```
t =clock;
Xguess=[0;0;0;0];
Is = 1e-13;
Vt = 0.025;
X=NewtonRaphson(Xguess, 1e-5)
X = 4 \times 1
   9.2957
   8.5914
  -0.7043
  -0.1718
[Fx,j] = nonlinearFunc(X)
Fx = 4x1
10^{-12} \times
  0.9200
  -0.9200
  -0.9200
j = 4 \times 4
  6.8731 -6.8731 0 1.0000
-6.8731 6.8931 -0.0000 0
0 -0.0000 6.8731 -1.0000
   1.0000
              0 -1.0000
fx=[X(4)+Is*(exp((X(1)-X(2))/Vt)-1)-Is*(exp(-X(1)/Vt)-1);...
    0.02*X(2)+(-Is*(exp((X(1) - X(2))/Vt) -1) - Is*(exp((X(3) - X(2))/Vt) -1));
    -X(4) + Is*(exp((X(3) - X(2))/Vt) -1) - Is*(exp(-X(3)/Vt) -1);...
    X(1) - X(3) - 10
fx = 4x1
10^{-12} \times
   0.9200
  -0.9200
  -0.9200
V2 = X(2,1)
V2 = 8.5914
time = etime(clock,t)
time = 0.0940
```

```
function [F, J] = nonlinearFunc(X)
%outputs:
% F is the nonlinear function,
% J is the Jacobian of the F.
%Input
% X is the vector of nodal voltages.
% input source
U = zeros(4,1);
U(4,1) = 10;
U = U;
% G matrix
G = zeros(4,4);
G(2,2) = 0.02;
G(4,1) = 1;
G(1,4) = 1;
G(4,3) = -1;
G(3,4) = -1;
% g vector
Is = 1e-13;
```

```
Vt = 0.025;
g(1,1) = Is*(exp((X(1) - X(2))/Vt) -1) - Is*(exp(-X(1)/Vt) -1);
g(2,1) = -Is*(exp((X(1) - X(2))/Vt) -1) - Is*(exp((X(3) - X(2))/Vt) -1);
g(3,1) = Is*(exp((X(3) - X(2))/Vt) -1) - Is*(exp(-X(3)/Vt) -1);
q(4,1)=0;
%% Set of nonlinear equations
F = G*X+q-U;
%% compute the Jacobian
gdX(1,1) = (Is/Vt)*(exp((X(1) - X(2))/Vt)) + (Is/Vt)*(exp(-X(1)/Vt));
gdX(1,2) = -(Is/Vt)*(exp((X(1) - X(2))/Vt));
gdX(2,1) = -(Is/Vt)*(exp((X(1) - X(2))/Vt));
gdX(2,2) = (Is/Vt)*(exp((X(1)-X(2))/Vt)) + (Is/Vt)*(exp((X(3)-X(2))/Vt));
gdX(2,3) = -(Is/Vt)*(exp((X(3)-X(2))/Vt));
gdX(3,2) = -(Is/Vt)*(exp((X(3)-X(2))/Vt));
gdX(3,3) = (Is/Vt)*(exp((X(3)-X(2))/Vt)) + (Is/Vt)*(exp(-X(3)/Vt));
gdX(3,4) = 0;
gdX(4,:)=0;
J = G+qdX;
end
```