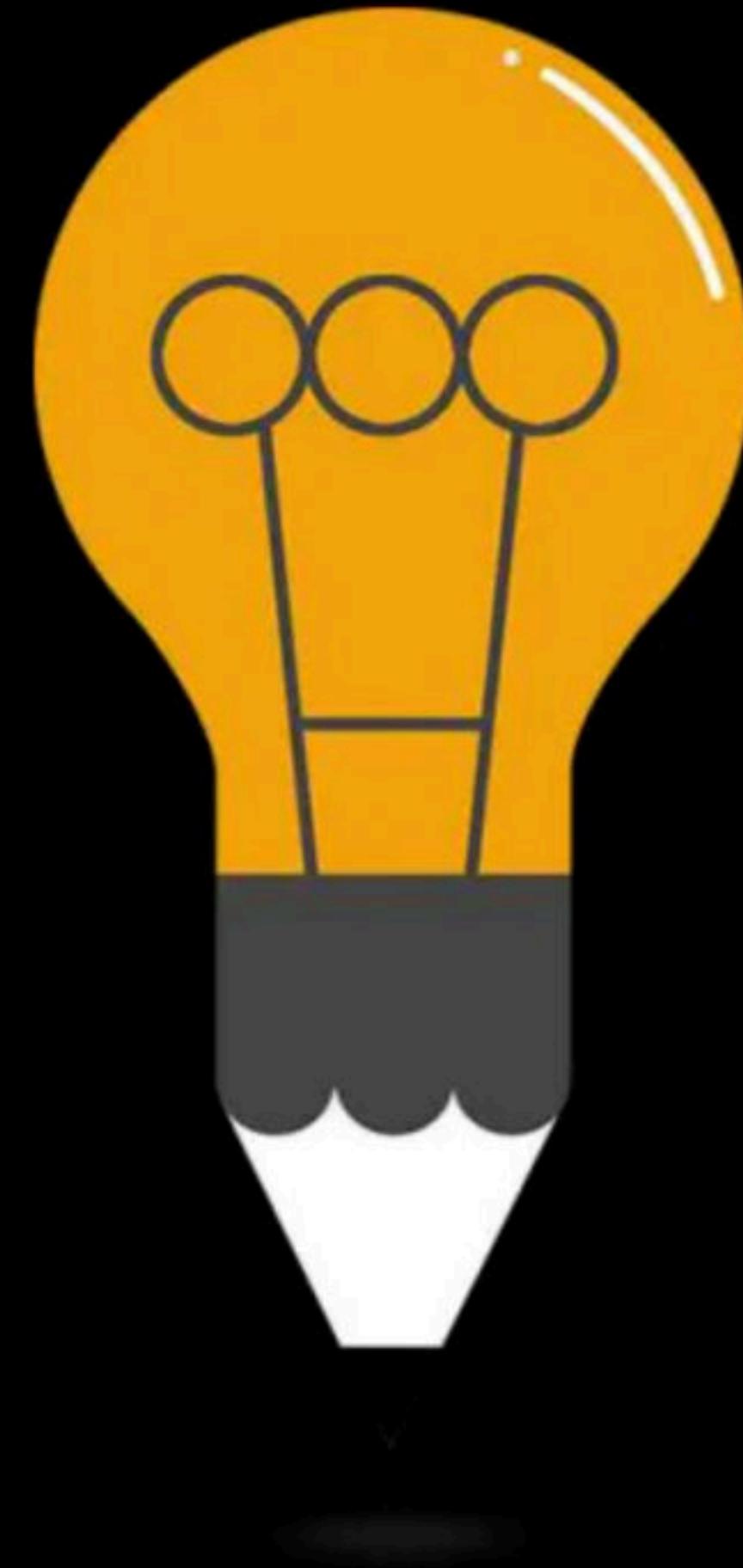


Doubt Clearing Session & Classical Synchronization Problems

Comprehensive Course on Operating System for GATE - 2024/25



Operating System Doubts & Classical Problems of Synchronization

By: Vishvadeep Gothi

while (—)
[{
 ≡ }]
}

while (a>b)
q = x;
while (—)
{
}

▲ 1 • Asked by Anish

Doubt hai isme?

HRRN (Highest Response Ratio Next)

Process	Arrival Time	Burst Time
P1	0	3
P2	2	6
P3	4	4
P4	6	5
P5	8	2



0 3 9 13 15 20

At time 9:-

$$R.R.(P_3) = \frac{5+4}{4} = 2.25 \text{ (highest)}$$

$$R.R.(P_4) = \frac{3+5}{5} = 1.6$$

$$R.R.(P_5) = \frac{1+2}{2} = 1.5$$

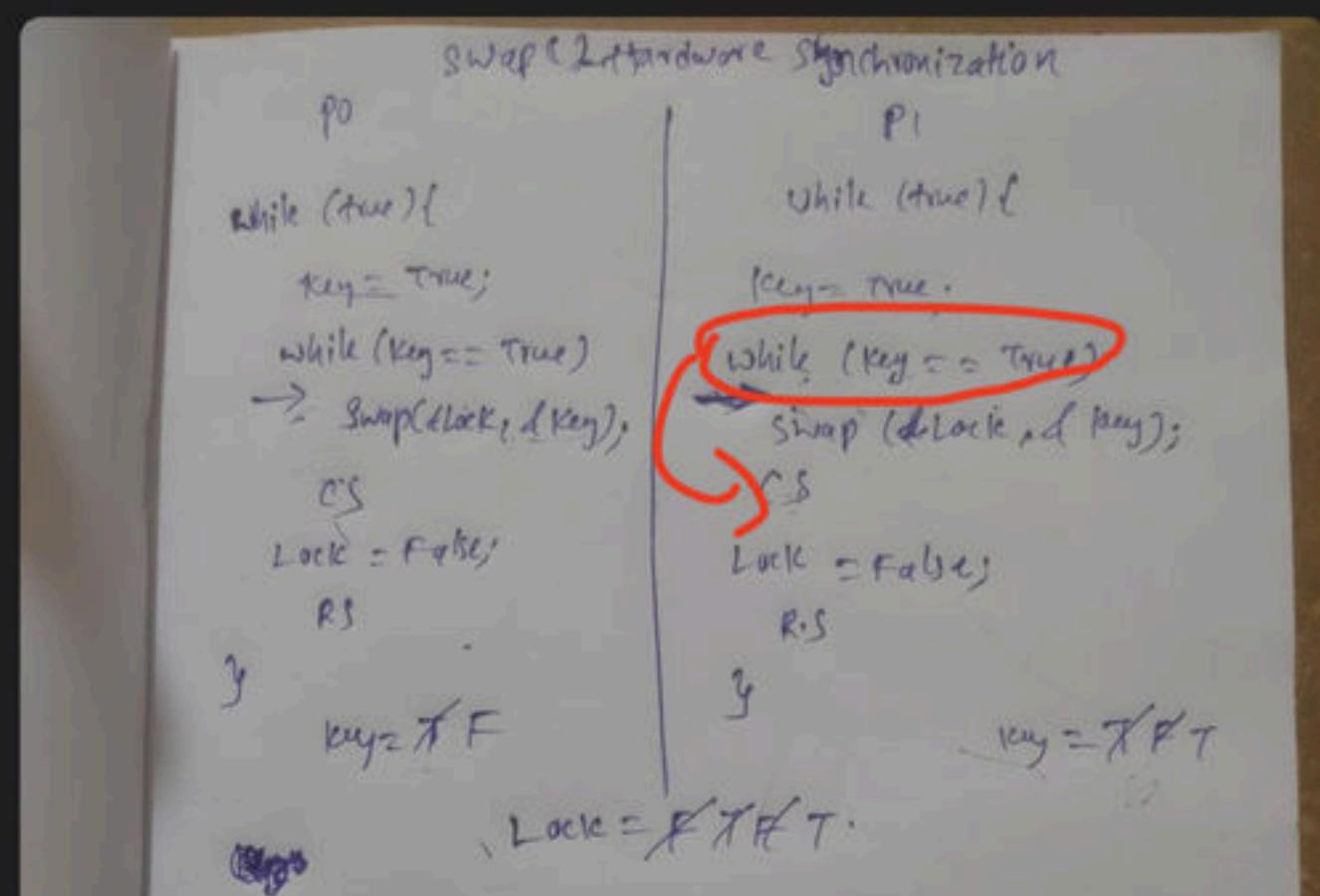
At time 13:-

$$R.R.(P_4) = \frac{7+5}{5} = 2.4$$

$$R.R.(P_5) = \frac{5+2}{2} = 3.5 \text{ (highest)}$$

▲ 1 • Asked by Rakesh

swap hardware synchronization...bounded waiting



- ① P0 is executed, until it entered while loop, $L=F, K=T$
- ② Process preempted, P1 is executed $L=F, K=T$, it entered into while loop, swap() happens $L=T, K=F$. While loop terminated, P1 entered into C.S.
- ③ P1 completed its C.S., $lock = \boxed{False}$ (since it set it)
- ④ Again P1 started executing, $key = \boxed{False}$ (T), entered while loop, process preempted
- ⑤ Now P0 will continue $K_0 = \boxed{True}, Lock = \boxed{False}$, \rightarrow Swap()
- ⑥ happened, $lock = \boxed{True}, K_0 = \boxed{False}$. P0 entered C.S.

P0

lock = ~~False~~
~~True~~
~~False~~
 key = ~~True~~ ~~True~~
~~False~~

P1

key = ~~True~~
~~False~~
~~True~~

P1 in C.S.

Ques①

if

 P_0 then P_1

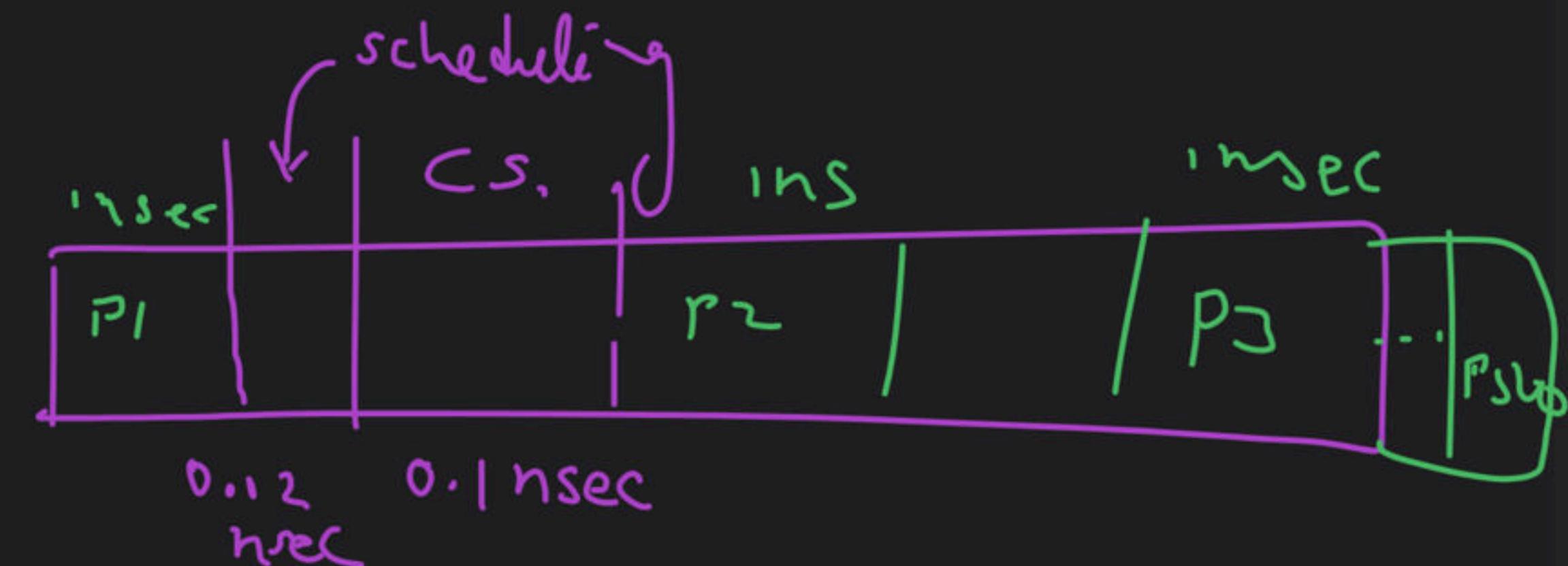
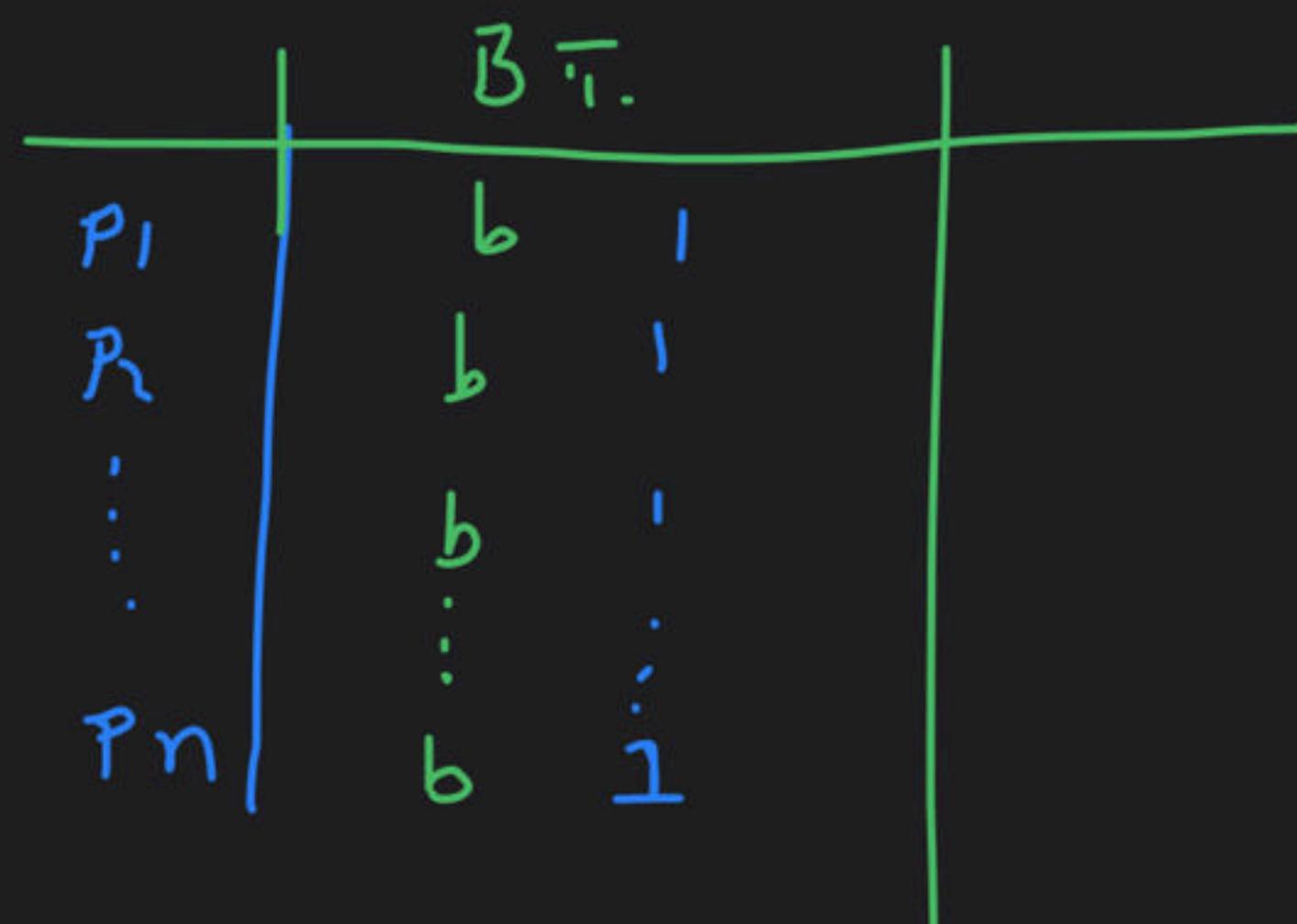
$$B = \cancel{A} + 15$$

if P_1 then P_0

$$B = \cancel{A} + 15$$

Ans = 2

② $n > 1$ processesFCFS }
SRTF } no preempt



$$499 \text{ times} \Rightarrow (0.02 + 0.1) =$$

$$0.12 * 499 = 59.88$$

$$b = t$$

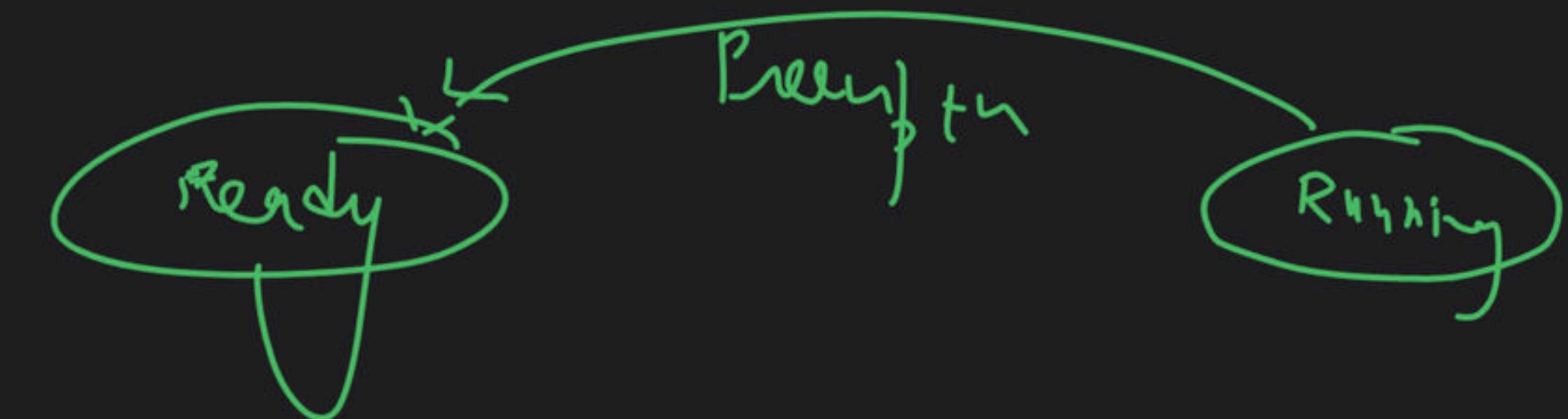
$$n = 500$$

$$t = 1 \text{ ns}$$

$$\begin{aligned} \text{Process running time} &= 500 * 1 \text{ ns} = 500 \text{ ns} \\ \text{Total time} &= 559.88 \text{ ns} \\ \Rightarrow \frac{500}{559.88} * 100\% &= 89.3\% \end{aligned}$$

p_1	p_2	p_3	p_4	p_{11}	p_{12}	p_{13}	p_{14}	\dots	\dots	\dots	\dots	\dots
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$$\text{Avg } \bar{w_i} = \frac{0 + 25 + 96 + 106 + 123}{5} = 70.4$$



P₁, P₂, P₃, P₄

process

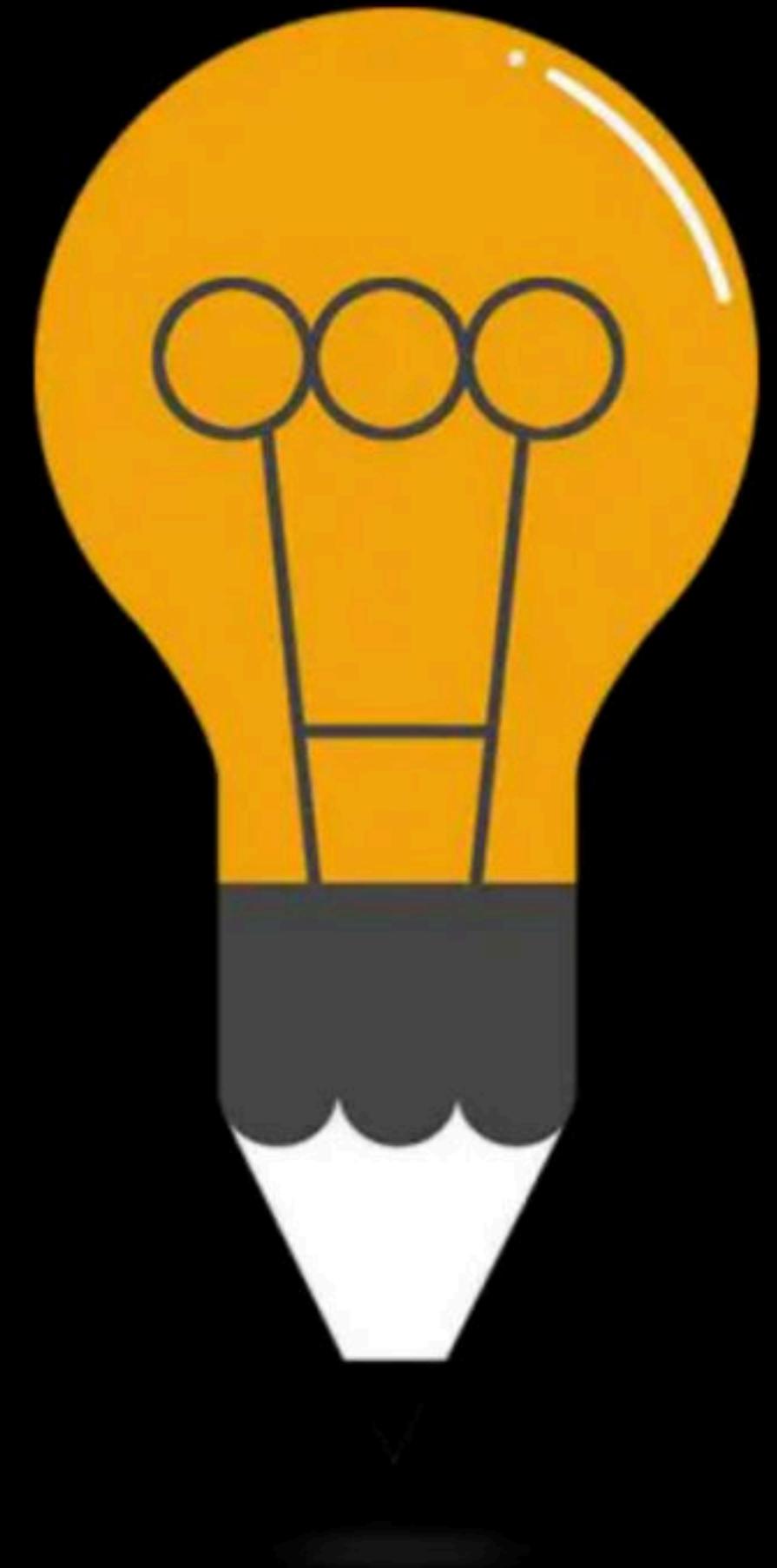
{ while (lock)

Run C-S.

lock = true

}

lock = ~~false~~ true



DPP

By: **Vishvadeep Gothi**

Question 1

Similar to turn variable

```
boolean Lock = False;
```

```
while(true)
{
    while(Lock != False);
    CS
    lock
    turn=True;
    RS;
}
```

```
while(true)
{
    while(Lock != True);
    CS
    lock
    turn=False;
    RS;
}
```

M.E. ✓
Progress ➤
C.W. ✓

Question 2

Boolean lock=0;

```
while(true)
{
    while(! Lock);
    lock=1;
    CS
    lock=0;
    RS;
}
```

```
while(true)
{
    while(! Lock);
    lock=1;
    CS
    lock=0;
    RS;
}
```

Both processes will run
while (!lock); forever

M-E. ✓

No J. ✓

B-W. ✗

Deadlock ✗

Question GATE-2023

5 threads => inc.
3 - || - => dec

Consider the two functions **incr** and **decr** shown below.

```
incr(){           decrec(){
    wait(s);
    X = X+1;
    signal(s);
}
}
```

X = 10

There are 5 threads each invoking **incr** once, and 3 threads each invoking **decr** once, on the same shared variable X. The initial value of X is 10.

Suppose there are two implementations of the semaphore s, as follows:

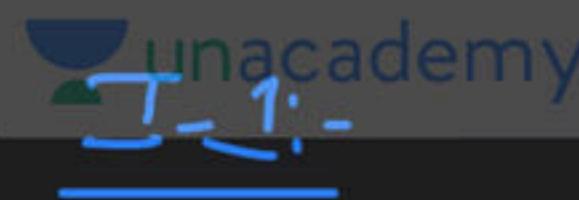
I-1: s is a binary semaphore initialized to 1.

I-2: s is a counting semaphore initialized to 2.

Let V1, V2 be the values of X at the end of execution of all the threads with implementations **I-1**, **I-2**, respectively.

Which one of the following choices corresponds to the minimum possible values of V1, V2, respectively?

- A. 15, 7
- B. 7, 7
- C. 12, 7
- D. 12, 8



I-1:- Mutual Exclusion

$$10 + 5 - 3 = 12$$

~~x = H L Z Y T K S G~~

I₂

$$S = 2$$

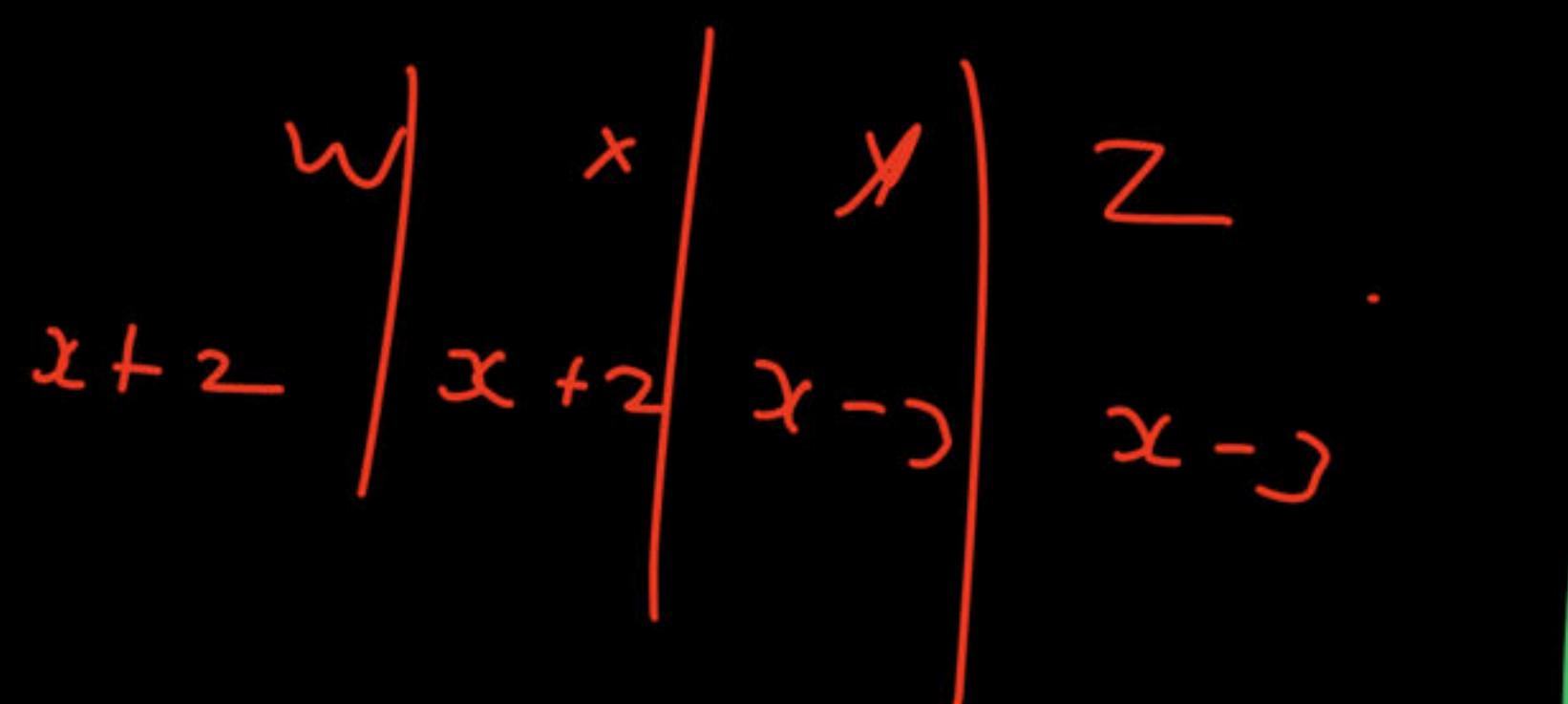
$$10 + \boxed{1 + 1 + 1 + 1 + 1} - 1 - 1 - 1 \\ 9$$

$$10 - 3 = 7$$

$$S = \emptyset)$$

Question 1

A shared variable x , initialized to zero, is operated on by four concurrent processes W, X, Y, Z as follows. Each of the process W and X reads x from memory, increments by 2, stores it to memory and then terminates. Each of the processes Y and Z reads x from memory , decrements by 3, stores it to memory and then terminates. Each processes before reading x invokes the P operation (i.e., wait) on a counting semaphore S and invokes the V operation (i.e., signal) on the semaphore S after storing x to memory. Semaphore S is initialized to two. What are the minimum and maximum possible values of x after all processes complete execution?



$$\max = 4$$

$$\min = -6$$

Question 2

A shared variable x , initialized to zero, is operated on by four concurrent processes W, X, Y, Z as follows. Each of the process W and X reads x from memory, increments by 2, stores it to memory and then terminates. Each of the processes Y and Z reads x from memory , decrements by 3, stores it to memory and then terminates. Each processes before reading x invokes the P operation (i.e., wait) on a counting semaphore S and invokes the V operation (i.e., signal) on the semaphore S after storing x to memory. Semaphore S is initialized to two. What are the total distinct possible values of x after all processes complete execution?

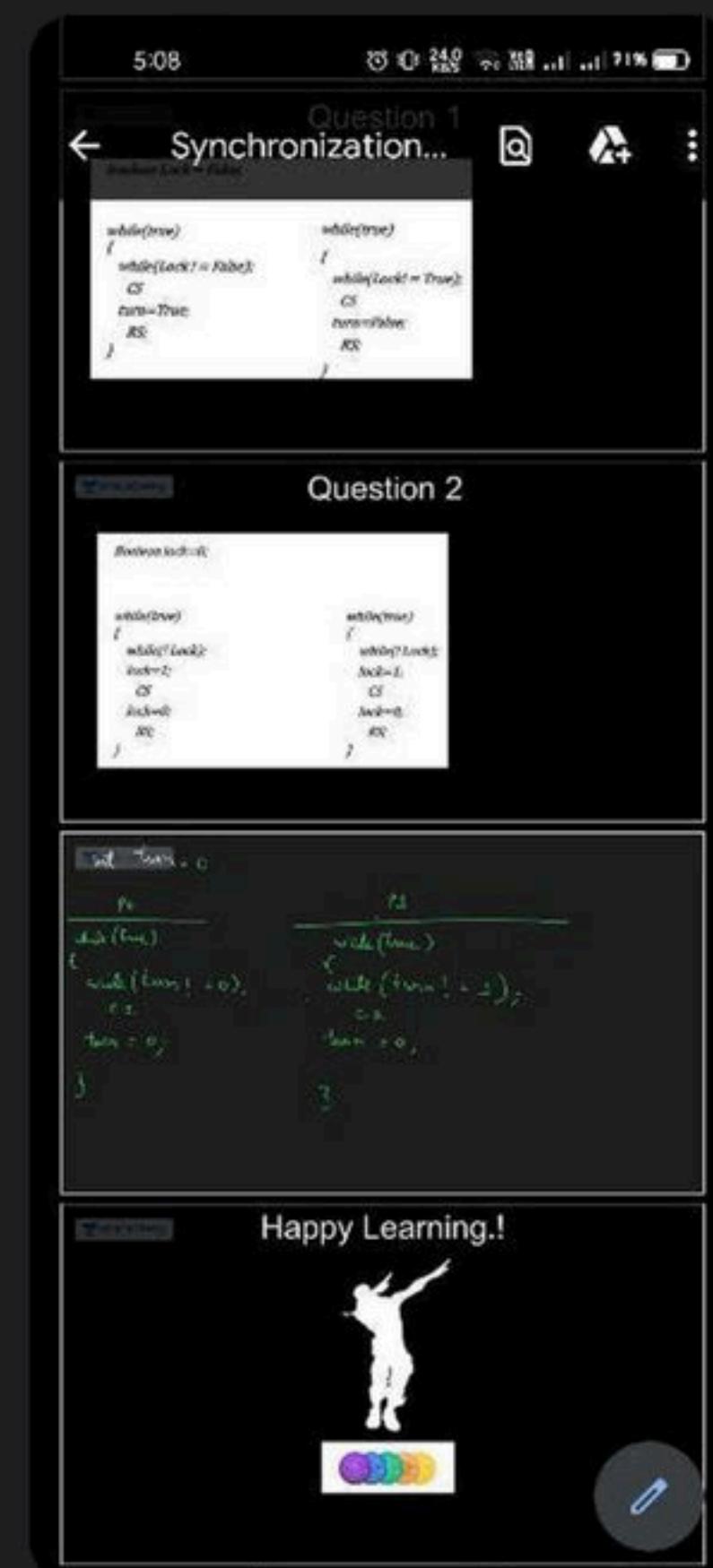
0 + 2 + 2 - 3 - 3

Ans = 8

4, 2, -3, -6, -2, -1, 1, -1

▲ 1 • Asked by Riya

Please help me with this doubt



$\neg \text{turn} = 0$

P_0

P_1

$\text{while}(\text{turn} \neq 0);$

C.S

$\text{turn} = 0$

$\text{while}(\text{turn} \neq 1);$

C.S

$\text{turn} = 0$

F.G. ✓

Ingress ✗

B.W. ➤

only P_0 can enter in C.S.

always
in C.S.

P_1 can never enter

Question GATE-2004

- Given below is a program which when executed spawns two concurrent processes:

Semaphore $X:=0;$ ~~✓~~ ~~✗~~ ~~✗~~ $\neq 0$

/ Process now forks into concurrent processes P1 & P2 */*

~~while (true)~~ P1 : repeat forever P2:repeat forever

$V(X);$ $P(X);$

 Compute; Compute;

$P(X);$ $V(X);$

Consider the following statements about processes P1 and P2:

- ~~✓~~I: It is possible for process P1 to starve.
- ~~✓~~II. It is possible for process P2 to starve.

Solution 1

Boolean lock=false;

```
while(true)
{
    while(lock);
    lock=true;
    CS
    lock=false;
    RS;
}
```

```
while(true)
{
    while(lock);
    lock=true;
    CS
    lock=false;
    RS;
}
```

Solution 2

```
int turn=0;
```

```
while(true)
{
    while(turn!=0);
        CS
    turn=1;
    RS;
}
```

```
while(true)
{
    while(turn!=1);
        CS
    turn=0;
    RS;
}
```

Solution 3: Peterson's Solution

Boolean Flag[2];

int turn;

while(true) {

 Flag[0]=true;

 turn=1;

 while(Flag[1] && turn==1);

 CS

 Flag[0]=False;

 RS;

}

while(true){

 Flag[1]=true;

 turn=0;

 while(Flag[0] && turn==0);

 CS

 Flag[1]=False;

 RS;

}

TestAndSet()

```
Boolean Lock=False;  
while(true)  
{  
    boolean TestAndSet(Boolean *trg){  
        boolean rv = *trg;  
        *trg = True;  
        CS  
        Lock=False;  
        return rv;  
    }  
}
```

Swap()

```
Boolean Key;           //Local
Boolean Lock=False;    //Shared
void Swap(Boolean *a, Boolean *b)
{
    boolean temp = *a;
    *a = *b;
    *b = temp;
}

while(true){
    Key = True;
    while (key==True)
        Swap(&Lock, &Key);
    CS
    Lock=False;
    RS
}
```

wait() & signal()

```
wait(S)
{
    while(S<=0);
    S--;
}
```

```
signal(S)
{
    S++;
}
```

 Busy Academy
Busy waiting :- (spin lock)

Process runs on CPU & keeps it busy ; but still can not proceed further.

lock = forever loop

while (lock);

while (lock);

Solutions Without Busy Waiting

Semaphore can be negative

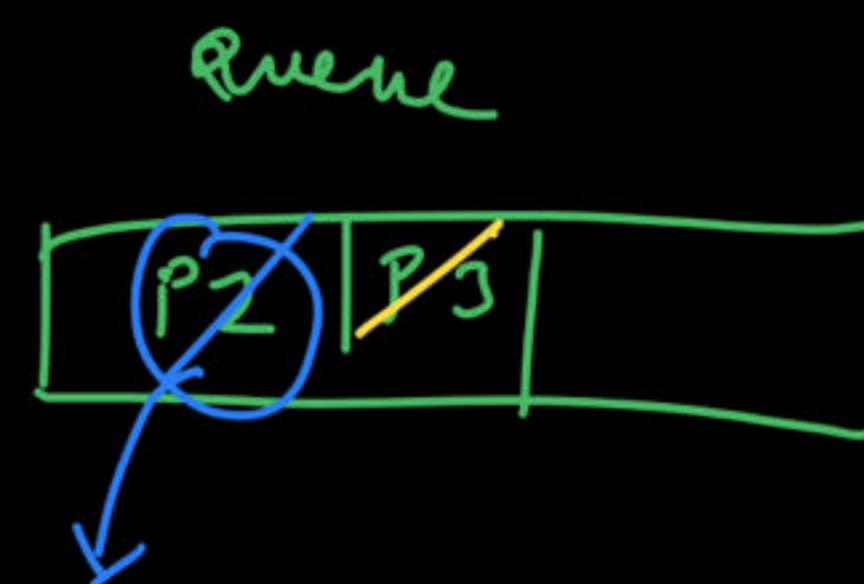
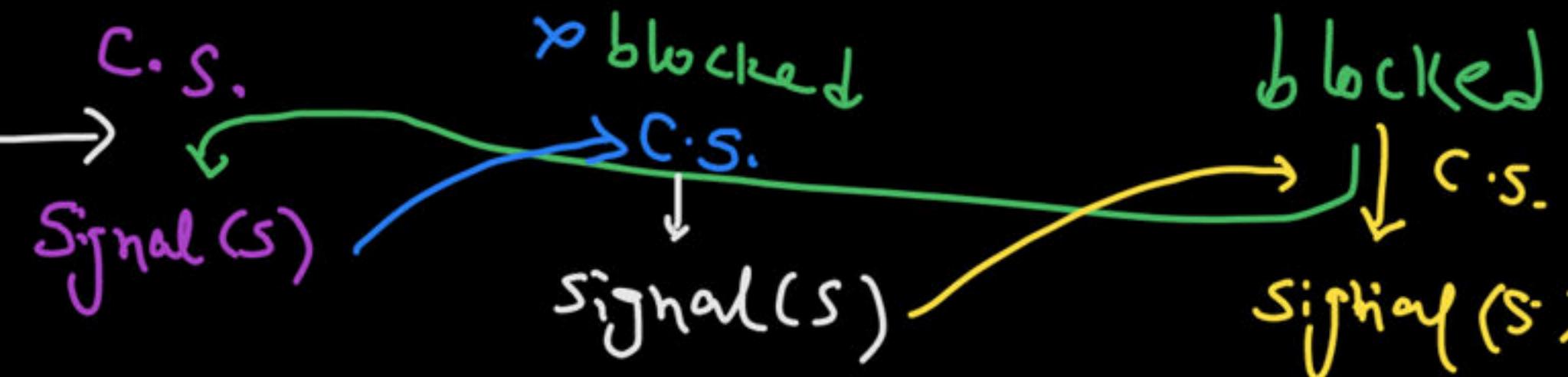
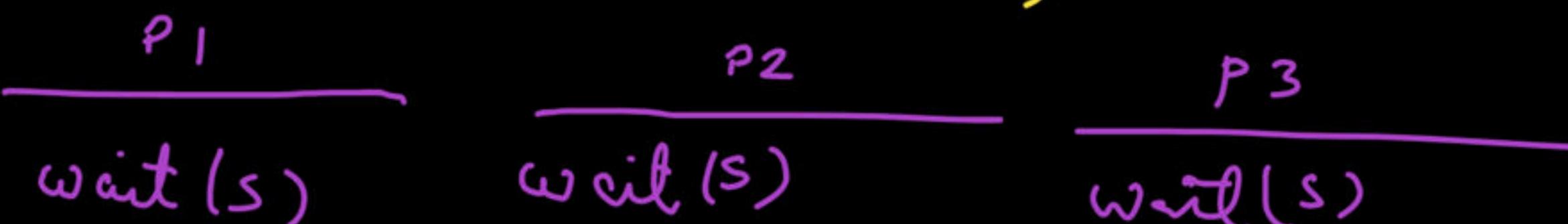
```

wait(Semaphore s){
    s=s-1;
    if (s<0) {
        // add process to queue
        block();
    }
}
    
```

```

signal(Semaphore s){
    s=s+1;
    if (s<=0) {
        // remove process p from queue
        wakeup(p);
    }
}
    
```

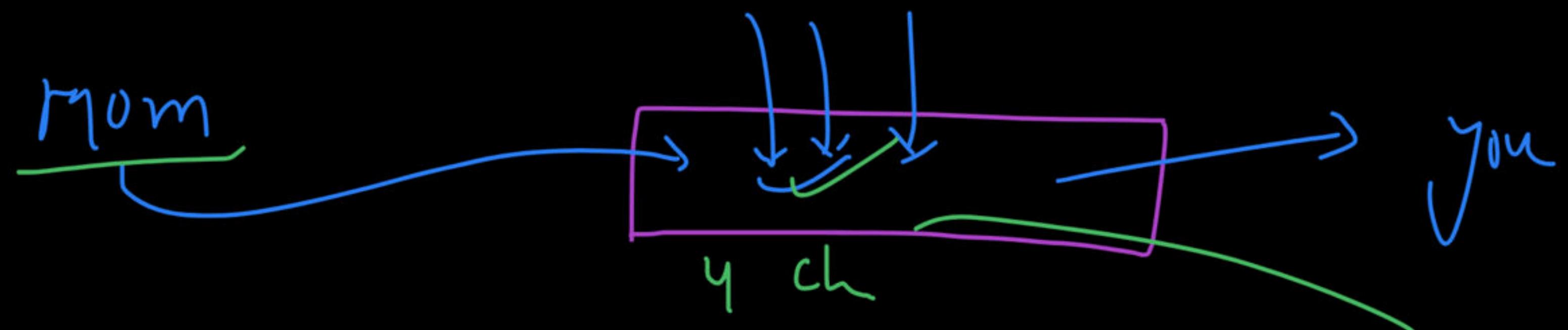
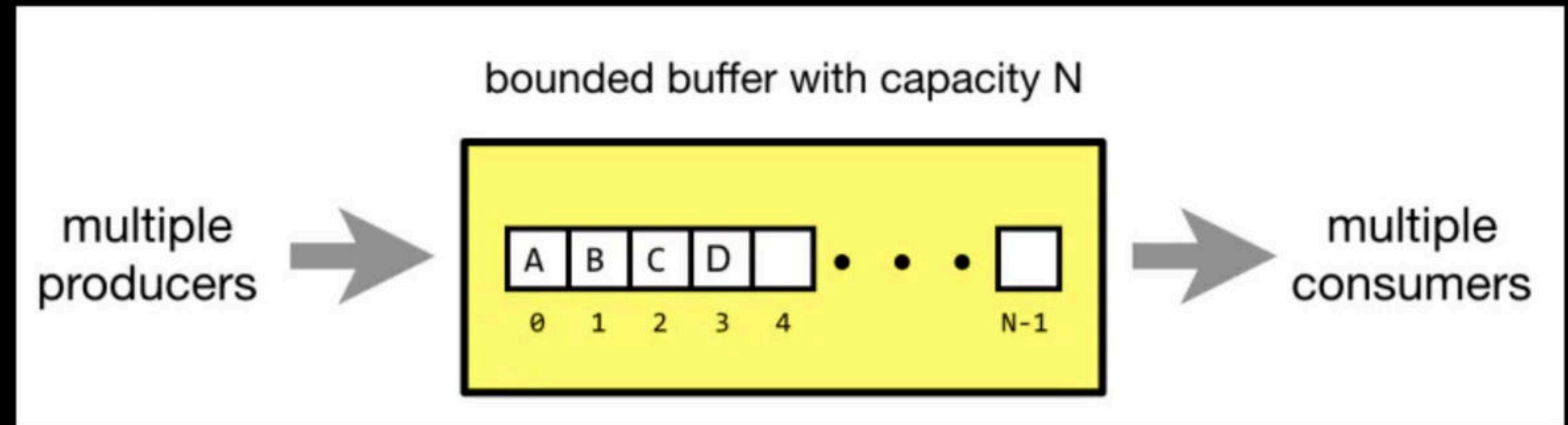
$$s = \cancel{1} \cancel{0} \cancel{-1} \cancel{-2} \cancel{-1} \cancel{p} \quad 1$$



Classical Problems of Synchronization

- ① Producer - consumer Problem (Bounded - buffer)
- ② Reader - writer problem
- ③ Dining - philosopher problem

Bounded Buffer Problem



Bounded Buffer Problem

- ◎ Known as producer-consumer problem also
- ◎ Buffer is the shared resource between producers and consumers

Bounded Buffer Problem: Solution

- ◎ Producers must block if the buffer is full
(no any space empty in buffer)
- ◎ Consumers must block if the buffer is empty
(no any item in buffer)

Bounded Buffer Problem: Solution

◎ Variables:

- Mutex: Binary Semaphore to take lock on buffer (Mutual Exclusion)
- Full: Counting Semaphore to denote the number of occupied slots in buffer
- Empty: Counting Semaphore to denote the number of empty slots in buffer

Initially when buffer is empty

Mutex = 1

Full = 0

Empty = n

Producer()

wait (Empty)

wait (mutex)

// add item on Buffer

signal (mutex)

signal (full)

Consumer()

wait (full)

wait (mutex)

// remove item from buffer

signal (mutex)

signal (Empty)

If first 2 statements (wait () statements) of consumer process are swapped, then there can be deadlock when buffer is empty.

If first 2 statements of producer process are swapped, then there can be deadlock when buffer is full.

Reader-Writer Problem

Consider a situation where we have a file shared between many people:

- ◎ If one of the people tries editing the file, no other person should be reading or writing at the same time, otherwise changes will not be visible to him/her
- ◎ However, if some person is reading the file, then others may read it at the same time

Reader-Writer Problem: Solution

- ◎ If writer is accessing the file, then all other readers and writers will be blocked
- ◎ If any reader is reading, then other readers can read but writer will be blocked

Reader-Writer Problem: Solution

◎ Variables:

- mutex: Binary Semaphore to provide Mutual Exclusion
- wrt: Binary Semaphore to restrict readers and writers if writing is going on
- readcount: Integer variable, denotes number of active readers

◎ Initialization:

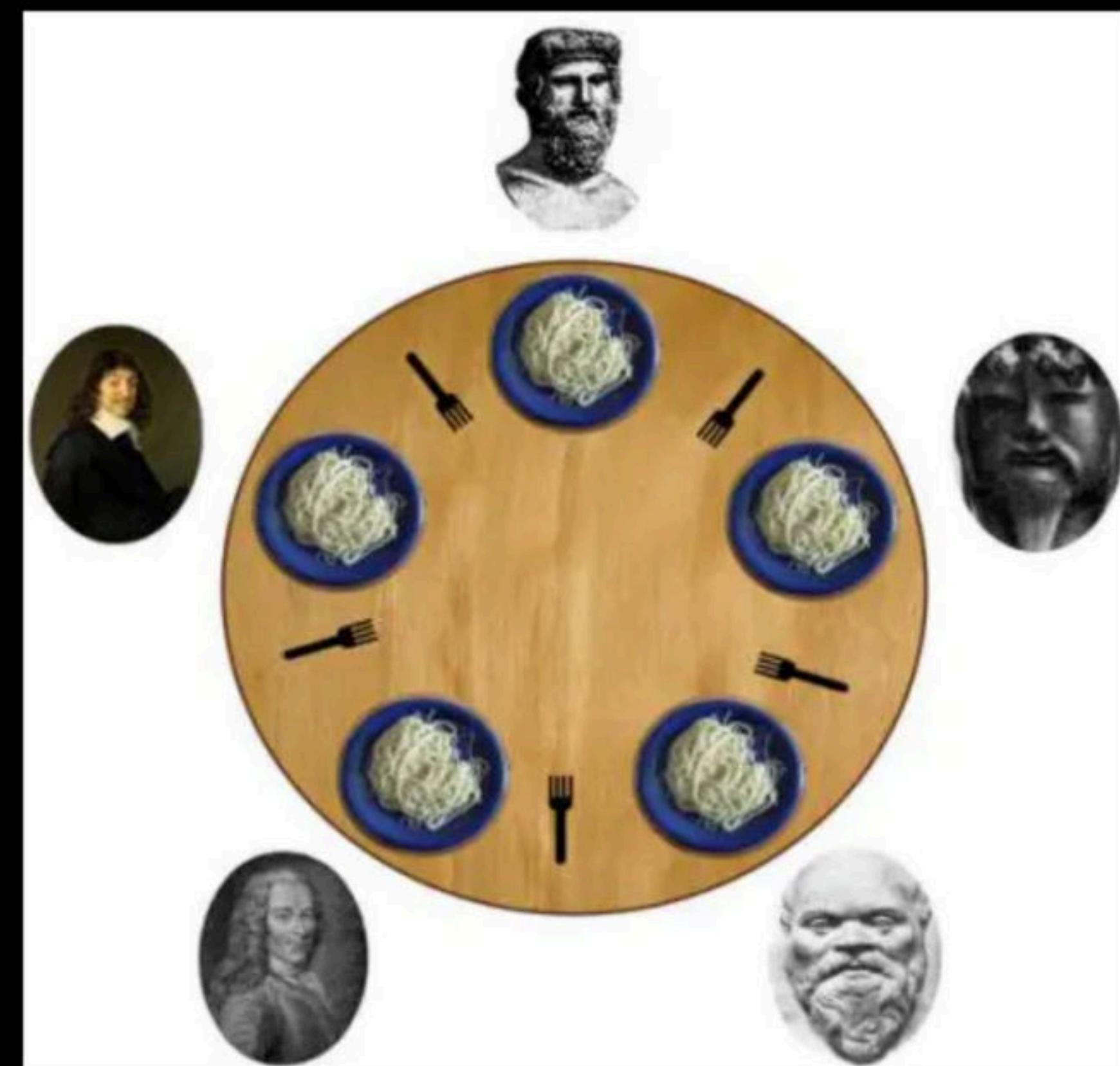
- mutex: 1
- wrt: 1
- readcount: 0



Writer() Process

Reader() Process

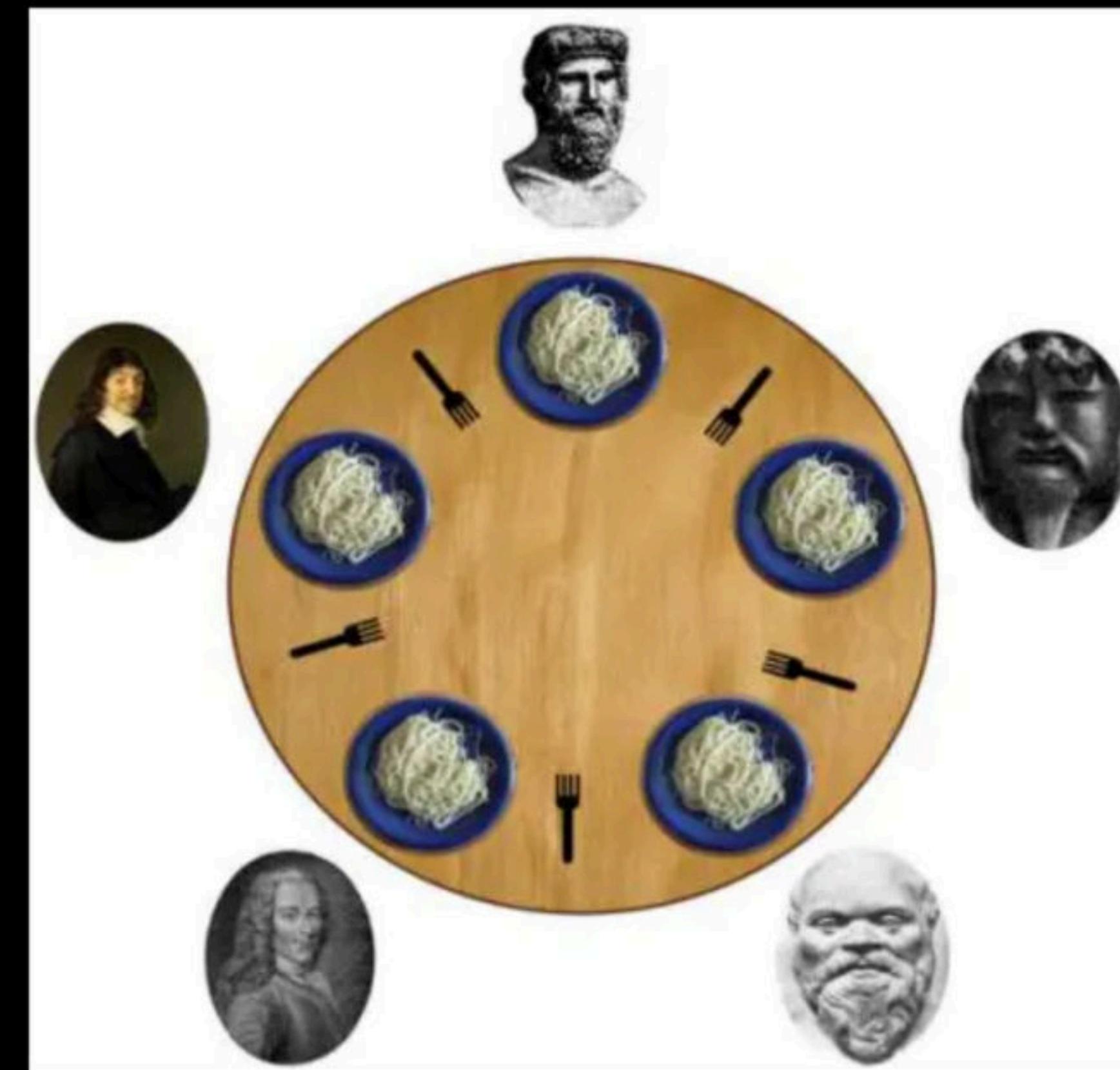
Dining Philosopher Problem



Dining Philosopher Problem

- ◎ K philosophers seated around a circular table
- ◎ There is one chopstick between each philosopher
- ◎ A philosopher may eat if he can pick up the two chopsticks adjacent to him
- ◎ One chopstick may be picked up by any one of its adjacent followers but not both

Dining Philosopher Problem: Solution



Dining Philosopher Problem: Solution

Dining Philosopher Problem: Solution

Dining Philosopher Problem: Solution

Some of the ways to avoid deadlock are as follows –

1. There should be at most $(k-1)$ philosophers on the table

Dining Philosopher Problem: Solution

Some of the ways to avoid deadlock are as follows –

1. There should be at most $(k-1)$ philosophers on the table
2. A philosopher should only be allowed to pick their chopstick if both are available at the same time

Dining Philosopher Problem: Solution

Some of the ways to avoid deadlock are as follows –

1. There should be at most $(k-1)$ philosophers on the table
2. A philosopher should only be allowed to pick their chopstick if both are available at the same time
3. One philosopher should pick the left chopstick first and then right chopstick next; while all others will pick the right one first then left one

Dining Philosopher Problem: Solution

Happy Learning.!



- clas Problem of sync.
 - threads
 - sys call
 - fork()
-

Deadlock ✓

