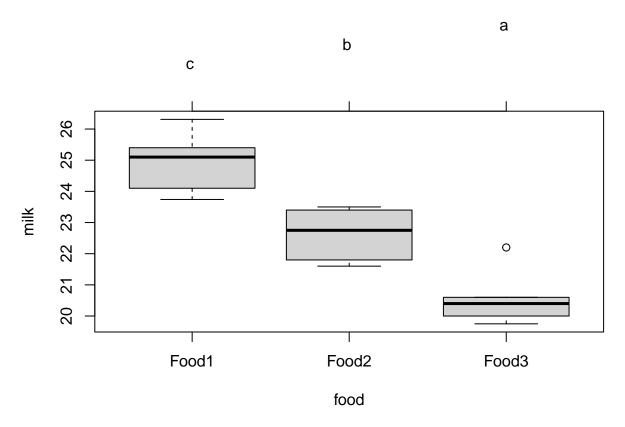
Anova1.R.

acarraro

2023-01-18

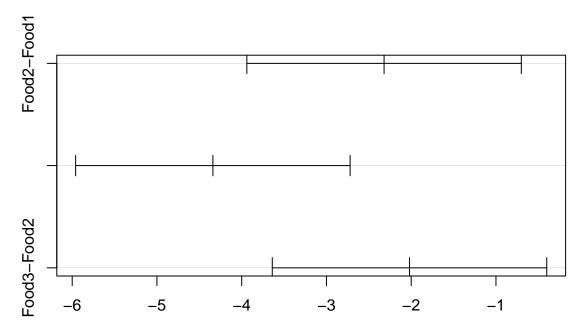
```
# Example 1, One Way ANOVA
# Create Dataframe
foods <- data.frame (milk=c(25.40,26.31,24.10,23.74,25.10,
                        23.40,21.80,23.50,22.75,21.60,
                        20.00,22.20,19.75,20.60,20.40),
                 food=c("Food1", "Food1", "Food1", "Food1", "Food1",
                        "Food2", "Food2", "Food2", "Food2",
                        "Food3", "Food3", "Food3", "Food3"),
                 stringsAsFactors = TRUE)
# ANOVA test
tm < -lm (milk ~ food, data = foods) # fit a linear model to the independent variable food
                                   # ANOVA table
summary(tm)
##
## Call:
## lm(formula = milk ~ food, data = foods)
## Residuals:
##
     Min
             1Q Median
                           3Q
                                 Max
                 0.01
  -1.19 -0.82
                         0.63
                                1.61
##
## Coefficients:
              Estimate Std. Error t value Pr(>|t|)
                           0.4292 58.084 4.48e-16 ***
## (Intercept) 24.9300
                           0.6070 -3.822 0.00243 **
## foodFood2
             -2.3200
                           0.6070 -7.150 1.16e-05 ***
## foodFood3
               -4.3400
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 0.9597 on 12 degrees of freedom
## Multiple R-squared: 0.8101, Adjusted R-squared: 0.7785
## F-statistic: 25.6 on 2 and 12 DF, p-value: 4.684e-05
fm<-aov(milk ~ food, data = foods) # fit the ANOVA (there are different types of ANOVA)
summary(fm)
##
              Df Sum Sq Mean Sq F value
                                          Pr(>F)
## food
               2 47.16 23.582
                                   25.6 4.68e-05 ***
              12 11.05
## Residuals
                         0.921
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

```
#Mean Sq is equal to Sum Sq divided by Df (degrees of freedom)
# The number Multiple R-squared: 0.8101
# is obtained as 0.8101 = (47.16)/(47.16+11.05)
#F-statistic: 25.6 on 2 and 12 DF, p-value: 4.684e-05
# the observations are 14 and the groups are 2
# The test reveals that the diet is significant (but we still don't know which diet gives highest
# milk production difference)
# we see that the median is 0.01 (almost 0) and the 1st and 3rd quartiles are almost centered
# around the median
library(multcomp)
## Loading required package: mvtnorm
## Loading required package: survival
## Loading required package: TH.data
## Loading required package: MASS
##
## Attaching package: 'TH.data'
## The following object is masked from 'package:MASS':
##
##
      geyser
par(mar=c(5,4,6,2)) # Change parameters for the plot margins
tuk <- glht(fm, linfct=mcp(food="Tukey")) # Fit the general Linear Hypotheses
plot(cld(tuk, level=0.05),col="lightgrey") # Plot the mean differences
```



```
# Multiple comparisons
TukeyHSD(fm)
                              # Tukey test for multiple comparisons on the results of the ANOVA
##
     Tukey multiple comparisons of means
       95\% family-wise confidence level
##
##
## Fit: aov(formula = milk ~ food, data = foods)
##
## $food
##
                diff
                           lwr
                                      upr
## Food2-Food1 -2.32 -3.939373 -0.7006265 0.0063517
## Food3-Food1 -4.34 -5.959373 -2.7206265 0.0000322
## Food3-Food2 -2.02 -3.639373 -0.4006265 0.0153900
plot(TukeyHSD(fm))
                              # Plot for tukey test
```

95% family-wise confidence level



Differences in mean levels of food

aggregate(foods\$milk, by=list(foods\$food), FUN = mean) # Means by group

Group.1 x

1 Food1 24.93

2 Food2 22.61

3 Food3 20.59