

Recursive Function Reminder

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All subsets of a set of size n

```
# include < iostream >
using namespace std;
void Allsubset( int *Array, int i, int n) {
if (i==n) {
    cout<<" new subset =";
    for (int j=0; j < n; j++)
        if (Array[j] ==1)
            cout<< j + 1 <<" ,";
    cout<< endl;
    return;
}
Array[i]=0;
Allsubset(Array,i+1,n);
Array[i]=1;
Allsubset(Array,i+1,n);
}
```

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The algorithm was developed by Saul B. Needleman and Christian D. Wunsch and published in 1970.

```
int main() {  
    cout<<" hello" << endl;  
    int n;  
    cout<<" enter a number";  
    cin >> n;  
    int *Array=new int [n];  
    Allsubset(Array,0,n);  
    cout <<" to exit enter a number";  
    int t;  
    cin >> t;  
}
```

all m -subsets of an n -set

```
# include < iostream >
using namespace std;
void msubset(int *Array, int i, int n, int m) {
if (m==0) {
    cout<<" new subset =";
    for (int j=0; j < i; j++)
        if (Array[j] ==1)
            cout<< j + 1 <<" ,";
    cout<< endl;
    return;
}
if ( i > n - m) return; // not enough ones is Array
Array[i]=1;
msubset(Array,i+1,n,m-1);
Array[i]=0;
msubset(Array,i+1,n,m);
}
```

```

int main() {
cout<<" hello" << endl;
int n;
cout<<" enter a number for array size";
cin >> n;
int *Array=new int [n];
int m;
cout<<" enter a number for subset size";
cin >> m;
if ( $m < n$ )
    msubset(Array,0,n,m);
else cout<<" error" << endl;
cout<< endl;
cout <<" to exit enter a number";
int t;
cin >> t;
}

```


permutations of n numbers

```
void permute(int *Array,int i, int n) {  
    if (i==n) {  
        cout<<" new permutation =";  
        for (int j=0; j < n; j++)  
            cout<< Array[j] <<" ";  
        cout<< endl;  
        return;  
    }  
    else {  
        int temp; int t;  
        for (t=i; t < n; t++) {  
            // exchange Array[i],Array[t]  
            temp=Array[i];   Array[i]=Array[t];   Array[t]=temp;  
            permute(Array,i+1,n);  
            // exchange back Array[t],Array[i]  
            temp=Array[i];   Array[i]=Array[t];   Array[t]=temp;  
        } } }  
}
```

```
int main() {  
    cout<<" hello" << endl;  
    int n;  
    cout<<" enter a number for array size";  
    cin >> n;  
    int *Array=new int [n];  
    int j;  
    for (j=0; j < n; j++) Array[j]=j+1;  
    permute(Array,0,n);  
    cout<< endl;  
    cout <<" to exit enter a number";  
    int t;  
    cin >> t;  
}
```

Definition : We say a sequence S of 0,1 is **nice** if the number of ones and the number of zeros are the same and

in every prefix of S the number of ones is not less than the number of zero.

Problem : Write a program to print-out all the nice sequences of 0,1 with length n

$$x + y^2 + \sqrt{z}.$$

```

void nice-string( int *Array, int i, int difference, int n) {
if (i==n) {
    if ( difference == 0) {
        cout<<" new string =";
        for (int j=0; j < n; j++)
            cout<< A[j] <<" ";
        cout<< endl;
    }
    return;
}

if ( difference < 0 ) return;
if ( difference > n - i) return;
Array[i]=0;
nice-string (Array,i+1,difference-1,n);
Array[i]=1;
nice-string (Array,i+1,difference+1,n);
}

```

```
int main() {  
    cout<<" hello" << endl;  
    int n;  
    cout<<" enter an even number";  
    cin >> n;  
    int *Array=new int [n];  
    subset(Array,0,0,n);  
    cout<< endl;  
    cout <<" to exit enter a number";  
    int t;  
    cin >> t;  
}
```

Ford-Fulkerson Max-Flow Algorithm

Max-Flow($(D = (V, E))$)

1. Define flow f for every edge e by setting $f(e) = 0$.
2. Repeat :
3. Apply BFS-f-augmenting to find an f -augmenting path p
4. Let $\Delta_p = \min_{e \in p} \Delta_e$
5. **for** each edge $e \in p$
6. **if** e is a forward edge
7. $f(e) := f(e) + \Delta_p$.
8. **else** (e is a backward edge)
9. $f(e) := f(e) - \Delta_p$.
10. Until no f -augmenting path p can be found.
11. Return f .