test

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[3]: import numpy as np
def integrand(x):
    return x * np.log(1 / x)
def monte_carlo_integration(num_samples):
    x_samples = np.random.uniform(0, 1, num_samples)
    y_samples = integrand(x_samples)
    integral_estimate = np.mean(y_samples)
    return integral_estimate
def dynamic_monte_carlo_integration(initial_samples, tolerance):
    num_samples = initial_samples
    prev_result = monte_carlo_integration(num_samples)
    while True:
        num samples *= 2 #
        current_result = monte_carlo_integration(num_samples)
        if abs(current_result - prev_result) < tolerance:</pre>
            break
        prev_result = current_result
    return current_result, num_samples
initial_samples = 1000
tolerance = 1e-6
result, final_samples = dynamic_monte_carlo_integration(initial_samples,_u
 →tolerance)
print(f"
           : {result:.6f}")
           : {final samples}")
print(f"
```

: 0.250006 : 262144000