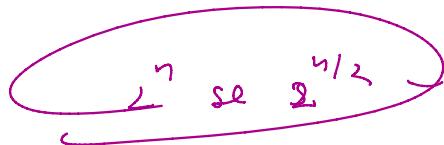
$$b = 2^k$$

$$k = \lg b$$



$$\left\{ \begin{array}{l} n-2 \cdot \frac{n}{2} \\ 2^{n/2} \end{array} \right.$$

$2^{n/2} \cdot k$



$$f(n) = f(n-1) + \underbrace{f(n-2)}_{f(n)} + 1$$

$f(n-2) \leq f(n-1)$

$$f(n) = \cancel{2} + f(n-1) + 1$$

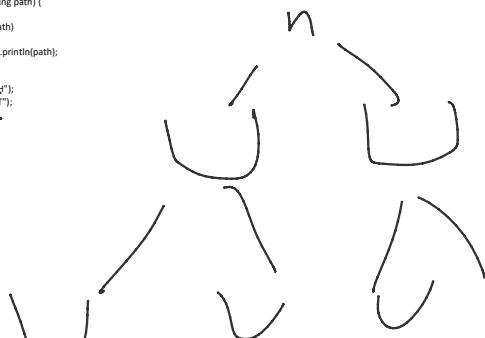
$$\begin{aligned} 2 \cdot f(n-1) &= \cancel{2} + f(n-2) + 1 \cdot 2 \\ 2 \cdot f(n-2) &= \cancel{2} + f(n-3) + 1 \cdot 2^2 \\ 2 \cdot f(n-3) &= \cancel{2} + f(n-(K+1)) + 1 \cdot 2^K \\ 2 \cdot f(n-K) &= \cancel{2} + f(\cancel{n-(n-1)}) + 2^{n-1} \end{aligned}$$

$$f(n) = 1 + 1 + 2^2 + 2^3 + \dots + 2^K + \dots + 2^{n-1}$$

$= \cancel{2}$

```
public static void CT(int n, String path) {
    // BP : CT
    // SP : CT(n-1, path)
    if (n == 0) {
        System.out.println(path);
        return;
    }
    CT(n - 1, path + "0");
    CT(n - 1, path + "1");
}
```

n



\approx
depth

\approx no. of frames \times work in each.

$2^n \times n$

$$f(n) = 2f(n-1) + k$$

$f(n-1)$ $f(n-2)$ + k

⋮

$f(1)$ k

$$k \cdots - k^n = k^n$$

$$f(n) = k f(n-1) + n k$$

$n k \cdot k^n$

$n k^n$

$$n k^n$$

$\xrightarrow{n} n^k$

$k \rightarrow$

$$8 \cdot 4^8$$

n

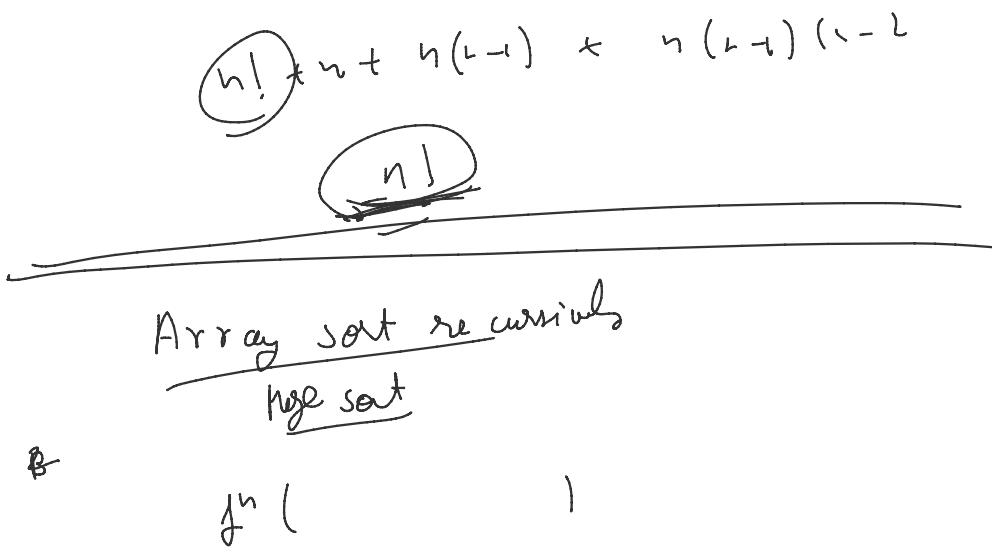
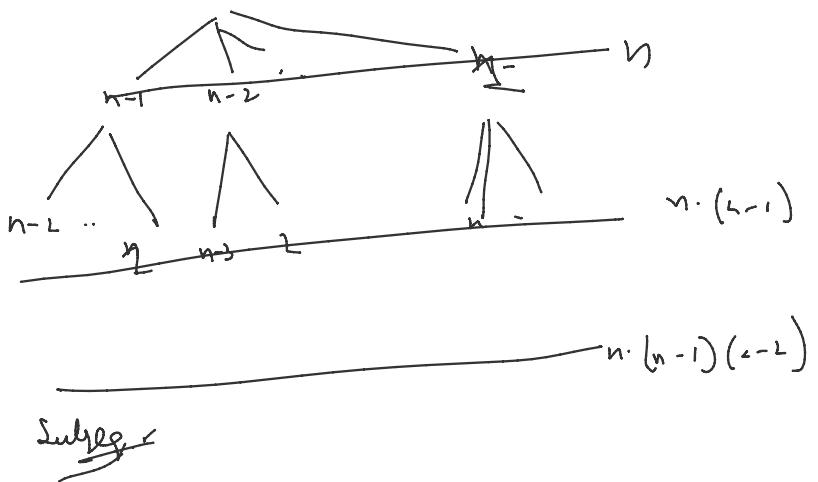
$$f(n) = f(n-1) + f(n-2) + f(n-3) \dots + f(1) + n$$

$$f(n-1) = f(n-2) + f(n-3) \dots + f(1) + 1$$

$f(n) = 2f(n-1) + 1$

$n - 1$

2^n



B

$f^n ()$