
EMEC 303 HW11

Lance Nichols
Section-002
10/26/2020

```
clear all; clc; close all;
```

Problem 1: Fourier Series/Transform

```
%(a) A0 = 0 this is because the mean value is centered around y=0. Ak  
= 0  
%because it is an odd function.
```

```
%(b)  
% Fit a square wave using Fourier series  
figure(1); clf(1)  
%  $f(t) = \sum \frac{2}{\pi k \omega} \sin(k \omega \pi) \sin(k \omega t)$   
N = 10000; % Number of points in solution  
t = linspace(-4,4,N); % Create time array  
f = zeros(1,N); % Initialize fit to zero  
T = 4; % Period is 2s from plot  
wo = 2*pi/T; % Fundamental frequency =  $2\pi/T$   
sub = 1;
```

```
% Create series  
for k=1:5000  
    bk = (-6*cos(2*wo*k)+3*cos(4*wo*k)+3)/(2*k*wo);  
    f = f+bk*sin(k*wo*t);  
  
    % Plot current series  
    figure(1)  
    if k == 1 || k == 5 || k == 50 || k == 500 || k == 5000  
        subplot(5,1,sub);  
        plot(t,f,'k','linewidth',2);  
        xlabel('t','FontSize',20)  
        ylabel('f(t)','FontSize',20)  
        title(['k=',num2str(k)],'FontSize',20)  
        axis([-4,4,-4,4])  
        set(gca,'FontSize',20)  
        sub = sub + 1;  
    end  
end
```

```
%As more terms are added the solution becomes closer to the square  
wave.
```

```
%(c)  
  
k=1:50;  
figure(2)  
stem((k*T-1),(-6*cos(2*wo*k)+3*cos(4*wo*k)+3)./(2*k*wo))
```

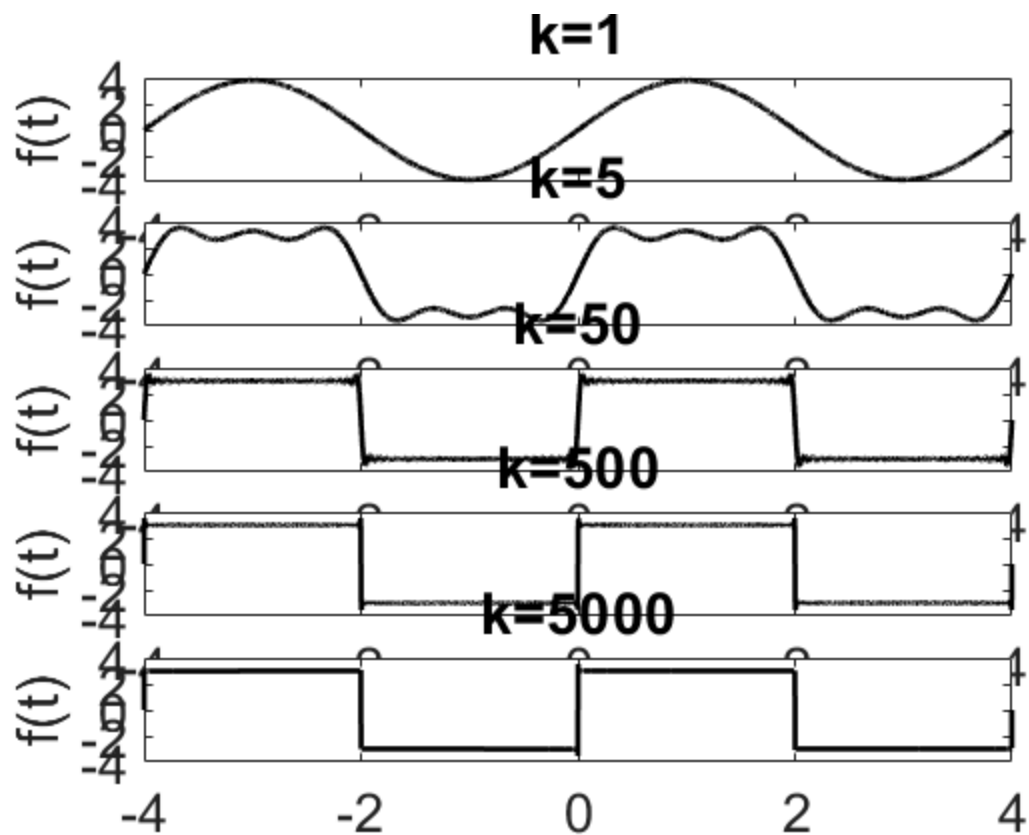
```

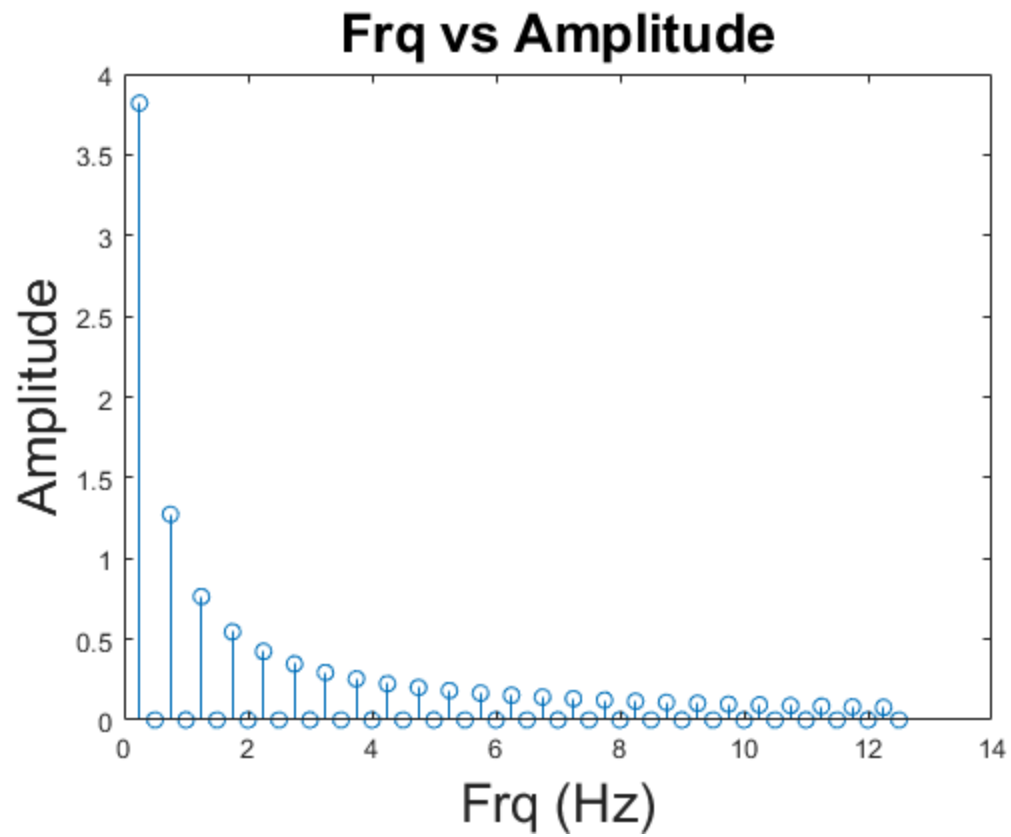
xlabel('Frq (Hz)','FontSize',20)
ylabel('Amplitude','FontSize',20)
title('Frq vs Amplitude','FontSize',20)

%(d)
% The dominant frequency is 0.25 Hz this makes sense as it is the
  frequency
% of the square wave.

%(e)
% amplitude decays as the frequency increases. This makes sense as
  higher
% amplitude waves just exist on top of the main waves that form the
  shape.

```





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