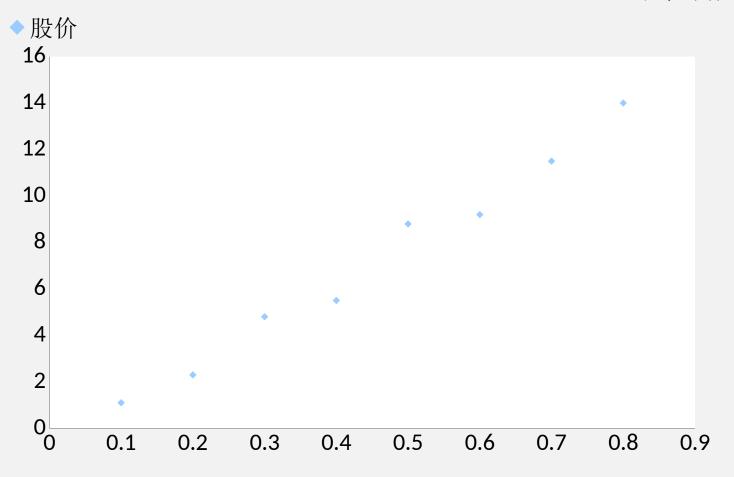
## **SVM**

主讲人: 唐婧尧

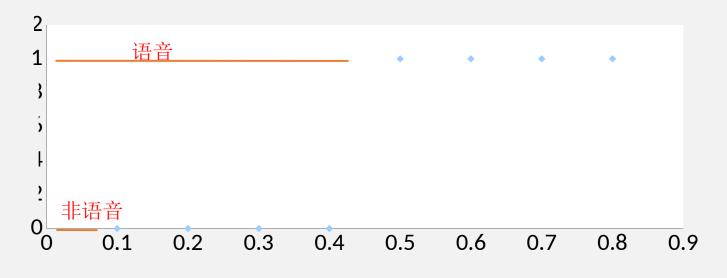
# 监督式学习与无监督学习

#### 回归问题



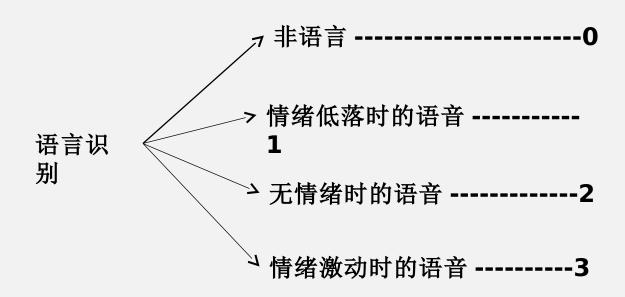
营业利润增长率

#### 二元分类问题



MFCC 梅尔倒谱系 数

#### 多元分类问题



营业利润增长率

市盈率

总资产增长 率

数

Mel 倒谱系

MFCC 梅尔倒谱系数

对数流通市值

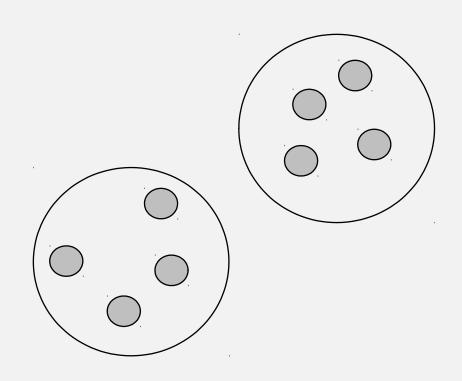
CEP 倒谱系

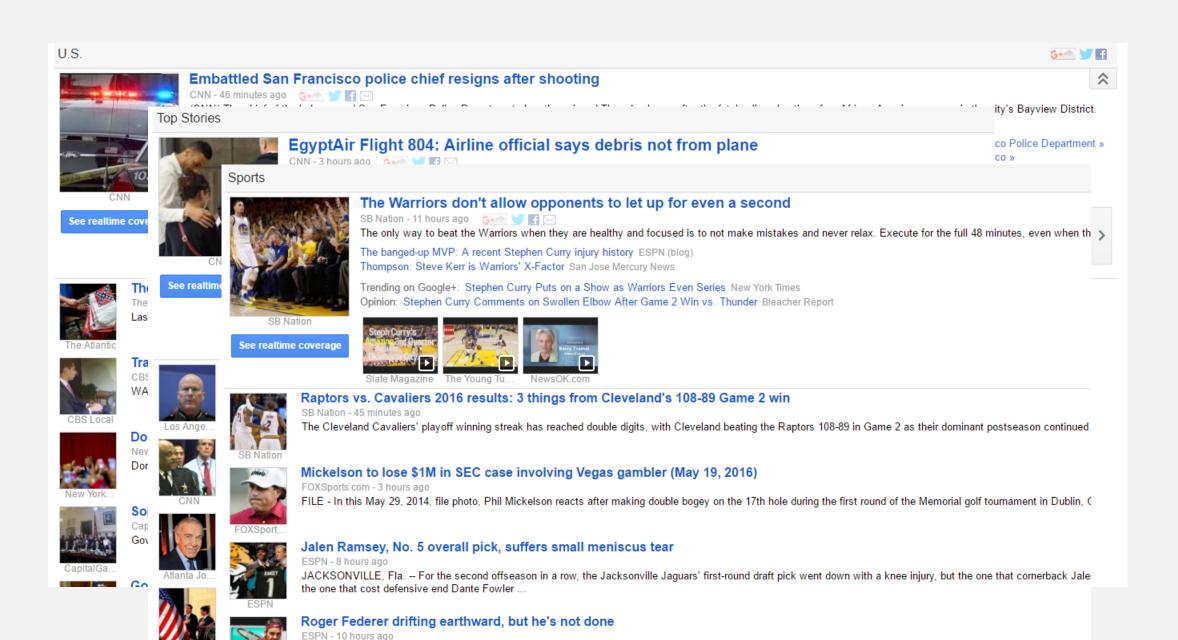
LPC 线性预测系 数数

构造自己想要的特征属性

无穷

### 聚类算法





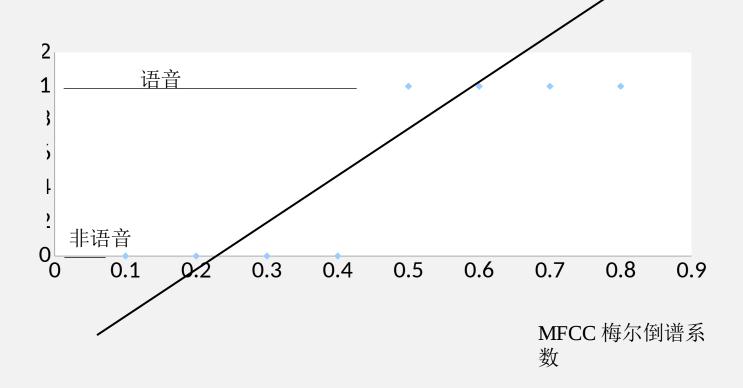
Roger Federer, 34 years old and no longer impervious to the ravages of age, has pulled out of the French Open. He made the announcement Thursday on his Facebook page.

#### Muirfield Golf Club Picks Discrimination Over the British Open

progress with my overall fitness, but I am still ...

# 逻辑回归

#### 二元分类问题



假设函数: 
$$h_{\theta}(x) = \theta^T x$$

代价函数: 
$$J(\theta) = \frac{1}{m} \sum_{i=1}^{m} (h_{\theta}(x_i) - y_i)^2$$

假设函数: 
$$h_{\theta}(x) = \theta^T x$$

线性回归

代价函数: 
$$J(\theta) = \frac{1}{m} \sum_{i=1}^{m} (h_{\theta}(x_i) - y_i)^2$$

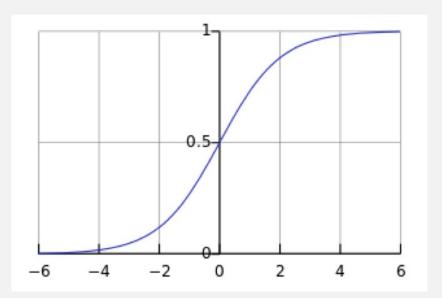
假设函数:

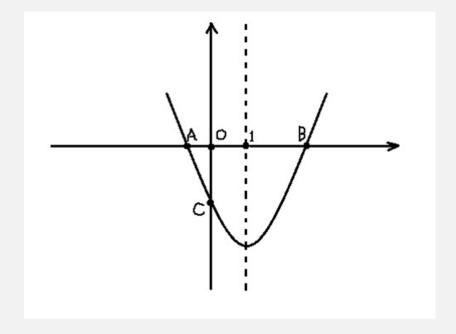
$$h_{\theta}(x) = g(\theta^{T}x) = \frac{1}{1 + e^{-\theta^{T}x}}$$

逻辑回归

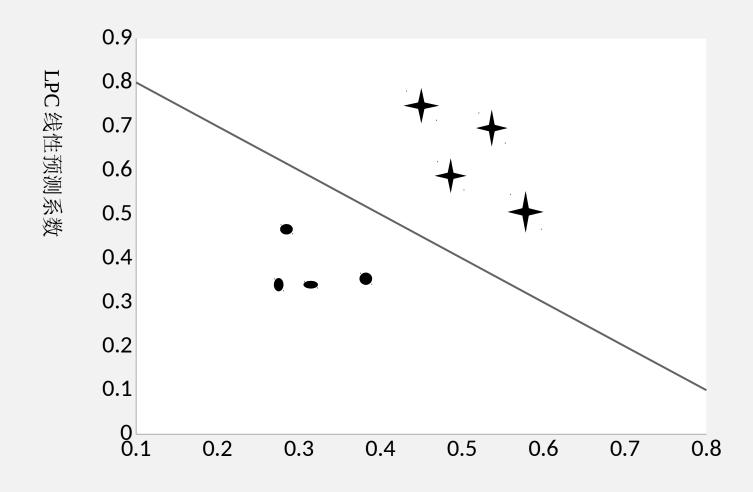
代价函数:

$$J(\theta) = \sum_{i=1}^{m} \{ y_i \left[ -\log \left( \frac{1}{1 + e^{-\theta^T x}} \right) \right] + (1 - y_i) \left[ -\log \left( 1 - \frac{1}{1 + e^{-\theta^T x}} \right) \right] \}$$





# **SVM**



MFCC 梅尔倒谱系 数

假设函数:

$$h_{\theta}(x) = g(\theta^T x) = \frac{1}{1 + e^{-\theta^T x}}$$

逻辑回归

代价函数:

$$J(\theta) = \sum_{i=1}^{m} \{ y_i \left[ -\log\left(\frac{1}{1 + e^{-\theta^T x}}\right) \right] + (1 - y_i) \left[ -\log\left(1 - \frac{1}{1 + e^{-\theta^T x}}\right) \right] \}$$

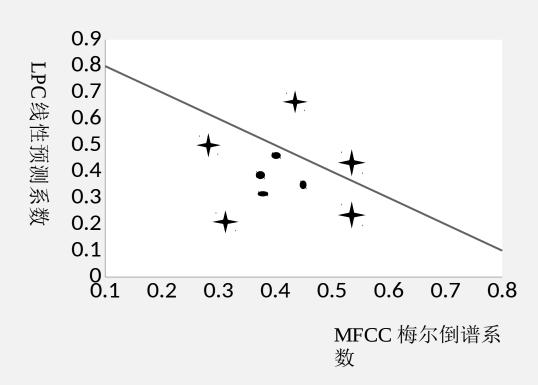
假设函数:

$$f(x) = \operatorname{sign}(\sum_{i=1}^{m} \alpha_i y_i \, k(x_i, x) + b)$$

SVM

代价函数:

$$J(\theta) = \sum_{i=1}^{m} \{t_i \left[ -\log\left(\frac{1}{1 + e^{Af(x) + B}}\right) \right] + (1 - t_i) \left[ -\log\left(1 - \frac{1}{1 + e^{Af(x) + B}}\right) \right] \}$$



核函数将数据集从二维平面映射到高维空间

