

Establishing Software Root of Trust Unconditionally

(or, a First Rest Stop on the Never-Ending Road to Provable Security)

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Outline

I. What is it?

- Definition & relationships
- Unconditional solution

II. Why is it hard?

- 3 Problems
- RoT \neq software-based, crypto attestation

III. How to do it?

- randomized polynomials
 - k-independent (almost) universal hash families; *and*
 - space-time optimal in **cWRAM**; *and*
 - scalable optimal bounds

IV. Q & A

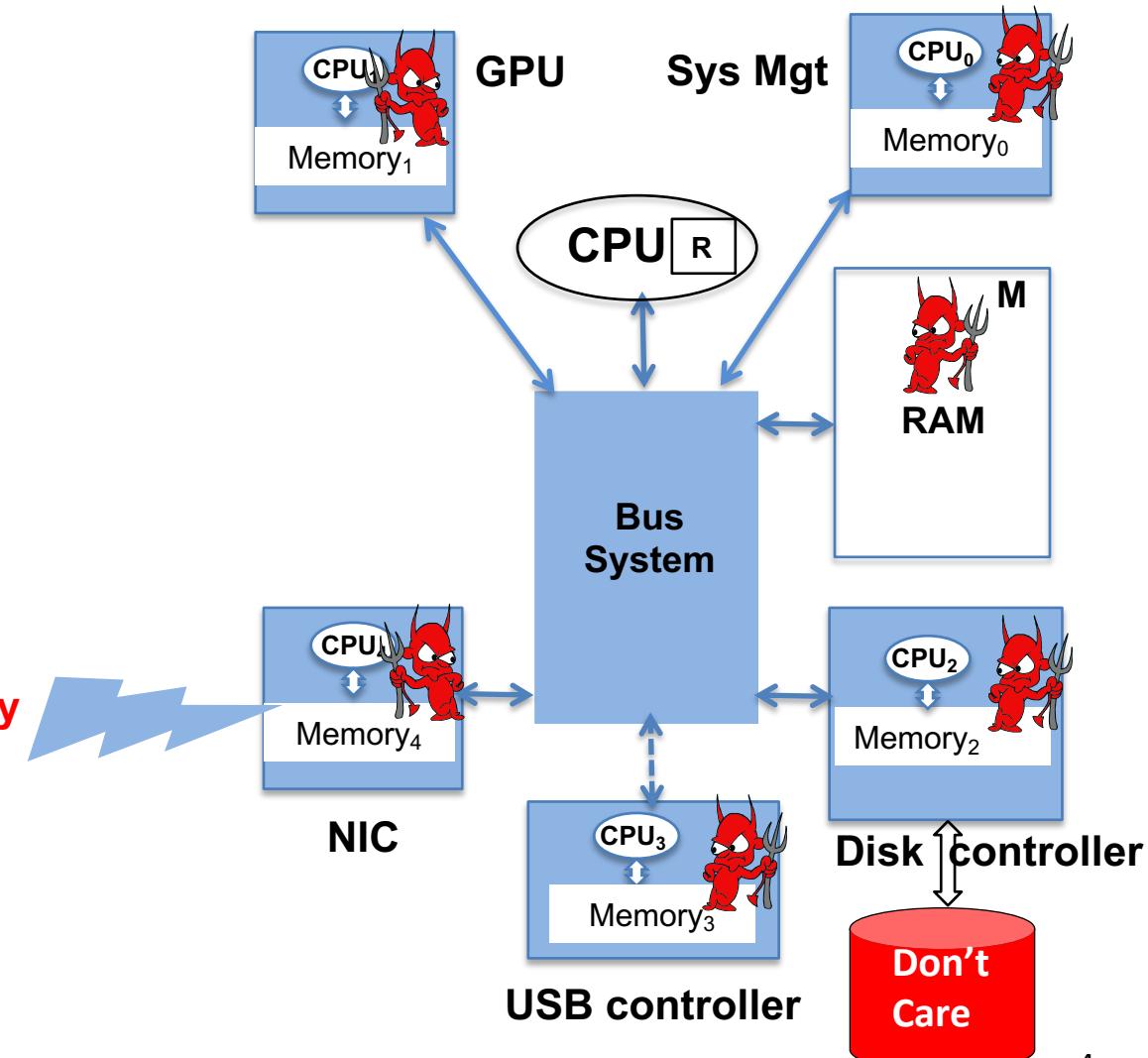
Full Paper is the CMU-CyLab TR 18-003

https://www.cylab.cmu.edu/_files/pdfs/tech_reports/CMUCyLab18003.pdf

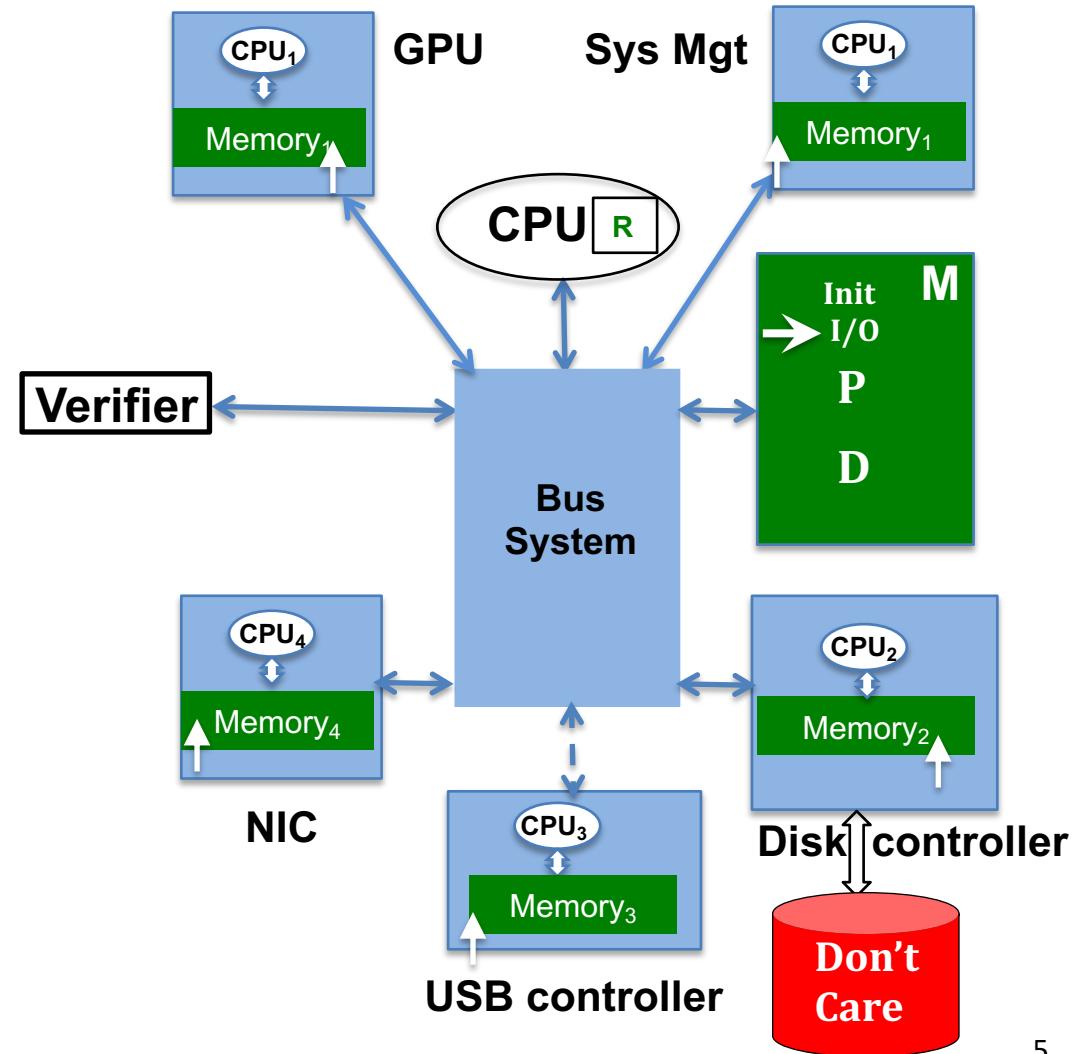
I. What is it?



Controlled by a Powerful Adversary



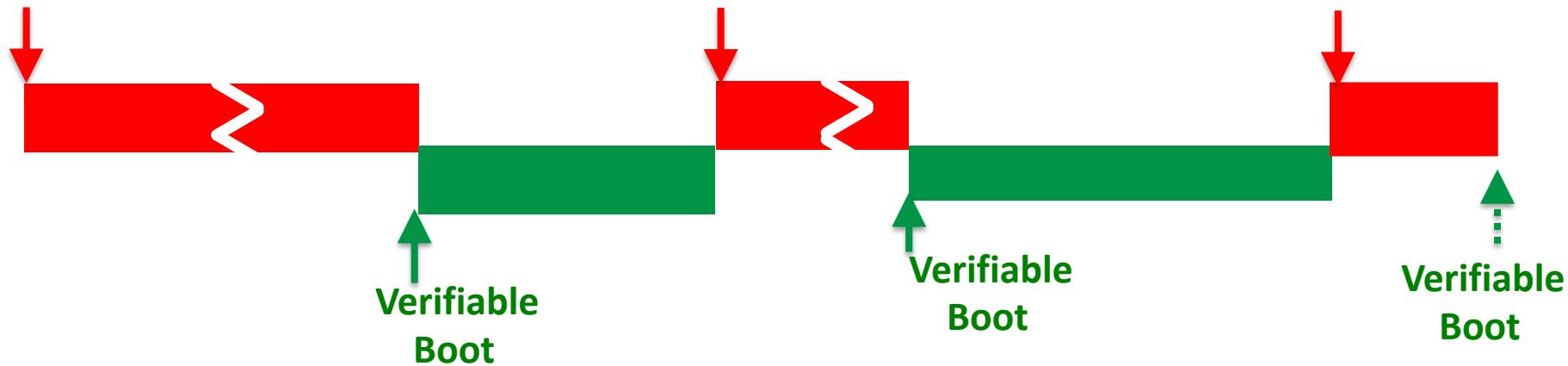
Root of Trust (RoT) Establishment



Secure State: *RoT state (chosen content)* satisfies security predicate *P*

Verifiable boot:

either boot code in a *secure state*
or detect *unknown content*



Verifiable boot => Secure State => *RoT State*
Trusted Recovery => ...
Access Control Models => ...

Unconditional Solution*

- **no Secrets, no Trusted HW Modules, no Bounds on Adversary's Power**
- need **only**
 - *random bits*
 - *device specifications.*

Importance?

- **no dependencies** on the unknown & unknowable
- a defender has a **provable advantage** over **any** adversary
- **outlives technology** advances.

*I know of **no other unconditional solution** to any software security problem

I. What is it?

II. Why is it hard?

1. space-time optimal $C_{m,t}$

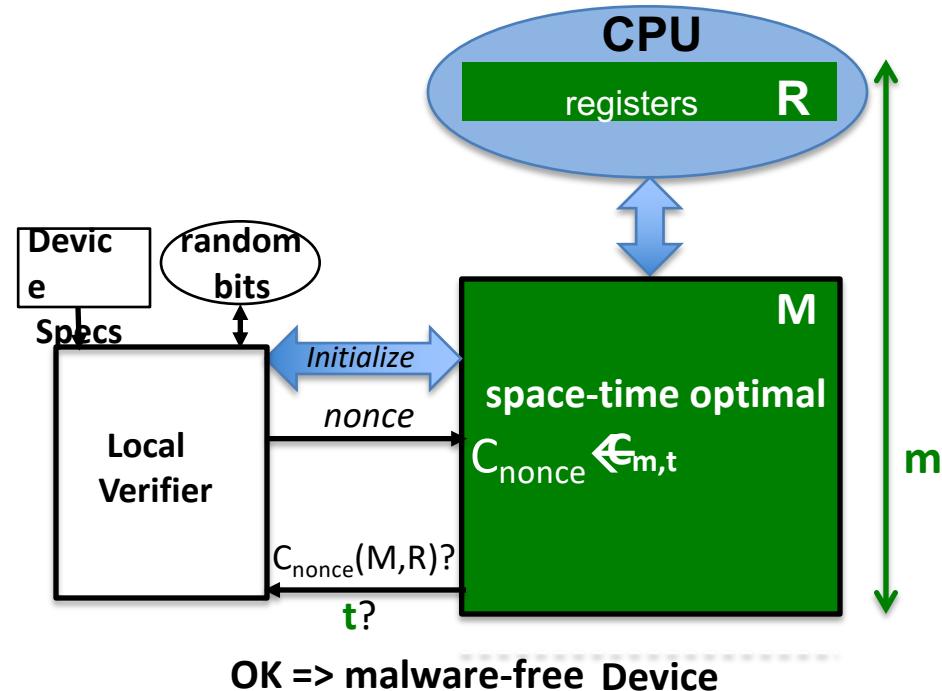
 Trusted
Verifier

- non-asymptotic bounds
- on Device Specs; e.g., ISA ++
(*a realistic model of computation?*)

Complexity theory?

- *non-asymptotic bounds?* **Very few**
- *on Device Specs?* **None**

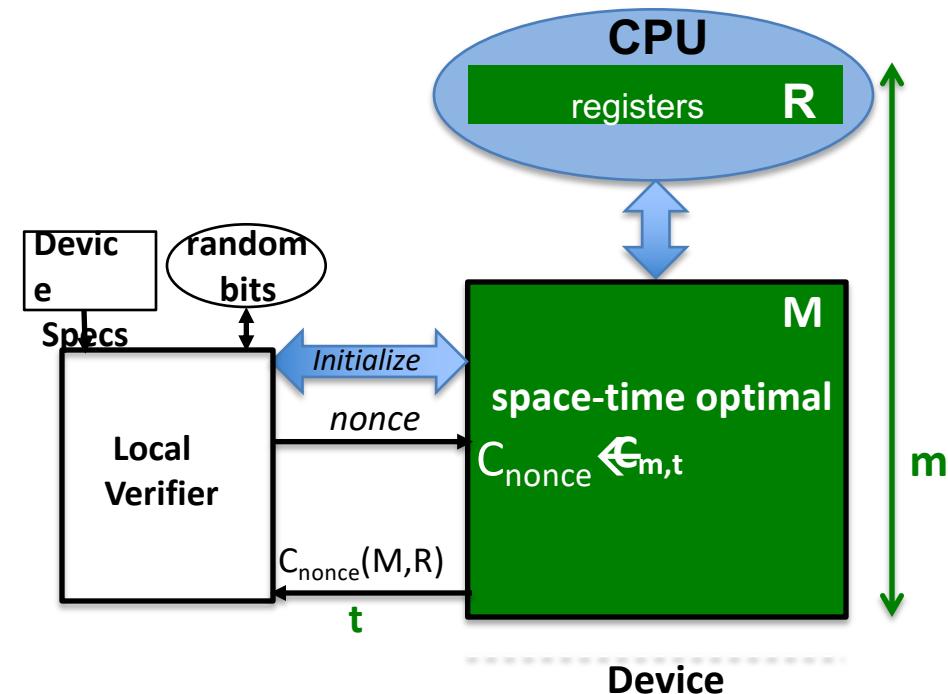
e.g., **Horner's rule** for polynomial evaluation
 uniquely optimal in infinite fields: **2d** ($\times, +$)
 not optimal in finite fields,
 nor on any Device ISA++



1. space-time optimal $C_{m,t}$

Σ
 Trusted
 Verifier

- non-asymptotic bounds
- on Device Specs



1. space-time optimal $C_{m,t}$

\leq malware-free Device
 Trusted Verifier

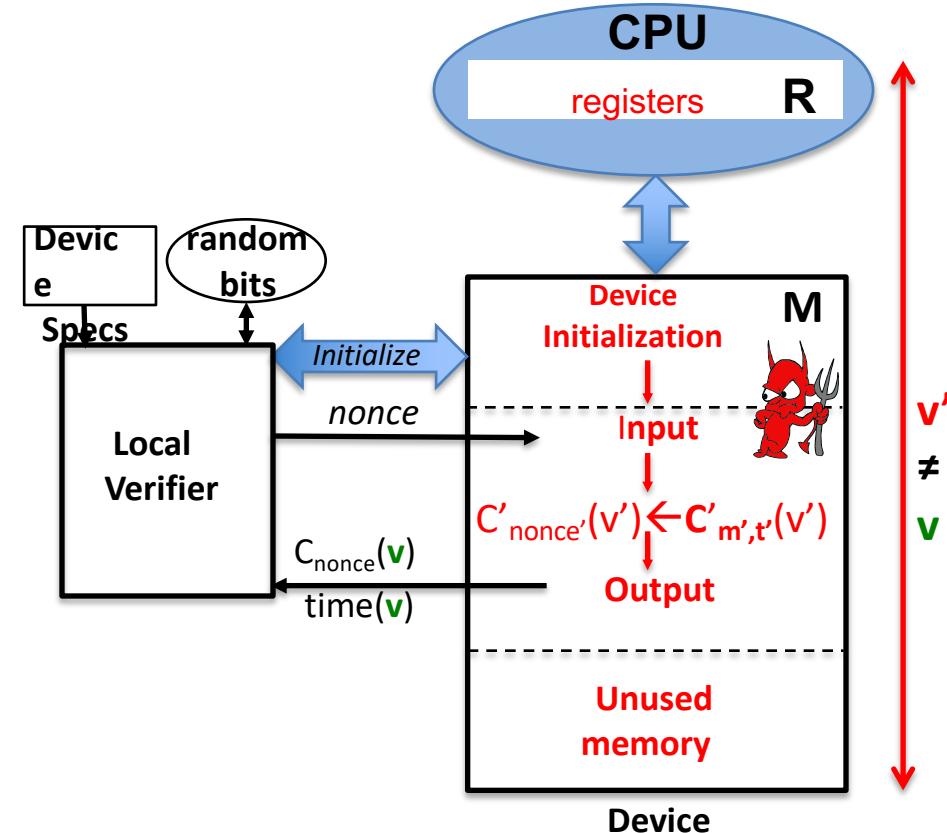
- non-asymptotic bounds
- on Device Specs
- adversary execution?

Complexity Theory?

- no help.
 - how could it help?
- e.g., malware beats m-t bounds
 $\Rightarrow C_{\text{nonce}}(v)$ becomes *unpredictable*

Engineering Solution?

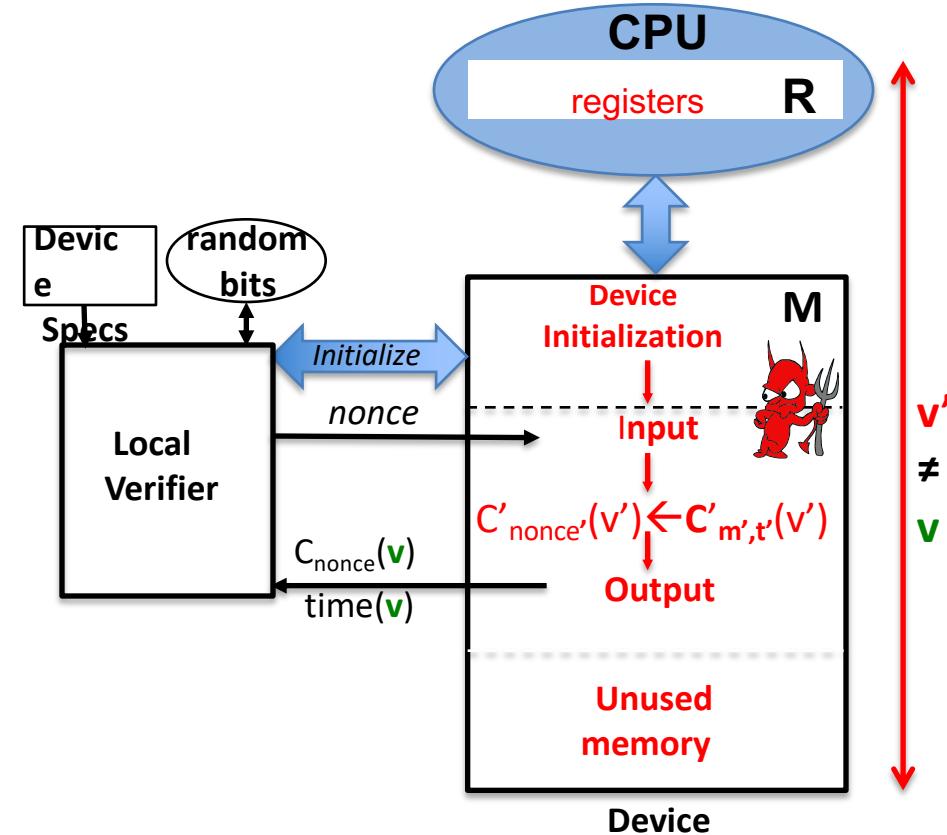
e.g., see - segmented memory



1. space-time optimal $C_{m,t}$

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 Trusted Verifier

- non-asymptotic bounds
- on Device Specs
- adversary execution



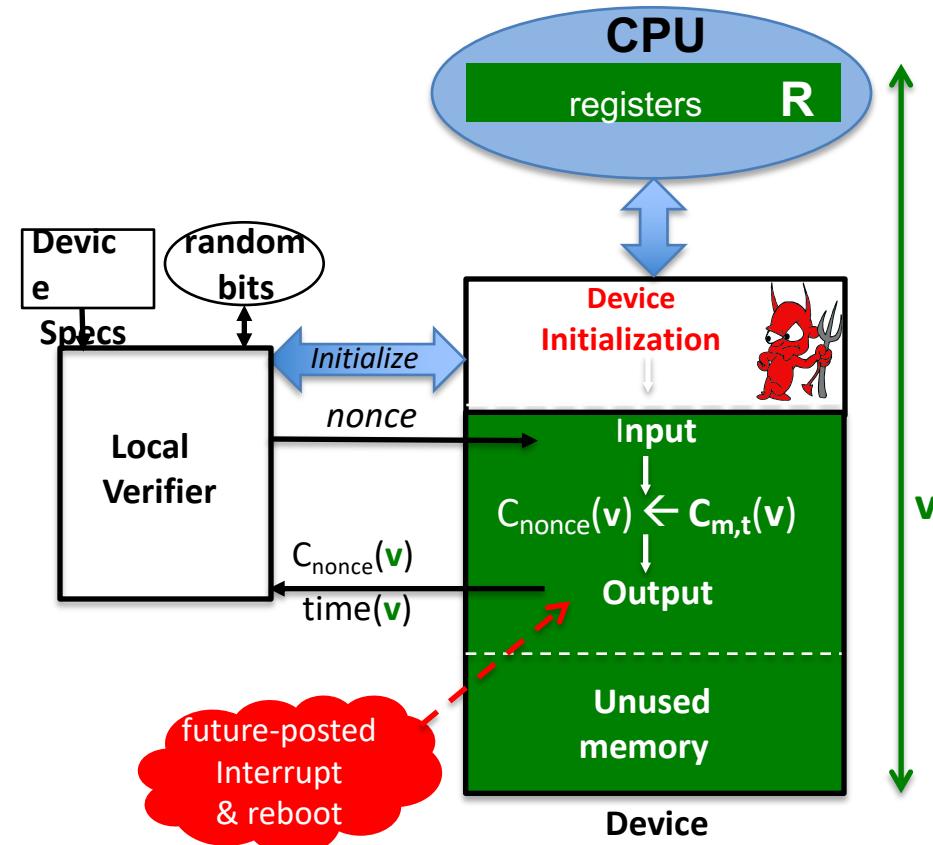
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malware-free Device

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- adversary execution

Reduction is insufficient !



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\leq malware-free Device ✓
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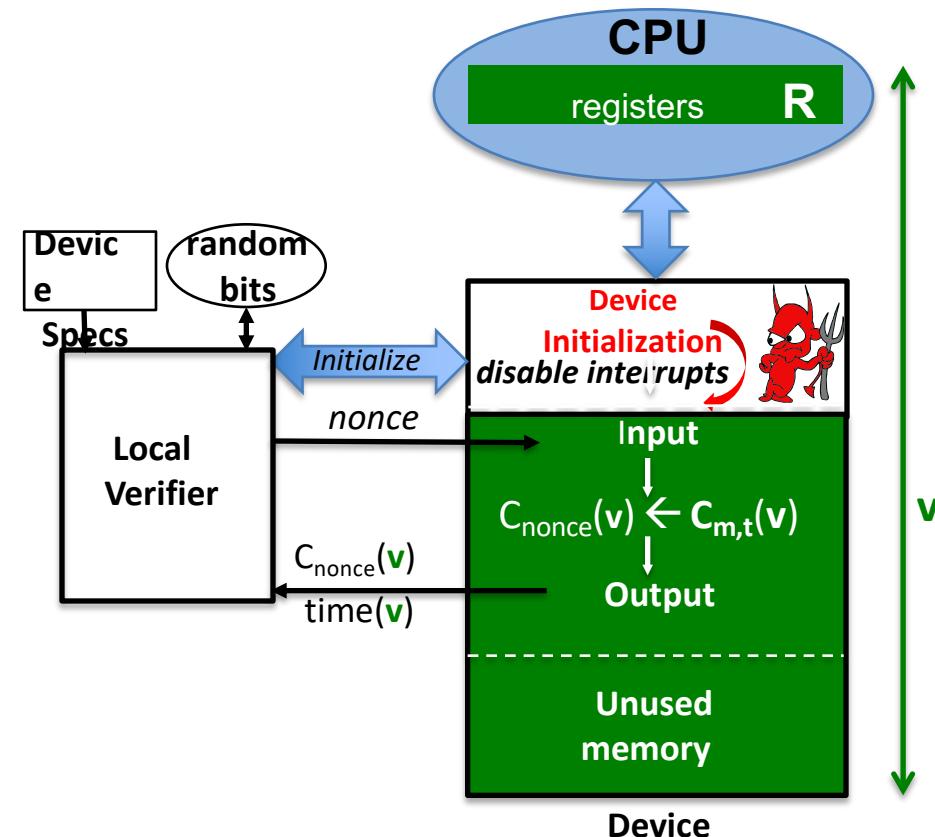
Reduction is insufficient !

Solution?

control flow integrity after C_{nonce} ends

=>

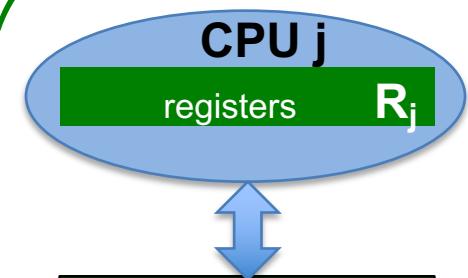
control flow integrity before C_{nonce} starts!



1. space-time optimal $C_{m,t}$

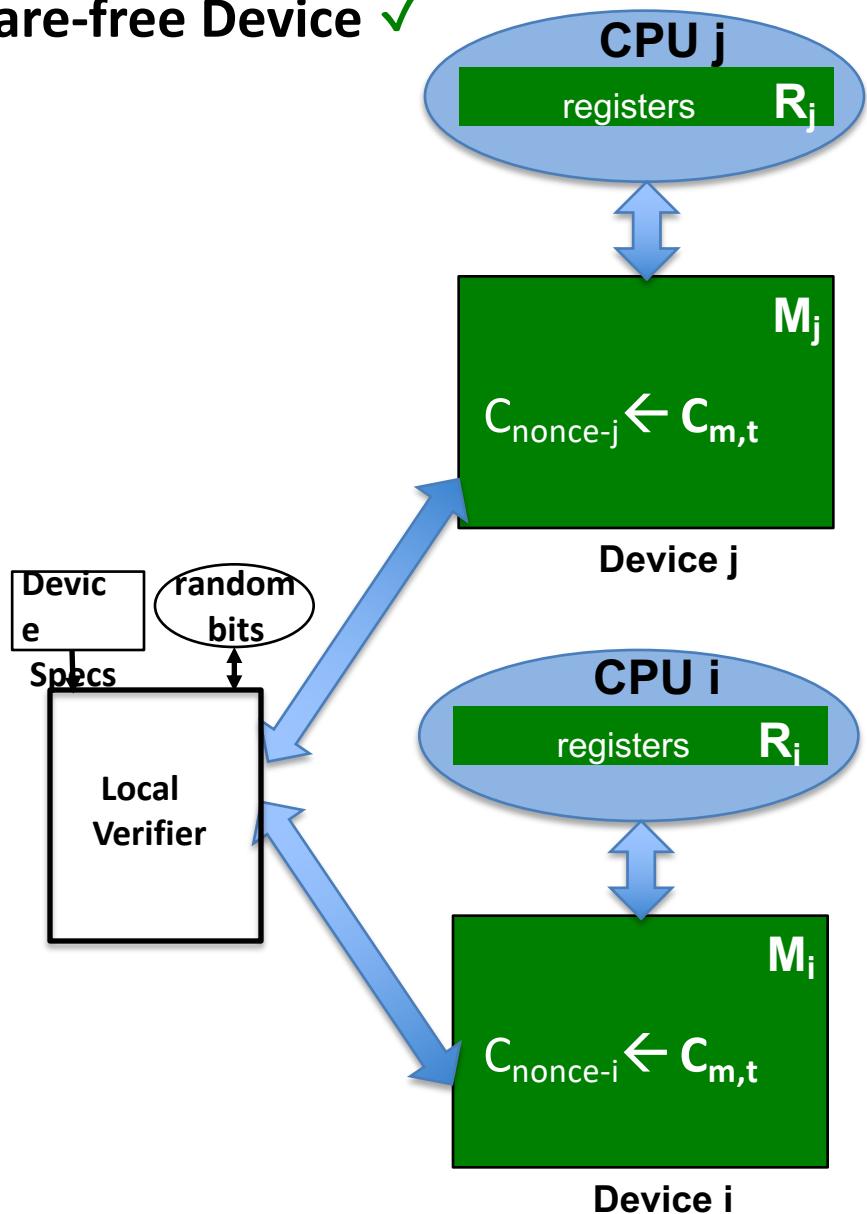
- non-asymptotic bounds
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Σ malware-free Device ✓
 Trusted Verifier

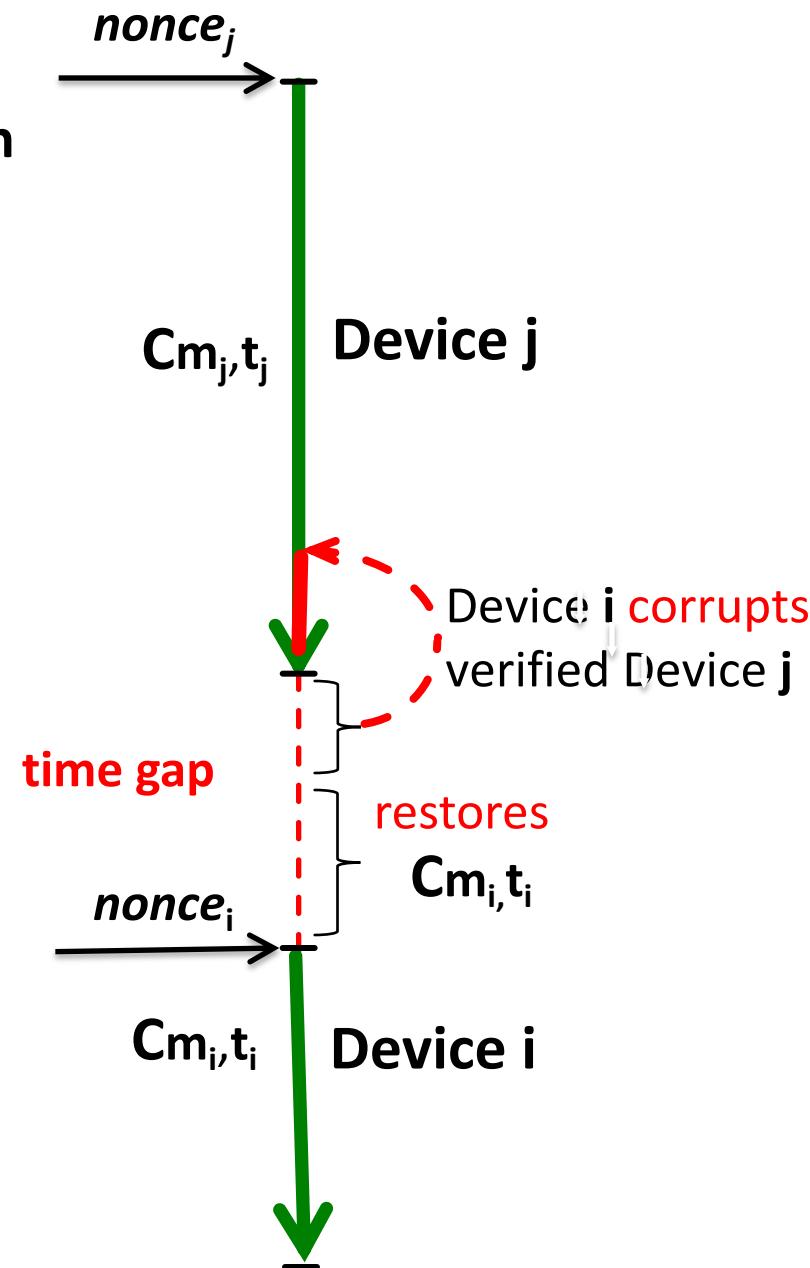


2. Verifiable Control Flow ✓

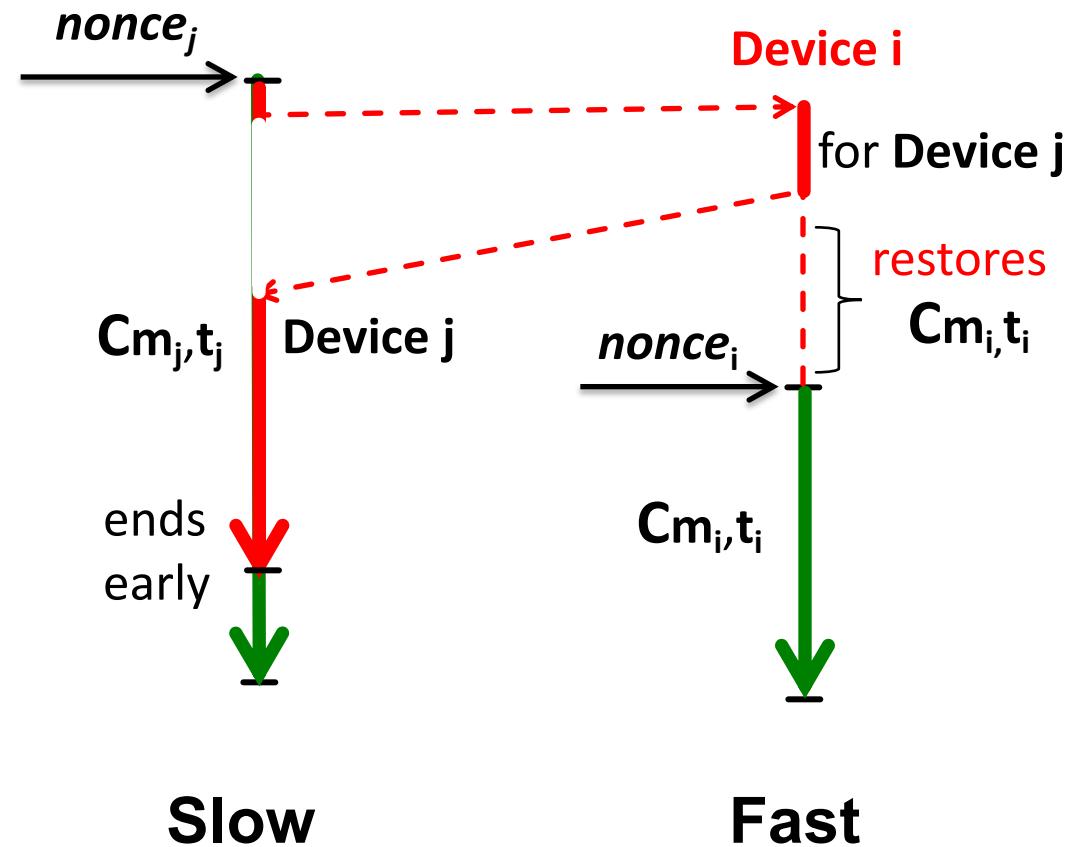
3. Two Devices, or more?



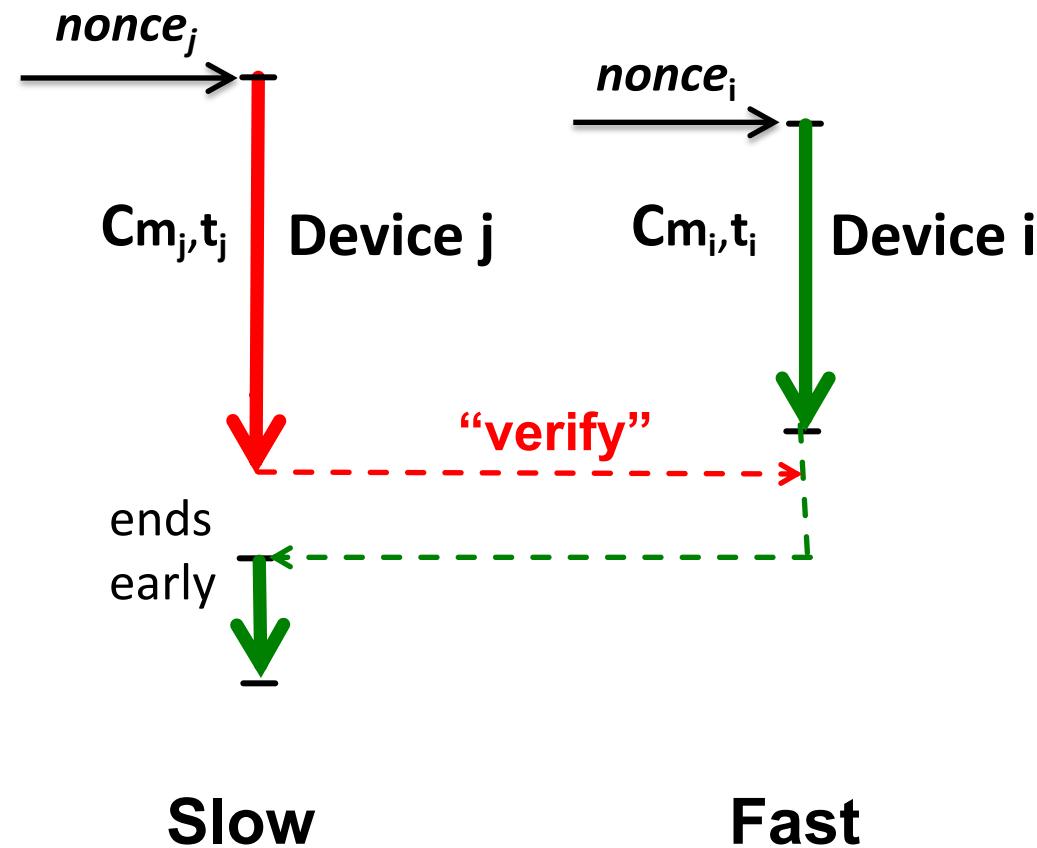
- sequential verification
fails



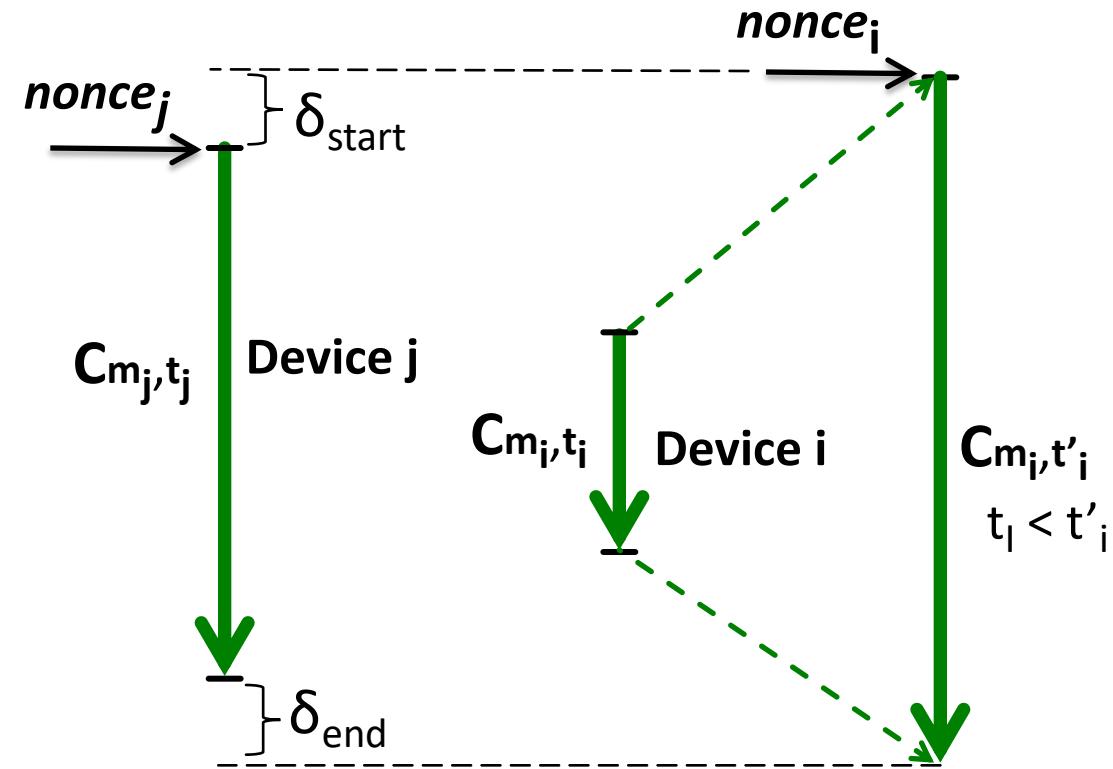
- ordinary concurrency
fails

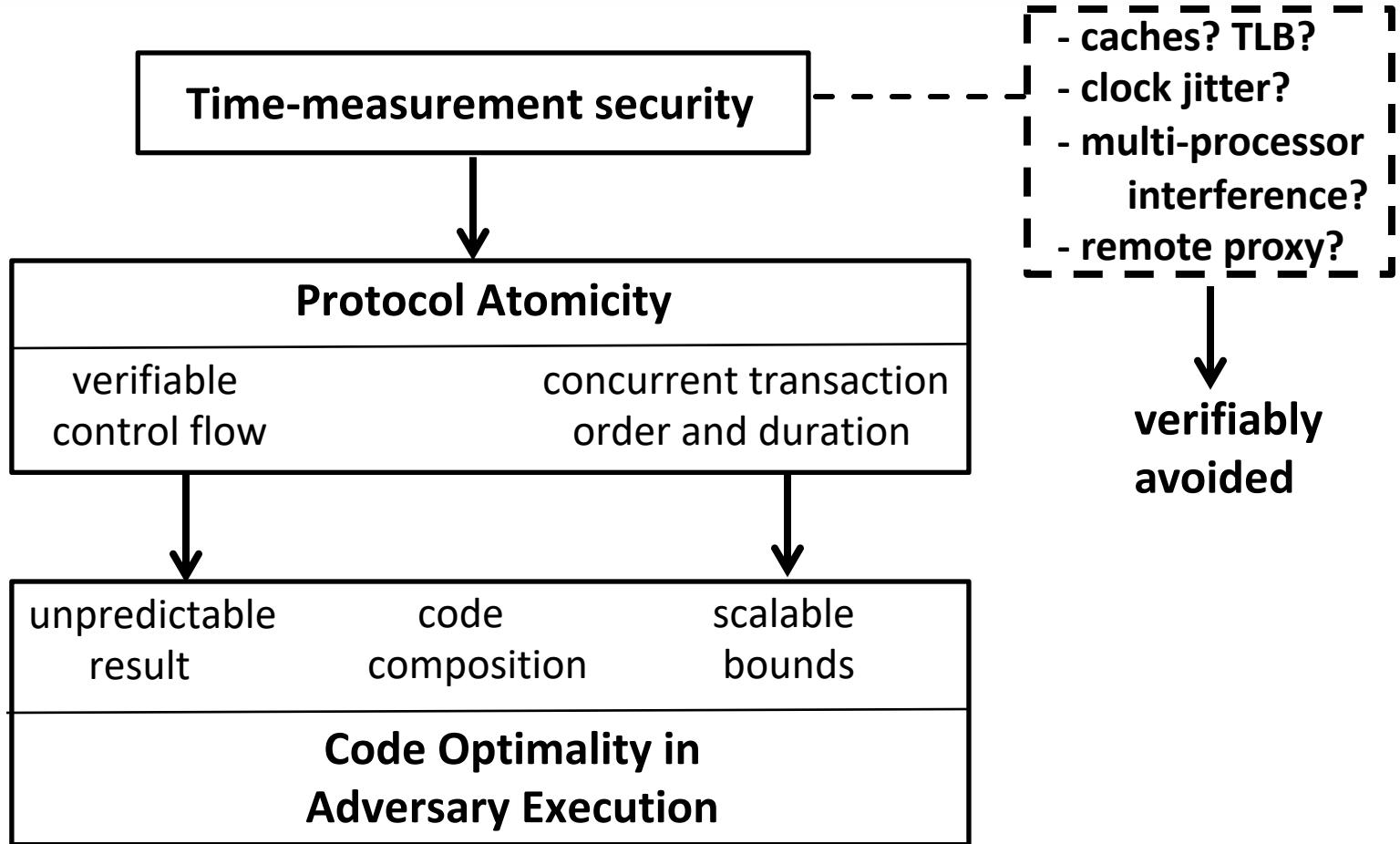


- ordinary concurrency
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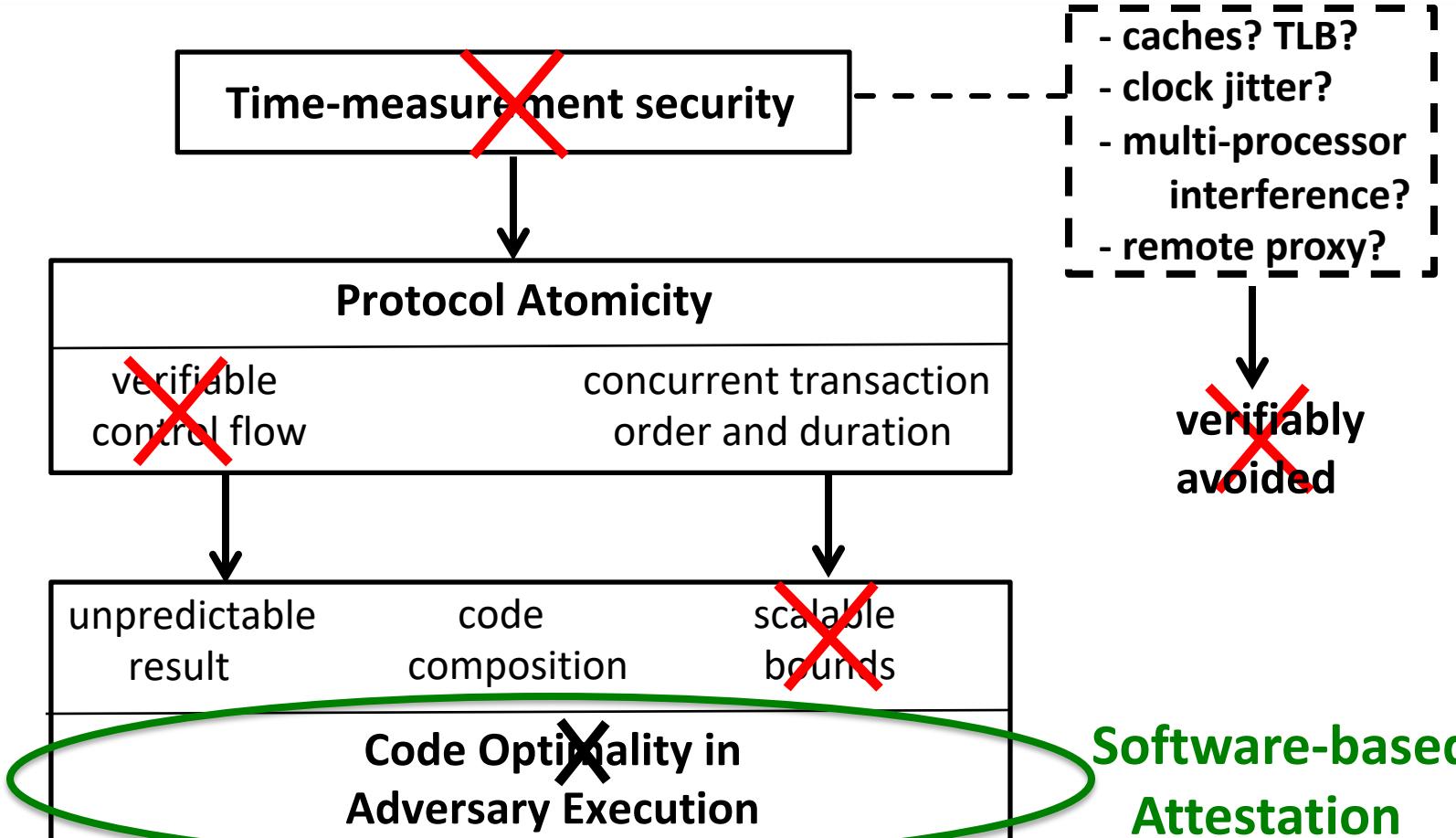


- concurrent verification
w/ scalable bounds

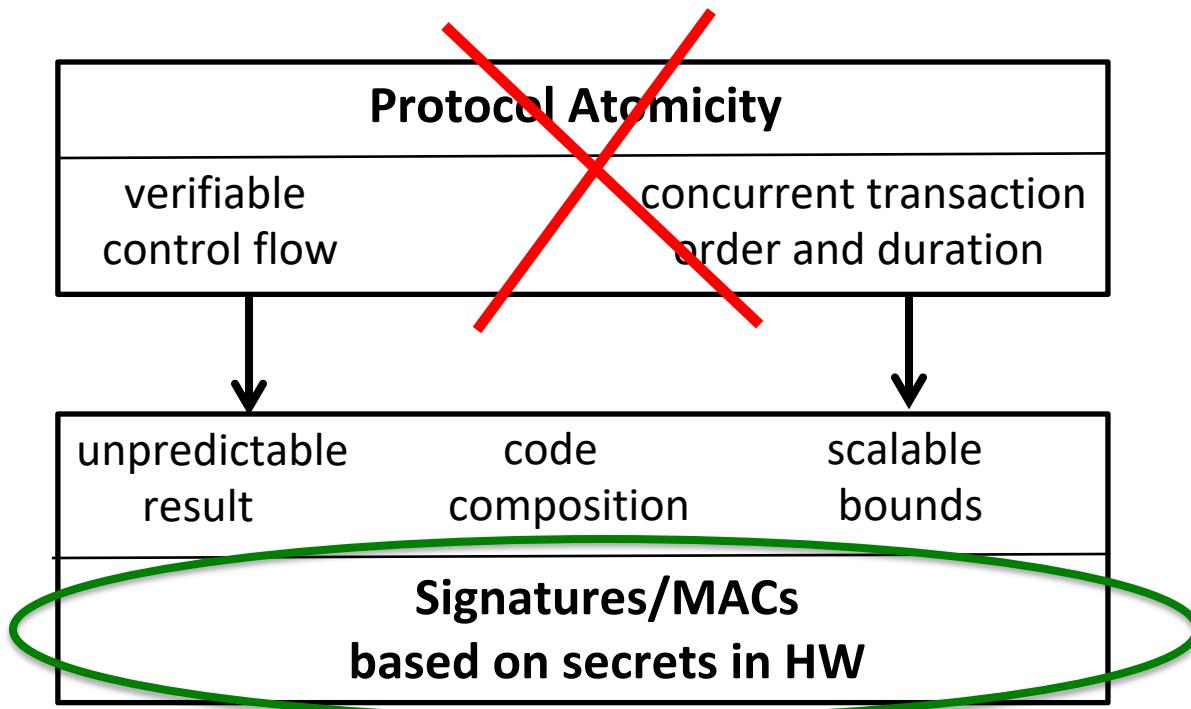




Legend: ← dependency



Software-based
Attestation
has different
goals



Cryptographic Attestation
has different goals

- I. What is it?
- II. Why is it hard?
- III. How to do it

Solution Overview

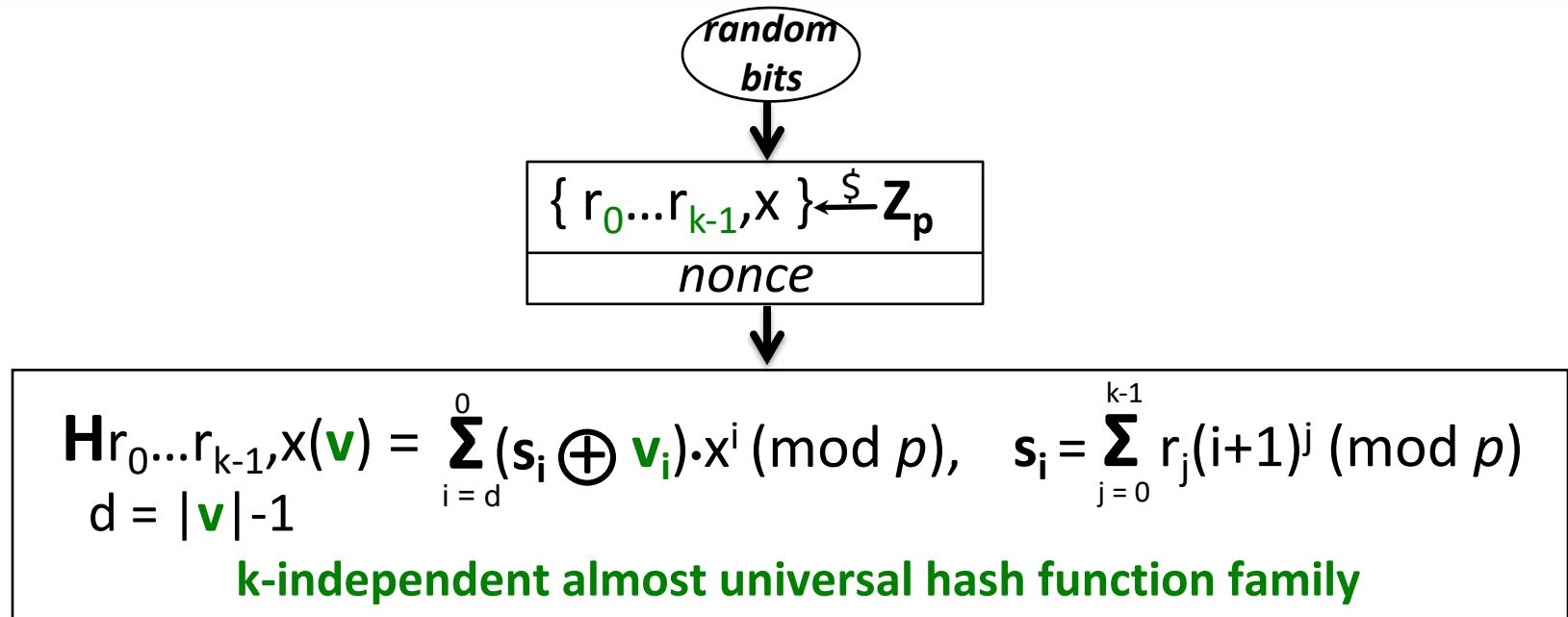
Randomized Polynomials

- new** - k-independent uniform coefficients, independent of input x

- new kind** - k-independent (almost) universal hash function family
and
- new** - (m, t) -optimal in the concrete Word Random Access Machine (**cWRAM**)
and
- new** - optimal bounds m and t are scalable; e.g., no mandatory $m \cdot t$ tradeoffs

Overview of the cWRAM ISA++

- **Constants:** *w-bit word, up to 2 operands/instruction*
instructions execute in unit time
- **Memory:** *M words*
- **Processor registers R:** GPRs, PC, PSW, Special Processor + Flag & I/O Registers
- **Addressing:** immediate, relative, direct, indirect
- **Architecture features:** caches, virtual memory, TLBs, pipelining, multi-core processors
- **ISA: all (un)signed integer instructions**
 - All Loads, Stores, Register transfers
 - All Unconditional & Conditional Branches, all branch types
 - *all predicates with 1 or 2 operands*
 - *Halt*
 - All Computation Instructions:
 - addition, subtraction, logic, $\text{shift}_{r/l}(R_i, \alpha)$, $\text{rotate}_{r/l}(R_i, \alpha)$, ...
 - *variable* $\text{shift}_{r/l}(R_i, R_j)$, *variable* $\text{rotate}_{r/l}(R_i, R_j)$, ...
 - multiplication (1 register output)...
 - *mod* (aka., division-with-remainder) ...



$$C_{\text{nonce}}(v) = Hr_0 \dots r_{k-1}, x(v) = H_{d,k,x}(v)$$

m-t *optimal bounds* on cWRAM: $m = k + 22$, $t = (6k - 4)6d$

Scalable bounds: $k \uparrow \Rightarrow m \uparrow, t \uparrow$ and $d \uparrow \Rightarrow t \uparrow$

Foundation

Theorem 1

Let $w > 3$, and p be a prime, $2 < p < 2^{w-1}$.

Horner's rule for one-time honest evaluation of $P_d(\cdot)$ in cWRAM

$$P_d(\cdot) = \sum_{i=d}^0 a_i \cdot x^i \pmod{p} = (\dots(a_d \cdot x + a_{d-1}) \cdot x + \dots + a_1) \cdot x + a_0 \pmod{p}$$

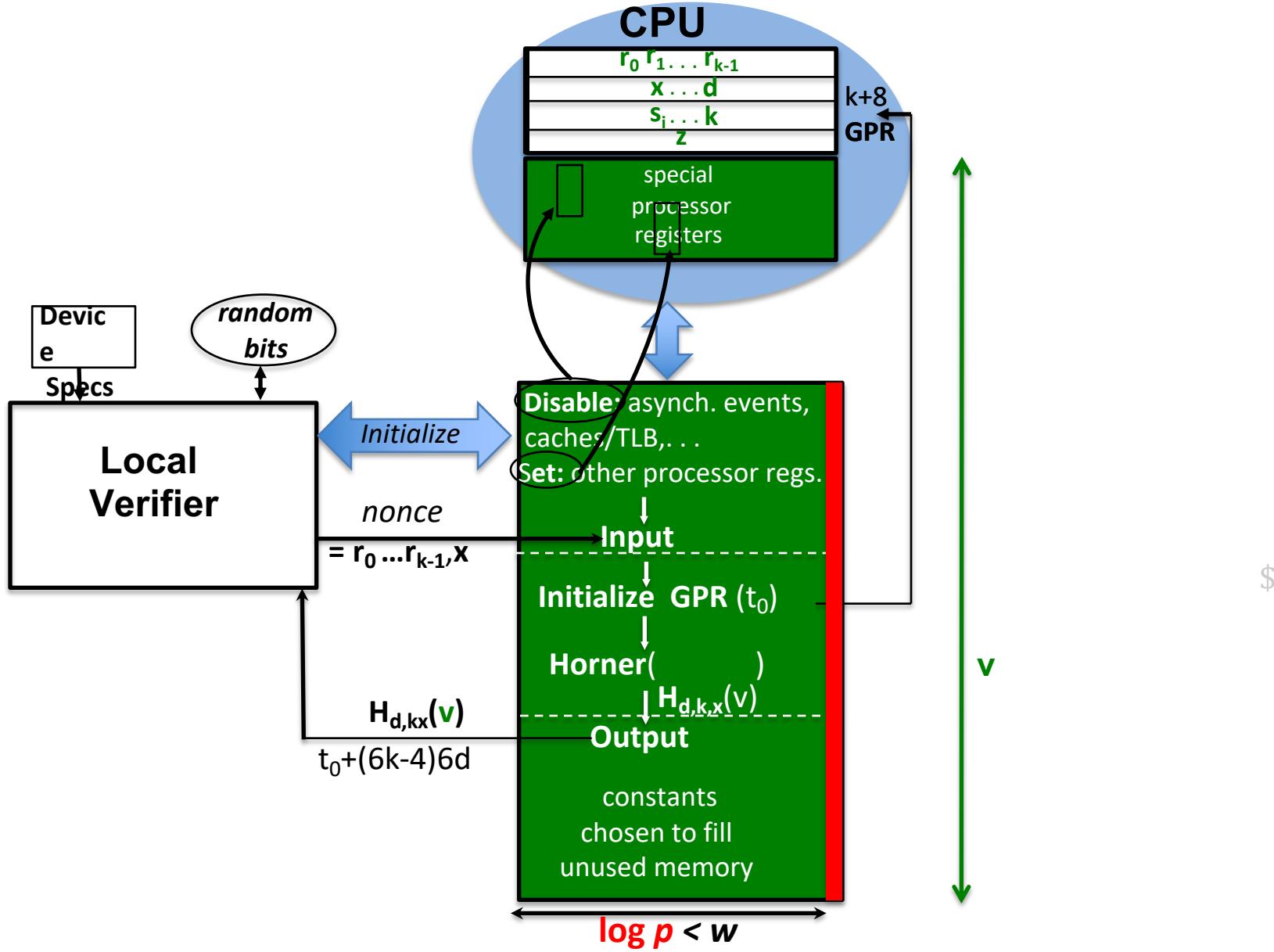
is uniquely (m, t) -optimal if the cWRAM execution space & time are simultaneously minimized; i.e., $m = d+11$, $t = 6d$.

Answer to A. M. Ostrowski's 1954 question:

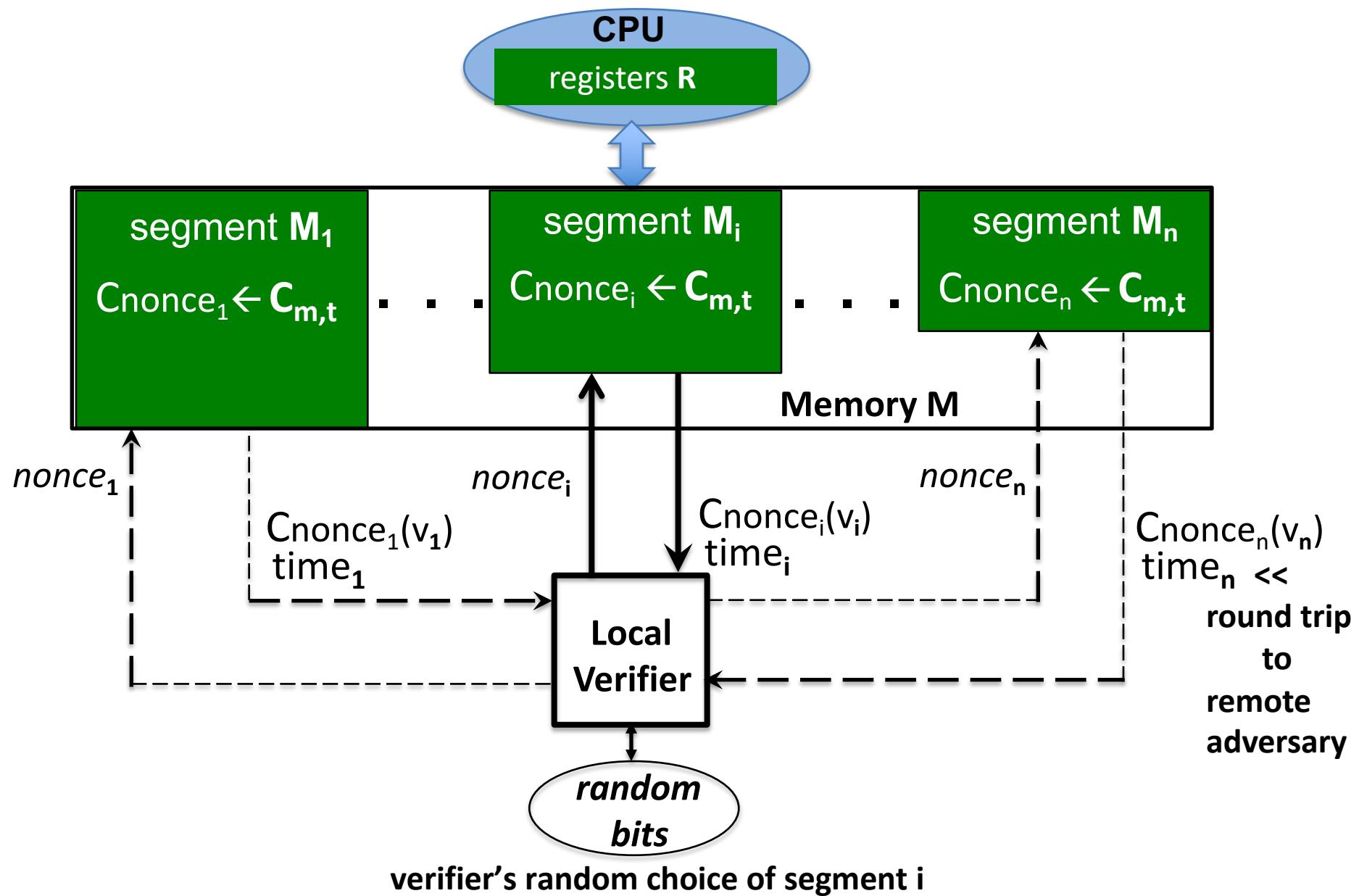
“Is Horner's rule optimal for polynomial evaluation?”

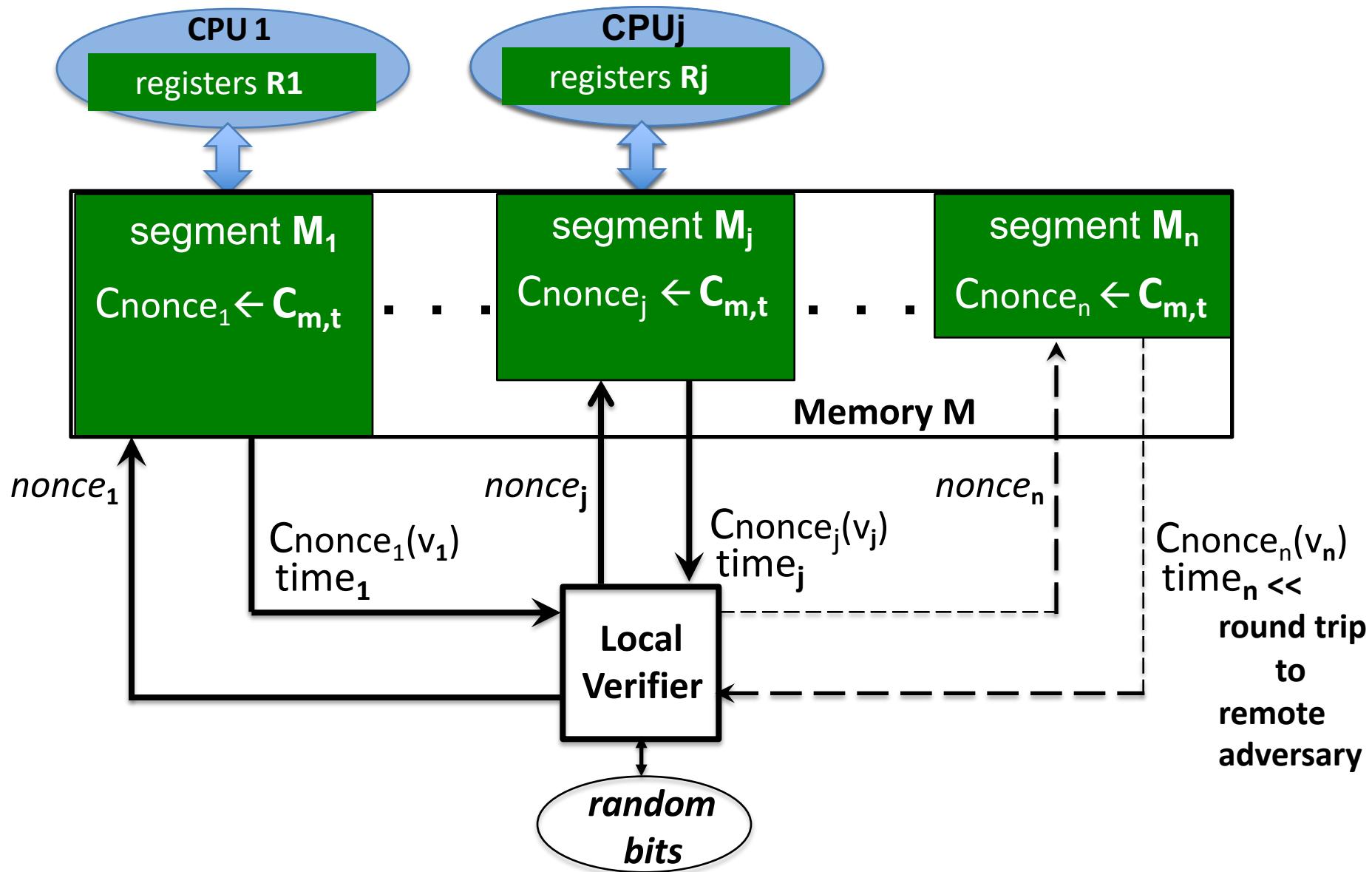
with non-asymptotic bounds in a realistic model of computation (cWRAM)

IV. Q & A



OK => malware-free Device → 2nd Pass w/ ordinary UHF

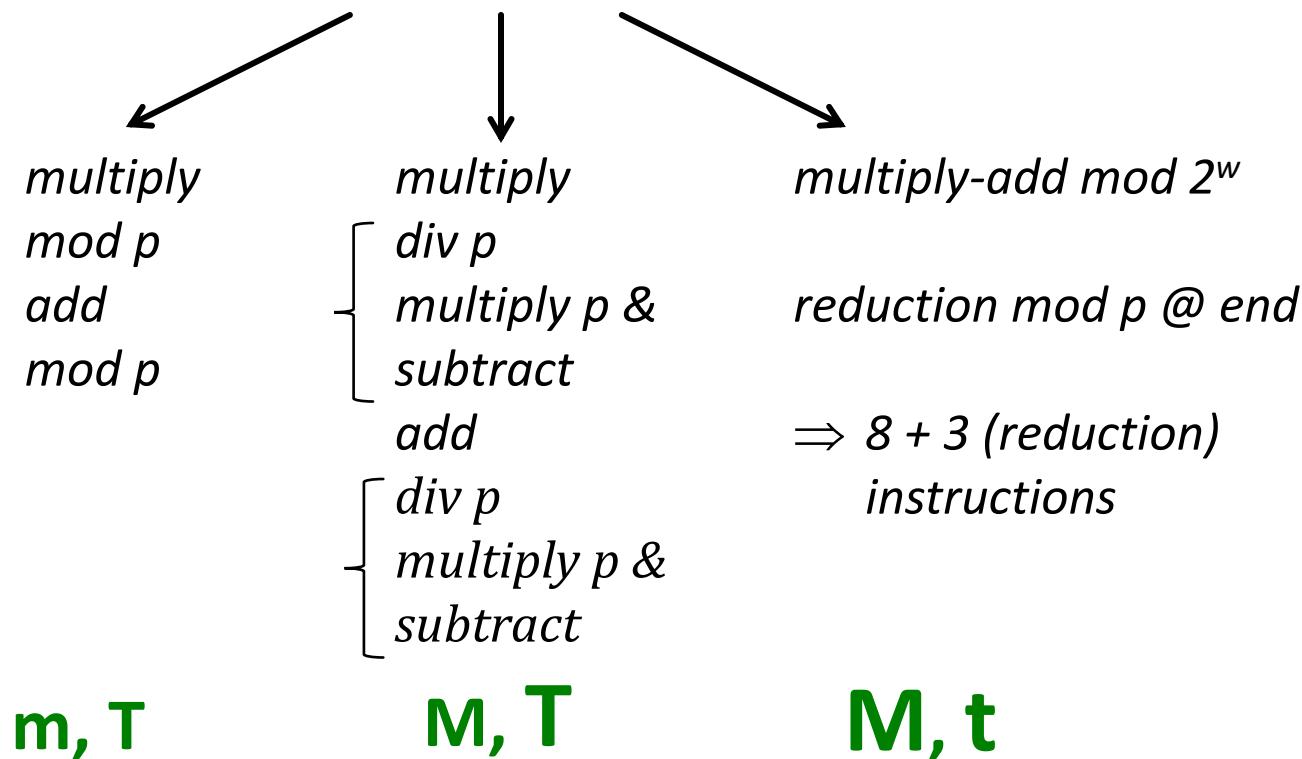




Implementation Notes

(Appendix C of CMU-CyLab TR 18-003)

Optimal Code: $(s_i \oplus v_i)$, loop control – simple on most real processors
Horner-rule step? (recall: p is largest prime in w bits)



different encodings => different results => SINGLE CHOICE!