

Decision Trees

- ① Pros & cons
- ② Intuition behind algo
- ③ Training algorithms & concepts

- ④ Training step by step
- ⑤ Jupyter examples

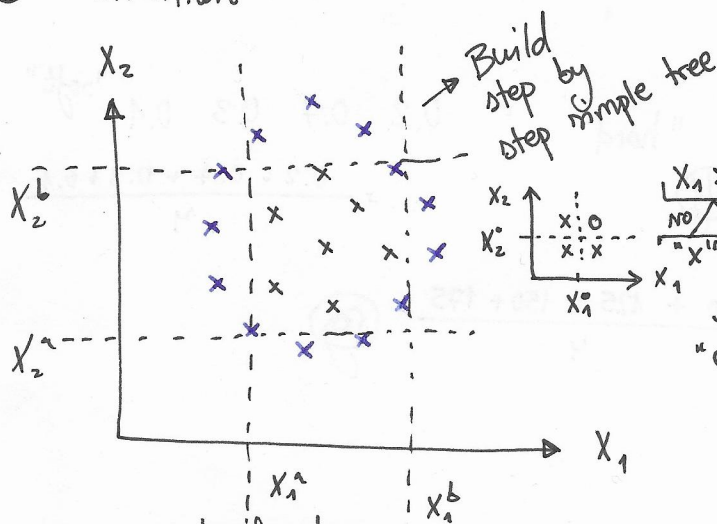
①. pros ✓

- + simple
- + can be visualized
- + computationally efficient
- + no need for extensive preproc.

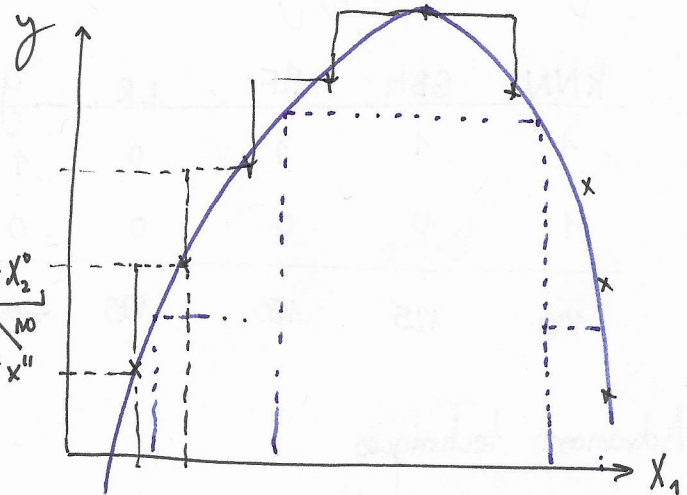
cons X

- + sensitive to small variations in data
- + sensitive to highly imbalanced data

②. intuition



example: classification



example: regression

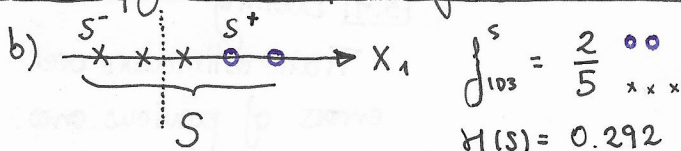
③. training algos & concepts

- + impurity \leftrightarrow gini (mention only)
- + information gain \leftrightarrow entropy

measure how different are samples in groups.

Try to create homogeneous groups: ID3, C4.5, C5.0, CART

⑤. Jupyter examples for decision tree.



c) Test splits for all features and thresholds:

$S_{x(i) > t}^+, S_{x(i) \leq t}^-$

$$H(S) = -\frac{2}{5} \log\left(\frac{2}{5}\right) - \frac{3}{5} \log\left(\frac{3}{5}\right) = 0.292$$

$$H(S^+) = -\frac{2}{3} \log\left(\frac{2}{3}\right) - \frac{1}{3} \log\left(\frac{1}{3}\right) = 0.162$$

④ training example (iterative dichotomiser)

$$L(\hat{y}, y) = -[y \cdot \log(\hat{y}) + (1-y) \cdot \log(1-\hat{y})]$$

$$L(1, 1) = -[1 \cdot \log(1) + 0 \cdot \log(0)]$$

$$L(0, 1) = -[1 \cdot \log(0) + 0 \cdot \log(1)]$$

log-likelihood or cross-entropy

entropy: $H(S) = -\sum_{i=1}^S f_{i03} \cdot \ln f_{i03}$

Choose best split: $(1 - f_{i03}^S) \cdot \ln(1 - f_{i03}^S)$

Ensemble Models

① Concepts

Combining multiple models (weak learners) to improve overall performance.
Weak learners: simple model with sometimes just over the baseline performance.

Simple techniques: voting, averaging, weighted → Jupyter

Advanced techniques: stacking, blending // bagging, boosting

② Simple techniques

Classification: voting (soft, hard)

Regression: averaging — with weights??

KNN	GBM	RF	LR	g
1	1	1	0	1
1	0	0	0	0

"hard"

(clf)

"soft"

$$= \frac{0.2 + 0.7 + 0.3 + 0.1}{4}$$

100

125

150

175

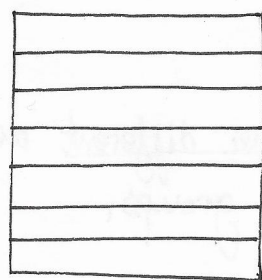
$$\frac{100 + 125 + 150 + 175}{4}$$

(reg)

③ Advanced techniques

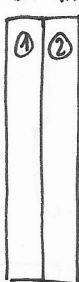
Blending Stacking (cv) 3.1

Train set



Train - predict
cv models

DT KNN



Train call
new model

LR (simple model)



Train all set
3 predict test



Predict
new model

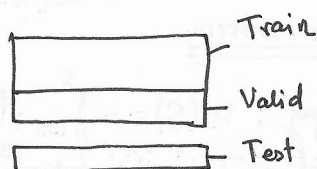
3.3 Bagging

Train n estimators in random subsamples, of original data, with replacement. RF, Extra Trees

3.4 Boosting

Train estimators over errors of previous ones. Presentation examples.

Blending (Holdout) 3.2



DT KNN



Train final model



Predict final model