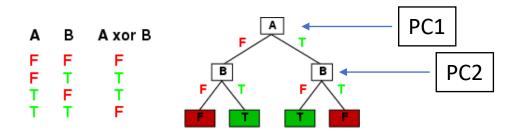
Exercise 4.1.1

Compute the optimal decision point for the first 5 PCAs of a dataset (e.g. a single person) and compute the information gain associated to it (plot 5 graphs, one for each component, and show the highest information gain). See slides for how to compute information gain.



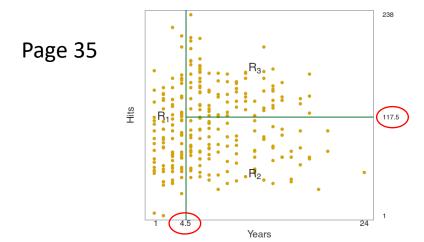
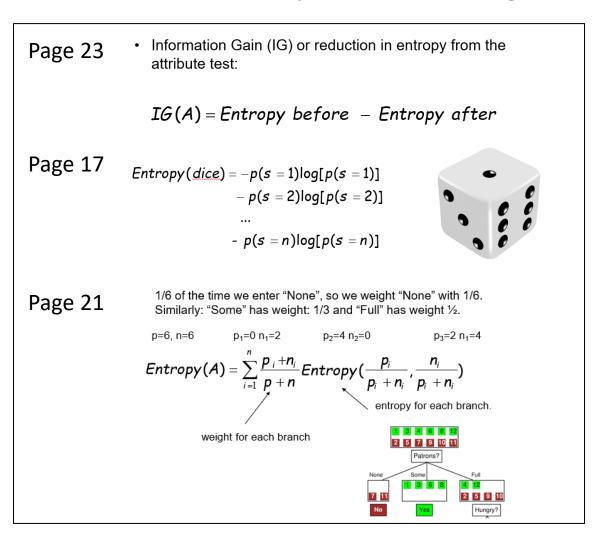


FIGURE 8.2. The three-region partition for the Hitters data set from the regression tree illustrated in Figure 8.1.



Calculate entropy

```
entropy <- function(S) { # Function to calculate entropy as in the slides
  fullSum <- 0
  for( i in (0:9) ) {
    if( nrow(S) > 0 ) # Make sure that there is something in the list
        { pi <- nrow(S[ S[,1] == i , ]) / nrow(S) }else{pi <- 0}
    if(pi > 0 ){
    fullSum <- fullSum - pi * log2(pi)
    }
  }
  return(fullSum)
}</pre>
```

Decision point

Try a series of 'SplitPoint' from min(x) to max(x), and calculate their corresponding information gain.

```
id_pca1 <- id_pca$x[, 1]
Pts <- seq(min(id_pca1), max(id_pca1), length.out=200)
for( splitP in (1:200)){
    S1 <- id[ id_pca1 < Pts[splitP], ] # Perform splits
    S2 <- id[ id_pca1 >= Pts[splitP], ]
    s1 <- nrow(S1)
    s2 <- nrow(S2)
    ent <- ( s1 * entropy(S1) )/(s1 + s2) + ( s2 * entropy(S2) )/(s1 + s2) # Calculate
entropy
    entList[splitP] <- entBefore - ent # Information gain is calculated
}</pre>
```

Exercise 4

When you work on raw data, you may need to generate a formula to link the 'cypher' to 324 pixels.

model.randomforest <- randomForest(V1 ~ . , data = id)