

# Lab 3 - RSA

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## Part 1

1. To make the key I used prime.py's `gen_prime` function to create  $p$  and  $q$ , which make up  $n$ .
2. I then used python's `math.lcm` function to find the least common multiple of  $(p-1)$  and  $(q-1)$ , named 'lamda'.
3. To calculate  $d$ , I passed 'lamda', and  $e$  (65537), to the `modinv(a, m)` function that was given.
4. After  $n$  and  $d$  were calculated the public and private key tuples were returned to main.
5. To decipher the text, I simple had to follow the decipher formula of  $M = C^d \% n$  (`pow(c,d,n)`).

```
ubuntu@ubuntu-VirtualBox:~/Desktop/Other/Advanced Networks/Lab 3/1_23lab3$ sudo
python3 lab3-part1.py 50
p in make_key: 1819791267056953
3373521535212395592959099380979
public key is (3373521535212395592959099380979,65537)
private key is (3373521535212395592959099380979,1533210639593949975043923012809)

message: b'test,message'
message as int: 36022907862226274534889187173

encrypt w/ public: 1628291839657593400149015992921
encrypt w/ private: 1029484045649474363844759516341

decipher w/ private: b'test,message'
```

## Part 2

1. I hardcoded the given  $c$ ,  $n$ , and  $e$  variables provided in the lab pdf.
2. I used WolframAlpha to factor  $n$ , and then hardcoded the  $p$  and  $q$  that were found ( $p = 40822754178477882469$ ,  $q = 50374890465154864223$ ) and calculated `lambda` with the `math.lcm()` function.
3. ' $d$ ' was found by passing  $e$  and '`lambda`'(variable name for `lambda`) into the `modinv(a, m)` function that we got in part 1.

4. With  $d$  known, I just had to decipher the given  $C$ . I used the `pow()` function (`pow(c,d,n)`) to calculate  $M$ , the issue was it was an int.
5. I converted the int of  $M$  into bytes with the `.to_bytes()` function with a guess of 50 bytes required to represent the int of  $M$  as bytes.
6. The final result was that  $C$  deciphered into 'ConGratSPassed!'.