

Loss function

- ▶ Hemming loss:
 $\frac{1}{L} \sum_{i \in [1, 2, \dots, L]} (\hat{y}_i \text{ xor } y_i)$
- ▶ exact loss
0 if $\hat{y} = y$ else 1
- ▶ trade off
 $\sum_{i \in \hat{Y}} [1 - a - y_i]$

Algorithm

We can consider each "superarm" of the label powerset as a separate class and then from there we can apply multiclass method. Let k be the cardinality of the labelset

for $i = 1, 2, \dots, T$:

1) input x

2) calculate $\hat{y} = \operatorname{argmax}(W^T x)$ 3) calculate

$$p_r = (1 - \gamma)|r = \hat{y}| + \frac{\gamma}{k}$$

4) predict \tilde{y} according to the distribution p and receive \tilde{y}

intersection Y 5) update w according to $w = w - \nabla L$ where L is the loss

Related works

randomised k set : randomly break down the entire powerset of labels into m labelsets which have size k . Train m classifiers and then take the union of their outputs.